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COMPOSITE MATERIALS WORKBOOK

AIR FORCE MATERIALS LABORATORY

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FOR THE COMMANDER

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ABSTRACT (Continue on reverse side if necessary and identify by block number)
This workbook is intended to present to the users of composite materials a set of tools to solve most commonly encountered problems in design and testing. Attempts are made to simplify both the operational and conceptual aspects. Subjects are selected from the standpoint of practical application rather than elegance.

This workbook is unique in that it requires the student to work through many numerical problems immediately after the presentation of formulas. Program-

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20. ABSTRACT (continued)

mable pocket calculators, preferably with magnetic card capability, are most suitable to perform the necessary calculations. In a separate volume, a number of the formulas in this workbook have been preprogrammed. The description, operating instruction, and program listing for these formulas have been compiled for Texas Instruments SR-52.

It is envisioned that this workbook is suitable for both a supervised educational program for the novice, and a refresher course for the experienced. It is believed that composite materials can be made conceptually simple. Operational aspects can also be made simple by the use of programmable calculators. The performance characteristics of composite materials can now be fully appreciated and utilized.

The combined workbook and mc² (magnetic card calculator) approach, can make speed teaching and speed learning possible. This approach can be extended into subjects beyond composite materials.

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FOREWORD

This report was prepared in the Mechanics and Surface Interactions Branch (AFML/MBM), Nonmetallic Materials Division, Air Force Materials Laboratory. Wright-Patterson AFB, Ohio. The work was performed under the joint support of Project No. 2419 "Nonmetallic Structural Materials," Task No. 241903 "Composite Materials and Mechanics Technology," and Project No. 2307 "Aerospace Sciences," Task No. 2307P1 "Life Analysis and Failure Mechanics in Engine and Airframe Structural Metals and Composites." The time period covered by the effort was 1 September 1976 to 1 March 1977. Stephen W. Tsai (AFML/MBM) was the laboratory project engineer.

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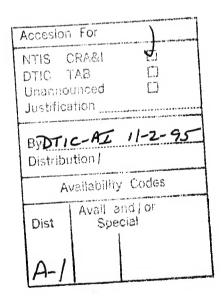


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All equations are equally applicable and are limited by the basic assumption that $M_1 = \rho_1 V_1$ M_{i} = $\rho_{i} V_{i}$ $M_2 = \rho_2 V_2$ (8) holds within each constituent phase. Equation 7 can be rewritten as follows: Rule-of-mixtures relations imply non-interacting phases, within each of which Equation 8 holds. TYPICAL CONSTITUENT Density of Two-phase Composites DENSITIES From Equation 7 From Equation 5 SPECIFIC DENSITY MATERIAL kg m³ GRAVITY $\rho_1^{v_1 + \rho_2^{v_2}}$ Kevlar 1450 1700 Graphite 1.7 2600 Glass 2.6 2600 Boron 2.6 7800 7.8 Steel v₂ 19300 19.3 1100 Nylon Epoxy 1200 1400 Polyester mass vol. 1800 mass 2800 2.8 Ti 4500 Fiber Fraction Fiber Fraction v₂ or m₂ v2 or m2 Figure 4 Linear plots are the easiest provided proper variables, ρ or 1/ρ is taken. Relationships between mass and volume contents are readily seen.

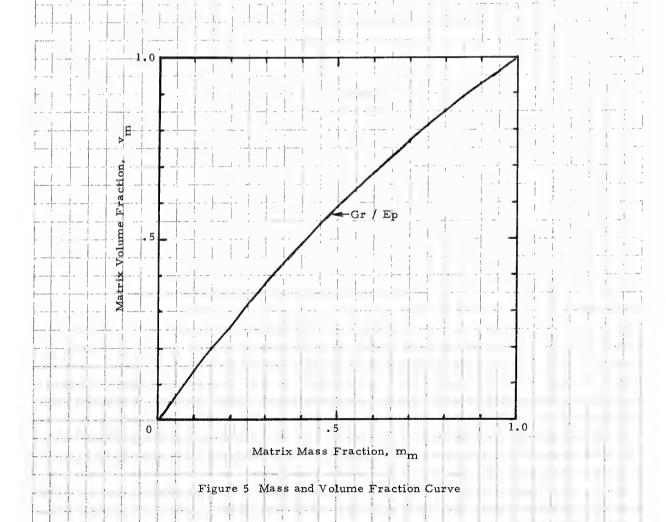
e. Void Content Void content in a two-phase composition	ite can be defined by
$v_{\text{void}} = 1 - (v_1 + v_2)$	
1	
= 1 - \frac{\rho_{\text{measured}}}{\rho_{\text{calculated}}}	
	$\left(\frac{m_2}{\rho_2}\right)$ (10)
This relationship is not accurate be	cause:
Personner value va la province and control of local	g phases ignore curing stress which can induce up to
I percent strain.	
(2) Absorbed moisture which ca	an induce swelling of several percent.
	y be closed, thus, cannot influence the gross
density beyond the detectabl	A to take the control of the control
Alternative methods for determinati	on of voids will be covered later.
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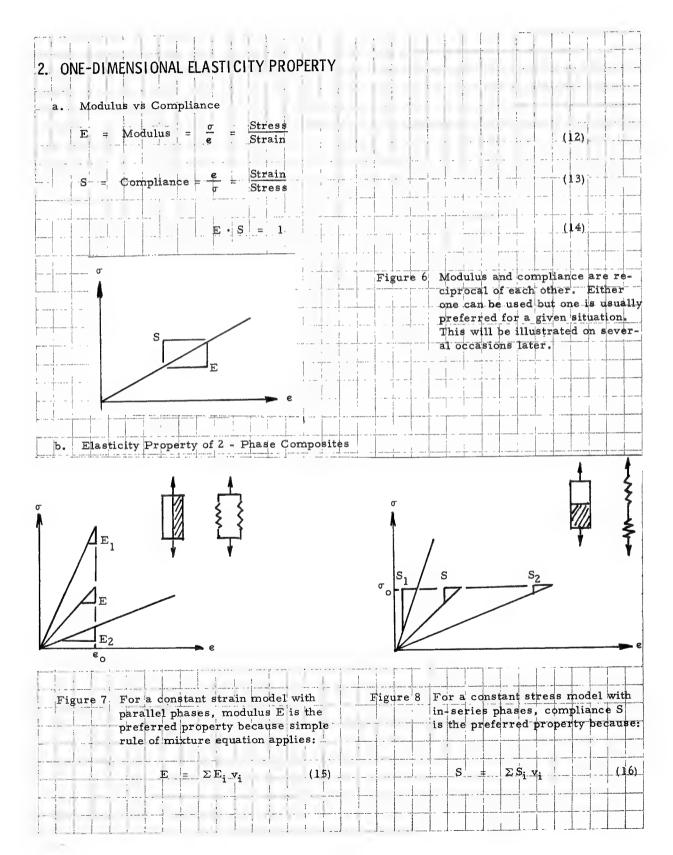
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f. Relations between mass and volume fractions

$$\mathbf{v}_{1} = \frac{\mathbf{v}_{1}}{\mathbf{v}} = \frac{\mathbf{m}_{1}}{\rho_{1}} \frac{\rho}{\mathbf{m}} = \frac{\mathbf{m}_{1}}{\rho_{1}} \rho = \frac{\mathbf{m}_{1}}{\rho_{1}} \frac{1}{\rho_{1}} + \frac{\mathbf{m}_{2}}{\rho_{2}} = \frac{1}{1 + \left(\frac{1}{m_{1}} - 1\right)\frac{\rho_{1}}{\rho_{2}}}$$
(11)

Pm / Pf
71
.46
.46
1.08





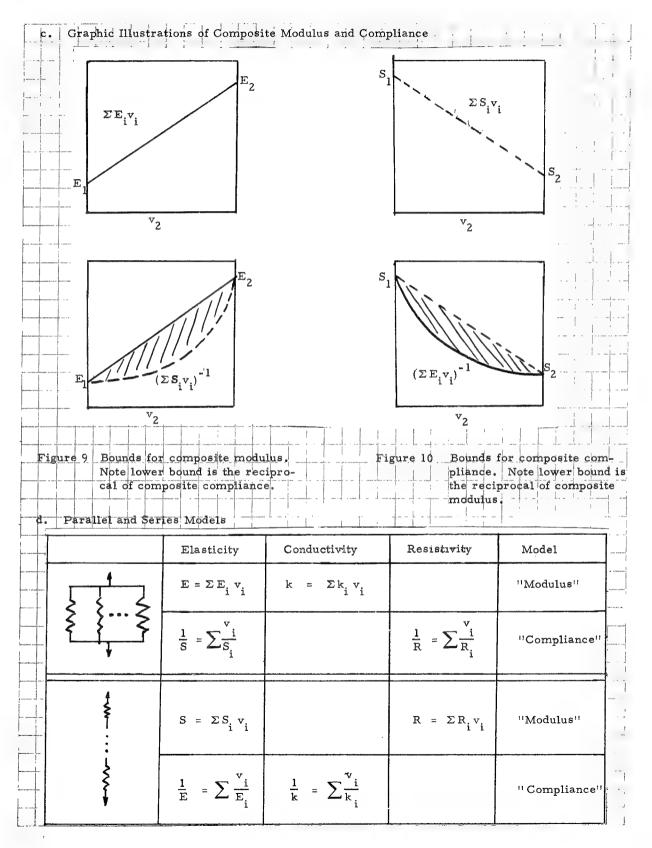
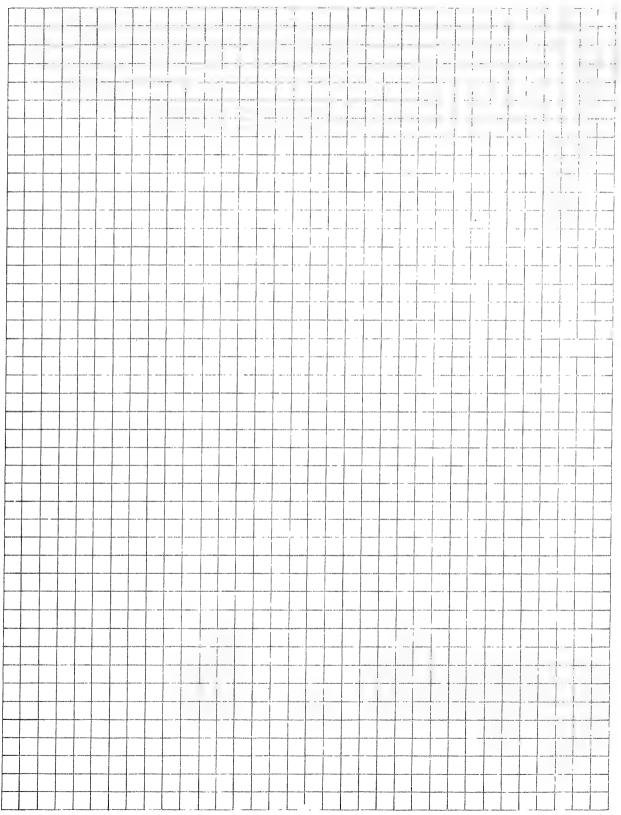
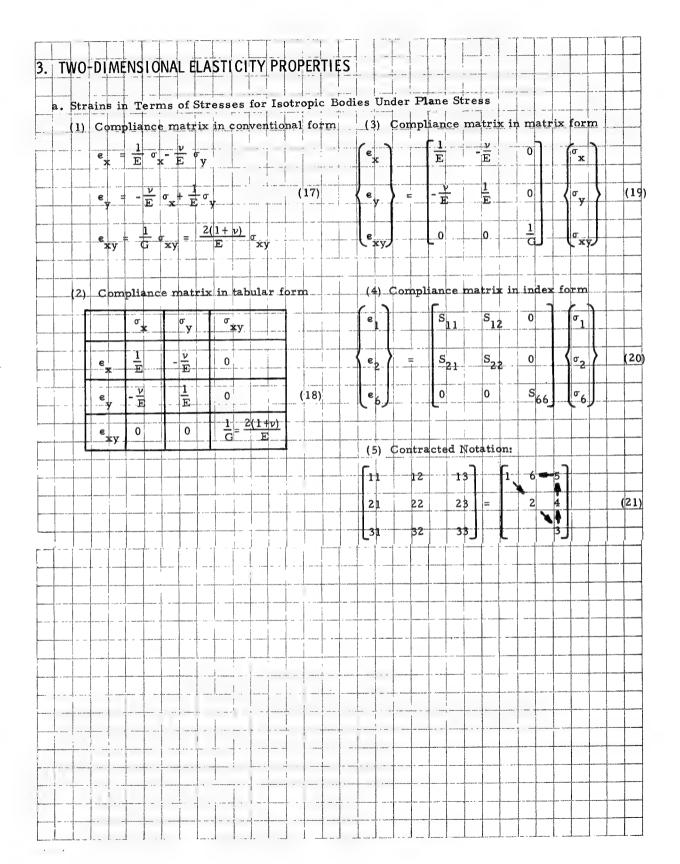


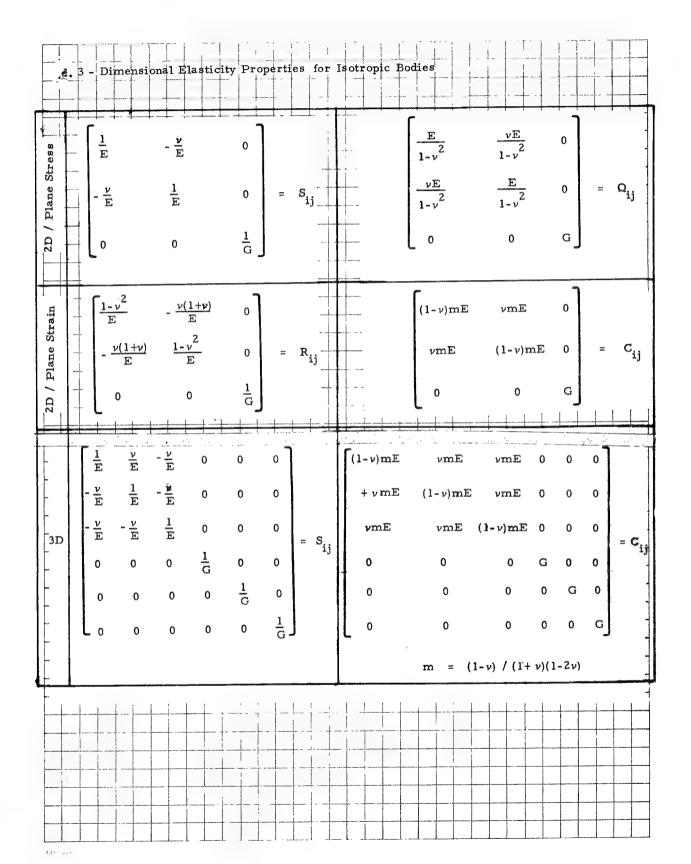
TABLE 2	TYPICAL CONSTITUENT	STIFFNESSES	
MATERIAL	YOUNG'S MODULUS E(GPa)	ACQUSTIC VELOCITY C(km sec 1)	
Keylar	131	9.50	
Graphite	207	11.0	
Glass	87	5.78	
Boron	414	12.6	
Stee1	207	5,15	
	407	4.59	1 1000000000000000000000000000000000000
	4.8		
Nylon		1.7	
Ероху	3.4	1.6	<u> </u>
Polyester		11.6	-
Be	241		
A1	69	5.0	-
Ti	103	4,8	
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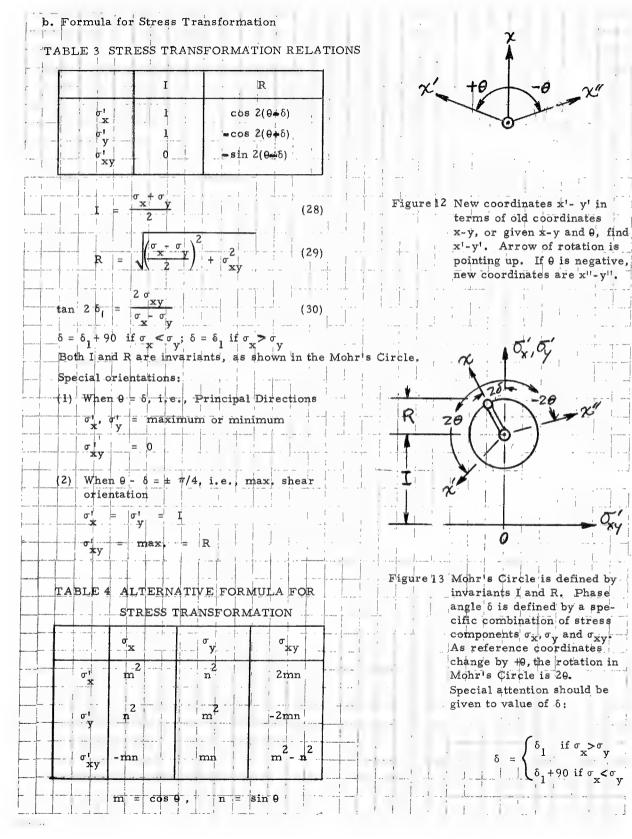
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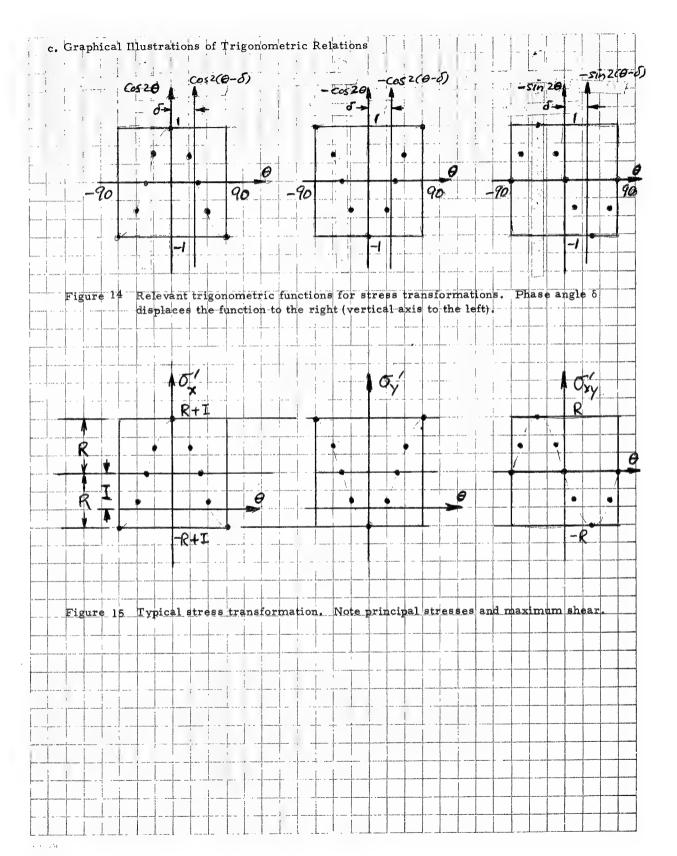


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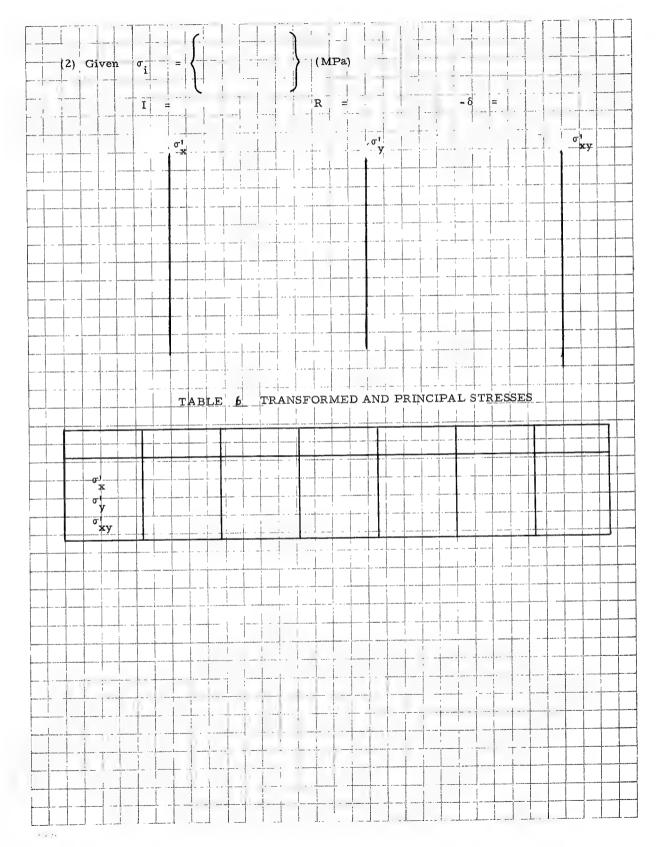
	SECTION II
	STRESS AND STRAIN
1	
S	TRESS AS COORDINATES ROTATE
a.	Introduction
	Stress is NOT defined as P (You've flunked)
	It is defined by how it changes as its reference coordinates change. That's why we need to
	know the ground rules. Rigid rules are particularly important for composites because
	composite properties also change with coordinates, by a different set of rules. All of these
	rules are called the transformation relations. In this section, we will discuss only those
_	related to stress and strain.
	When we apply a stress to an isotropic material, we can analyze the response of the materia
	in the same coordinate system. There is no reason to look into any other coordinates with
	the possible exception of the plane where shear stress is maximum.
	For composites, the response is highly dependent on the orientation of the material. It is
	therefore important to know how an applied stress can be transformed to the material axes.
	(See Figure 11) We use stress transformation relations to do this job.
	Conversely, if we know the stresses in
	the material system x-y, we want to
_	know what apply stresses must be for
	any coordinate system, we simply
<u></u>	rotate the 0 backward, or apply inverse
	transformation. The same rule applies
	except now we use negative 0 in the
	formula.
- + -	It is therefore an important rule of
	transformation to know the positive Figure 1/1 Transformation of applied stres
	from the negative. We are all aware of coordinate x'-y' by a positive ro
. 1	the difference between tension and com-
	pression, but we rarely pay attention to positive from negative shears because they are not
	important for isotropic materials. For composites, we must make sure the proper signs
	for all angles of rotation, stresses, etc., are used. For rotation, we will use the right
	handed system.
	The state of the s



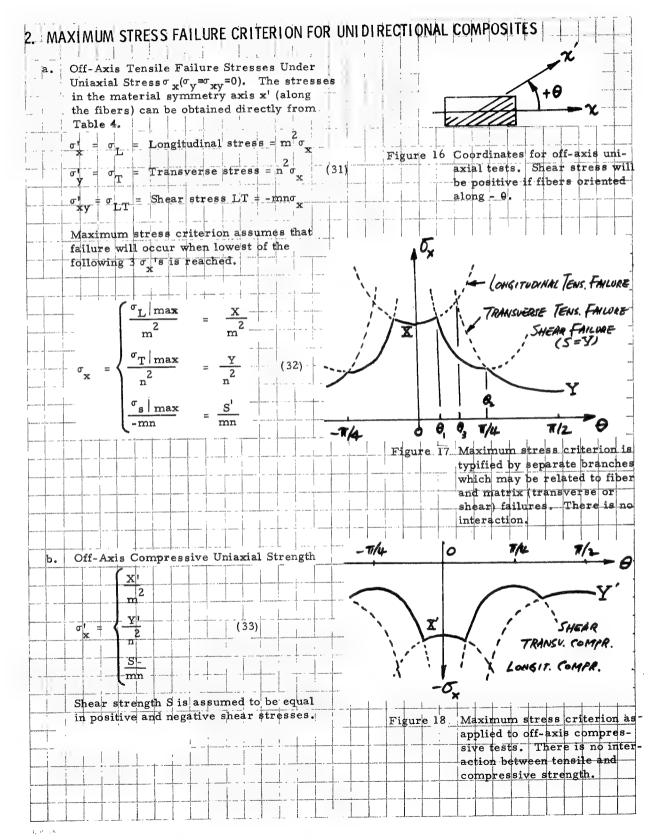


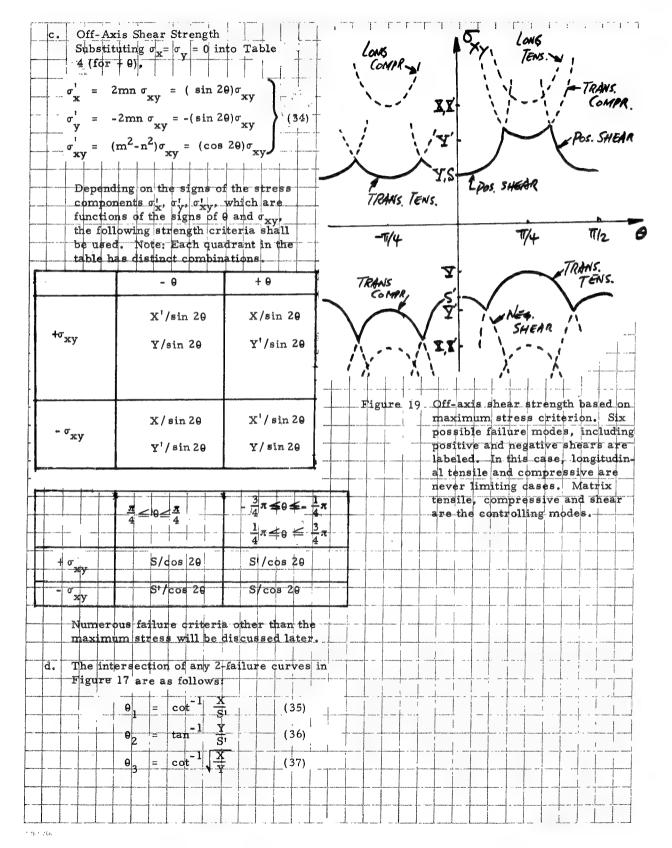
d. Numerical Examp	ples			
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TA	BLE-5 TRANSFORM	MED AND PRINCIPA	LSTRESSES	
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σ,				
σ' xy				

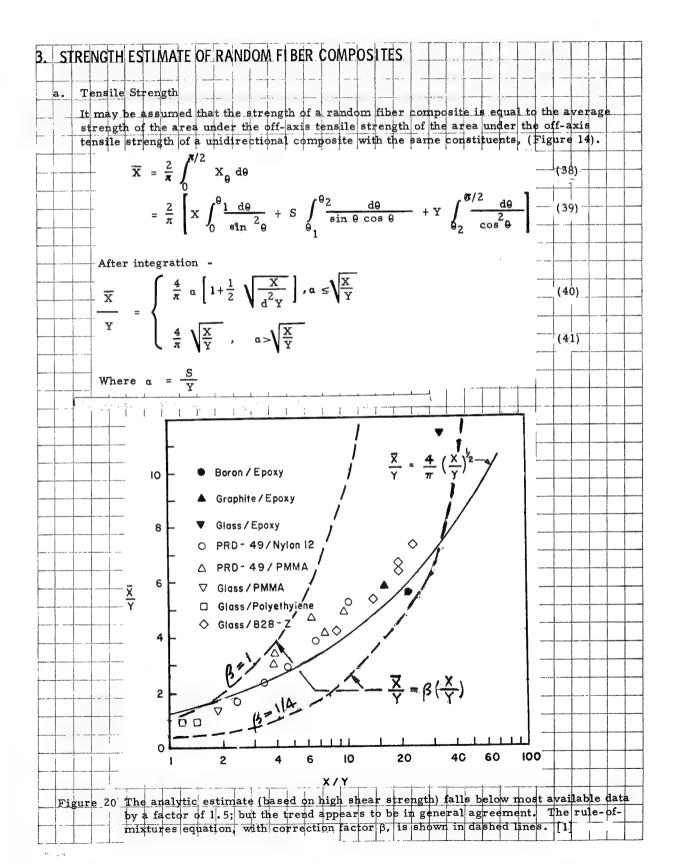
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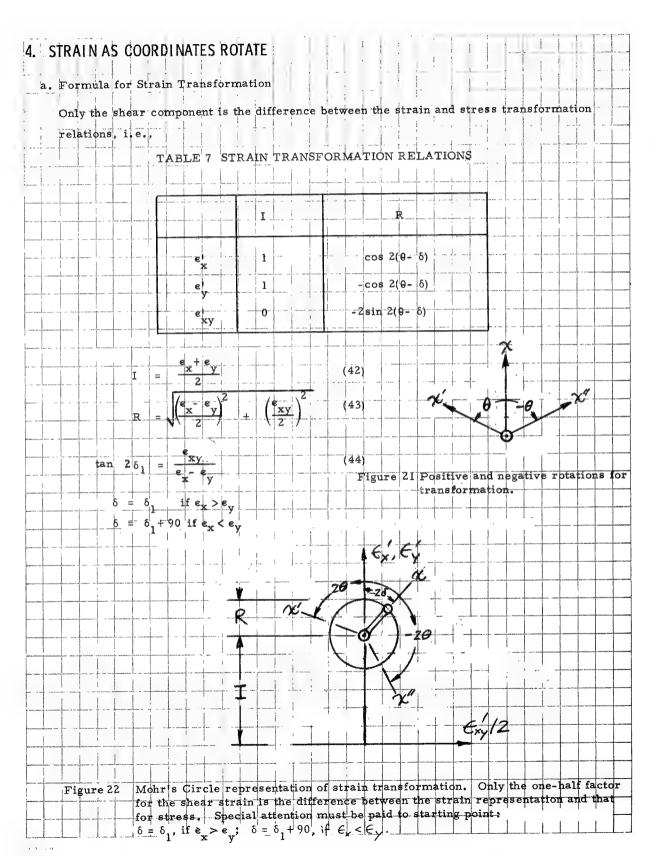
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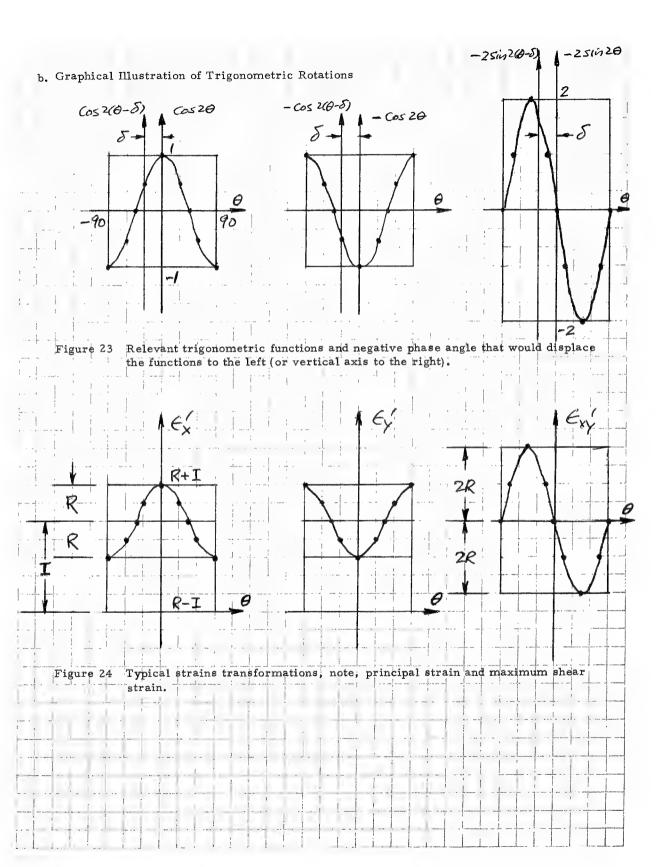


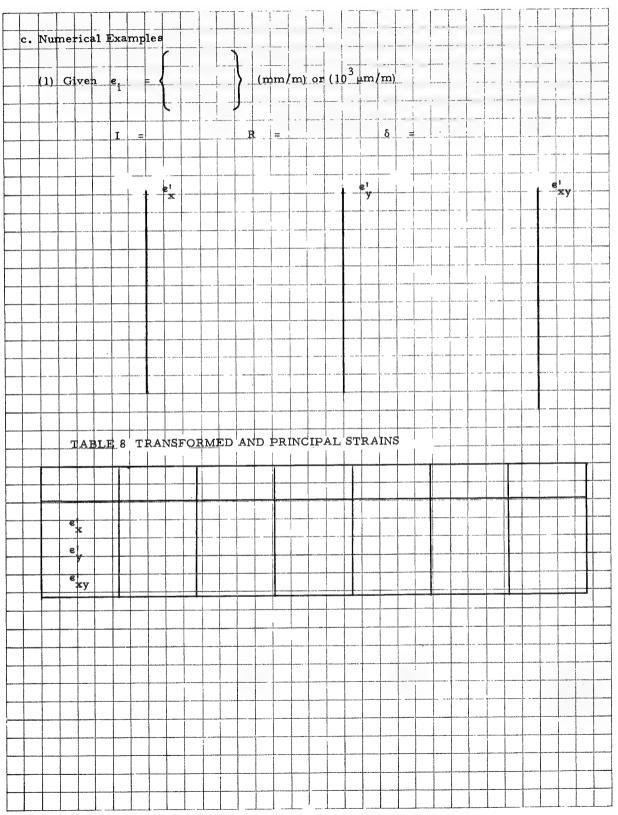


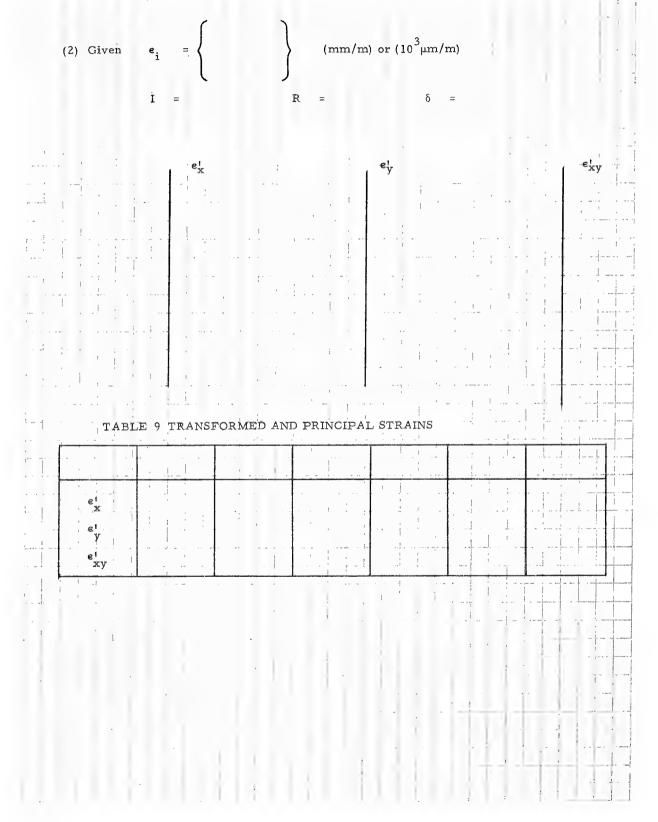


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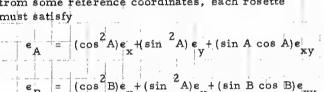




5. STRAIN ROSETTES

a. Three-Element Rosettes

Since there are 3 strain components at each point, 3-element rosettes are in general needed to solve for 3 unknowns. Assuming 3 elements are mounted at 3 different angles from some reference coordinates, each rosette must satisfy



 $\epsilon_{C} = (\cos^{2}C)\epsilon_{x} + (\sin^{2}C)\epsilon_{y} + (\sin C \cos C)\epsilon_{xy}$

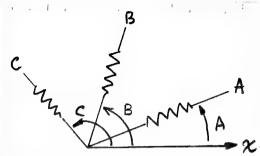


Figure 25 Strain rosette orientation with positive angles. If an angle is negative, it shall be so entered into Equations (45) and (46).

In matrix form

$$\begin{bmatrix} \cos^2 A & \sin^2 A & \sin A \cos A \\ \cos^2 B & \sin^2 B & \sin B \cos B \\ \cos^2 C & \sin^2 C & \sin C \cos C \end{bmatrix}$$

$$\begin{pmatrix}
\mathbf{e}_{\mathbf{x}} \\
\mathbf{e}_{\mathbf{y}} \\
\mathbf{e}_{\mathbf{x}y}
\end{pmatrix} = \begin{pmatrix}
\mathbf{e}_{\mathbf{A}} \\
\mathbf{e}_{\mathbf{B}} \\
\mathbf{e}_{\mathbf{C}}
\end{pmatrix} (46)$$

b. Other Rosettes

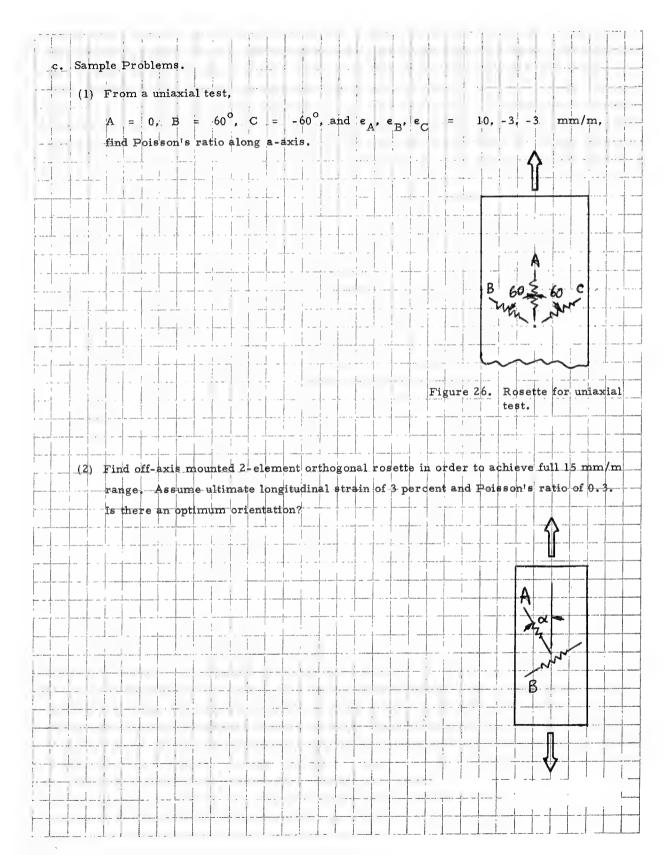
Four-element rosette is an over-determined system when a 4th equation is added:

$$\epsilon_{\rm D} = (\cos^2 {\rm D})\epsilon_{\rm x} + (\sin^2 {\rm D})\epsilon_{\rm y} + (\sin {\rm D} \cos {\rm D})\epsilon_{\rm xy}$$
 (47)

Methods of solution for an over-determined (4 or more equations for 3 unknowns) are available. The additional strain gage also serves as a redundant gage, in case of a defective gage:

Two-element rosette is adequate if additional information on the strain components is given. For example, if from symmetry considerations, e is known to be zero, or e = e, two-element rosette can be used. The angle between the elements (i.e., A-B) can be any value, although normally it is 90°.

One-element rosette is adequate if it is known that $e_{x} = e_{y} = 0$, $e_{xy} \neq 0$; or only uniaxial strain is needed.



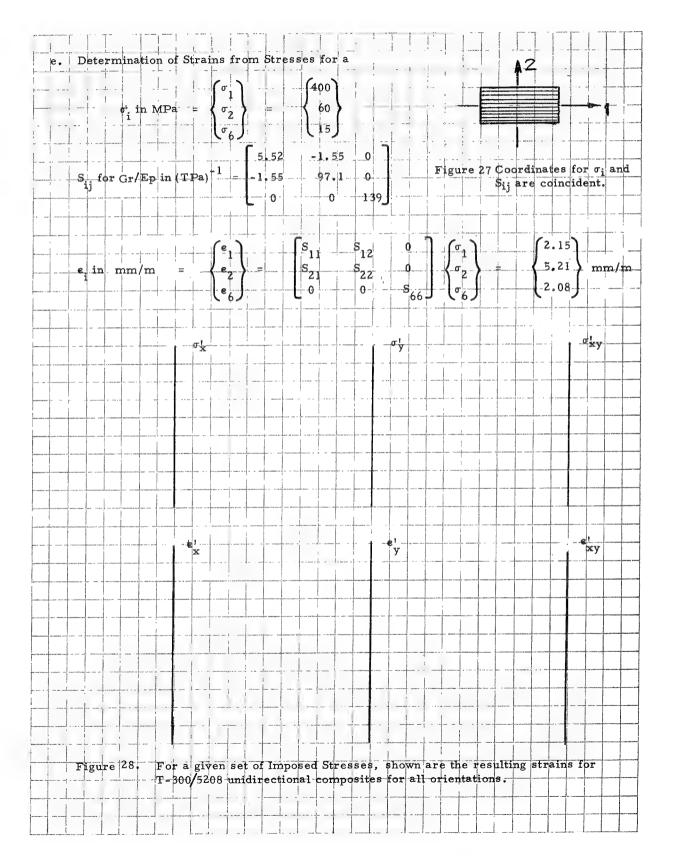
STRESS - STRAIN RELATIONS COMPLIANCE AND MODULUS MATRICES a. Stress-Strain Relations in Longhand Form (Plane Stress) $ \begin{array}{cccccccccccccccccccccccccccccccccc$						SECTI	ONIII		1	
a. Stress-Strain Relations in Longhand Form (Plane Stress) $\begin{array}{cccccccccccccccccccccccccccccccccccc$					STRE	SS - STR	AIN RELATIC	ońs i		
$\begin{array}{cccccccccccccccccccccccccccccccccccc$		Marin (1997)							1 2 1 - ,	
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$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		e 6	= S	oj j	S ₆₁ σ ₁ +	S ₆₂ + S ₆	666			
		- F ₃	= 0,				12 A 1 1000 - 10		(50)	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$					Q ₁₁ e ₁ +	- Q ₁₂ e ₂ +Q ₁	6 ^e 6			
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$		σ ₂	= Q.	2;e; =	Q ₂₁ e, -	- Q ₂₂ e ₂ + Q	26.6	A 4000 TO THE REAL PROPERTY AND THE REAL PRO	(51)	
b. In Matrix Form $\begin{cases} \varepsilon_1 & & & \\ & & & \\ & & & \\ & & & \\ & & & \\ & $										
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	b. In M		Form			s	(6.)		MA	
$\begin{bmatrix} \mathbf{s}_6 \end{bmatrix} \begin{bmatrix} \mathbf{s}_{61} & \mathbf{s}_{62} & \mathbf{s}_{66} \end{bmatrix} \begin{bmatrix} \mathbf{\sigma}_6 \end{bmatrix}$						Managhrangerape, que a fina en en en el meditorità con el managerape de la constanta de la con			- 10-00 Panegar C and 1 - 10 P A-10 Will Will P A-10	
		< e ₂) =	S ₂₁			(σ ₂)	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	(52)	40 A A A A A A A A A A A A A A A A A A A
S_{ij} is symmetric, i.e., $S_{ij} = S_{ji}$, or $S_{12} = S_{21}$, $S_{16} = S_{61}$, $S_{26} = S_{62}$		le ₆	J	S ₆₁	S ₆₂	S 66	Lo6)	management and arrangement are a promption and		A 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
	·	S _{ij}	is syn	nmetric	., i.e.,	S = S _{ji} , o	or \$ ₁₂ = \$ ₂₁ .	S ₁₆ = S ₆₁ ,	S ₂₆ = S ₆₂	

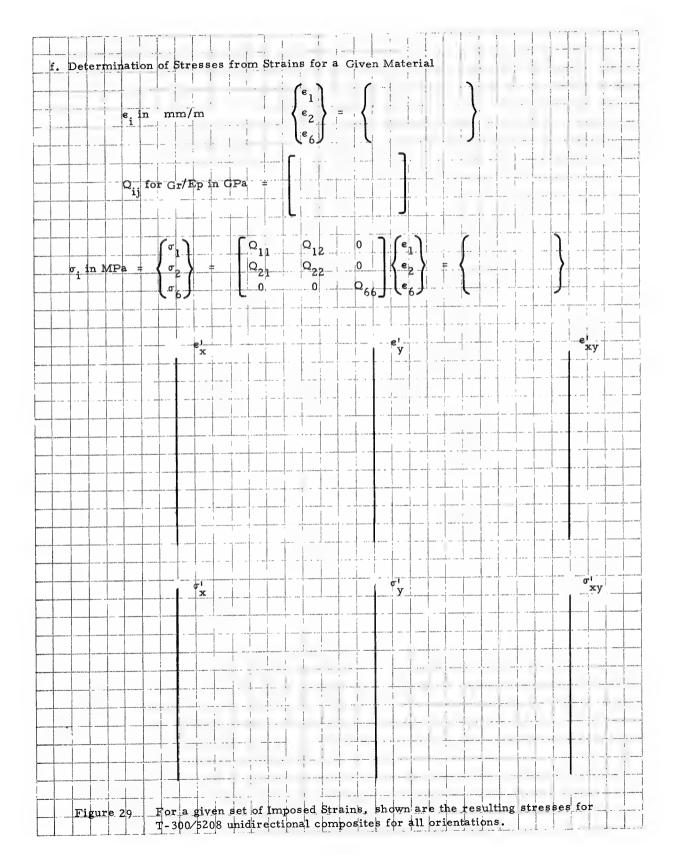
(53) Q_{ij} is also symmetric, i.e., $Q_{ij} = Q_{ji}$, or $Q_{12} = Q_{21}$, $Q_{16} = Q_{61}$, $Q_{26} = Q_{62}$ c. Elastic Symmetries TABLE 10 COMPLIANCE AND MODULUS IN TERMS OF ELASTIC SYMMETRIES Compliance Matrix S Modulus Matrix Q Symmetry (TPa)-1 (No Indep. Const) - - (MPa) Q₁₆ Anisotropic (6) or Generally ν₂₁ Q₂₆ Orthotropic (4)S₆₂ Q₆₂ Q₆₆ $v_{\mathrm{TL}}^{\mathrm{mE}}$ mE_L Specially Orthotropic 0 LT^{mE}T G_L† I E mE νmΕ Isotropic mЕ þ 0 νmΕ E

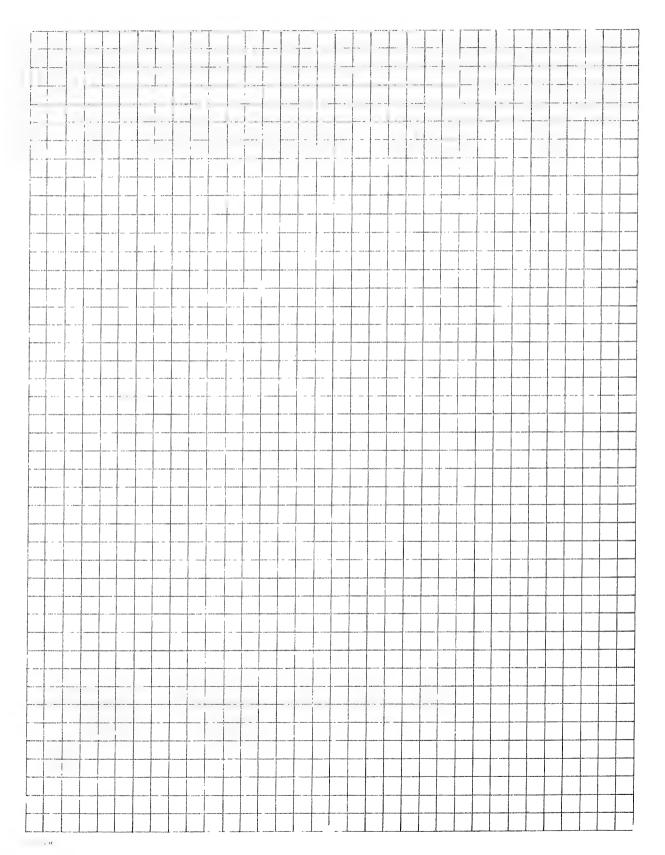
For orthotropic material: m =	$\frac{1}{1-\nu_{LT}\nu_{TL}} = \frac{1}{1-\nu_{1}^{2}}$	$\frac{1}{2}$ $\frac{E}{E}$ LT $\frac{E}{E}$	(54)
ν _L ,	$\mathbf{T} \mathbf{E}_{\mathbf{T}_{\perp}} = \mathbf{v}_{\mathbf{T}}^{\parallel} \mathbf{L}_{\mathbf{L}_{\perp}}^{\mathbf{E}_{\perp}} \mathbf{L}_{\perp}$		
For isotropic material: m =	1 2 1 - 1		(55)
Note: Q can be expressed in te	E 2(1+ v) rms of engineering	constants only for o	rthotropic and
isotropic materials, not for the limitations.	or anisotropic mater	rials. Sig does not	nave such
TABLE 11 ENGINEER	ING CONSTANTS IN	TERMS OF S	ij
	S _i	O _{ij}	
EL	<u> </u>	$Q_{11} - \frac{Q_{12}^2}{Q_{22}}$	
ET		$\begin{array}{c c} Q_{22} & Q_{12}^2 \\ \hline Q_{11} & Q_{11} \\ \hline Q_{11} & Q_{12} \\ \hline Q_{11} & Q_{12} \\ \hline Q_{11} & Q_{12} \\ \hline Q_{11} & Q_{12} \\ \hline Q_{12} & Q_{13} \\ \hline Q_{13} & Q_{14} \\ \hline Q_{15} & Q_{15}$	
12	S ₁₂ S ₁₁	$\begin{array}{c c} Q_{12} \\ \hline Q_{22} \end{array}$	
21	S ₁₂ -S ₂₂	$\frac{\Omega_{12}}{\Omega_{11}}$	
$G_{\mathbf{LT}}$		Ω ₆ ί6	

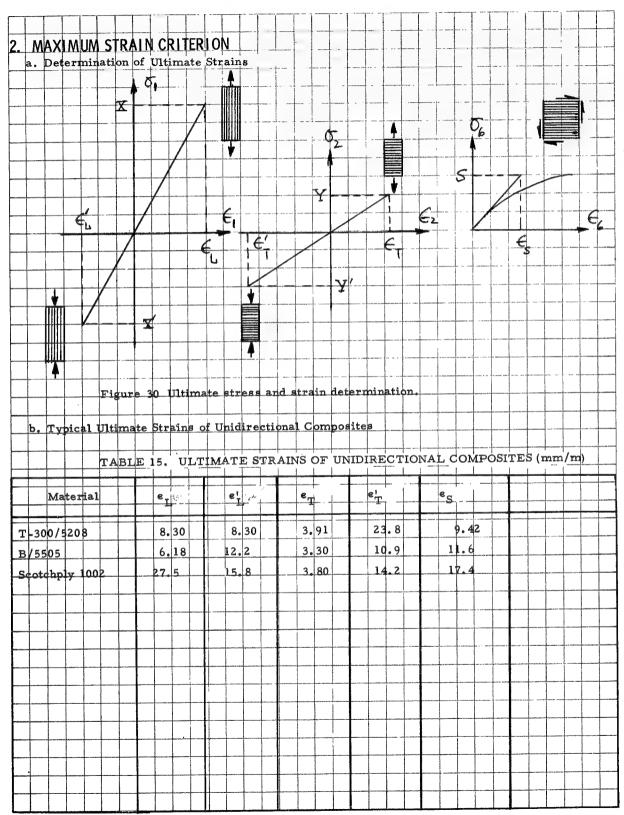
Type	Material	Fiber Vol.	Specific Gravity γ	E _L GPa	ET GPa	LT	G _{LT}
B(4) 5505	B/Ep	0.5	2.0	204	18.5	-0.23	5.79
Mod II 5206	Gr/Ep	0.55	1.5	55	8.83	0.30	5.24
HMS 3002M	Gr/Ep	0.48	1.58	185	6.76	0.20	5.86
T300 5208	Gr/Ep	0.70	1.60	181	10.3	0.28	7.17
Mod I ERLA 4289	Gr/Ep	0.51	1.56	188	4.14	0.20	4.83
Mod I ERLA 4617	Gr/Ep	0.45	1,54	190	7.10	0.10	6.2
AS 3501	Gr/Ep	0.66	1 60	138	8.96	0.30	7.1
B(4) WRD 9371	в/рі	0.49	2.0	222	14.5	0.16	7.7
Mod I WRD 9371	Gr/PI	0.45	1.54	216	4.97	0.25	4.5
S Glass 1009-26-5901	Gl/Ep	0.72	2.13	60.7	24.8	0.23	12.0
Scotchply	G1/Ep	0.45	1.8	38.6	8.27	0.26	4.14
T300 SP-313	Gr/Ep	0.65	1.55	140	9.7	0.32	
Kevlar 49	Kev/Ep	0.60	138	76	5.5	0.34	2,3

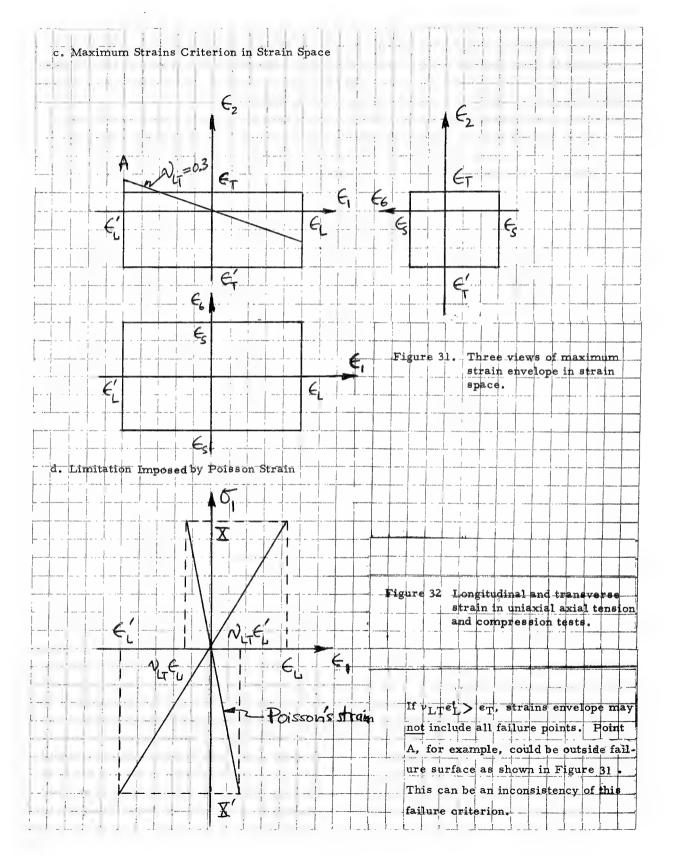
0	osites	s ₁₁	EL	$S_{22} = \frac{1}{E_T}$	s ₁₂	$= -\nu_{LT} \overline{S}_{11}$	$S_{66} = \frac{1}{G_L}$
			Pa)	(TPa)-1		= -V _{TL} S ₂₂	(TPa)
T-300	0/5208	5	.52	97.1		1,55	139
B/550	05	4	.90	54.0		1.12	173
Scote	hply 1002	25	• 9	121.0		6.74	242
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TABI	LE 14 MOD	ULUS Q; IN	TERMS OF I	ENGINEERIN	G CONST	ANTS (10 ⁶ Pa	.)
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				P Ω ₁₂ = ν		management of management of the second	
Composit	es m	Q ₁₁ mE _L	Q ₂₂ = mE (GPa)	D ₁₂ = v	LT ^Q 22	Q ₆₆ = G _L T	
Composit	es . m	O ₁₁ mE (GPa)	Q ₂₂ = mE (GPa)	D Q ₁₂ = v	LT 22 TL ^Q 11	Q ₆₆ G _L T (GPa)	
Composit T-300/52 B/5505	208 1.004	O ₁₁ = mE (GPa)	Q ₂₂ = mE (GPa)	D Q ₁₂ = v	LT ^Q 22	Q ₆₆ = G _L T	
Composit T-300/52 B/5505	208 1.004	182 205	Q ₂₂ = mE (GPa)	1 Q ₁₂ = v = v	LT 22 TL ^Q 11	Q ₆₆ G _L T (GPa)	
Composite T-300/52 B/5505 Scotchply	208 1.004	182 205	Q ₂₂ = mE (GPa) 10.3 18.6	1 Q ₁₂ = v = v	LT 22 TL 11	Q ₆₆ = G _I T (GPa) 7.17 5.79	
Composite T-300/52 B/5505 Scotchply	208 1.004	182 205	Q ₂₂ = mE (GPa) 10.3 18.6	1 Q ₁₂ = v = v	LT 22 TL 11	Q ₆₆ = G _I T (GPa) 7.17 5.79	
Composite T-300/52 B/5505 Scotchply	208 1.004	182 205	Q ₂₂ = mE (GPa) 10.3 18.6	1 Q ₁₂ = v = v	LT 22 TL 11	Q ₆₆ = G _I T (GPa) 7.17 5.79	
Composite T-300/52 B/5505 Scotchply	208 1.004	182 205	Q ₂₂ = mE (GPa) 10.3 18.6	1 Q ₁₂ = v = v	LT 22 TL 11	Q ₆₆ = G _I T (GPa) 7.17 5.79	
Composite T-300/52 B/5505 Scotchply	208 1.004	182 205	Q ₂₂ = mE (GPa) 10.3 18.6	1 Q ₁₂ = v = v	LT 22 TL 11	Q ₆₆ = G _I T (GPa) 7.17 5.79	

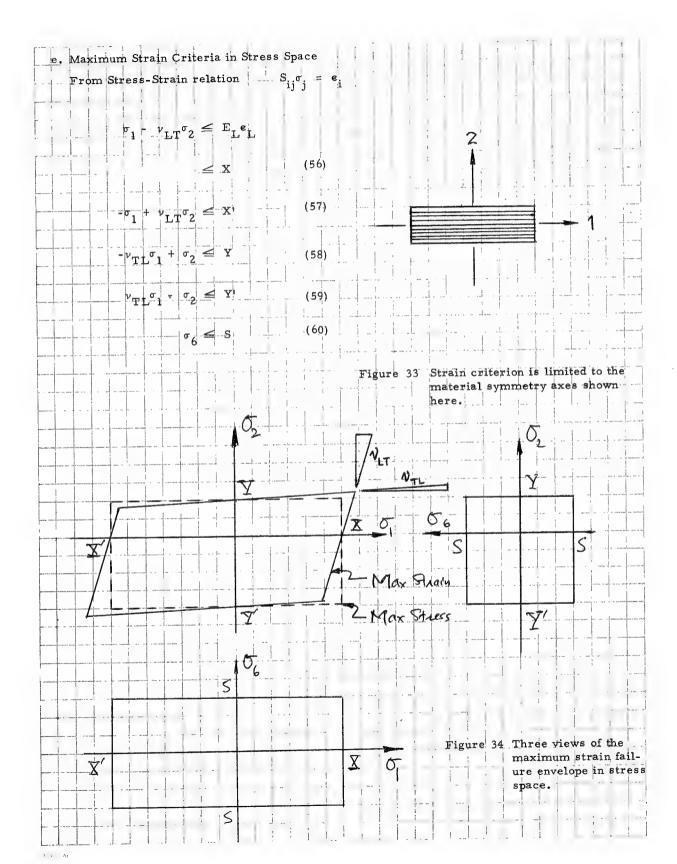


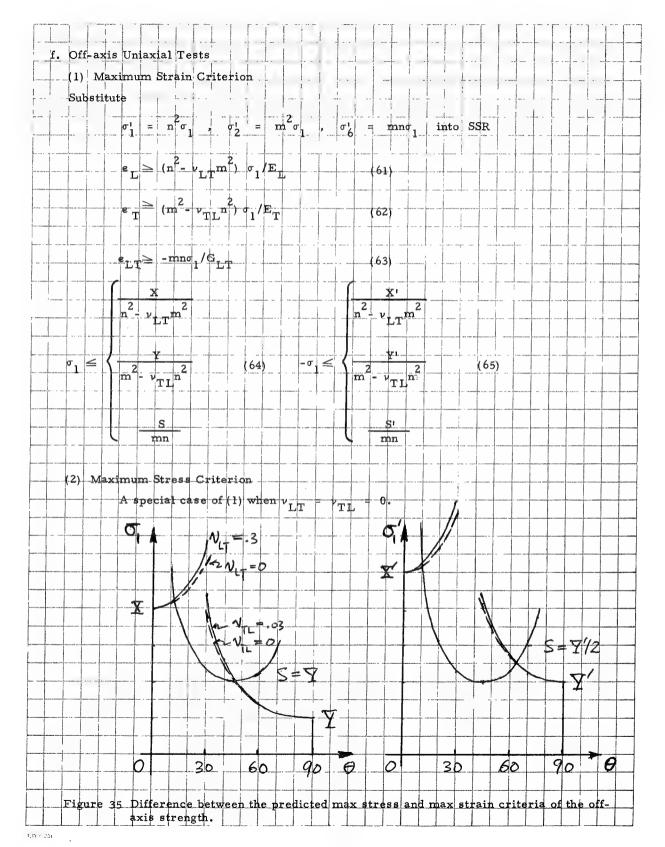




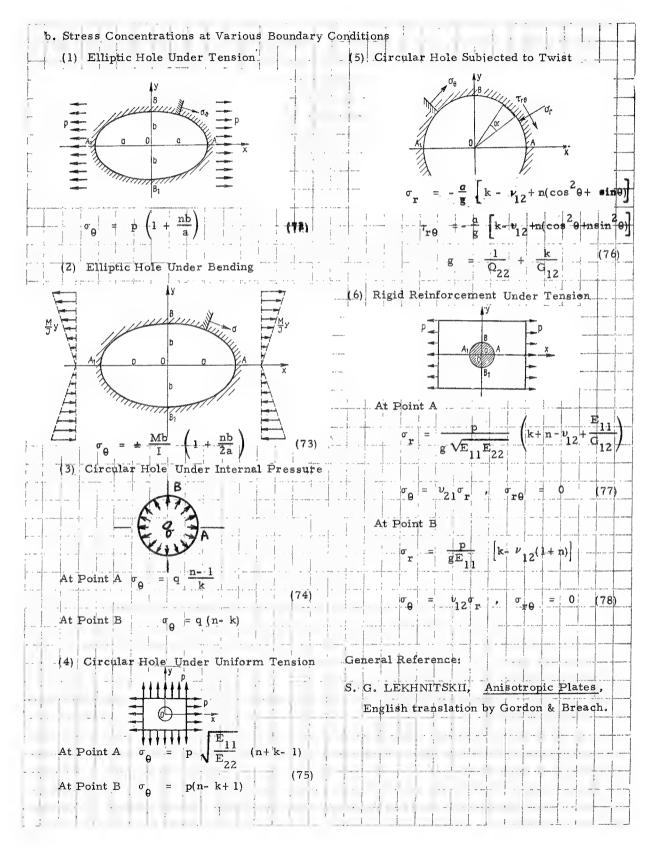


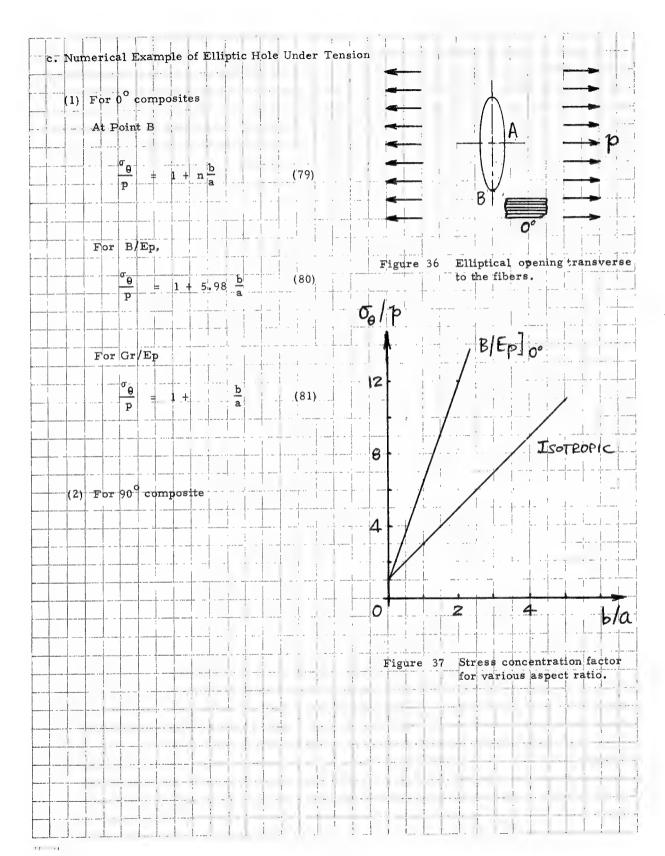






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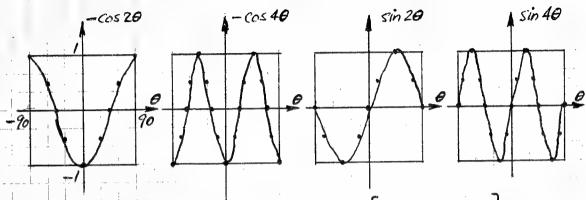


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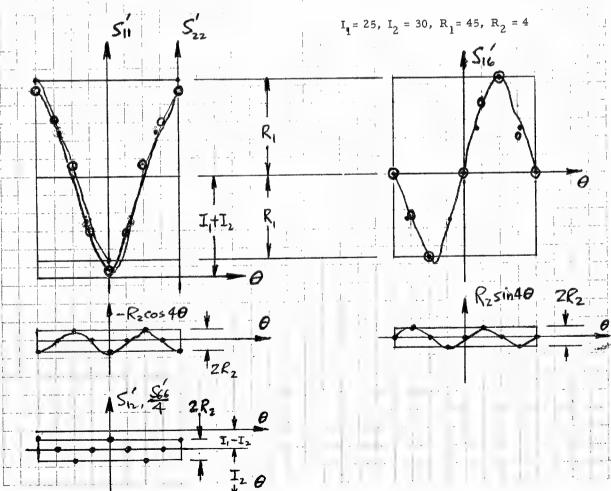
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	ABLE 17 TRAN	SFORMATION OF COMPLIANCE	
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	I ₁ I ₂	R ₁ R ₂	
		-cos 2(0- 6 ₁) -cos 4(0- 6 ₂)	
S'1	n		
S 22	1 - 1		100
St 2	1 -1	0 cos 4 (θ- δ ₂)	
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s! 6	0 0	$\sin 2(\theta - \delta_1)$ $2 \sin 4(\theta - \delta_2)$	and the second s
s	0 0	$\sin 2(\theta - \delta_1)$ - $2 \sin 4(\theta - \delta_2)$	The same of protection of the same of the same and the sa
	$1 + \frac{1}{4}(\$,$	+ S ₂₂ + 2S ₁₂	(82)
	1 1 1 1		(83)
	1 ₂ = 8(S ₁	1 + S ₂₂ - 2S ₁₂ + S ₆₆)	AND THE PARTY OF T
	$R_1 = \frac{1}{2}$	$(-\$_{11} + \$_{22})^2 + (\$_{16} + \$_{26})^2$	(84)
			- we will be a second with the second
	$\mathbb{R}_2 = \frac{1}{8}$	$(S_{11} + S_{22} - 2S_{12} - S_{66})^2 + 4(S_{26} - S_{16})^2$	(85)
	S -		The second state of the se
	$\tan 2\delta_1 = \frac{\$_1}{\$_1}$		(.86)
	1		(87)
	$\tan 4\delta_2 = \frac{200}{5}$	1 ^{+S} 22 ^{-2S} 12 ^{-S} 66	AND AND SHARE THE PARTY OF THE
	ropic material	1 ^{+S} 22 ^{-2S} 12 ^{-S} 66	Language of the second of the second
F OF OFTHOU	$\delta = \delta_2$		(88)
	ropic material	+-	
For anisoti	ropic material $\delta_1 \neq \delta_2$		(89)
	+++++++-2		(07)

b. Typed Numerical I	Data				
TABLE 18 IN	VARIANTS FO	R COMPLIANC	E MATRIX FO	OR VARIOUS CO	OMPOSITES
Material	I	I ^I 2S	R ₁ s	R _{2S}	
T-300/5208	24.9	30.6	45.7	4.22	
B/5505	14.2	29.2	24.6	13.9	
Scotchply 100		50.2	47.5	10.2	
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- c. Graphical Illustration
 - (1) Trigonomatic Relations



$$\mathbf{S_{ij}} = \begin{bmatrix} 5.5 & -1.5 & 0 \\ -1.5 & 97 & 0 \\ 0 & 0 & 139 \end{bmatrix} (\mathbf{TPa})^{-1}$$



(3) V	ariation in	n Engineering (Constants as Coordinates 1	Rotate (GPa)	-
E	$S_{11} = \frac{1}{S_1}$	$\overline{E}_{22}^{\prime} =$	$\frac{1}{S_{22}^{i}}$, $\overline{v}_{12}^{i} = -\frac{S_{12}^{i}}{S_{11}^{i}}$,	$v_{21}^{i} = -\frac{12}{S_{22}^{i}}$	$G_{12}^{i} = \frac{1}{S_{66}^{i}}$
			,	1	1 1 1
TABI	E 19 TRA	ANSFORMED (MPOSITES (TF	COMPLIANCE & ENGINEE Pa)-1 AND (GPa)	CRING CONSTANT	S FOR VARIOUS
	1,000	T-300 /	Engineering	C	Engineering
		Sij	Constants	Sij	Constants
	5.52	-1-54 0	E ₁₁ = 182	AND THE PERSON OF THE PERSON O	
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0		97.1 0	ν ₁₂ = .28	The second secon	put have a second and a second
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			, [American district and the second seco	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
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		130	$G_{12} = 7.7$		
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		TABLE	E 20 TRA	ANSFORMATION OF A	MODULUS		
			4 10 1000				
		I_1	I ₂	R	R ₂		
		1	1	cos 2(θ- δ ₁)	cos 4(θ- δ ₂)		
	Q' ₁ 1				cos 4(θ - δ ₂)		
	Q' ₂₂	1	1 - 1	-cos 2(0- 8 ₁)			
	Q' ₁₂	1	-1	0	- cos 4(θ- δ ₂)		
	Q1 ₆₆			0	- cos 4(8- 6 ₂)		
	0,6	0	0	$-\frac{1}{2}\sin 2(\theta - \delta_1)$	$-\sin 4(\theta - \delta_2)$		-
	Q ₂₆	0	- 0	$-\frac{1}{2}\sin 2(\theta - \delta_1)$	$\sin 4(\theta - \delta_2)$	A TO A CAMPAN AND AND AND AND AND AND AND AND AND A	
		I,	$=\frac{1}{4}\left(Q_{1}\right)$	1 + Q ₂₂ + 2Q ₁₂)		(90)	
		12		+ Q ₂₂ - 2Q ₁₂ + 4Q	66)	(91)	
	angural quantum and an analysis of the second and an an an analysis of the second and an an an an an an an an an an an an an	AND AND ADDRESS OF THE PARTY OF			The second secon	(92)	-
		R ₁	$=\frac{1}{2}$	$(-Q_{11} + Q_{22})^2 + 4(Q_{16})$	+ 1226'		-
		R ₂	$=\frac{1}{8}$	$(Q_{11} + Q_{22} - 2Q_{12} - 4$	$\Omega_{66}^{(2)} + 16(\Omega_{16} - \Omega_{26}^{(2)})$	(93)	
			1 1 1 1	216 + 026			-
_	ta	n 2δ	= 2	2 ₁₁ - Q ₂₂		(94)	
			4(Q	12-Q ₂ 6)			-
	ta	n 4δ ₂	$= -\overline{\varphi_{11}}$	16 26) + Q ₂₂ - 2Q ₁₂ - 4Q ₆₆		(95)	-
				orthotropic material	9		
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		δ ₁	# 8 ₂ for	anisotropic material	S		+

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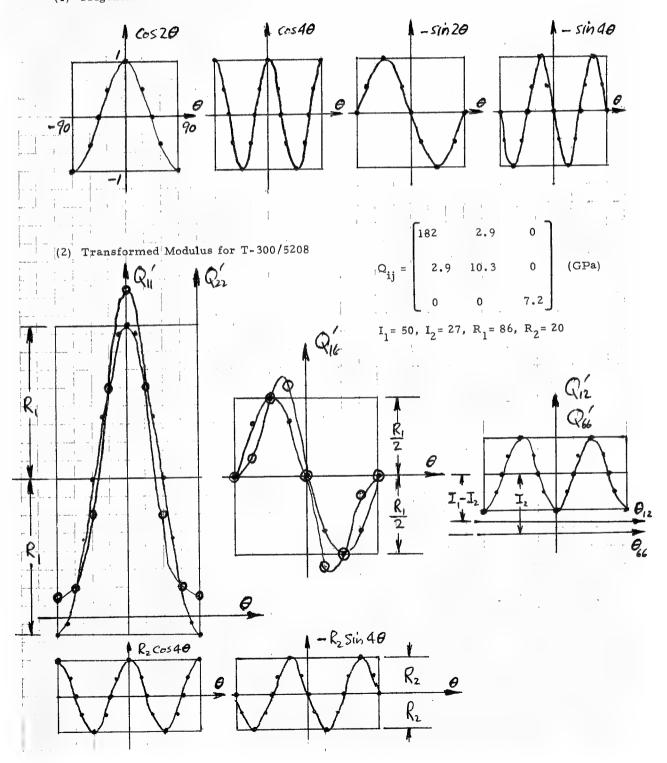
TABLE 21 INVARIANTS FOR MODULUS MATRIX FOR VARIOUS COMPOSITES (GPa									
						· · · · · · · ·			
	Material	10	I _{2Q}	R _{1Q}	R _{2Q}				
	T-300/5208	49.5	26.9	85.7	19.7				
	B/5505	58.0	29.8	93.2	24.0				
	Scotchply	***************************************							
	1002	13.0	7.47	15.4	3.33				
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c. Graphical Illustration

(1) Trigonometric Relations



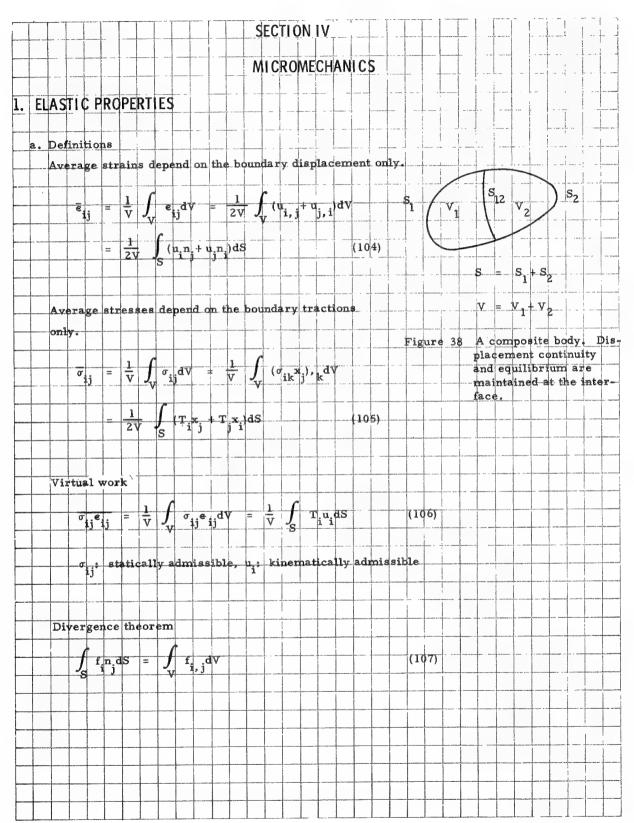
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Q _{ij} (30)												
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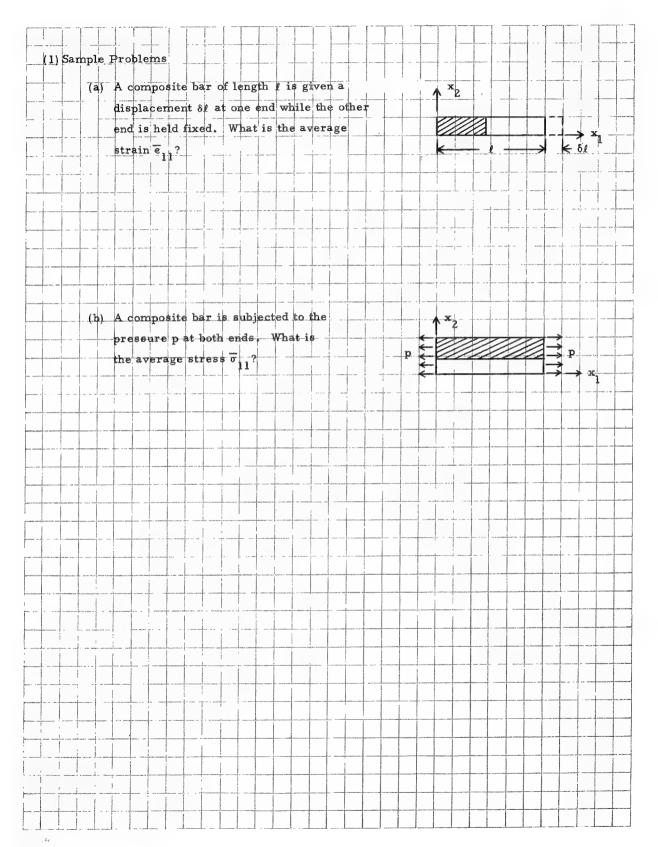
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a.	Constant Stress	or Series Model				The second statement of the se
				2 1-12 -0	$\left\{ \begin{array}{c} \sigma_1 \end{array} \right\}$	
	ε = σ	$\int_{0}^{\pi/2} S_{1j} d\theta$		- I ₁ +I ₂ 0	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	(96)
		7/2 ~1j ~~	3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3 3	41		A AMERICA OF THE STREET OF THE
			And Andrews of the An	41	2J - (σ ₆) -	
		The invariants a	re those for	S, in Table 1	8.	
	and the last to the Advanced of the Advanced o		# # # # # # # # # # # # # # # # # # #		(97)	A AND THE POST OF
Market Ma	A THE RESIDENCE OF THE PROPERTY OF THE PROPERT	$\mathbf{E}_{\mathbf{s}} = \frac{1}{\mathbf{I}_1 + \mathbf{I}_2}$				1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
		$s = \frac{I_1 - I_2}{I_1 + I_2}$			(98)	A SALA MARKAN ANTANAN WAS A SALA SALA SALA SALA SALA SALA SAL
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		$G_{s} = \frac{1}{4I_{2}}$	A VINE A	The same and the s	(99)	
ъ.	Constant Strain		el –			A Service Annual
				1+12 11-12	$\left[\begin{array}{c} -0 \\ \end{array}\right] \left[\begin{array}{c} \epsilon_1 \\ \end{array}\right]$	
		$\int_{1}^{\pi/2}$	10 -	I ₁ +I ₂	0	(100)
	6 1 = e.	- 1/2 Q _{1j}			2	
		AND ALL OF THE PROPERTY OF THE		And a contact to the	I ₂ J (e ₆ J	and the second s
		The invariants	are those for	O in Table	21.	
		$\begin{array}{c c} v & = & \frac{I_1 - I_2}{I_1 + I_2} \end{array}$		43	(101)	
						AND RESIDENCE POR CONCERNATION OF THE RESIDENCE POR CONCERNATION OF THE PROPERTY OF THE PROPER
		$\mathbf{E}_{\mathbf{p}} = (1 - \overline{\nu})$	²) (I ₁ +I ₂)		(102)	
		$G_{p} = I_{2}$		0.00 - 0.	(103)	
	Isotropic Consta	ents for Various	Random Cor	nposites		
	- Opio Opio					
	TABLE 23 P	REDICTED ELA	STIC CONST	ANTS FOR RA	NDOM COMPOSITE	(GPa)
	Material	Es	Gs	E	Gp	
	T-300/5208 B/5505	23.0	8.17 8.56	69.7 78.7	26.9	
	\$cotchply	43.0				
	1002	12.0	4.98	19.0	15.4	

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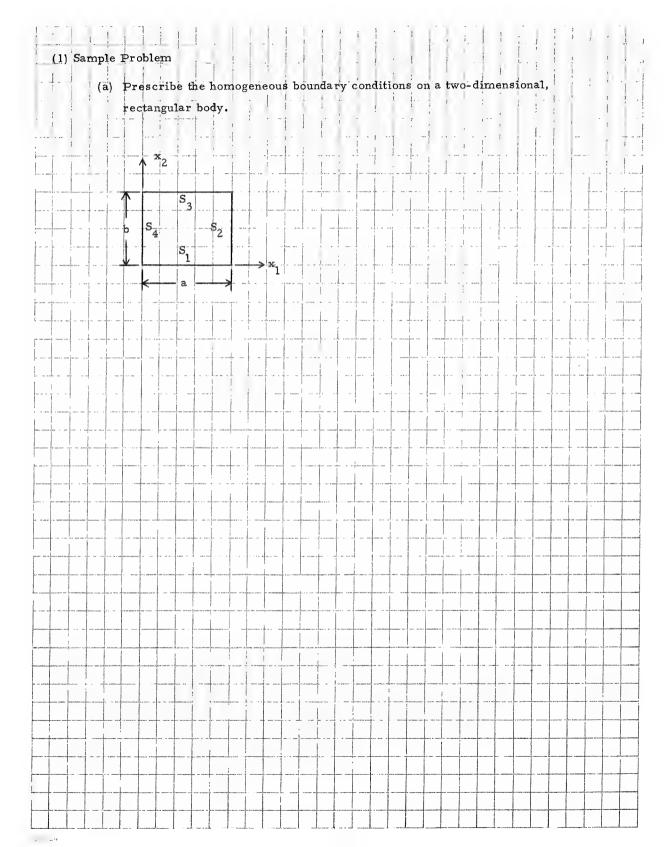
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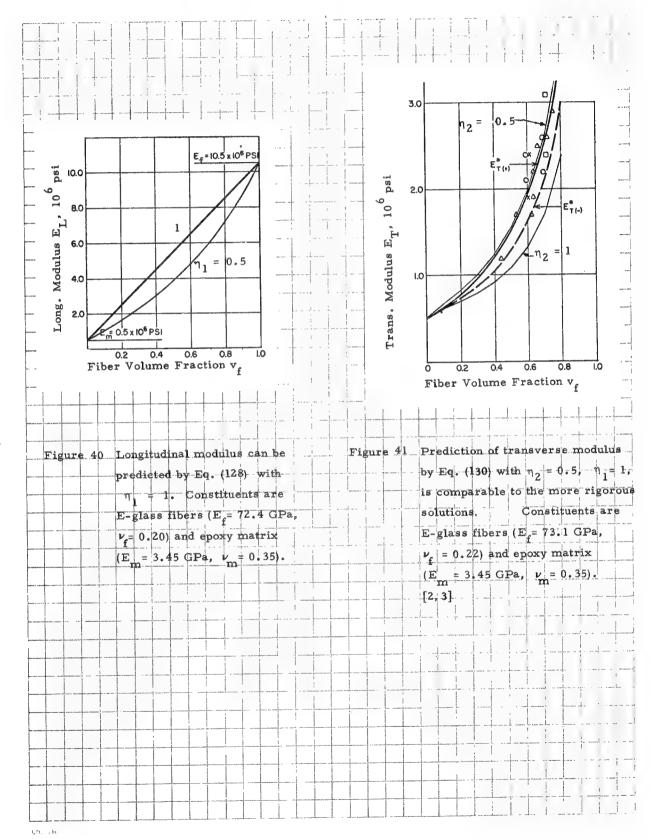


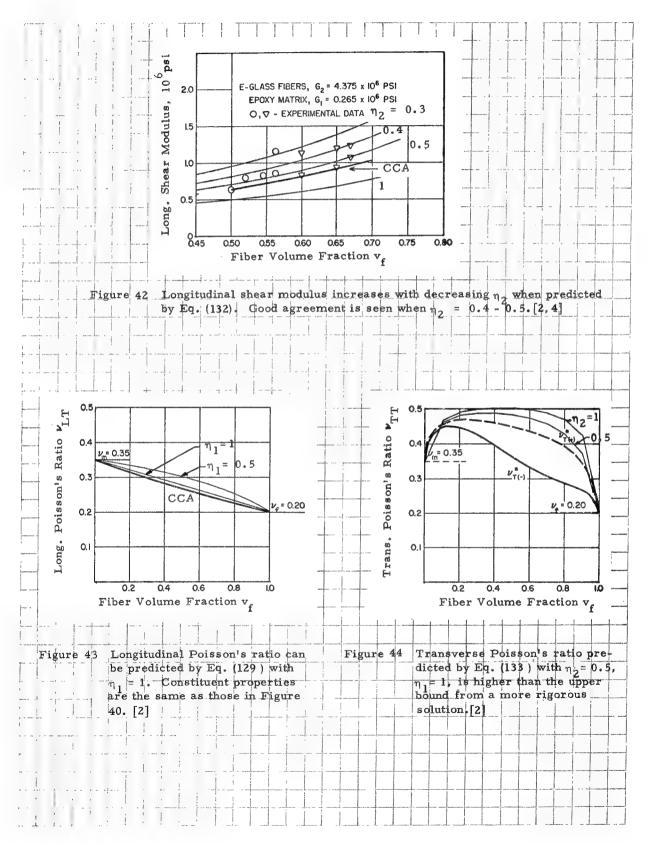
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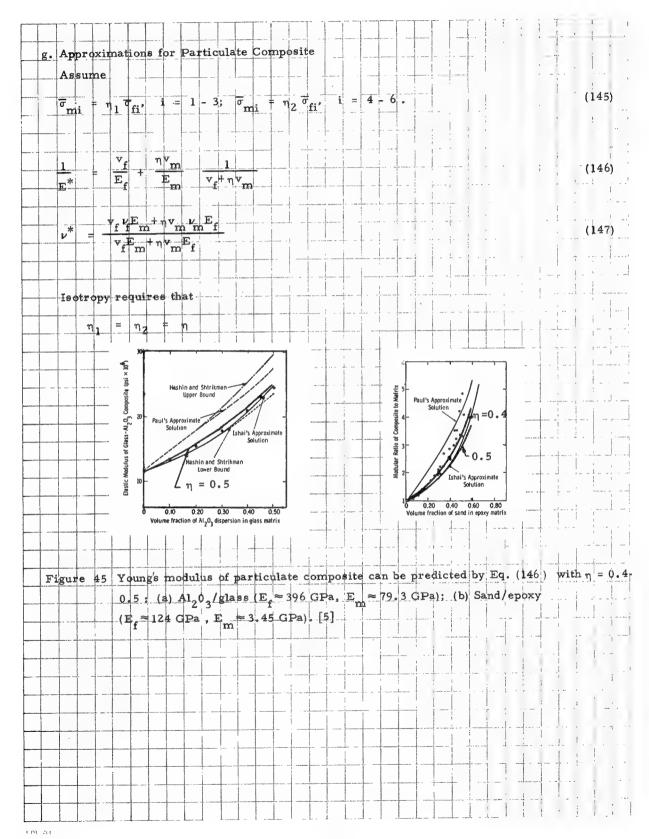
	The state of the s
d. Prediction Based on Averages Determine: $\overline{e}_i = S_{ij}^* \overline{\sigma}_j$ (6 equations)	(120)
Unknowns: σ_{i} , ε_{i} , σ_{fi} , σ_{fi} , σ_{mi} , σ_{mi} (36)	(121)
Available Equations: $ \begin{array}{ccccccccccccccccccccccccccccccccccc$	(122)
Const. Eqns. $\overline{e}_{fi} = S_{fij}\overline{f}_{fj}$ $\overline{e}_{mi} = S_{mij}\overline{f}_{mj}$ (12 equations) Definitions $\overline{e}_{i} = v_{f}\overline{e}_{fi} + v_{m}\overline{e}_{mi}$, $\overline{v}_{i} = v_{f}\overline{f}_{fi} + v_{m}\overline{f}_{mi}$ (12 equations)	(123)
Definitions e _i if fi m mi i in m mi	A CONTRACTOR OF THE STATE OF TH
No. of additional equations required: 6	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
To be provided from the equilibrium and compatibility conditions.	a in the second of the second
Suppose $\overline{\sigma}_{\mathbf{fi}} = B_{\mathbf{fij}} \overline{\sigma}_{\mathbf{i}}$	(124)
Then	The state of the s
$S_{ij}^* = v_f S_{fik} B_{fkj} + S_{mik} (\delta_{kj} - V_f B_{fkj})$	(125)
	To the plant of the control of the c

e. Approximation for Unidirectional Lam	inae
$\overline{\sigma}_{mi} = \underline{\eta_i} \overline{\sigma}_{fi}$, $i = 2-6$.	(126) x ₂
For compatibility	$\mathbf{x_1}$
e _{fl} = n _l e _{ml}	(127)
$E_{1}^{*} = \frac{1}{\eta_{1} v_{f} + v_{m}} (\eta_{1} v_{f} E_{f} + v_{m} E_{m})$	(128) Figure 39 Unidirectional composite and the reference coordinate system.
$v_{12}^* = \frac{1}{\eta_1 v_f + v_m} (\eta_1 v_f v_f + v_m v_m)$	(129)
$\frac{1}{E^*} = \left(\frac{v_f}{E}, \frac{\eta_a v_m}{E}\right) \frac{1}{v_f + \eta_a v_m}$	$f^{V}m = \frac{(\eta_{1}\eta_{a}E_{f}\nu_{m}^{-}E_{m}\nu_{f})(\nu_{m}^{/}E_{m}^{-}\nu_{f}^{/}E_{f})}{(\eta_{1}\nu_{f}^{E}f^{+}\nu_{m}E_{m})(\nu_{f}^{+}\eta_{a}\nu_{m})} $ (130)
a	1 if f im m'f a m'
$v_{a1}^* = v_{1a}^* E_a^* / E_1^*$	(131)
$\begin{array}{c c} & & & \\ & & \\ & & \\ \hline & & \\ & & \\ \hline & & \\ & & \\ \hline & & \\ & & \\ \hline & & \\ & & \\ \hline & & \\ & & \\ \hline & & \\ & & \\ \hline & & \\ & & \\ & & \\ \hline & & \\ & &$	(132)
	1+0
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	$\frac{1+\nu_{\mathbf{m}}}{1+\nu_{\mathbf{m}}} = 1 $ (133)
a, b = 2, 3 - c = 4, 5, 6	
a, b = 2, 3 - c = 4, 5, 6	
Note that $ \begin{array}{cccccccccccccccccccccccccccccccccc$	
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	(134)

f. Transverse Isotropy	
	(135)
$F_2 = F_3 \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad$	7-7
* 1 1	:
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	(136)
	* *
$G_{44}^{*} = G_{55}^{*} \longrightarrow \eta_4 = \eta_5$	(137)
Independent $\eta's$ η_1, η_2, η_6	
Independent elastic moduli :	
$-\mathbf{E}_{\mathbf{q}}^{\mathbf{+}} + \mathbf{E}_{\mathbf{q}}^{\mathbf{+}} + \mathbf{E}_{$	(138)
$\mathbf{E}_{\mathrm{T}} = \mathbf{E}_{2}^{*} = \mathbf{E}_{3}^{*}$	(139)
$ u_{LT} = v_{TL}E_{L} / E_{T} = v_{12}^* $	(140)
$\mathbf{L}\mathbf{T} = \mathbf{G}_{66}^{**}$	(141)
$ v _{TT} = v _{23}^* = v _{32}^*$	(142)
$G_{TT}(=G_{44}^*=G_{55}^*)$ is determined from	(143)
$ \mathbf{G}_{\mathbf{TT}} = \frac{\mathbf{T}_{\mathbf{TT}}}{2(1+ \mathbf{v}_{\mathbf{TT}})}$	(144)







h. Thermal	Expansion and Swel	lling Coefficien	ts		
	nermo-elastic relati	Wysian Art	The second secon	naterials	
e	$= S_{ij} \sigma_j + \sigma_i \theta$	or			(148)
σ,	$+ C_{ij}e_j + \beta_i \theta$				
	e replaced by (a T		or the moisture con	centration c. If	both, a. 9
	nd e, be the strains	TOTAL STATE OF THE	actively from the	homogeneous stre	as B.C. with
1 1	the stress free B.				
Then					
E	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	e = a* e	=		(149)
Therefore					
Ē	$= S_{ij}^* \overline{\alpha}_j + \alpha_i^* \overline{9}$			1	(150
Similari					
σ =	$= C_{ij}^* \overline{e}_j + \beta_i^* \overline{\theta} .$				(151
		1			
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	e Problem [2]	j
) Show that	3 -4-
	$a_{\mathbf{i}}^{*} = a_{\mathbf{mi}}^{-1} + (a_{\mathbf{fj}} - a_{\mathbf{mj}}) S_{\mathbf{fmjk}}^{-1} (S_{\mathbf{ki}}^{*} - S_{\mathbf{mki}})$	(152)
	i mi ij mj imjk ki mki	
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	A CONTRACTOR OF THE CONTRACTOR	(1.50)
	S fmij = S fij Smij	(153)
Pro		
		*
+	rom the virtual work theorem	
	$\mathbf{e}_{\mathbf{i}}^{0} = \mathbf{\sigma}_{\mathbf{i}} \mathbf{e}_{\mathbf{i}}^{0} = \mathbf{\sigma}_{\mathbf{i}} \mathbf{a}_{\mathbf{i}}^{0} 0$	(154)
	at	, 1
	AND SECTION AND ADDRESS OF THE PROPERTY OF THE	(155
	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	
	$= \underbrace{e_{i}^{\sigma} \underbrace{\theta}_{i} + \underbrace{\sigma_{i}^{\sigma} a_{i}}_{i} \underbrace{\theta}_{i} = \underbrace{\sigma_{i}^{\sigma} a_{i}}_{i} \underbrace{\theta}_{i} = \underbrace{\theta}_{i}^{\sigma} \underbrace{\theta}_{i}$	(156
	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	,
	nevefore	1 1
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	$\overline{\sigma}_{i}$ = v_{m} a_{mi} σ_{mi} + v_{f} σ_{fi}	(157
	et la la la la la la la la la la la la la	
	$\sigma_{fi} = \frac{B_{fij}\sigma_{j}}{f_{fij}\sigma_{j}}$. Then,	(158
	S* - S mik + vf(Sfij Smij)Bfjk or	(159
	v B = S ⁻¹ (S* - S)	(160
	σ - σ	
1	bring that $\mathbf{v} = \mathbf{v} = v$	
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	$\sigma_{i}^{a} = a_{mi}\sigma_{i} + (a_{fi} - a_{mi})S_{fmik} (S_{kj} - S_{mkj})\sigma_{j}$	(161
	nce σ is arbitrary, the proof follows.	1 1
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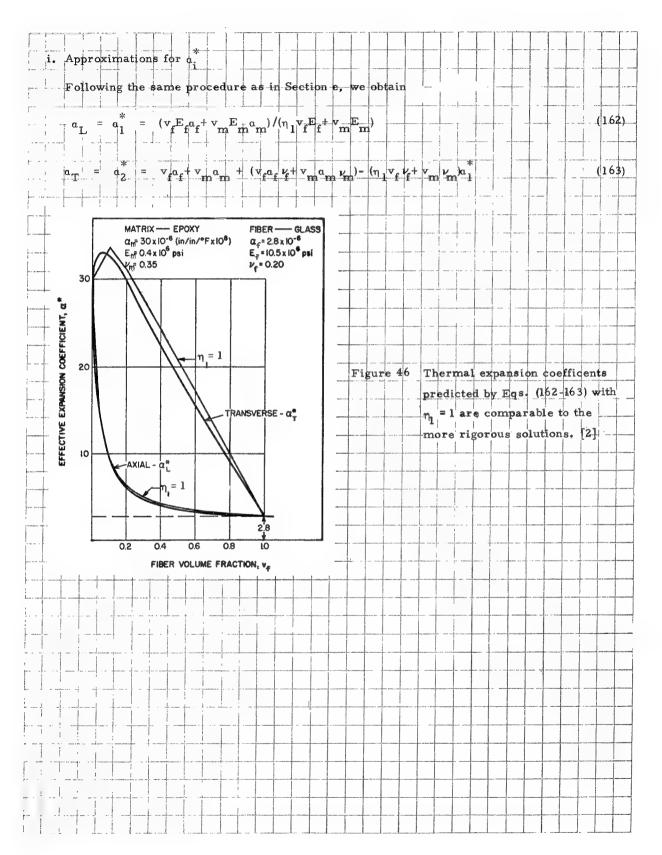


TABLE 24	TYPICAL COMPOSITE	THERMAL E	XPANSION COEFFIC	IENTS
COMPOSITE	CONSTITUENTS	v	LONG EXP. m/m/°K	TRANS. EXP. m/m/°K
B/Ep	B ₄ /5505	0.5	4.32	22.1
в/РІ	B ₄ /WRD 9371	0.49	4.90	28.4
Gr/Ep	Mod II/5206	0.55	-0.23	34.0
Gr/Ep	HMS/3002M	0.48	-0.23	33.5
Gr/Ep	T300/5208	0.70	0.01	12.5
Gr/Ep	Mod I/ERLA 4289	0.51	1.10	31.5
Gr/Ep	Mod I/ERLA 4617	0.45	-0.90	33.3
Gr/PI	Mod I/WRD 9371	0.45	0.	25.3
G1/Ep	S-Glass/1009	0.72	3.8	16.7
G1/Ep	Scotchply 1002	0.45	4.16	15.5
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2. STRESSES IN CONSTITUENT PHASES

a. Microstresses Under Longitudinal Tension

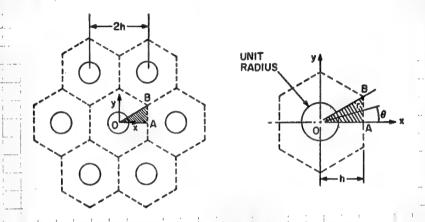


Figure 47 Hexagonal array of fibers and the coordinate system chosen.

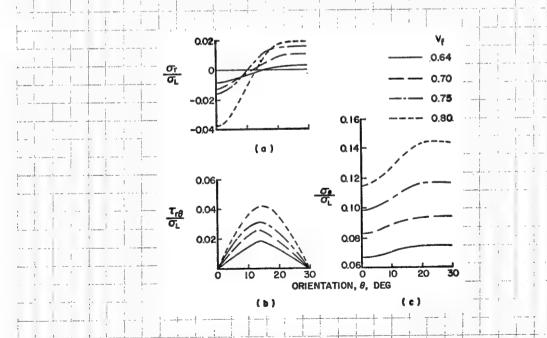
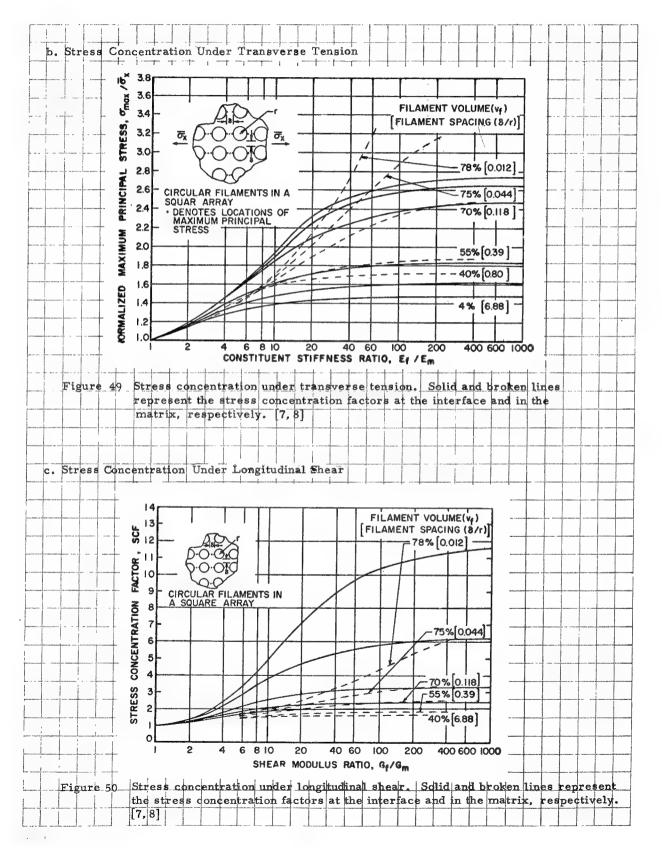
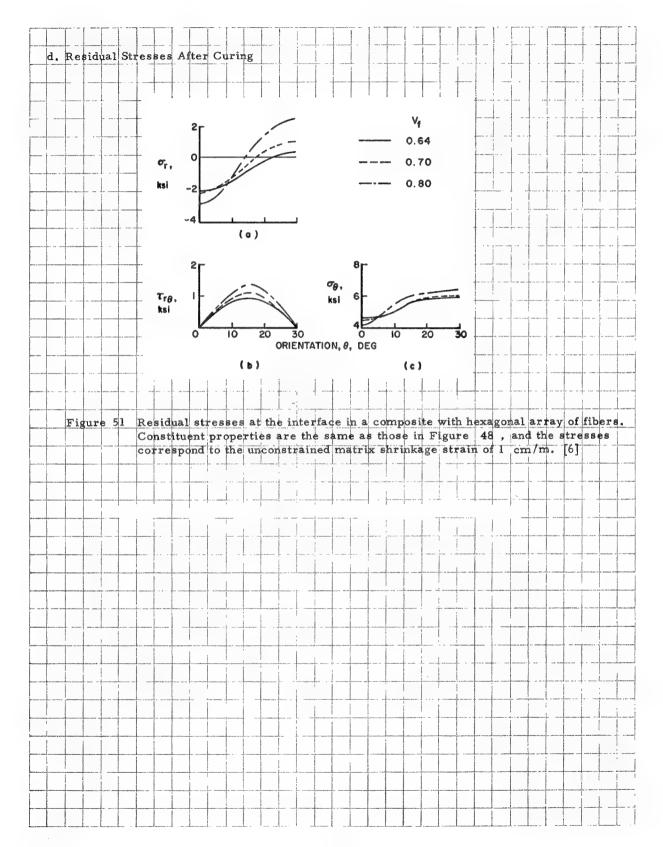


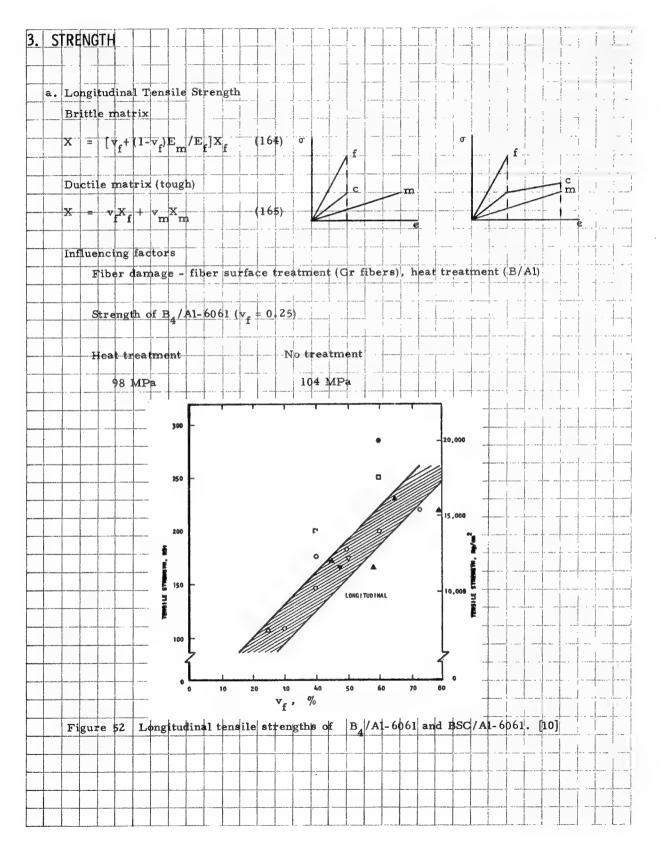
Figure 48 Normalized stress components at the interface between the fiber and matrix under longitudinal loading (E = 414 GPa, E = 2.62 GPa). The radial stress becomes tensile at the resin-rich area (in the vicinity of 0=30°) even under longitudinal tension.





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and and an other desired		1					T Whomesome	cf.	[9])		ger visitanskala		i	Part of the second		*

Fiber Volume Content V _f	Modulus Ratio E _f / E _m	Radial S	tress, σ_r si) $\theta = 30^\circ$	Hoop Stress, o _Q (ksi) 9 = 30	Maximum She Stress, 7 (ksi)
	Curin	g Stresses (R	esin shrinkage	= 0.6%)	
0.64	150	-1.2	0.3	3.0	0.6
0.70	1,50	-1.2	0.6	3,6	0.6
0.64	26	-1.5	0.3	3.0	0.6
0.70	26	-1.8	0.6	3.6	0.6
	Stresses	! Due to Longi	tudinal Tensio	n of 100 ksi	
0.64	150	-0.7	0.4	7,5	1.5
0.70	150	-1.2	1.0	9.0	2,5
0.64	26	-1.0	1.0	7.5	2.0
0.70	26	-1.3	1.3	9.0	2.5
		Combin	ed Stresses		
0.64	150	-1.7	0.7	10.5	2.1
0.70	150	-2.4	1.6	12.6	3.1
0.64	26	-2.5	1.3	10.5	2.6
0.70	26	-3.1	1.9	12.6	3.1

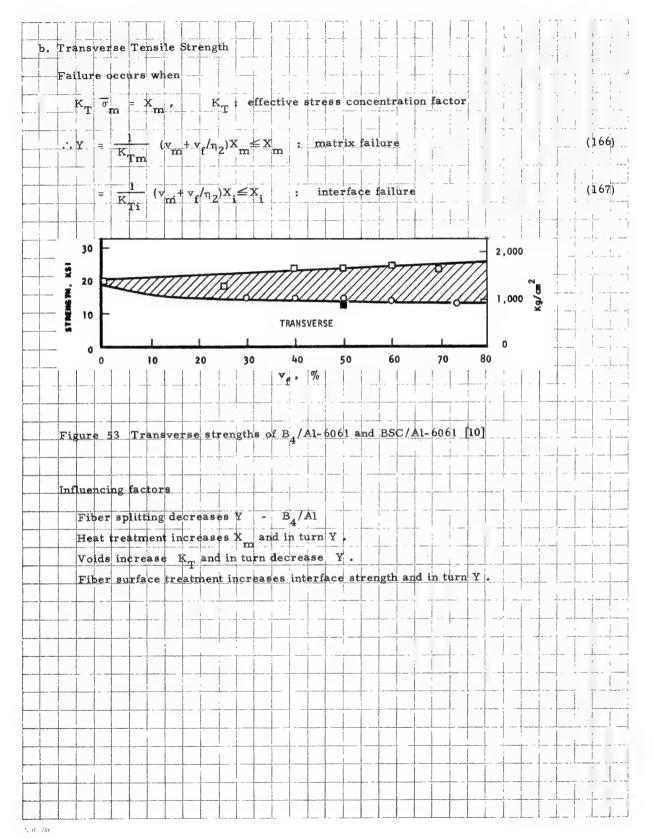


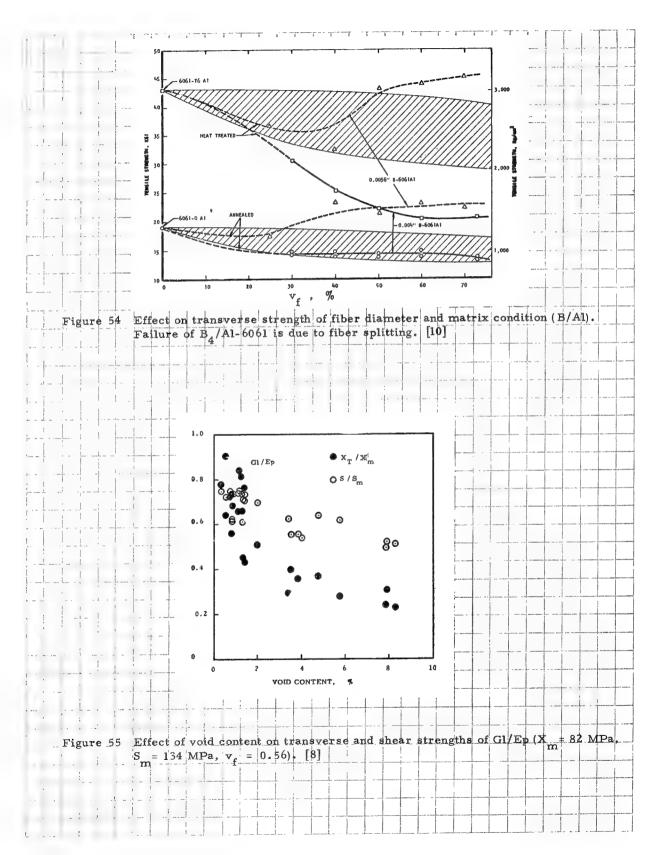
MATERIAL	DIAMETER	TENSILE STRENGTH	
	μm	MPa	
	11.7	2760	
Kevlar		5,00	
Graphite (Gr)	7.6		
and the same of th			
MODMOR II			
HTS		2760	
MODMOR I			
HMS	in the most source of the second	1850	
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T300	The Residence of the State of t	2240	
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Glass (Gl)	1		
E-Glass	5-10	3450	
S-Glass	2.5	4480	
Boron (B)	100, 140	3450	
Borsic (BSC)	140	3010	and the second of the second o
Borsic (BBC)	a disamente income di a manageri a di anno naterialementi		A
Steel	13	4140	
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Tungsten (W)	13	4000	
Beryllium (Be)	127	1280	
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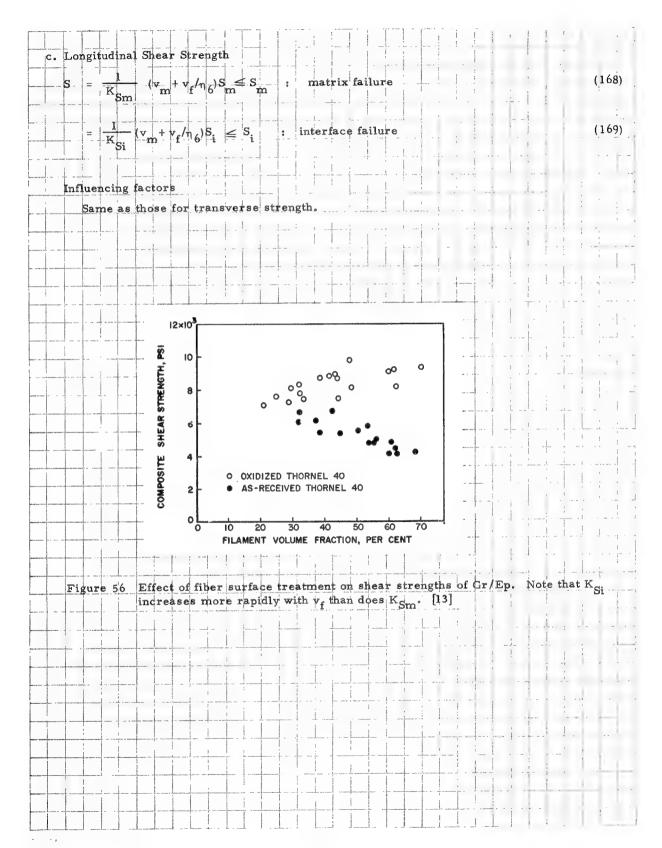
MATERIAL	TENSILE	COMPRESSIVE	SHEAR	
	STRENGTH	STRENGTH	STRENGTH	
	MPa	MPa	MPa	
	2	70		
Epoxy (Ep)		and the state of t		
Narmco 2387 Narmco 5505	29	159	10	
	72	150	83	
Epon 828	82	207	134	
ERLA 4289	34	93		
ERLA 4617	132	226	2000	*
Polyester	72		Market and the second of the s	
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Aluminum (Al)			355	,
2024 - T3	427	221	255	46.6
6061 - T6	290	241	83	
Titanium (T _i)	A A			1
6A1-4V	958	951	558	
Pure	552	483	290	
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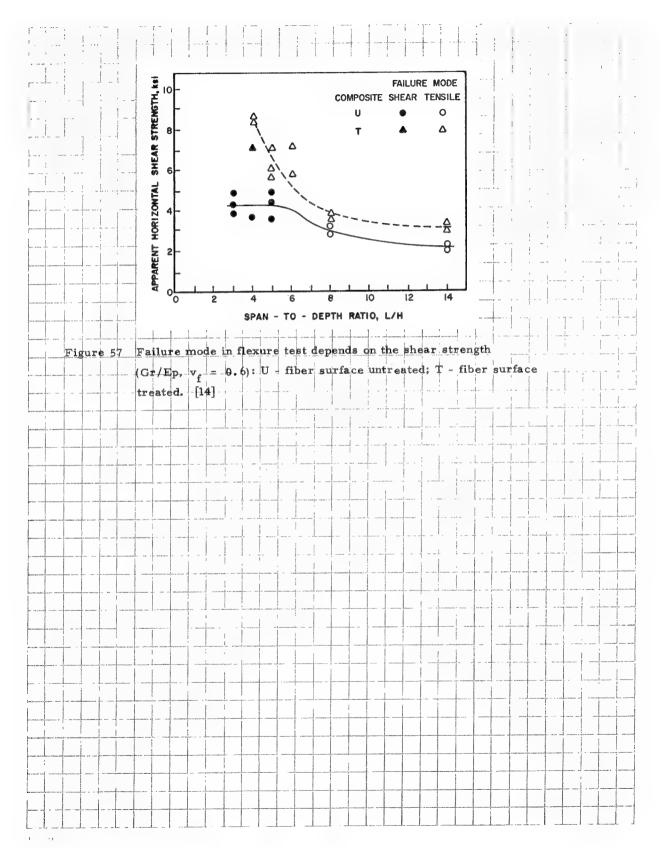
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			LONG.	LONG.	TRANS.	TRANS.	SHEAR
COMPOSITE	CONSTITUENTS	¥f	TENS. MPa	COMP. MPa	TENS. MPa	COMP. MPa	MPa
B/Ep	B ₄ /5505	0.5	1260	2500	61	202	67
B/PI	B ₄ /WRD 9371	0.49	1040	1090	11	63	26
Gr/Ep	Mod II/5206	0.55	1110	970	36	170	63
Gr/Ep	HMS/3002M	0.48	680	690	16	186	72
Gr/Ep	T300/5208	0.70	1500	1500	40	246	68
Gr/Ep	Mod I/ERLA 4617	0.45	840	880	42	197	62
Gr/PI	Mod I/WRD 9371	0.45	807	652	15	71	22
G1/Ep	S-Glass/1009	0.72	1290	822	46	174	45
B/A1	B ₄ /Al-6061-F	0.5	1110	1480	103	159	103
BSC/Ti	BSC/Ti-6A1-4V	0.5	1310	-	441		483
Gr/Ep	Mod I/4289	0.\$	1120	990	4.2	-	34
G1/Ep	Scotchply 1002	0.45	1062	610	31.4	118	72





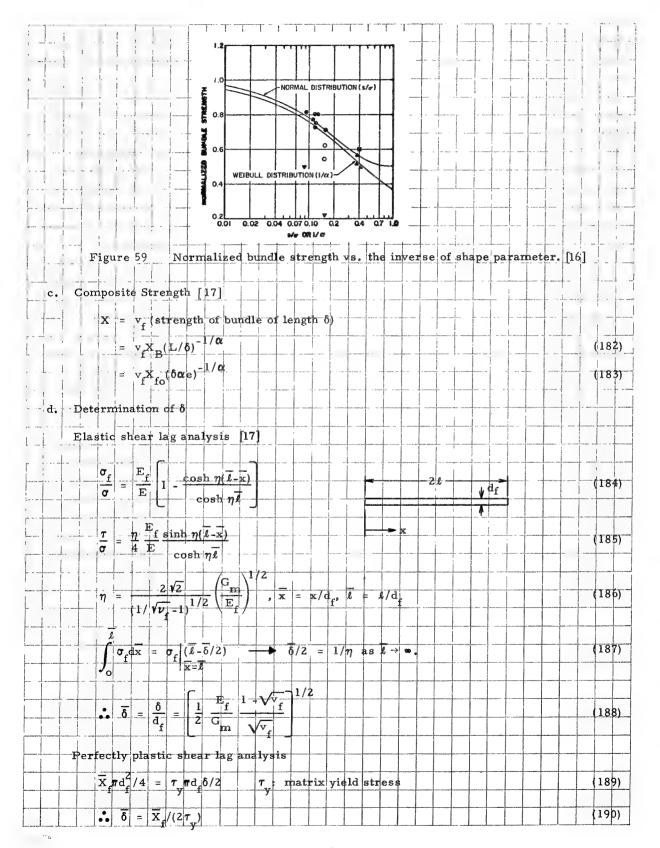




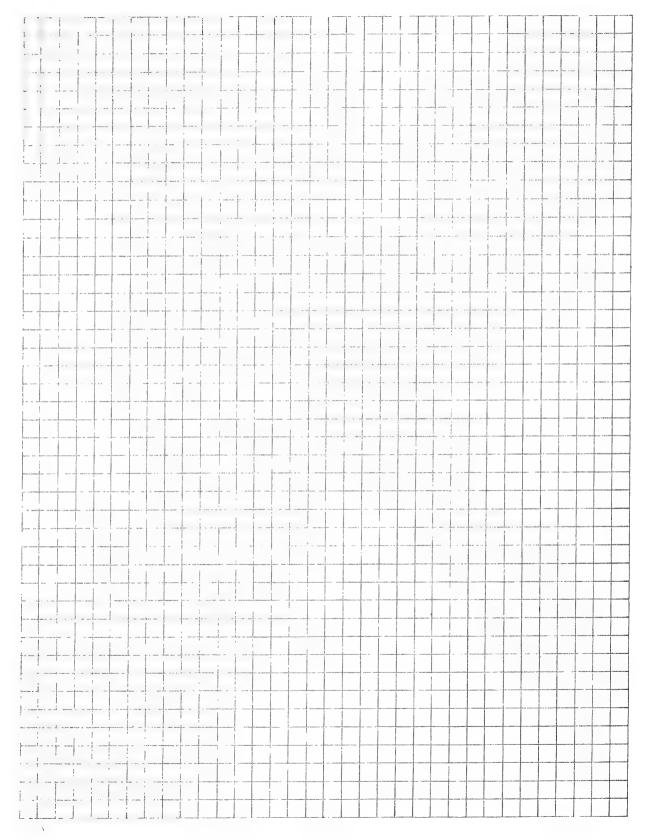
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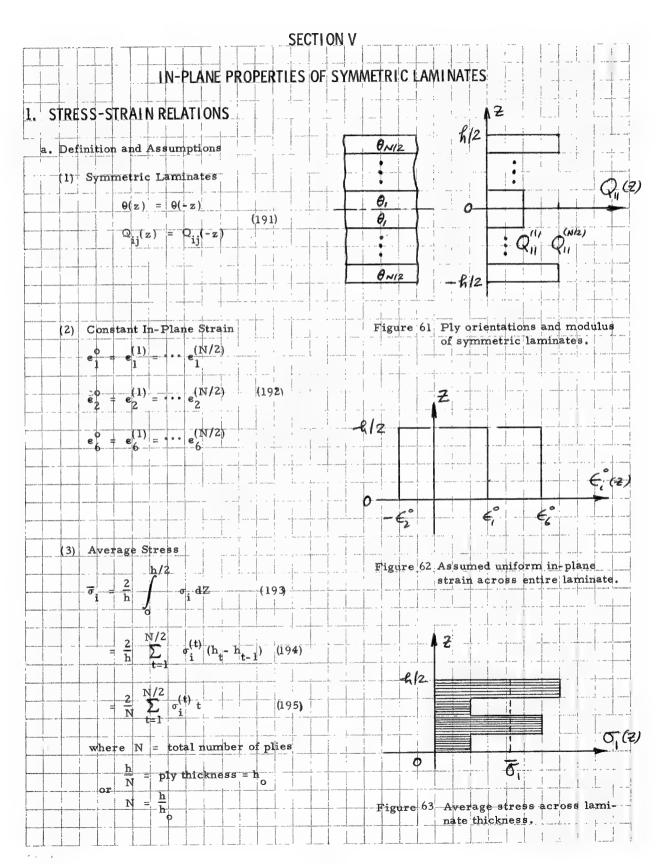
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	d X	E _f G _m	o(elastic)	X,MPa	
Composite a	mm MPa	GPa GPa	f 0(elastic)	Theory Exp	R.M.*
E-glass 6.20	0.127 3323	79.3			
Epon 815		0.024	0.095 7.73	144 71.7	150
Epon 815			0.442 3.67	755 145	681
S-glass 7.68	0.127 4413	86.2			
Epon 815		0.024	0.095 8.06	215 265	230
Epon 828		0.187	0.565 -1.11	1656 1207	1365
	0.102 3994	372			
Epon 815	A STATE OF THE PARTY OF THE PAR	0.024	0.061 15.68	140 132	161
*Rule of Mixtures:	$\mathbf{x} = \overline{\mathbf{x}}_{\mathbf{r}} \mathbf{v}$	+ (1-v _e)E/	E. Data from	[18].	
e. Remarks					
(1) Stress concent	tration due to	fiber break	age		
(2) Dispersion of	failure sites			AND THE RESIDENCE OF THE PROPERTY OF THE PROPE	
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(4) Stress Resultant	
$N_1 = h \overline{\sigma}_1$	· · · · · · · · · · · · · · · · · · ·
$N_2 = h \overline{\sigma}_2$ or $N_i = h \overline{\sigma}_i$	(196)
$N_6 = h \overline{\sigma}_6$	
	-1 1
where N = Distributed load per unit width of a plate with thickness h;	n Nm or Pam
(5) In-Plane Modulus A. (same as N ₁ , or Nm or Pam)	
	7
Substitute $\sigma_{\mathbf{i}}^{(t)} = \Omega_{\mathbf{i}\mathbf{j}}^{(t)} e_{\mathbf{j}}^{(t)} = \Omega_{\mathbf{i}\mathbf{j}}^{(t)} e_{\mathbf{j}}^{(t)}$	(197)
$N_{i} = 2h \sum_{\substack{t=1 \\ t \neq 1}}^{N/2} Q_{ij}^{(t)} e_{j}^{0} t$	(198)
	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
$= 2h \underbrace{\begin{array}{c} e \\ j \end{array}}_{t=1} \underbrace{\begin{array}{c} N^{1/2} \\ ij \end{array}}_{t=1} e^{\binom{t}{1}} t$	(199)
	(200)
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	2 00 00 00 00 00 00 00 00 00 00 00 00 00
where $A_{ij} = 2h \sum_{p=1}^{N/2} Q_{ij}^{(t)}$	(201)
	W No. 10 10 10000 W 1000 W 100
Since most practical laminates have up to 4 ply orientations,	A SAME SAME SAME SAME SAME SAME SAME SAM
$A_{ij} = h_0 \sum_{\alpha_1, \alpha_2, \dots} Q^{(\alpha)} \eta_{\alpha}$	(202)
η_{α} = total number of plies with α orientation.	
$Q_{i}^{(\alpha)} \neq -Modulus \text{ of } \alpha \text{ orientation.}$	
A is governed by simple rule of mixtures; stacking sequence is of no con Stacking sequence is critical for other laminate properties, such as flexu	
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2. FORMULAS FOR IN-PLANE MODULUS	de de des
a. General Multi-directional Laminates $A_{ij}/h = \frac{1}{N} \sum_{\alpha_1, \alpha_2, \dots, \alpha_j} \Omega_{ij}^{(\alpha)} \eta_{\alpha}$	(208)
$A_{11}/h = I_1 + I_2 + V_1 R_1 + V_2 R_2$	(209)
$A_{22}/h = I_1 + I_2 - V_1 R_1 + V_2 R_2$	(210)
$A_{12}/h = I_1 + I_2 - I_2 - I_3 + I_2 - I_4 + I_3 - I_4 + I_4 - I_5 +$	(211)
A ₆₆ /h = I ₂ - V ₂ R ₂	(212)
$A_{16}/h = -\frac{1}{2}V_3R_1-V_4R_2$	(213)
$A_{26}/h = -\frac{1}{2}V_3R_1+V_4R_2$	(214)
where $V_1 = \frac{1}{N} \sum \eta_{\alpha} \cos 2\alpha$	(215)
$V_{2} = \frac{1}{N} \sum \eta_{\alpha} \cos 4\alpha$ $V_{3} = \frac{1}{N} \sum \eta_{\alpha} \sin 2\alpha$	(217)
$v_4 = \frac{1}{N} \sum \eta_{r} \sin 4\alpha$	(218)
Since A transforms the same way as Q some invariants must exist:	
$I_{1A} = \frac{1}{4} (A_{11} + A_{22} + 2A_{12}) = hI_1$	(219)
$I_{2A} = \frac{1}{8} (A_{11} + A_{22} - 2A_{12} - 4A_{66}) = hI_{2}$	(220)
$R_{1A} = \frac{1}{2} \sqrt{(-A_{11} + A_{22})^2 + 4(A_{16} + A_{26})^2}$ $= h \sqrt{v_1^2 + v_3^2} R_1$	(221)
$R_{2A} = \frac{1}{2} \left(A_{11} + A_{22} + 2A_{12} - 4A_{66} \right)^{2} + 16(A_{16} + A_{26})^{2}$	(222)
$= h \sqrt{v_2^2 + v_4^2} R_2$	
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b. In-Plane Moduly	as for [0 _p /90 _q /45 _r /-45 _s]	
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	$V_1 = \frac{1}{N} (\eta_0 + \eta_{90})$	(223)
		1004
	$V_2 = \frac{1}{N} - (\eta_0 + \eta_{90} - \eta_{45} - \eta_{-45})$	(224)
	$V_3 = \frac{1}{N} (\eta_{45} - \eta_{+45})$	(225)
	V ₄ = 0	(226)
	2(A + A + D + D + D + V + D + D + D + D + D + D	
<u> </u>	an $2\delta_1 = \frac{2(A_16 + A_26)}{A_{11} - A_{22}} = \frac{\eta_{45} + \eta_{45}}{\eta_0 - \eta_{90}} = \frac{v_3}{v_1}$	(227)
<u> </u>		±2π (22

	TABL	E 29]	FORM	ULAS FO	OR IN-F	PLANE	MODULU	s for [0 /90 q/45	r/-45	4 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
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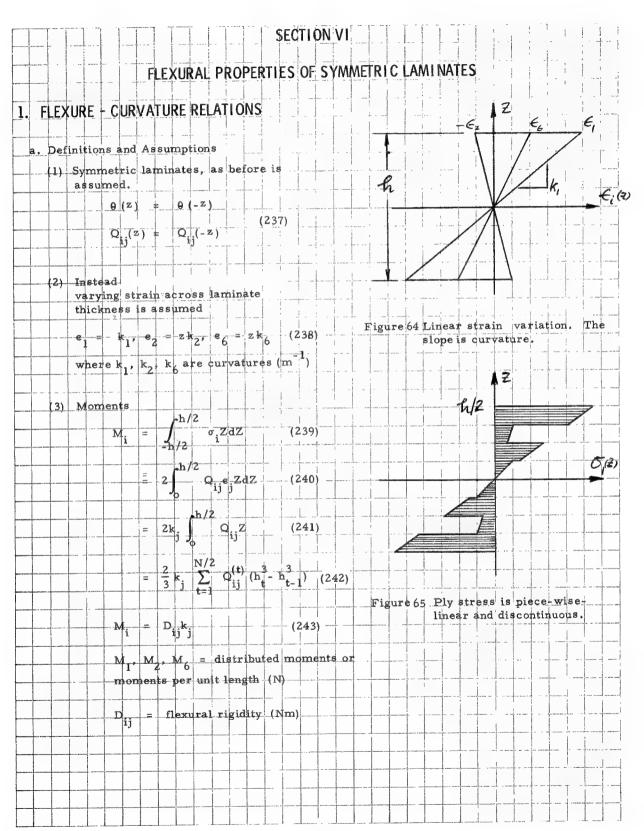
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		Personal part of the second part	THE REAL PROPERTY OF THE PROPE		
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b. Flexural Rigidity		1	And an annual property of the state of the s				
In-plane modulus					and the second s	10 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	
$A_{ij} = \sum_{i} Q_{i}^{(i)}$	(h _t - h _{t-}	1)		10 m			(244)
Flexural rigidity		as to the desired and the second				a december of the season of th	
	$Q_{ij}^{(t)}$ (h _t ³	h _{t-1})	M. Mandalandara at the property of the propert				(245)
A _{ij} follows a linea	r rule of	mixtures	, and ind	epend	lent of stac	king sequence.	A - 100 - 10
D. follows a weig							
stacking sequence	• 1						
Inverse of rigidity	D is co	mpliance	d. such	that			
k1 d11	d ₁₂	d ₁₆	[M ₁			AND THE RESIDENCE OF THE PROPERTY OF THE PROPE	
$\langle k_2 \rangle = d_{21}\rangle$	d ₂₂	d ₂₆	M ₂	}	or k	d M	(246)
$\begin{pmatrix} k_1 \\ k_2 \end{pmatrix} = \begin{bmatrix} d_{11} \\ d_{21} \\ d_{61} \end{pmatrix}$	d ₆₂	d ₆₆	ĹΜ ₆		2 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1		
Unit of d. is (Nm)	-1				The state of the s		
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c. Engineering Const	ants						
Similar to those fo							
must also be deriv	1 1		+J	il.		1-1	he latter
can be related to	ngineeri	ng consta	nts only	when	D is orth	otropic	
Therefore	E 1 =	1 =	12		(E) =	1	
		111	h ³ d			d ₁₁	
	f	12		-		1	(247)
	E ₂₂ =	h ³ d ₂₂			(EI) ₂ =	d ₂₂	
		and the constitution of					
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	T12	h ³ d		44		-	
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		***************************************	Table State of the	+			
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a. Derivation For a general symmetric structure consisting of	:
For a general symmetric structure consisting of	
z or equivalent plies N = z /h).	
(2) Two symmetric facing sheets (with respect	1
to the mid-plane of the total structure) with composite laminates of (N/2) - N plies each.	
	1
Rearrange of formula for rigidity /2 z \ 3	
$\frac{12}{h^3} D_{ij} = \frac{\binom{2z}{o}}{h}^3 Q_{ij}^0 + \binom{2}{N}^3 \sum_{t=N}^{N/2} Q_{ij}^t F_t $ (24)	})
where $F_t = t^3 - (t-1)^3 = 3t^2 - 3t + 1$ (25)	<u>)</u>
Express in terms of invariant-form transformation	V - W - W - W - W - W - W - W - W - W -
$\frac{12}{\sqrt{3}}D_{11} - \left(\frac{2z}{\sqrt{0}}\right)^{3}Q_{11}^{0} = (I_{1} + I_{2}) + V_{1}R_{1} + V_{2}R_{2}$ (25)	1)
$\frac{12}{h^3} D_{22} - \left(\frac{2z}{h}\right)^3 Q_{22}^0 = (I_1 + I_2) V_{1}R_1 + V_{2}R_2 $ (25)	2)
$ \frac{12}{h^3} D_{12} \begin{pmatrix} \frac{z_0}{h} \\ \end{pmatrix} Q_{12}^0 = (I_1 - I_{\overline{2}}) \qquad V_2 R_2 \qquad (25) $	3)
$\frac{12}{h^3} \frac{D_{66} - \left(\frac{2z}{h}\right)^3}{Q_{66}} = I_2 \qquad -V_2 R_2 $ (25)	4)
(3)	
$\frac{12}{h^3} D_{16} = \begin{pmatrix} 2z_0 \\ h \end{pmatrix}^3 Q_{16}^0 = \frac{1}{2} V_3 R_1 - V_4 R_2 $ (25)	5)_
/2 - \3	
$\frac{12}{h^{3}}D_{26} - \left(\frac{2z}{h}\right)^{3}Q_{26}^{0} = + \frac{1}{2}V_{3}R_{1} + V_{4}R_{2}$ (29)	56)
where $V_1 = \left(\frac{2}{N}\right)^3 \sum_{F_t \cos 2\alpha_t} V_2 = \left(\frac{2}{N}\right)^3 \sum_{F_t \cos 4\alpha_t} (2!)$	57)
	58)

	1				
		$\left[1 - \left(\frac{2Z_{o}}{h}\right)^{3}\right]I_{1}$	$\left[\left[1-\left(\frac{2Z}{h}\right)^{3}\right]I_{2}\right]$	$\sqrt{v_1^2 + v_3^2}$ R	V2+V4 R
$\begin{bmatrix} \frac{12}{h^3} D_{11}^{l} \end{bmatrix} \begin{pmatrix} 2 \\ -1 \end{pmatrix}$	\(\frac{z}{h}\) \(\frac{0}{11}\)	1	1:	cos2(0-8 ₁)	cos4(θ-δ ₂)
$\frac{12}{h^3} D_{22}^1 - \left(\frac{2}{h^3}\right)^{-1}$	E O O O O O O O O O O O O O O O O O O O	1		-cos2(0-8 ₁)	cos4(θ-δ ₂)
$\frac{12}{h^3}$ D ₁₂ - $\binom{2}{h^3}$	$\begin{pmatrix} z \\ o \end{pmatrix} \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad \qquad$	1	-1	0	-cos4(θ-δ ₂)
$\begin{array}{c c} \frac{12}{h^3} D_{66}^1 - \frac{1}{2} \end{array}$	$\left(\frac{2z}{h}\right)^3$, $\left(\frac{2z}{11}-\Omega\right)$	0 0	1	0	-cos4(θ-δ ₂)
12 D h ³ 16		0	o .	$-\frac{1}{2}\sin^2(\theta-\delta_1)$	-sin4(9-δ ₂)
12			ata la fama		
$\frac{12}{h} \stackrel{\text{D'}}{_{26}}$		0	0,	$-\frac{1}{2}\sin 2(\theta - \delta_1)$	$\sin 4(9-\delta_2)$
$v_1^2 + v_3^2$	$= \left(\frac{2}{N}\right)^{\frac{3}{3}}$	$\int_{\left(\sum_{\mathbf{f}_{\mathbf{t}}}\cos 2\alpha_{\mathbf{t}}\right)^{2}}^{0}$		A SECOND STATE OF SECOND STATE	sin4(θ-δ ₂)
	,		+ (ΣF _t sin2α	1,2	
$v_1^2 + v_3^2$,	$(\sum_{\mathbf{f}_{\mathbf{t}}\cos 2\alpha_{\mathbf{t}}})^{2}$ $(\sum_{\mathbf{f}_{\mathbf{t}}\cos 4\alpha_{\mathbf{t}}})^{2}$	+ (ΣF _t sin2α	1,2	(2
$v_1^2 + v_3^2$ $v_2^2 + v_4^2$	$= \left(\frac{2}{N}\right)^{3}$ $= \frac{2(D_{16} + D_{11})^{3}}{D_{11}}$	$(\sum_{t} F_{t} \cos 2\alpha_{t})^{2}$ $(\sum_{t} F_{t} \cos 4\alpha_{t})^{2}$ 26 V_{3} V_{1} D_{26}	$+ (\sum F_t \sin 2\alpha)$ $+ (\sum F_t \sin 4\alpha)$	1,2	(2

1) 0 = 0 TABLE 34 R	IGIDITY OF	CROSS-PL	Y LAMINATI	ES	
	I ₁ + L		v ₃ R ₁	R ₂	$D_{11} \longrightarrow D_{22} \text{ as } N = \infty$
12 h D 11	1		1		D ₁₂ . D ₆₆ not affected by stack
12 h D22	1 1	-	1		D ₁₆ = D ₂₆ = 0
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	1,	I ₂	$V_1^2 + V_3^2 R_1$	R ₂	
12 P'11	1	1	0	-1	D ₁₁ = D ₂₂
12 3 D+ 22	1		0	1	(no stacking sequence effec
		-1	0	1	D16 = D26 (has stacking sequence effect
12 D' 12 h					D ₁₆ = D ₂₆ = 0 as N
12 D'66	0		0	1	
h 3 16	0	0	12	0	
12 D! h 3 26	0	0	1/2	0	
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TABLE 36	CALCULATION OF	REDUCTION	N FACTORS (V's) I	FOR FLEXURAL	RIGIDITY
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3 19					
4 37					
6 91					
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9 217					
10 271					
12 397					
13 469					
14 547					
16 721					
-h-=	XFc2		ΣFs2	ΣFc4 = ΣFs	4
h =	V ² .			$V_2^2 + V_4^2 =$	
-N =	V ₃ /	V =		- v ₄ / v ₂ =	
- z =		δ1 =		δ ₂ =	

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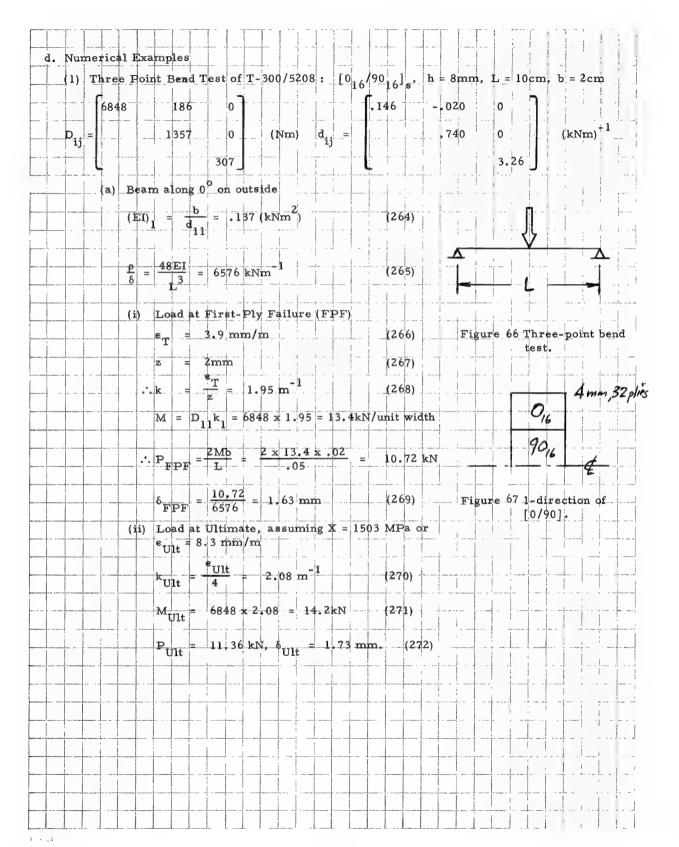
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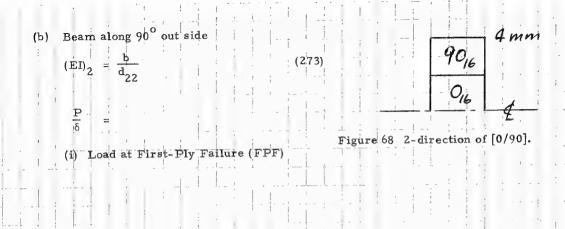
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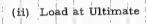
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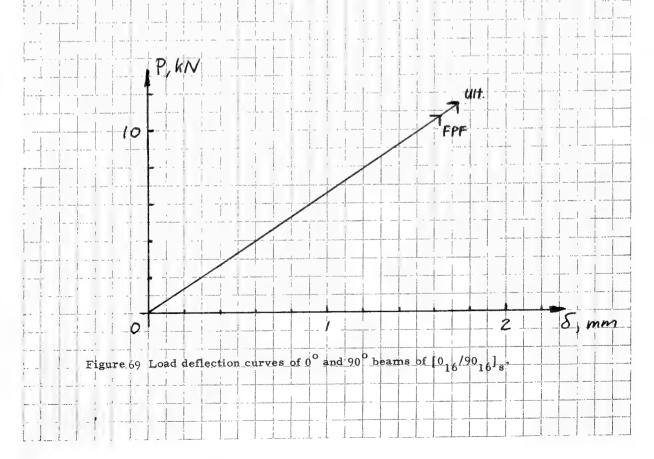
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			ACKING			EFF	ECT	OF C	ROSS	PLY	LAM	INATE	\$	
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[0 _m /90 _m] _s		0.7	75		0			1.			0		
[0 _m /90 _m]28		0.3	375(+-	75	0			1			0		
[0 _m /90 _m]48-		0.1	875(=	• <u>75</u>)	0			1			0		The second secon
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	Т.	ABLE 4	44 FLE	XURA	I RIG	DITY	OF	CROS	S-PL	Y LAN	AINA	TES		
				11	I	1	v ₁	+ V ² ₃	R	***************************************	R ₂			
	12 b	11		1	0 A DESCRIPTION OF THE PROPERTY OF THE PROPERT	H	eos	20		cos	40			
	12 E	22		1	A LEE		-co	s 2 9		cos	40			
	n								1					
	12 h	2		1	200			0		-cos	49			
	12 h	66		0		1		0		-cos	40			
	12 h ³	16				0	$\frac{1}{2}$ s	in20		-sin	40			
	-							in20	,					

c. Flexural Rigidity o	T-300/5208 Cross-F	ly Plates and Beams	
1 = 49.5	1 71 1 1 1 1 1 1	R ₁ = 85.8 R ₂ = T	9.7 (GPa)
	5.4 = .125 mm.		
TA	BLE 45 RIGIDITY OF	T-300/5208 CROSS-PLY L	AMINATES
Laminates	$D_{ij}^{}(\mathtt{Nm})$	a _{ij} (kNm) 1	Engig Constants
	107.0 1.93	D	
[0 ₄ /90 ₄] _s	21.2		$\mathbf{E}_{22}^{\mathbf{I}} =$
h = 2mm		4.8	r ₁₂ =
			G ₁₂ =
[0 /80]	6848 124 1357		
1016/9016]s	30'		12=
			G ₁₂ =
	74.8 1.93	0	
[0/90] _{4s}	53.3		
h = 2mm		4.8	
	66.7 1.93	9- '- - - - - - - - - - - - - -	
$[0/90_2/0_2/90_2/0]_s$	The same of the sa	4.8	
	64.0 1.93	0	
[0/90]	64.0	0	
h = 2mm		4.8	
		1.4	$ \mathbf{E}_{11}^{\mathbf{f}} = \mathbf{E}_{22}^{\mathbf{f}} = $
$\begin{bmatrix} 45_4/-45_4 \end{bmatrix}_{B}$ $h = 2mm$		1.1	12 =
II - BILLIA	·	116	12









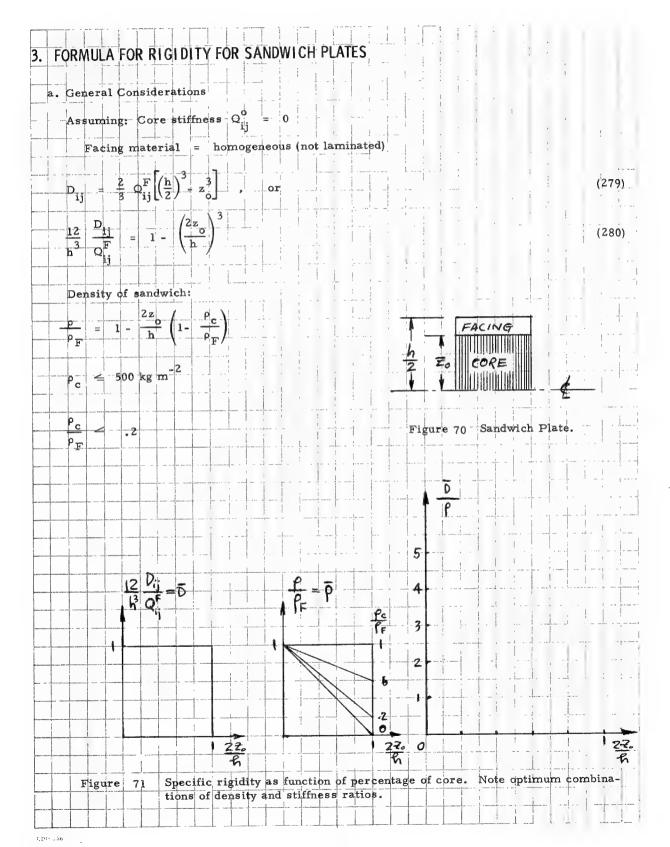
e. Natural Frequencies of Transverse Vibrations of Beams	
$\omega_{\mathbf{n}} = \frac{\lambda_{\mathbf{n}}^{2}}{L^{2}} \frac{1}{\sqrt{d_{11}\mu}}$	(273)
TABLE 46 FREE VIBRATIONS OF BEAMS WITH UNIFORM CROSS-SEC	TIONS
End Conditions λ_1 λ_2 λ_3 λ for large n	
Clamped-Free 1.875 4.694 7.855 (2n-1) /2	
Hinged-Hinged 3.142 6.283 9.425 nπ	And the second s
Clamped Hinged 3.927 7.068 10.210 (4n+1) /4	
Free-Hinged " " " 10.996 (2n+1) /2	to the beautiful to the second
Clamped-Clamped 4.730 7.853 10.996 (2n+1) /2 Free-Free " " " " "	2 S S S S S S S S S S S S S S S S S S S
Example T-300/5208 beams from [0 ₁₆ /90 ₁₆], plate	AND AND AND AND AND AND AND AND AND AND
L = 10cm, b = 2cm, h = .8cm, density = 1600 kgm	p out of our open
$\mu = \text{mass/unit length} = 0.256 \text{ kg/m}$	
$d_{11} = .146 \text{ kNm}^{-1}, \frac{b}{d_{11}} = 137 \text{ Nm}^{2}$	5 1
$\omega_{n} = \frac{1}{n} \frac{2 \sqrt{157}}{12\sqrt{256}} = 2313\lambda_{n}^{2} = 5$	(274)
For hinged-hinged, $\omega_1 = \frac{2}{x} 2313 = 22832$	(275)
By heating 3-point bend test as a 1-degree of freedom approximation	
$\omega_{1} = \sqrt{\frac{6576000}{.025612}} = 22666 \text{ s}^{-1}$	(276)
The difference by 2 methods is negligible as expected.	(
The effective mass M is one half of total mass of beam for a beam unde	r 3-point
	and the state of t
	2
	1

1

f. Special Isotropic				
		L ISOTROPIC HOM 760 ₂ /07-60/60/0/-	MOGENEOUS PLATE	
	8 material, $I_1 = 4$	9.5, I ₂ = 26.9, R	R ₁ = 85.8, R ₂ = 19.7	GPa)
		$\frac{1}{2} = \frac{1}{144}, V_3 =$	$V_{4} = 0, \delta_{1} = \delta_{2} = 0$	
		I ₂	1 1 1 1 1 R 2	10 mm
12 D	1		os 20 cos 40	
12 D	1	-1	-cos 40	
			in 20 - sin 40	
-12/3 D ₁₆		2 2	- 5m 76	
	0 15	30 45	60 75 90	Theory
12 3 D ₁₁	77.1 77.0	76.6 76.3	76.0 75.9 75.9	76.4
12 D ₁₂	22.5	22.7		22.6
12 3 D66	26.8 26.8	27.0 27.0		26.9
12 D ₁₆	0 03	14 30	38 27 0	0
Since stacking	sequence is not impo	ortant for in-plane	modulus A., this speci	al laminate
is equivalent to	$[0/60/-60]_{4s}$, from	n which		(277)
	$\sum \cos 2\alpha_{t} = \sum \sin \alpha_{t}$	t		
·		- Value of the contract of the		

		1 100 EN	* 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	The second secon	Person summer	The state of the s
Then	A, /h	= A ₂₂ /h =	I ₁ + I ₂		a constant	
	A 1/h	= A ₂₂ /h = = 1 ₁ - I ₂ ,	$A_{\prime\prime}/h = I$	Total Control of the	s proper or see of section of section or see of section or see of section or	(278)
				The second secon		
40.0	A16	A ₂₆	J	The second secon		
Fhen	A is	isotropic	2 T	Automotive of the state of the	and the same of th	
			plate, the lar	ninate is also ho	omogeneous.	* 1
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b. Flexural Rigidity of T-30	0/5208 Sandwich Plate	es
		5.8, R ₂ = 19.7 - MPa
	h = .125 mm, h = 2z 3	
	h / = 8 ,	$\frac{h^3}{12} = 5.33 \text{ (mm)}^3$
TABLE 48 RIGIDITY OF	[(-45/45/90/0) ₂ /(z _o) ₈]] (NON-SYMMETRICAL FACE SHEET)
	$ \frac{7}{8} $ $ \frac{1}{1} $ $ = 43.3 $ $ \frac{7}{8} $ $ \frac{1}{2} $ $ = 23.5 $	050 R ₁ 14 R ₂ = 4.29 = 2.76
12 D' 11	1	cos2(0- 25) cos 40
12 h D'22		-cos2(0-25) cos 40
12 D ₁₂	1 -1	0 -cos 40
12 D'66	0 1	0 -cos 49
$\frac{12}{h^3} D_{16}^1$	0	$-\frac{1}{2}\sin 2(6-25)$ $-\sin 40$
12 D/ h 26	0 0	$-\frac{1}{2}\sin^2(\theta-25) \qquad \sin 4\theta$
[385]	90.8 8.6	
		$ (10^{-3} \text{Nm}) \mathbf{d_{ij}} = $
[376]	110	
		(10 ⁻³ Nm) d=
0 = 25	331 14.5	
		<u>L'</u>

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2	12 h ³	D'	1		The state of the s	1		and a share of	1	- The state of the		s 2(0-	.36)	co	40	and the second second		, ,	
	12 h	D' 2	2			1			1	100 100 100 100 100 100 100 100 100 100	-co	s2(9 -	36)	co	s 49	en en en en en en en en en en en en en e	- ;		
Application of the last of the	12 h ³	$D_{\mathbf{i}}^{l}$	2		or any dissentant on the second	11 -		and the second	- 1	to the section without to the section and the		. 0	1	-co	s 49			promote me m	
	12 h ³		1			0			1	The state of the s		0		-co	s 49				
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D _{ij}]	And the second s			360	A A A MINISTER OF THE PROPERTY	F 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	103		1	.0	(10	-3 _{Nm}	and the second s	1 _{ij} =				which is a second about a feet of the second abo	
D _{ij}] ₀ =	36			358	The state of the s	A state of the sta	350			.4	-(10	3 Nm)	The second secon	ı ij =				and the state of t	
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c. Sample Problems	***************************************			
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		TABLE	50 FLE	XURE-C	URVATUE	E REL	ATIONS	A COLUMN TO THE PARTY OF THE PA	, second	
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	M ₂	D ₂₁	D ₂₂	D ₂₆		k ₂	^d 21	d ₂₂	d ₂₆	
	M ₆	D ₆₁	D ₆₂	D ₆₆		ķ	d ₆₁	d ₆₂	^d 66	
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b. Numerical Example for Ply Stress Calculation For T-300/5208 sandwich plate, $[-45/45/90/0_2/90/45/-45/(z_0)_8]_s$ Determination of ply stresses under M_1 (1) Inverse of Dij: (2) Curvature $k_i = d_{ij}M_j =$ (285)(3) Strain $\epsilon_i = zk_i$ (286)TABLE 51 STRAIN VARIATION FROM PLY TO PLY z(mm) t-1 t 9 1. 8. .10 1.125 1.25 10 11 12 1.375 .11 12 13 1.5 1.625 13 14

1.750

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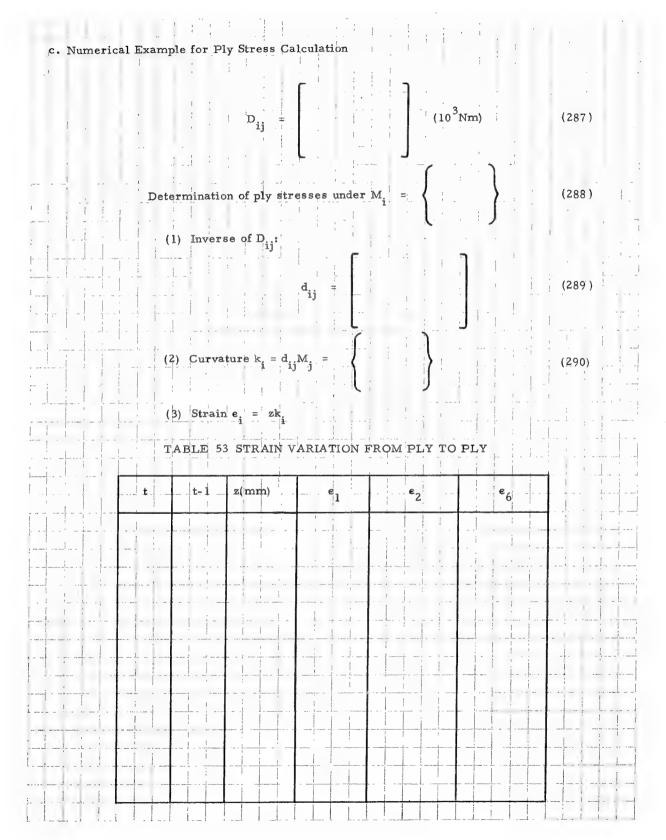
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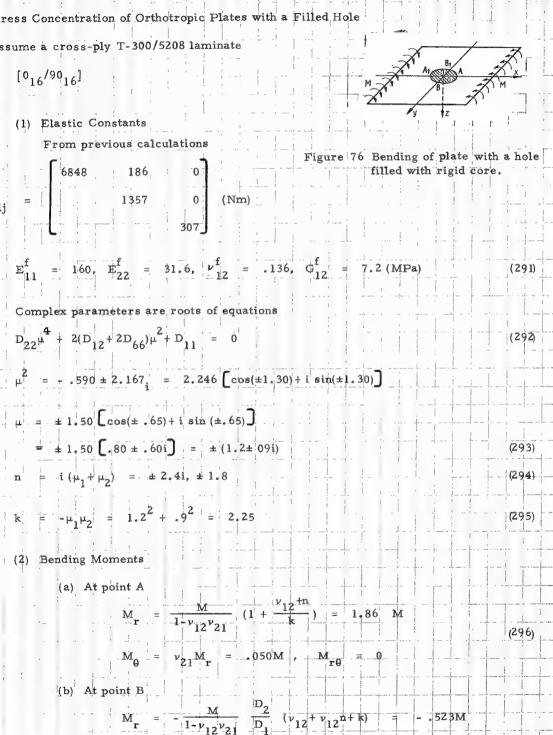
			and the second	Stress	ses at z	t-1	48	s	tresse	s at z		
2	t	z _t (mm)	σ ₁	ANALY WARREN & S. J.	σ2	σ ₆	de terrorio	σ ₁ .		σ ₂	, ₀ 6	1
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Assume a cross-ply T-300/5208 laminate [016/9016] (1) Elastic Constants From previous calculations Complex parameters are roots of equations $D_{22}^{4} + 2(D_{12} + 2D_{66})\mu^{2} + D_{11} = 0$

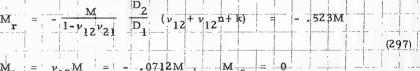


(2) Bending Moments

 $\mu = \pm 1.50 \left[\cos(\pm .65) + i \sin(\pm .65) \right]$

$$M_{\theta} = \nu_{21}M_{r} = .050M, M_{r\theta} = 0$$

(b) At point B



(3) Ply Stresses From previous calculations	
	(298)
(a) At Point A	· · · · · · · · · · · · · · · · · · ·
$\mathbf{M_{i}} = \begin{pmatrix} 1.86 \\ .50 \\ 0 \end{pmatrix} \mathbf{M}, \text{then } \mathbf{k_{1}} = \begin{pmatrix} 1.86 \\ .50 \\ 0 \end{pmatrix} \mathbf{M}$	(299)
At z = 4mm (outer most ply)	
$\mathbf{e}_{\mathbf{i}} = \mathbf{4k}_{\mathbf{i}} = \left\{ \begin{array}{c} 0 \\ 0 \end{array} \right\} \mathbf{M}, \qquad \mathbf{\sigma}_{\mathbf{i}} = 0_{\mathbf{i}\mathbf{j}}^{(0)} \mathbf{e}_{\mathbf{j}} = \left\{ \begin{array}{c} 0 \\ 0 \end{array} \right\}$) M (300)
At z = 2mm (0utermost 90°ply)	
$\mathbf{e}_{\mathbf{i}} = \mathbf{2k}_{\mathbf{i}} = \left\{ \begin{array}{c} \\ \\ \end{array} \right\} \mathbf{M}_{\mathbf{i}} \qquad \sigma_{\mathbf{i}} = \mathbf{Q}_{\mathbf{i}\mathbf{j}}^{(90)} \mathbf{e}_{\mathbf{i}} = \left\{ \begin{array}{c} \\ \end{array} \right\}$	M (301)
$M_{\mathbf{FPF}}$ = $M_{\mathbf{Ult}}$ =	(302)
(b) At Point B	
	(303)
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	M (304)
$At'z = 2mm, \epsilon_i = 2k_i = \begin{cases} \\ \\ \end{cases} M, \sigma_i = Q_{ij}^{(90)} \epsilon_j = \begin{cases} \end{cases}$	M (305)
M _{FPF} = MUIt = MUIt	(306)

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SECTION VII

PROPERTIES OF UNSYMMETRICAL LAMINATES

1. BACKGROUND

An unsymmetrical laminate is one that does not have midplane symmetry in the layup of plies. This type of laminate
has not been used extensively in actual structures, but may
be considered if special constraints or effects, such as
minimum gage, aeroelastic tailoring, and bimetallic setup are desired. Unsymmetric laminates will warp after curing and cooling. The degree of
warpage will change by temperature and moisture absorption, in addition to applied loads.

The properties of unsymmetric laminates are a little more complicated than the symmetric

The properties of unsymmetric laminates are a little more complicated than the symmetric ones.

Because of the lack of symmetry, the laminate will bend or twist when an in-plane load is applied or it will stretch when a moment is applied. This coupled response is unique and has no counterpart in symmetric laminates. Unsymmetrical structures, however, are not uncommon in real life. Floor slabs, fuselage, and many other built-up structures are usually unsymmetrical.

Thus, the theory of unsymmetrical laminates will be discussed. They may uniquely fulfill requirements not possible with symmetric laminates.

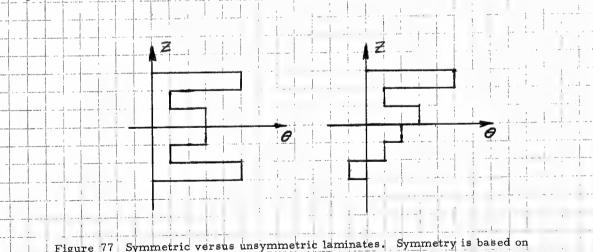


Figure 77 Symmetric versus unsymmetric laminates. Symmetry is based on mid or $\delta = 0$ plane.

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2. COUPLING MODULUS

Definition: In symmetric laminates, in-plane and flexural behavior are independent of each other; i.e., they are not coupled. But for unsymmetric laminates, they are coupled; i.e., in-plane extension requires both in-plane stresses as well as moments (to keep the laminate from warping), and conversely, the bending of a laminate induces both in-plane stresses and moments. The coupling modulus can be defined as follows

$$N_{i} = \int_{-h/2}^{h/2} \sigma_{i} dz \qquad (307)$$

$$= \int_{ij}^{h/2} \sigma_{i} dz \qquad (308)$$

$$If \epsilon_{i} = \epsilon_{i}^{0} + zk_{i} \qquad (309)$$

$$N_{i} = \int \Omega_{ij} (e_{j}^{0} + 2k_{j}) dz = e_{j} \int \Omega_{ij} dz + k_{j} \int \Omega_{ij} z dz$$
 (310)

Alternatively,

$$M_{i} = \int_{-h/2}^{h/2} \sigma_{i}zdz = \int_{Q_{ij}e_{j}}^{Q_{ij}e_{j}}dz$$
(311)

If
$$e_i = e_i^0 + zk_i$$

$$M_{i} = \int_{\Omega_{ij}} (e_{j}^{o} + zk_{j}) dz = e_{j}^{o} \int_{\Omega_{ij}} zdz + k_{j} \int_{\Omega_{ij}} z^{2} dz$$

$$B_{ij} e_{j}^{o} + D_{ij} M_{j}$$
(312)

Thus, the coupling modulus is the same between N and k as that between M and e . Needless to say, B is identically zero for symmetric laminates.

For
$$[0/90]_T$$
, $B_{11} = B_{22}$, $B_{12} = B_{66} = B_{16} = B_{26} = 0$.

For $[0/-9]_T$, B_{16} , $B_{26} \neq 0$, $B_{11} = B_{22} = B_{12} = B_{66} = 0$.

b. Formulas for Coupling Modulus

$$B_{ij} = \int_{-h/2}^{h/2} \sigma_{ij} z dz$$

$$= \frac{1}{2} \sum_{t=1-N/2}^{N/2} Q_{ij}^{(t)} (h_t^2 - h_{t-1}^2)$$
(313)

For N plies with uniform thickness ho,

$$B_{ij} = \frac{\frac{n}{o}}{2} \sum_{1-(N/2)}^{N/2} Q_{ij}^{(t)} \left[t^2 - (t-1)^2 \right]$$

$$= \frac{\frac{n}{o}}{2} \sum_{2}^{N/2} Q_{2i}^{(t)} (2t-1)$$
(314)

$$\frac{2}{h^2} B_{ij} = \left(\frac{1}{N}\right)^2 \sum_{ij} Q_{ij}^{(t)} F_t$$

$$F_+ = 2t-1$$
(315)

Unlike A₁₁ and D₁₁, B₁₁ can be positive or negative depending on the shifting of the neutral plane up or down.

Substituting transformation of Q_{ij} , B_{ij} can be defined.

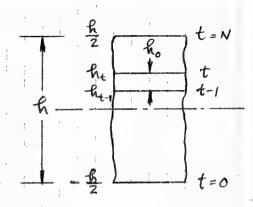


Figure 78 Integration of unsymmetric laminates must be performed for the entire thickness from -h/2 to h/2. (For symmetric laminates, integration can be limited to from 0 to h/2).

	TABLE 55 FORMULA FOR COUPLING MODULUS	
	$\frac{1}{N^2}$ R_1 $\frac{1}{N^2}$ R_2	
	$\frac{2}{2}$ B_{11} $\sum F_t \cos 2\alpha_t$ $\sum F_t \cos 4\alpha_t$	1
	$\frac{2}{h^2} B_{22} - \sum_{t} F_{t} \cos 2\alpha_{t} - \sum_{t} F_{t} \cos 4\alpha_{t}$	' .
	$\frac{2}{h^2} - B_{12} - \sum_{t} F_{t} \cos 4 \alpha_{t}$	
	$\frac{2}{12}$ $\frac{1}{12}$	
	$\frac{2}{h^2} \frac{B_{16}}{B_{16}} - \frac{1}{2} \sum_{t} F_{t} \sin 2\alpha_{t} - \sum_{t} F_{t} \sin 4\alpha_{t}$	
	$\frac{2}{12}$ B_{26} $-\frac{1}{2}\sum F_t \sin 2\pi_t$ $\sum F_t \sin 4\pi_t$	
	$\alpha_t = \text{orientation of t-ply, } -N/2 \le t \le N/2$	# # # # # # # # # # # # # # # # # # #
$I_{1B} = \frac{1}{4}$	$(B_{11}, B_{22} + 2B_{12}) = 0$	(316)
AND THE RESIDENCE OF THE PARTY	$(B_{11} + B_{22} - 2B_{12} + 4B_{66}) = 0$	(317)
$R_{1B} = \frac{1}{2}$	$\sqrt{(-B_{11} + B_{22})^2 + 4(B_{16} + B_{26})^2}$	
= R	$\frac{1}{2} \sqrt{\left(\sum_{t} \cos 2\alpha\right)^2 + \left(\sum_{t} \sin 2\alpha\right)^2} = R_1 \sqrt{V_1^2 + V_3^2}$	(318)
R _{2B} = 1/8	$(B_{11} + B_{22} - 2B_{16} - 4B_{66})^2 + 16(B_{16} - B_{26})^2$	
R	$\frac{2}{2} \sqrt{\left(\sum_{\mathbf{F}_{\mathbf{t}}} \cos 4\alpha\right)^2 + \left(\sum_{\mathbf{F}_{\mathbf{t}}} \sin 4\alpha\right)^2} = R_2 \sqrt{V_2^2 + V_4^2}$	(319)
		4

$\tan 2\delta_1 = -\frac{2(B_{16} + B_{26})}{ B_{11} - B_{22} } = -\frac{V_3}{ V_1 }$	(320)
$\tan 4\delta_1 = -\frac{4(B_{16} - B_{26})}{B_{11} + B_{22} - 2B_{12} - 4B_{66}} = -\frac{V_4}{V_2}$	(321)
TABLE 56 FORMULA FOR TRANSFORMED COUPLING MODUL	LUS
$v_1^2 + v_3^2 = R_1$ $v_2^2 + v_4^2 = R_2$	
$\frac{\frac{2}{n}}{2}B_{11}^{1} \qquad \cos 2(\theta - \delta_{1}) \qquad \cos 4(\theta - \delta_{2})$	
$-\frac{h}{2}B_{22}^{1} - \cos 2(\theta - \delta_{1}) - \cos 4(\theta - \delta_{2})$	
$\frac{h}{2}B_{12}' \qquad 0 \qquad -\cos 4(\theta - \delta_2)$	
$\frac{h^2}{ 2 }B_{66}$ 0 $-\cos 4(\theta - \delta_2)$	
$\frac{h^2}{2}B_{16}^i \qquad \frac{1}{2}\sin 2(\theta-\delta_1) \qquad -\sin 4(\theta-\delta_2)$	
$\frac{h^2}{2}B_{26}^! \qquad -\frac{1}{2}\sin 2(\theta-\delta_1) \qquad \sin 4(\theta-\delta_2)$	
$V_1 = \frac{1}{N^2} \sum_{\mathbf{F_t}} \cos 2\alpha, \qquad V_2 = \frac{1}{N^2} \sum_{\mathbf{F_t}} \cos 4\alpha$	(322)
$V_3 = \frac{1}{N^2} \sum_{t=1}^{\infty} F_t \sin 2\alpha \qquad V_4 = \frac{1}{N^2} \sum_{t=1}^{\infty} F_t \sin 4\alpha$	(32/3)

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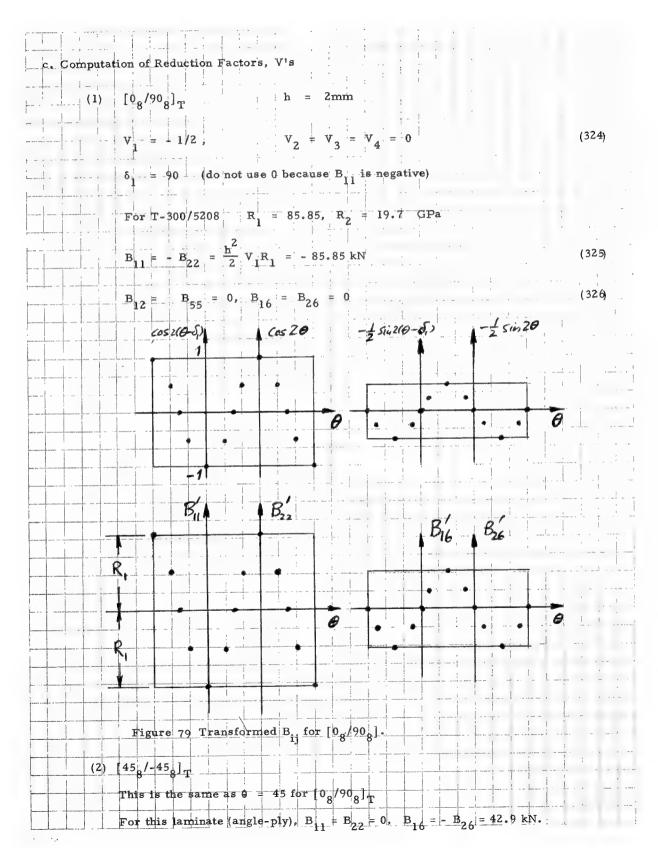
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3. COUPLED BENDING AND EXTENSION OF LAMINATES

a. Constitutive Relations

Between 2 generalized stresses (N_i & M_i), and 2 generalized deformations (e_i^0 & k_i), there are 6 possible relations, all of which are listed below in terms of the original modulus matrices: Inplane A_{ij} , Coupling B_{ij} and Flexural D_{ij} .

$$\begin{bmatrix}
N \\
M
\end{bmatrix} = \begin{bmatrix}
A \\
B \\
D
\end{bmatrix} \begin{bmatrix}
\varepsilon \\
k
\end{bmatrix} = \begin{bmatrix}
A^{-1} \\
b = B^{-1} \\
d = D^{-1}
\end{bmatrix}$$
(327)





$$\begin{pmatrix} e^{\phi} \\ k \end{pmatrix} = \begin{bmatrix} (A - BdB)^{-1} \\ -(D - BaB)^{-1}Ba \end{bmatrix} - (A - BdB)^{-1}Bd$$

$$\begin{pmatrix} N \\ M \end{pmatrix}$$

$$(330)$$

All submatrices are 3 x 3, which are numerically simple to calculate. The unpartitioned, original matrices are 6 x 6, which normally require bigger computer to evaluate. A sample problem will be solved in the next section using the 3 x 3 submatrices only.

b. Numerical Example

$$Q_{ij} = \begin{bmatrix} 182 & 2.9 & 0 \\ 10.3 & 0.3 & 0 \\ 7.2 \end{bmatrix} GPa \quad (331)$$

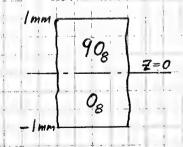


Figure 80 2-layer unsymmetric laminate.

$$A_{ij} = \begin{bmatrix} 192.3 & .5.8 & 0 & 0 \\ 192.3 & 0 & 14.4 \end{bmatrix} \quad MNm^{-1} \quad (332)$$

$$B_{ij} = \begin{bmatrix} -85.85 & 0 & 0 & 0 \\ 85.85 & 0 & 0 & 0 \\ 0 & 0 & 0 & 0 \end{bmatrix} \quad kN \quad (333) \quad D_{ij} = \begin{bmatrix} 64.1 & 1.93 & 0 \\ 44.1 & 0 & 0 \\ 4.8 \end{bmatrix} \quad Nim \quad (334)$$

$$\begin{bmatrix} A_i = .532017 & a_{ij} = \begin{bmatrix} 5.20 & .157 & 0 \\ 5.20 & 0 & 0 \\ 9.4 \end{bmatrix} \quad (GNm^{-1})^{-1} \quad (335)$$

$$\begin{bmatrix} B_i = 0 & B_{ij} \text{ is singular, therefore, there is no inverse.} \\ D_i = 19740 & d_{ij} = \begin{bmatrix} 15.58 & .469 & 0 \\ 15.58 & .469 & 0 \\ 0 & 0 & 0 \end{bmatrix} \quad (kNm)^{-1} \quad (335)$$

$$B_{ij} = \begin{bmatrix} -446 & 13.48 & 0 \\ 0 & 0 & 0 \end{bmatrix} \quad (Mm^{-1})^{-1} \quad (337)$$

$$B_{ij} = \begin{bmatrix} -446 & 13.48 & 0 \\ 0 & 0 & 0 \end{bmatrix} \quad (Mm^{-1})^{-1} \quad (337)$$

$$B_{ij} = \begin{bmatrix} -446 & 13.48 & 0 \\ 0 & 0 & 0 \end{bmatrix} \quad (Mm^{-1})^{-1} \quad (338)$$

$$B_{ij} = \begin{bmatrix} -446 & 13.48 & 0 \\ 0 & 0 & 0 \end{bmatrix} \quad (Mm^{-1})^{-1} \quad (338)$$

$$B_{ij} = \begin{bmatrix} -446 & 13.48 & 0 \\ 0 & 0 & 0 \end{bmatrix} \quad (Mm^{-1})^{-1} \quad (338)$$

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$$B_{ij} = \begin{bmatrix} -446 & 13.48 & 0 \\ 0 & 0 & 0 \end{bmatrix} \quad (Mm^{-1})^{-1} \quad (338)$$

	-1337	-40.26	0	-1		(2.42)
dB	40.26	0	0	m -	•	(342)
BdB ‡	114	3.46 14	0	MNm-1		(343)
				and the second of the second o	. :	
A-BdB =	78.3	2.34 78.3	0 0 14.4	MNm l		(344)
(D-BaB)-1=	38.8	-1.16 38.8	0 0	(kNm) ⁻¹	2 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	(345)
(A-BdB) ⁻¹ =	12.8	12.8	0 0 69.4	(GNm ⁻¹)		(346)
(D-BaB) 1 Ba=	0 0	17.29	0 0	(MN)-1		(347)
	-17.13	0	•]			
(A-BdB) Bd=	0 0	0		(MN)-1		(348)

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c. Summary of Constitutive Equ	rations for T-300	/5208 [0 ₈ /90	8 []] T, h =	2mm	1 -+	
Units: - N is	MNm ⁻¹	S S S S S S S S S S S S S S S S S S S			1	
M is	N 10 ⁻³ m/m or mm		e manorate a construction and a	, i i		g (
k is r	()			4 4 40 40 Mark	b word	
	4 - 44 345 - 14 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4	THE STATE AND ADDRESS OF THE STATE OF THE ST		1 1		
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(N) 192.3	5.8 0 192.3 0	-85.85	0 85.85	0	(e°)	
0	0 14.4	1 0 1	0, .	0		
-85.85	0 0	64.1	1.93	0		(349)
M	85.85 0	1.93	64.1	0	$\lfloor k \rfloor$	1
L	0 -0 -	1	0	4.8	A CONTRACTOR OF THE CONTRACTOR	
						t followers of some consequences as a selection of
Units: MNm 1	kN	3			amenda de la companya	and the state of t
		-	1			
	N	J. _ _ _			as a second seco	and the second to be a vision of
12.8	12.8 0	17	17	0	N	
0	0 69.4	1 0	0	0		
() =			1		(<u> </u>	(350)
17	0 0	38.8	-1.16	0		
.k 0	-17 0	-1.16		08	M	
	The state of the s	the water of the control of the cont	The second secon	And the state of t		
Units: (GNm ⁻¹)	1 MN	-1				(351)
(MN) ⁻¹	(kNm			The second secon	arrand no. and a few man	
				The state of the s	And the second	
(1) Determine N ₁ (FPF) u			10 mm m m m m m m m m m m m m m m m m m			
$\epsilon_1^0 = 12.8 N_1$	$\mathbf{k_1} = 17N$	1				(352)
e ₁] = .(12.8	3 + 1 x 17)N ₁ =	29.8 N	- Marine of Value of			(353)
z=lmm	1		TA ALIGNAMON PARA IN A STATE OF THE STATE OF			أاأ

Let $\epsilon_{\text{FPF}} = 3.91 \text{ mm/m}$	(354)
$N_{1(FPF)} = \frac{3.91}{29.8} = 131 \text{ MNm}^{-1}$	(355)
$\frac{\sigma}{\sigma_{1(FPF)}} = N_{1(FPF)}/h = 65.6 \text{ MPa}$	(356)
(2) Determine $N_{1(FPF)}$ if the same plies were symmetrical; e.g., instead of $\begin{bmatrix} 0_8/90_8 \end{bmatrix}_T$, use $\begin{bmatrix} 0_4/90_4 \end{bmatrix}_s$.	
For the latter laminate,	
A remains same, but B = 0.	(357)
$\mathbf{e}_{1} = 12.8N_{1}$, $\mathbf{k}_{1} = 0$. $\frac{N}{1(\text{FPF})} = \frac{3.91}{12.8} = .305 \text{ MNm}^{+1}$	(358)
T(FPF) = 153 MPa	(359)
(About 2.3 times higher than the unsymmetric laminate)	k g
	- 12 - 1400 · 1

d. Alternative Constitutive Equations of T-300/5208 $[0_8/90_8]_{\mathrm{T}}$ Laminate (From Equation 328)

Units:
$$\begin{bmatrix} (GNm^{-1})^{-1} & (Mm^{-1})^{-1} \\ \hline (Mm^{-1})^{-1} & Nm \end{bmatrix}$$
 (361)

Units:
$$\begin{bmatrix} MNm^{-1} & m^{-1} \\ m^{-1} & (kNm)^{+1} \end{bmatrix}$$
 (363)

'!	A CONTRACTOR OF THE CONTRACTOR		
	F 1 - 1 - 1 - 1 - 1	resses in uniaxial extension (N ₁ on	ly) of a tubular specimen
	of [08/908] ply		
1	For long cylindri	ical tubes: $k_1 = k_2 = k_6 = 0$	(364)
	0		. (265)
	e 1	= 5.20N ₁	(365)
	0	157N ₁	. (366)
			;
	M,	= 446N ₁	(367)
	M ₂	= 13.48N ₁	(368)
		duced because curvature is prevent	
	Moments are in	Line because curvature is provent	
And the second s	At FPF		
2 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	N = -	$\frac{3.91}{5.20} = .752 \text{ MNm}^{-1}$	(369)
	1(FPF)	5.20	
			(370)
	l(FPF)	375 MPa	(310)
	The tube has his	gher FPF-stress than both unsymm	etric (65.6) and symmetric (153)
	The tube has his		etric (65.6) and symmetric (153)
	The tube has hig	ther FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153)
	The tube has hig	gher FPF-stress than both unsymm	etric (65.6) and symmetric (153)
	The tube has hig	ther FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153)
	The tube has hig	ther FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153)
	The tube has hig	ther FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153)
	The tube has hig	ther FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153)
	The tube has high laminates. The	wher FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153) ffects. ompression?
	The tube has high laminates. The	ther FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153) ffects. ompression?
	The tube has high laminates. The	wher FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153) ffects. ompression?
	The tube has high laminates. The	wher FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153) ffects. ompression?
	The tube has high laminates. The	wher FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153) ffects. ompression?
	The tube has high laminates. The	wher FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153) ffects. ompression?
	The tube has high laminates. The	wher FPF-stress than both unsymm induced moments have beneficial e	etric (65.6) and symmetric (153) ffects. ompression?

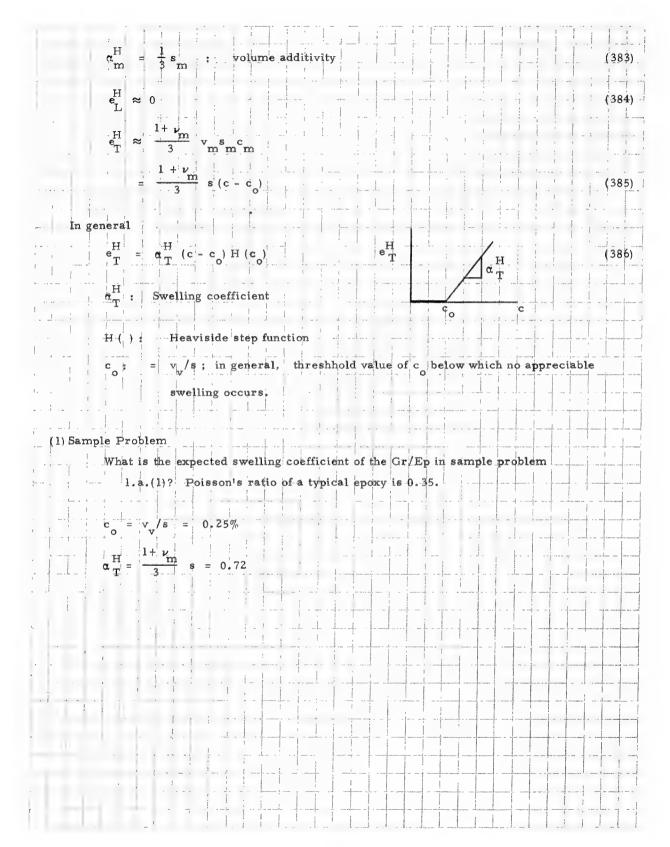
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A Comment of the contract of t	

SECTION VIII	
STRESS AND DEFORMATION DUE TO CURING AND SWELLING	
UNI DI RECTIONAL LAMINAE	
a. Moisture Concentration	
Dry State M = M + M f	(371
	. (372
Wet State	,
$\mathbf{M}^{I} = \mathbf{M} + \mathbf{M}_{mw} + \mathbf{M}_{fw} + \mathbf{M}_{vw}$	(373
Moisture concentration	
$c = \frac{M - M}{M} = -c m + c m + M w / M$	g. And
$= (c_{\mathbf{m}} \mathbf{v}_{\mathbf{m}} \rho_{\mathbf{m}} + c_{\mathbf{f}} \mathbf{v}_{\mathbf{f}} \rho_{\mathbf{f}} + \mathbf{v}_{\mathbf{v}} \rho_{\mathbf{w}}) / \rho$	
$= (c \lor s + c_f \lor s + v) / s$	(374
	\$ 3
V; volume of voids M : mass of water in matrix	t e
M i mass of water in matrix M : " " fiber	
M _{vw} " voids	
	. (37
s : specific gravity	
In many cases c _f ≈ 0	
$c = (c_{m} v_{m} s_{m} + v_{v}) / s$	(37
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157	

.(1) Sam	ple	Prob	lem	***		1	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	-	The designation of the page	and the same	in the country, date	a none jestini meno.	*	***	A commence of the contract of	4 4 4 4	Additional is seemed represent the Personal Statements of the Contract of the	Section (1) W servey	· manage of	a done of a distance of the second	- t		t to
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b. Approxi	mations for Curing and Swelling Strains	
• e	$L = \frac{\frac{\mathbf{v}_{\mathbf{f}} \mathbf{E}_{\mathbf{f}} + \mathbf{v}_{\mathbf{m}} \mathbf{E}_{\mathbf{m}}}{\mathbf{v}_{\mathbf{f}} \mathbf{E}_{\mathbf{f}} + \mathbf{v}_{\mathbf{m}} \mathbf{E}_{\mathbf{m}}} \text{longitudinal strain}}{\mathbf{longitudinal}}$	(377)
e	$\Gamma = v_f e_f^+ v_f^- e_f^+ v_f^- v_f^- e_f^+ v_m^- v_m^- e_m$	
	$- (\eta_I \nabla_f \rho_f^{+} \nabla_m \rho_m) e_L \qquad transverse strain$	(378)
•	[f, m] = e f, m] + e f, m : strains resulting from a change of temperature moisture concentration, measured from the ini-	
	e X Final stress-free state to a final state.	and the state of t
	Initial 0	a something
	[f, m] Elastic constants at the final state of interest.	
Curing	strains	pan w v
	$\begin{array}{c c} T & \Rightarrow & T \\ \hline [f,m] & \Rightarrow & c[f,m] & \triangle T \end{array}$	(379
	△T : (temperature of interest) - (curing temperature)	And and the state of the state
Swellir	g strains	
	H _e ≈ 0	(380
	· f ≈ 0	(381
	H & H cm cm	(-382

1 . . .



	oximations for Residual Stresses in Unidirectional Laminae	
Ref	r to Section IV.	
Mat		
at the fa-	$ \frac{1}{\sigma_{\mathbf{mL}}} = \frac{\mathbf{v}_{\mathbf{f}}^{\mathbf{E}} \mathbf{f}^{\mathbf{E}}_{\mathbf{m}} (\mathbf{e}_{\mathbf{f}} - \mathbf{\eta}_{\mathbf{l}}^{\mathbf{E}}_{\mathbf{m}})}{\mathbf{\eta}_{\mathbf{l}} \mathbf{v}_{\mathbf{f}}^{\mathbf{E}} \mathbf{f}^{+} \mathbf{v}_{\mathbf{m}}^{\mathbf{E}}_{\mathbf{m}}} $	(3
	$ \frac{\mathbf{m}}{\mathbf{l}} = \frac{\mathbf{n}}{\mathbf{l}} \mathbf{v}_{\mathbf{f}} \mathbf{f}^{+} \mathbf{v}_{\mathbf{m}} \mathbf{m} $	
		1.
	T R = 0	4:
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Fib		
	$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	(:
	FI = 0	(
nounce in the second of the second of		1 ,
Res	dual stresses manifest themselves in the residual fringes in photoelastic compo	osites.
		. 1
. Cha	ge of Densities Due to Curing	,
Vol	me changes	
Vol	me changes	1 3
Vol		
Vol		
Vol		
Vol	$\frac{\Delta V_{\mathbf{m}}}{V_{\mathbf{m}}} = \frac{\mathbf{e}_{\mathbf{L}}}{\eta_{1} \mathbf{v}_{\mathbf{f}}^{+} \mathbf{v}_{\mathbf{m}}} + 2 \left[\mathbf{e}_{\mathbf{m}}^{+} + \frac{\eta_{1} \mathbf{v}_{\mathbf{f}}^{E}_{\mathbf{f}} \mathbf{v}_{\mathbf{m}} (\mathbf{e}_{\mathbf{m}}^{-} \mathbf{e}_{\mathbf{f}} / \eta_{1})}{\eta_{1} \mathbf{v}_{\mathbf{f}}^{E}_{\mathbf{f}}^{+} \mathbf{v}_{\mathbf{m}}^{E}_{\mathbf{m}}} \right]$	
Vol	$\frac{\Delta V_{\mathbf{m}}}{V_{\mathbf{m}}} = \frac{\mathbf{e}_{\mathbf{L}}}{\eta_{1} \mathbf{v}_{\mathbf{f}}^{+} \mathbf{v}_{\mathbf{m}}} + 2 \left[\mathbf{e}_{\mathbf{m}}^{+} + \frac{\eta_{1} \mathbf{v}_{\mathbf{f}}^{E}_{\mathbf{f}} \mathbf{v}_{\mathbf{m}} (\mathbf{e}_{\mathbf{m}}^{-} \mathbf{e}_{\mathbf{f}} / \eta_{1})}{\eta_{1} \mathbf{v}_{\mathbf{f}}^{E}_{\mathbf{f}}^{+} \mathbf{v}_{\mathbf{m}}^{E}_{\mathbf{m}}} \right]$	
V ol	$\frac{\Delta V_{\mathbf{m}}}{V_{\mathbf{m}}} = \frac{\mathbf{e}_{\mathbf{L}}}{\eta_{1} \mathbf{v}_{\mathbf{f}}^{+} \mathbf{v}_{\mathbf{m}}} + 2 \left[\mathbf{e}_{\mathbf{m}}^{+} + \frac{\eta_{1} \mathbf{v}_{\mathbf{f}}^{E}_{\mathbf{f}} \mathbf{v}_{\mathbf{m}} (\mathbf{e}_{\mathbf{m}}^{-} \mathbf{e}_{\mathbf{f}} / \eta_{1})}{\eta_{1} \mathbf{v}_{\mathbf{f}}^{E}_{\mathbf{f}}^{+} \mathbf{v}_{\mathbf{m}}^{E}_{\mathbf{m}}} \right]$	
V ol		
	$\frac{\Delta V_{m}}{V_{m}} = \frac{e_{L}}{\eta_{1} v_{f}^{+} v_{m}} + 2 \left[e_{m}^{+} + \frac{\eta_{1} v_{f}^{E}_{f} v_{m} (e_{m}^{-} e_{f} / \eta_{1})}{\eta_{1} v_{f}^{E}_{f}^{+} v_{m}^{E}_{m}} \right]$ $\frac{\Delta V_{f}}{V_{f}} = \frac{\eta_{1}^{e}_{L}}{\eta_{1}^{+} v_{f}^{+} v_{m}} + 2 \left[e_{f}^{+} + \frac{\eta_{1}^{+} v_{m}^{E}_{m} v_{f}^{+} e_{f} / \eta_{1}^{-} e_{m}}{\eta_{1}^{+} v_{f}^{E}_{f}^{+} v_{m}^{E}_{m}} \right]$	
	$\frac{\Delta V_{\mathbf{m}}}{V_{\mathbf{m}}} = \frac{\mathbf{e}_{\mathbf{L}}}{\eta_{1} \mathbf{v}_{\mathbf{f}}^{+} \mathbf{v}_{\mathbf{m}}} + 2 \left[\mathbf{e}_{\mathbf{m}}^{+} + \frac{\eta_{1} \mathbf{v}_{\mathbf{f}}^{E}_{\mathbf{f}} \mathbf{v}_{\mathbf{m}} (\mathbf{e}_{\mathbf{m}}^{-} \mathbf{e}_{\mathbf{f}} / \eta_{1})}{\eta_{1} \mathbf{v}_{\mathbf{f}}^{E}_{\mathbf{f}}^{+} \mathbf{v}_{\mathbf{m}}^{E}_{\mathbf{m}}} \right]$	
	$\frac{\Delta V_{m}}{V_{m}} = \frac{e_{L}}{\eta_{1} v_{f}^{+} v_{m}} + 2 \left[e_{m}^{+} + \frac{\eta_{1} v_{f}^{E}_{f} v_{m} (e_{m}^{-} e_{f}^{\prime} \eta_{1})}{\eta_{1} v_{f}^{E}_{f}^{+} v_{m}^{E}_{m}} \right]$ $\frac{\Delta V_{f}}{V_{f}} = \frac{\eta_{1}^{e}_{L}}{\eta_{1} v_{f}^{+} v_{m}} + 2 \left[e_{f}^{+} + \frac{\eta_{1} v_{m}^{E}_{m} v_{f}^{+} e_{f}^{\prime} \eta_{1}^{-} e_{m}}{\eta_{1} v_{f}^{E}_{f}^{+} v_{m}^{E}_{m}} \right]$ tu densities (dry) after curing $\eta_{1} = 1$ $1 + 3 e_{m}^{T}$	
	$\frac{\Delta V_{m}}{V_{m}} = \frac{e_{L}}{\eta_{1}V_{f}^{+} \cdot v_{m}} + 2 \left[e_{m}^{+} + \frac{\eta_{1}V_{f}^{E}}{\eta_{1}V_{f}^{E}} + v_{m}^{E} e_{m}^{-} + \frac{\eta_{1}V_{m}^{-}}{\eta_{1}V_{f}^{E}} + v_{m}^{E} e_{m}^{-}\right]$ $\frac{\Delta V_{f}}{V_{f}} = \frac{\eta_{1}^{+}L}{\eta_{1}V_{f}^{+} \cdot v_{m}} + 2 \left[e_{f}^{+} + \frac{\eta_{1}V_{m}^{-}E_{m}^{+}V_{m}^{-}}{\eta_{1}V_{f}^{-}E_{f}^{+} \cdot v_{m}^{-}E_{m}^{-}}\right]$ $\text{tu densities (dry) after curing}$ $\eta_{1} = 1$ $1 + 3e_{m}^{T}$ $\rho_{m} = \rho_{mo} + \frac{1}{1 + 2e_{m}^{-}} (1 + \nu_{m}) + (1 - 2\nu_{m})e_{L}^{T}$ $\rho_{m} = \rho_{mo} + \frac{1}{1 + 2e_{m}^{-}} (1 + \nu_{m}) + (1 - 2\nu_{m})e_{L}^{T}$	
	$\frac{\Delta V_{m}}{V_{m}} = \frac{e_{L}}{\eta_{1}V_{f}^{+} \cdot v_{m}} + 2 \left[e_{m}^{+} + \frac{\eta_{1}V_{f}^{E}}{\eta_{1}V_{f}^{E}} + v_{m}^{E} e_{m}^{-} + \frac{\eta_{1}V_{m}^{-}}{\eta_{1}V_{f}^{E}} + v_{m}^{E} e_{m}^{-}\right]$ $\frac{\Delta V_{f}}{V_{f}} = \frac{\eta_{1}^{+}L}{\eta_{1}V_{f}^{+} \cdot v_{m}} + 2 \left[e_{f}^{+} + \frac{\eta_{1}V_{m}^{-}E_{m}^{+}V_{m}^{-}}{\eta_{1}V_{f}^{-}E_{f}^{+} \cdot v_{m}^{-}E_{m}^{-}}\right]$ $\text{tu densities (dry) after curing}$ $\eta_{1} = 1$ $1 + 3e_{m}^{T}$ $\rho_{m} = \rho_{mo} + \frac{1}{1 + 2e_{m}^{-}} (1 + \nu_{m}) + (1 - 2\nu_{m})e_{L}^{T}$ $\rho_{m} = \rho_{mo} + \frac{1}{1 + 2e_{m}^{-}} (1 + \nu_{m}) + (1 - 2\nu_{m})e_{L}^{T}$	
	$\frac{\Delta V_{m}}{V_{m}} = \frac{e_{L}}{\eta_{1}V_{f}+v_{m}} + 2 \left[e_{m} + \frac{\eta_{1}V_{f}E_{f}v_{m}(e_{m}-e_{f}/\eta_{1})}{\eta_{1}V_{f}E_{f}+v_{m}E_{m}}\right]$ $\frac{\Delta V_{f}}{V_{f}} = \frac{\eta_{1}E_{L}}{\eta_{1}V_{f}+v_{m}} + 2 \left[e_{f} + \frac{\eta_{1}V_{m}E_{m}V_{f}(e_{f}/\eta_{1}-e_{m})}{\eta_{1}V_{f}E_{f}+v_{m}E_{m}}\right]$ tu densities (dry) after curing $\frac{\eta_{1}}{V_{f}} = \frac{1}{v_{m}} + \frac{1+3e_{m}}{v_{m}} + $	
	$\frac{\Delta V_{m}}{V_{m}} = \frac{e_{L}}{\eta_{1}V_{f}^{+}v_{m}} + 2 \left[e_{m}^{+} + \frac{\eta_{1}V_{f}^{E}}{\eta_{1}V_{f}^{E}} \nu_{m}(e_{m}^{-}e_{f}^{\prime}\eta_{1}) \right]$ $\frac{\Delta V_{f}}{V_{f}} = \frac{\eta_{1}e_{L}}{\eta_{1}V_{f}^{+}v_{m}} + 2 \left[e_{f}^{+} + \frac{\eta_{1}v_{m}^{E}}{\eta_{1}v_{f}^{E}} \nu_{m}^{\prime}(e_{f}^{\prime}/\eta_{1}^{-}e_{m}^{\prime}) \right]$ $tu densities (dry) after curing$ $\frac{\eta_{1}}{\eta_{1}} = 1$ $\frac{1+3e_{m}^{T}}{\rho_{m}} = 0.35, \qquad e_{m}^{L} = 0, -e_{m}^{T} \approx 0.77\%.$ $\frac{1+3e_{m}^{T}}{\rho_{m}} = 0.9976 \rho_{m} \approx \rho_{m}$	
	$\frac{\Delta V_{m}}{V_{m}} = \frac{e_{L}}{\eta_{1} v_{f}^{+} v_{m}} + 2 \left[e_{m}^{+} + \frac{\eta_{1} v_{f}^{E} f_{m} v_{m} e_{m}^{-} e_{f}^{-} \eta_{1}}{\eta_{1} v_{f}^{E} f_{m}^{+} v_{m}^{-} m_{m}^{-}} \right]$ $\frac{\Delta V_{f}}{V_{f}} = \frac{\eta_{1} e_{L}}{\eta_{1} v_{f}^{+} v_{m}} + 2 \left[e_{f}^{+} + \frac{\eta_{1} v_{m}^{E} e_{f}^{+} v_{m}^{E} e_{m}^{-}}{\eta_{1} v_{f}^{E} f_{m}^{+} v_{m}^{-} m_{m}^{-}} \right]$ $tu densities (dry) after curing$ $\frac{\eta_{1}}{\eta_{1}} = \frac{1}{1 + 3e_{m}^{-}} \frac{1 + 3e_{m}^{T}}{1 + 2e_{m}^{-} (1 + v_{m}) + (1 - 2v_{m}) e_{L}^{-}} e_{m}^{-} e_$	

$\rho_{\mathbf{f}} = \rho_{\mathbf{f}o} = \frac{1 + 3e_{\mathbf{f}}^{\mathrm{T}}}{1 + 2e_{\mathbf{f}}^{\mathrm{T}}(1 + \nu_{\mathbf{f}}) + (1 - 2\nu_{\mathbf{f}})e_{\mathbf{L}}^{\mathrm{T}}} \approx \rho_{\mathbf{f}o}$	(394)
f fo $1+2e_{f}^{T}(1+\nu_{f})+(1-2\nu_{f})e_{L}^{T}$ fo	
ρ _{mo} , ρ _{fo} : densities of constituents themselves at the temperature of interest	
Composite density	
$M = M_m + M_f$	(395)
$V = M_{m}/\rho_{m} + M_{f}/\rho_{f} + V_{v}$	(396)
$\rho = \rho_{\mathbf{m}} \mathbf{v}_{\mathbf{m}} + \rho_{\mathbf{f}} \mathbf{v}_{\mathbf{f}}$	(397)
	A contract of the contract of
e. Change of Densities Due to Moisture Absorption	
$Dry State$ $M = M_{m} + M_{f}, V = V_{m} + V_{f} + V_{v}$	(398)
Wet State	
$M' = M + M_{mw} + M_{fw} + M_{vw}$	(399)
$\mathbf{V}' = \mathbf{V} + \Delta \mathbf{V}_{\mathbf{m}} + \Delta \mathbf{V}_{\mathbf{f}}$	(400)
Wet density	COLUMN DE SAN AL MARK DE SENDAN
$\rho' = \frac{M'}{V'} = \frac{M'}{M} \frac{M}{V} \frac{V}{V'} = \frac{\rho(1+c)}{1+\triangle V / V + \triangle V / V}$	
	A State Stat
$\approx \rho \frac{1+c}{1+2v_{m}(1+v_{m})e^{H}}$	
1+c	(401)
$ {}^{\rho} \frac{1+ 2v_{m}(1+\nu_{m}) \mathbf{s}_{m} ^{2}}{m^{1/3}} $	
or	-,
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$	(402)

		ermal Expansion Coefficients of Composites	*
Ass	ume		
	Т		(403
	e [f, m]	[f, m] 0	
	T	independent of T	
	a[f, m]	independent of 1	
	T _o	initial reference temperature	
	Annual contract of the last of		1 -1
Fro	m Eq. (377)	! .	
	T	$v_f = f(\Gamma)\alpha_f + v_f = f(\Gamma)\alpha_f$	(404
	n (T)	$\frac{\mathbf{v}_{\mathbf{f}}\mathbf{E}_{\mathbf{f}}(\mathbf{T})\boldsymbol{\alpha}_{\mathbf{f}}^{\mathbf{T}} + \mathbf{v}_{\mathbf{m}}\mathbf{E}_{\mathbf{m}}(\mathbf{T})\boldsymbol{\alpha}_{\mathbf{m}}^{\mathbf{T}}}{\mathbf{\eta}_{1}\mathbf{v}_{\mathbf{f}}\mathbf{E}_{\mathbf{f}}(\mathbf{T}) + \mathbf{v}_{\mathbf{m}}\mathbf{E}_{\mathbf{m}}(\mathbf{T})}$	1 1 .
whe		e ^T (T)	
	a _L (T)	e T (T)	(40
			Administration
			Annual Community
Cot	nments		1
	1. T is	not arbitrary and e must be measured from To.	
	2. a T d	epends on T while a T and a T do not.	
Def	ine		1 1
		$\begin{vmatrix} \mathbf{e} & \mathbf{T} \\ \mathbf{L} & \mathbf{T} \\ \mathbf{T} & \mathbf{T} \end{vmatrix} = \begin{vmatrix} \mathbf{e} & \mathbf{T} \\ \mathbf{L} & \mathbf{T} \\ \mathbf{T} \end{vmatrix} = \begin{vmatrix} \mathbf{T} & \mathbf{T} \\ \mathbf{T} \end{vmatrix} = \begin{vmatrix} \mathbf{T} & \mathbf{T} \\ \mathbf{T} \end{vmatrix}$	(40
	$\frac{\alpha}{\alpha}$ L $\frac{(T_2, T_1)}{2}$	\mathbf{T}_1	1 1
FF	m Eq. (377		
	m	$v_{\mathbf{f}} \mathbf{E}_{\mathbf{f}}(\mathbf{T}_{2}) \alpha_{\mathbf{f}}^{\mathbf{T}} + v_{\mathbf{m}} \mathbf{E}_{\mathbf{m}}(\mathbf{T}_{2}) \alpha_{\mathbf{m}}^{\mathbf{T}} + v_{\mathbf{f}} \mathbf{E}_{\mathbf{f}}(\mathbf{T}_{2}) \alpha_{\mathbf{f}}^{\mathbf{T}} + v_{\mathbf{m}} \mathbf{E}_{\mathbf{m}}(\mathbf{T}_{2}) \alpha_{\mathbf{m}}^{\mathbf{T}}$	
	T (T2, T	$1) = \frac{1}{n_1 v_f E_f(T_2) + v_m E_m(T_2)} + \frac{1}{n_1 v_f E_f(T_2) + v_m E_m(T_2)}$	
			1
		τ	
		$v_{\mathbf{f}}^{\mathbf{E}} \mathbf{f}^{(\mathbf{T}_{1})} \alpha_{\mathbf{f}}^{\mathbf{T}} + v_{\mathbf{m}}^{\mathbf{E}} \mathbf{m}^{(\mathbf{T}_{1})} \alpha_{\mathbf{m}}^{\mathbf{T}} $ $\mathbf{T}_{1} - \mathbf{T}_{0}$	(40
		$\begin{array}{c c} & \eta_1 \mathbf{v}_f \mathbf{E}_f(\mathbf{T}_1) + \mathbf{v}_m \mathbf{E}_m(\mathbf{T}_1) & \mathbf{I} \mathbf{T}_2 - \mathbf{T}_1 \end{array}$	
	$\alpha_{L}^{1}(T_{2},T)$	1) becomes independent of temperature if so are the moduli.	
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	San recording to the control of the		
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a. Curing and Swelling Strains	
Constitutive relations of a constituent ply $\sigma_{i} = G_{ij}(\varepsilon - \varepsilon_{j}) + G_{iA}(\varepsilon_{A} - \varepsilon_{A}) : \text{ in-plane stresses} $ (40)	
$\sigma_{A} = C_{Aj}(\varepsilon_{j} - \varepsilon_{j}) + C_{AB}(\varepsilon_{B} - \varepsilon_{B}) \text{: out-of-plane stresses} $ (40)	9)
Reduced stiffnesses Q.	
$Q_{ij} = C_{ij} - C_{iA} C_{AB} C_{Bj} $ (41)	10)
$\sigma_{i} = O_{ij}(\varepsilon_{j} - \varepsilon_{j}) + C_{iA}C_{AB}^{-1} \sigma_{B}$	1)
In-plane strains and curvatures $\epsilon_{i} = \epsilon_{i}^{O} + zk_{i}$ (41)	12)
Classical laminated plate theory	
σ _B , ε ^O , k, independent of z	13)
January 19 19 19 19 19 19 19 19 19 19 19 19 19	14)
	15)
where N N N Ch/2	16)
3B 1B -h/2 IX XB	
$\frac{1}{h} \int_{-h/2}^{h/2} (-) dz$	18)

10 01

Nonmechanical laminate strains and	i curvatures		
$N_i = M_i = \sigma_A = 0$			(419)
$\mathbf{e_i^o} = \mathbf{F_{ij}^{-1}} (\mathbf{N_j^N} - \mathbf{B_{jk}D_{kn}^{-1}M_n^N})$			(420)
$\mathbf{k_i^N} = D_{ij}^{-1} \left(\mathbf{M_j^N} - B_{jk} \mathbf{e_k^o} \right)$			(421)
		- N	
$\mathbf{e}_{\mathbf{A}} = \mathbf{e}_{\mathbf{A}} + \mathbf{C}_{\mathbf{A}\mathbf{B}}^{-1} \mathbf{C}_{\mathbf{B}\mathbf{j}} \mathbf{e}_{\mathbf{j}} - \mathbf{C}_{\mathbf{A}\mathbf{B}}^{-1} \mathbf{C}_{\mathbf{B}\mathbf{j}} \mathbf{e}_{\mathbf{j}}$	CAB CBj ej - CAB CBj	z k	(422)
$\begin{array}{c ccccccccccccccccccccccccccccccccccc$			(423)
Strain-displacement relations			1 10 10 10 10 10 10 10 10 10 10 10 10 10
$e_1^{\circ} = \frac{\partial u}{\partial x_1}, e_2^{\circ} = \frac{\partial v}{\partial x_2}$	$2' = \frac{6}{6} = \frac{\partial u}{\partial x_2} + \frac{\partial v}{\partial x_3}$	c	(424)
$k_1 = -\frac{2}{3} w / \frac{2}{3} k_2 = -\frac{2}{3}$	$w/\partial x_2^2$, $k_6 = -2\partial^2 w/\partial x$	10x2	(425)
All the elastic constants are taken a			The same of the sa
In the material symmetry axes of tr		inae	
	E _T L _T /U	0	
$Q_{ij} = 0$	$\mathbf{E}_{\mathbf{T}}/\mathbf{U}_{1}$	0	(426)
		- G _{I-T}	
	0	0	A VAN AND A VAN AND AND AND AND AND AND AND AND AND A
	2(1+\nu_T)/E_T	0	(427)
		1/G _{LT} _	
		1 1 1 1 1	

$C_{iA} = C_{Ai}^{T} = \bigcup_{LT} (1)$	+v _{TT})E _T /U ₂ 'LT ' _{TL})E _T /	/U ₂ 0		0	(42
	0	0	The state of the s	0	, , , , , , , , , , , , , , , , , , , ,
$U_1 = I - \nu_{LT} \nu_{T}$	L				(42
$U_2 = (1 + \nu_{TT})$	1- V _{TT} - 2 V	TTL)			. (4:
Curing Strains and Res		B contract	The same of the sa		
B _{ij} = 0, M	N = 0,	k.	= 0		(4
TABLE 63 LAMINA C	URING STRA	INS FROM C	JRING TEMP	ERATURE [1	2]
	v _f	8	e T E L %	e _T	T _o
Boron/Epoxy (B/Ep)	0.50	2.03	0.118	0.451	450
Boron/Polyimide (B/PI)	0.49	2.00	0.081	0.443	450
Graphite/Epoxy (Gr/Ep)	0.45	1.54	-0.009	0.318	445
Graphite/Polyimide (Gr/PI)	0.45	1.54	0.	0.391	450
Glass/Epoxy (Gl/Ep)	0.72	2.13	0.072	0.530	435

TABLE 64 LAMINA MECHANICAL PROPERTIES [12]

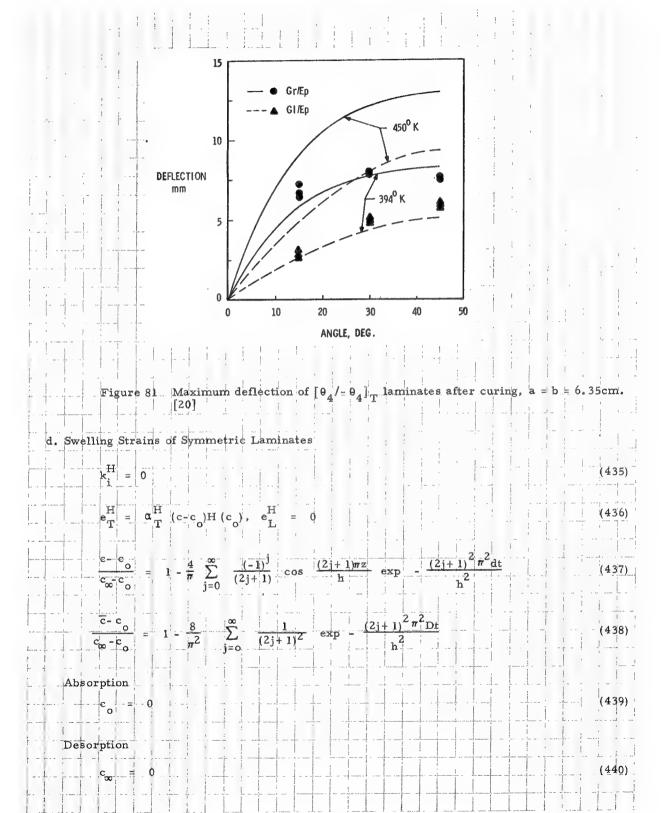
	E _L GNm ⁻²	E _T GNm ⁻²	G _{LT}	LT	X MNm ⁻²	Y MNm ⁻²	S MNm ⁻²
B/Ep	201	21.7	5.4	0.17	1375	56.0	62.3
B/PI	222	14.5	7.7	0.16	1040	10.8	25.9
Gr/Ep	190	7.10	6,2	0.10	1115	41.9	61.5
Gr/PI	216	4.97	4.5	0.25	841	14.9	21.7
$_{ m G1/E_{ m P}}$	60.7	24.8	12.0	0.23	807	46.0	45.0

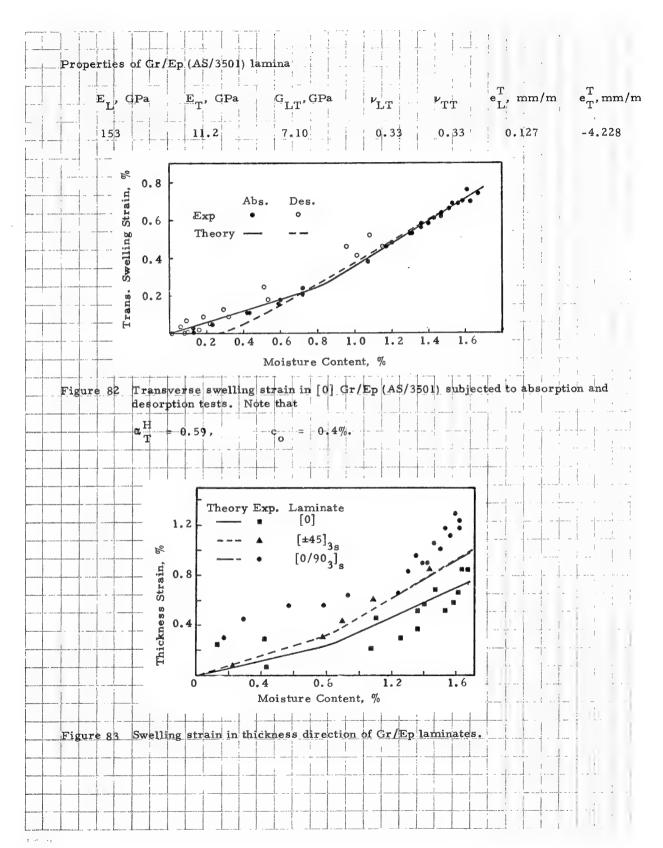
TABLE 65 CURING STRAINS OF [02/±45] LAMINATES AND CORRESPONDING
STRESSES WITHIN 45° PLY [12,19]

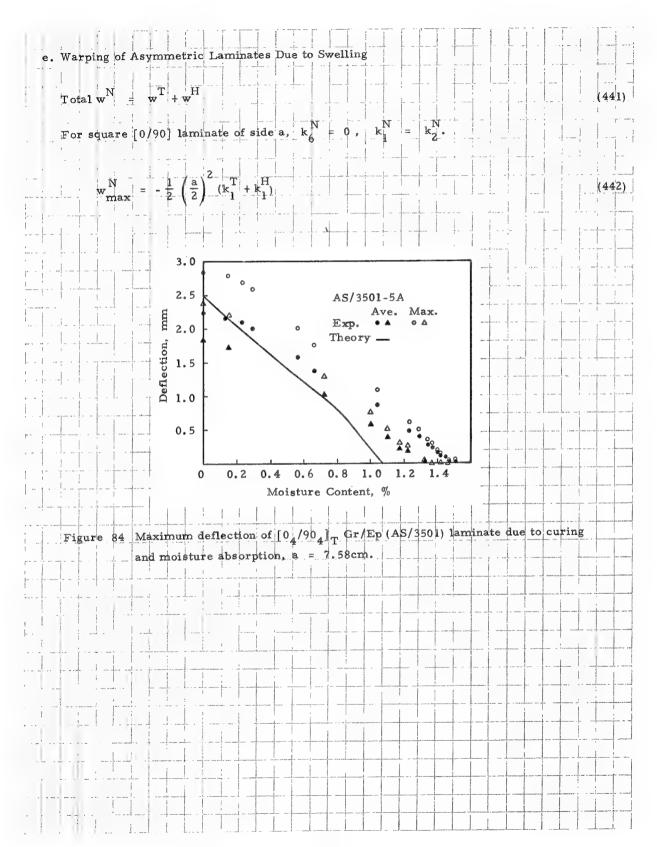
	- e	-e ₀ ^T , %		-e T %		-e ₄₅ , %		$\sigma_{\mathrm{LT}}^{\mathrm{R}}$	
	EXP.	CAL.	EXP.	CAL.	EXP.	CAL.	$\frac{\sigma_{\mathrm{T}}^{\mathrm{R}}}{\mathrm{Y}}$	S	
B/Ep	0.123	0.109	0.234	0.259	0.171	0.184	0.99	0.13	
B/PI	0.100	0.075	0.214	0.186	0.163	0.131	4.09	0.33	
Gr/Ep	-9.018 (-0.009)	-0.019	0.104 (0.068)	0.122	0.036 (0.026)	0.052	1.09	0.11	
Gr/PI	0.002	-0.004	0.031	0.051	0.017	0.028	1.20	0.11	
G1/Ep	0.105	0.117	0.260	0.361	0.182	0.239	1.39	0.65	

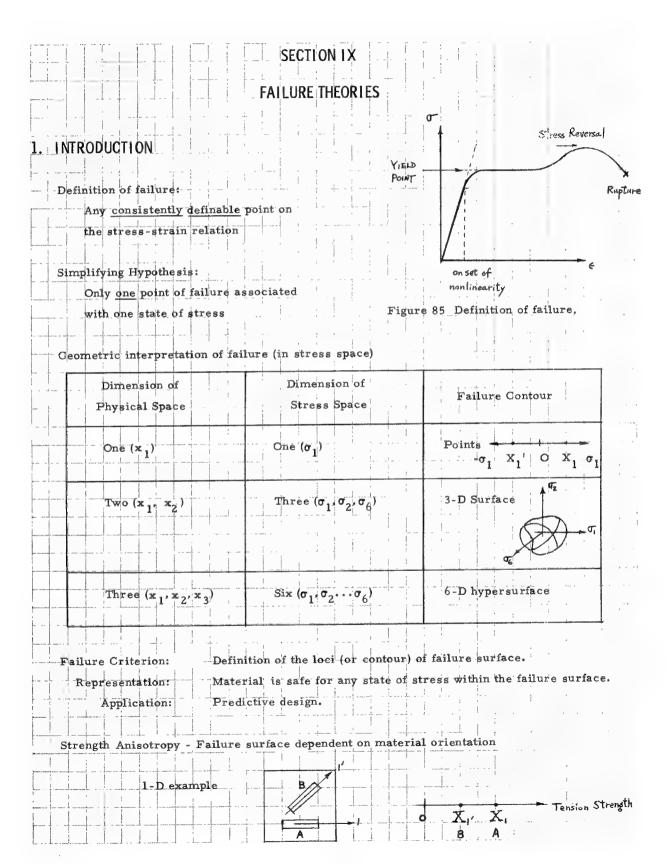
Remarks: Numbers inside the parentheses for Gr/Ep are measured during the cooling stage of curing and the heating stage of postcuring.

Input mechan					
Material	H. H.	G	v ·		
111111111111111111111111111111111111111	E _L E _T	G _{LT}	$\nu_{\rm LT}$		
Gr/Ep	153 11.2		0.33	1	
Gl/Ep	39.1 13.1	4.70	0.30		,
Input curing	strains for lamina				
Material	T _o =	450°K	To	= 394°K	
	e _L , mm/m	e _T , mm/n	T PL, mm/1	m FT, mm/m	
Gr/Ep	0.304	- 3.503	0.267	- 2.167	
Gl/Ep	- 1. 345	- 4.077	-0,743	- 2.235	
Amount of w	arping $-\frac{1}{2}(k_1^T x^2 + k_2^T y^4)$	$+\mathbf{k}_{6}^{\mathrm{T}}\mathbf{x}\mathbf{y})+\mathbf{c}_{1}\mathbf{x}+\mathbf{c}_{1}\mathbf{x}$		Y	and the same of th
wT	$-\frac{1}{2}(k_1^T x^2 + k_2^T y^2 +$	$+k_6^T \times y) + c_1 \times c_1$	c2y+c3	Y	and the same of th
w ^T =	$-\frac{1}{2}(k_1^T x^2 + k_2^T y$		c ₂ y+c ₃	Y	and the same of th
w ^T =	$-\frac{1}{2}(k_1^T x^2 + k_2^T y$		c ₂ y+c ₃	↑ y	(4
w ^T =	$-\frac{1}{2}(k_1^T x^2 + k_2^T y^2 +$		c ₂ y+c ₃	↑ y	(4
w ^T =	$-\frac{1}{2}(k_1^T x^2 + k_2^T y$		c ₂ y+c ₃	↑ y	(4
w ^T =	$-\frac{1}{2}(k_1^T x^2 + k_2^T y$		c ₂ y+c ₃	↑ y	(4
For [+0/-0]	$-\frac{1}{2}(k_1^T x^2 + k_2^T y$		c ₂ y+c ₃	↑ y	(4
For [+0/-0]	$-\frac{1}{2}\left(k_{1}^{T} \times k_{2}^{T} y\right) + k_{2}^{T} y$ laminates $k_{2}^{T} = 0 , W_{max}^{T}$		2y+c ₃	↑ y	(4
For [+0/-0]	$-\frac{1}{2}\left(k_{1}^{T} \times k_{2}^{T} y\right) + k_{2}^{T} y$ laminates $k_{2}^{T} = 0 , W_{max}^{T}$		c ₂ y+c ₃	↑ y	(4
For [+0/-0]	$-\frac{1}{2}(k_1^T x^2 + k_2^T y$	$\mathbf{x}(\mathbf{a},\mathbf{b}) = -\frac{\mathbf{k}_{6}^{\mathbf{T}}}{2} \mathbf{a}1$	2y+c ₃	↑ y	(4
For [+0/-0]	$-\frac{1}{2}\left(k_{1}^{T} \times^{2} + k_{2}^{T} y^{2} + k_{2}^{T} y^{2}\right)$ $\begin{vmatrix} laminates \\ k_{2}^{T} &= 0 \end{vmatrix}, w_{max}^{T}$	$\mathbf{x}(\mathbf{a},\mathbf{b}) = -\frac{\mathbf{k}_{6}^{\mathbf{T}}}{2} \mathbf{a}1$	2y+c ₃	↑ y	(4
For [+0/-0]	$-\frac{1}{2}\left(k_{1}^{T} \times^{2} + k_{2}^{T} y^{2} + k_{2}^{T} y^{2}\right)$ $\begin{vmatrix} laminates \\ k_{2}^{T} &= 0 \end{vmatrix}, w_{max}^{T}$	$\mathbf{x}(\mathbf{a},\mathbf{b}) = -\frac{\mathbf{k}_{6}^{\mathbf{T}}}{2} \mathbf{a}1$	2y+c ₃	↑ y	(4









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GEOMETRIC INTERPRETATION OF EMPLOYING FAILURE CRITERION TO INTERROGATE POTENTIAL FAILURE A given state of stress σ_1 , σ_2 , σ_6 (in 2-D) can be represented as a vector \mathbf{z} in stress space: = 01e1+02e2+06e6 the magnitude of this stress vector $|A| = \left[\sigma_1^2 + \sigma_2^2 + \sigma_6^2\right]^{1/2}$ The potential of this stress vector which can lead to failure depends on its proximity to the failure surface along the same direction as the stress vector. The strength in this direction Figure 86 Failure can be characterized by a strength vector ${\mathcal F}$ $|\mathcal{F}| = |\sigma_1|^{*2} + |\sigma_2|^{*2} + |\sigma_6|^{*2} |\sigma_6|^{1/2}$ where σ_1 , σ_2 , σ_6 is the point on the failure surface. Safety factor can be considered as Utility of Failure Criterion For a given state of stress o, interrogate whether failure is imminent For a given state of strain e, interrogate whether failure is imminent For a given stress ratio $\frac{\sigma_1}{\sigma_2}$, $\frac{\sigma_1}{\sigma_6}$ etc., what are the failure stresses? For a given state of stress, what is the margin of safety? D. Applications for different failure criteria will be illustrated by examples. All examples will use the following mechanical properties of a 0° graphite/epoxy lamina 17.6 0.581 x 10 ksi/in/in 0.581 Qii 1.21 0.760 0

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X ₁ = 149		$x_2 = 6.3 \text{ ks}$	ii	6 = 10.5 ksi		{449
X' = 103	ksi	X' = -18.2	ksi	$\frac{\zeta'}{6} = 10.5 \text{ ksi}$		1 1
	$\int_{\sigma_1}^{\infty}$	= 177 ksi			1	(450
Blaxial S	rength ($\tilde{\sigma}_2$	= -12.8 ksi	The second secon))) (1 = 50
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3. FAILURE CRITERIA FOR ONE GIVEN ORIENTATION NON - Interacting Failure Criteria: biaxial stress does not change unlaxial strength a. Maximum Stress Criterion $-X_{1}' \leq \sigma_{1} \leq X_{1}$ $-X_{2}' \leq \sigma_{2} \leq X_{2}$ (451) $-X_6' \leq \sigma_6 \leq X_6$ Geometry: Rectangular Parallelepiped in Stress-Space OE Figure 87 Maximum stress criter-Maximum Stress Criterion in Strain Space Combine with Eq. (451) The strain allowables are (452)

(1) Example For plane stress condition, plot maximum stress failure criterion in stress space and in strain space using properties given in Section 2. -10,3 - 03 -18.2 06 -10.3

1	
	(2) Example
	Given stress of interrogate failure by maximum stress criterion
	$\sigma_1 = 100 \text{ ksi}$
	σ ₂ = 8 ksi
	$\sigma_6 = 9 \text{ ksi}$
	Substitute into Eq. (451), if any one equation not satisfied, failure occurs
	Substitute into Eq. (431), if any one education and substitute into Eq. (431)
	100 < X = 149 ho failure
	8 > X = 6.3 failure Failure for lamina
	9 < X = 10.3 no failure
No. of the last section of	(3) Example
	Given strain e interrogate failure
	= + -5.5 x 10 ⁻³
	and the same of th
	$e_6 = 2 \times 10^{-3}$
	╼╂╾┩╌┦╌╄╾╂╼╂╼╂╌╃╼╫╴╎╌╬╸╎╶╏╶╏╶╏╶╏╶╏╌╏╌╬┈┼╴╇╼╃╼╇╼╃╼╢╴┼╸╃╌┼═╧╴┊╴╏╸╏╌

(4) Example

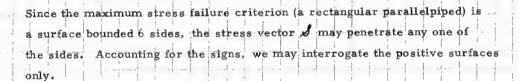
For the following state of stress (ratios), using maximum stress criterion, find the failure stresses.



$$\sigma_2 = 3$$

$$\sigma_6 = 5.5$$

We need to find, along the stress ratios $\frac{\sigma_2}{\sigma_1}$, $\frac{6}{\sigma_1}$, what is the intercept of the failure surface.



(5) Example

strength vector and the factor of safety predicted by the maximum stress criterion.

Maximum Strain Criterion
$$E_1 = S_{11}X_1 \ge G_1$$

$$E_{1}' = S_{11}X_{1} \ge - \epsilon_{1}$$

$$\mathbf{E}_2 = \mathbf{S}_{22} \mathbf{X}_2 \ge \mathbf{e}_2$$

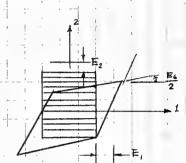
$$\mathbf{E}_{2}^{\mathsf{T}} = \mathbf{S}_{22}\mathbf{X}_{2}^{\mathsf{T}} \geq -\mathbf{e}_{2}^{\mathsf{T}}$$

$$E_{2} = S_{22}X_{2} \ge e_{2}$$

$$E_{2}' = S_{22}X_{2}' \ge -e_{2}$$

$$E_{6} = S_{66}X_{6} \ge e_{6}$$

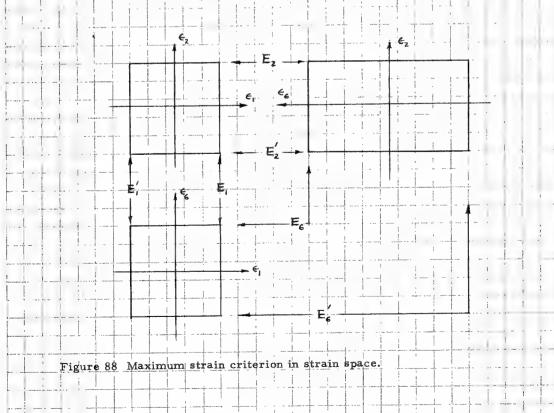
$$E_{6}' = S_{66}X_{6}' \ge -e_{6}$$



$$E_6' = S_{66}X_6' \ge -e_6$$

- E Positive Uniaxial Maximum Strain in i component
 E Negative Uniaxial Maximum Strain in i component

Geometry: Rectangular Parallelepiped in Strain Space



Maximum Strain Criterion in Stress Space

For linearity $e_i = S_{ij}\sigma_j$, combine with Eq. (453). The allowable stresses are:

$$\sigma_{1} = -\frac{S_{12}}{S_{11}} \sigma_{2} - \frac{S_{16}}{S_{11}} \sigma_{6} + X_{1} \qquad a$$

$$\sigma_{1} = -\frac{S_{12}}{S_{11}} \sigma_{2} - \frac{S_{16}}{S_{11}} \sigma_{6} - X_{1}' \qquad b$$

$$\sigma_{2} = -\frac{S_{12}}{S_{22}} \sigma_{1} - \frac{S_{26}}{S_{22}} \sigma_{6} + X_{2} \qquad c$$

$$\sigma_{2} = -\frac{S_{12}}{S_{22}} \sigma_{1} - \frac{S_{26}}{S_{22}} \sigma_{6} - X_{2}' \qquad d$$

$$\sigma_{6} = -\frac{S_{16}}{S_{66}} \sigma_{1} - \frac{S_{26}}{S_{66}} \sigma_{2} + X_{6}' \qquad e$$

$$\sigma_{6} = -\frac{S_{16}}{S_{66}} \sigma_{1} - \frac{S_{26}}{S_{66}} \sigma_{2} - X_{6}' \qquad f$$

maximum strain criterion in

(454)

(1) Example

For graphite epoxy lamia, find the maximum strain failure criterion using

(2)	:	Lxa	mpı	e
			- E -	1
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Given stress o, interrogate failure by maximum strain criterion.

$$\sigma_1 = 100 \text{ ksi}$$

$$\sigma_2 = 8 \text{ ks}$$

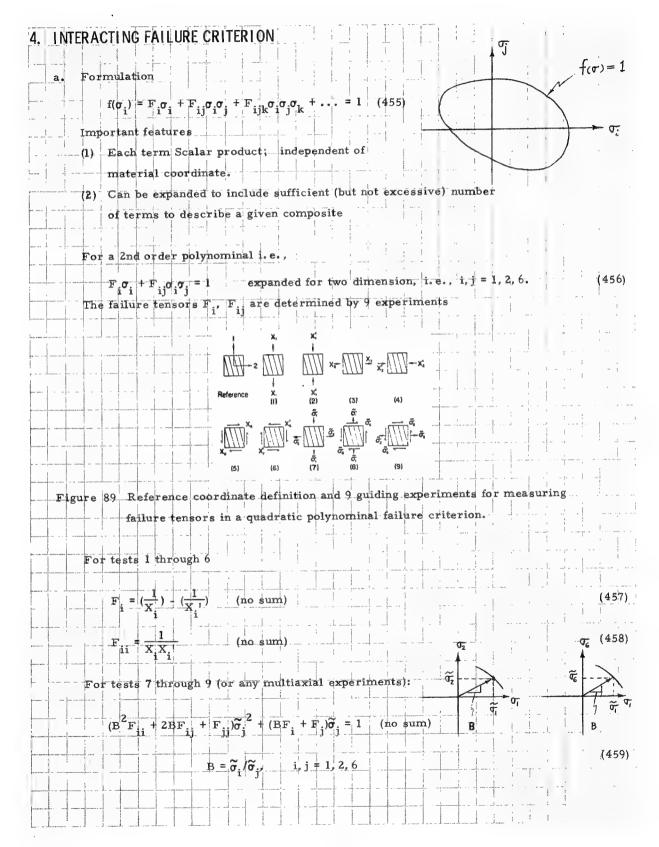
$$\sigma_6 = 9 \text{ ks}$$

(3) Example

Given strain e interrogate failure by maximum strain criterion.

$$\epsilon_1 = 5.5 \times 10^{-3}$$

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The optimal biaxial ratios can be solved from

$$\widetilde{\sigma}_{j} = \frac{-(F_{i}B + F_{j}) \pm [(F_{i}B + F_{j})^{2} + 4(F_{ii}B^{2} + 2F_{ij}B + F_{jj})]^{1/2}}{2(F_{ii}B^{2} + 2F_{ij}B + F_{jj})}$$
(460)

$$\frac{\left[2\sigma_{j}(F_{ii}B + F_{ij}) + F_{i}\right]}{\left[2\sigma_{j}(F_{ii}B^{2} - F_{jj}) - F_{j}\right]} = -\frac{\left[2\sigma_{j}(F_{ii}B^{2} + 2F_{ij}B + F_{jj}) + F_{i}B + F_{j}\right]}{B(BF_{i} + F_{j})}$$
(461)

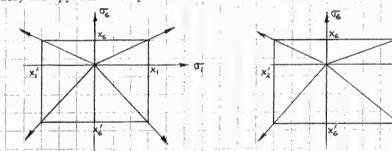
or approximated by

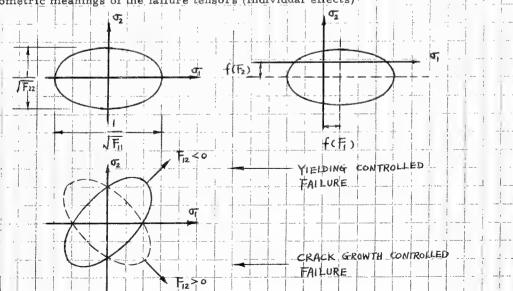
Test 7

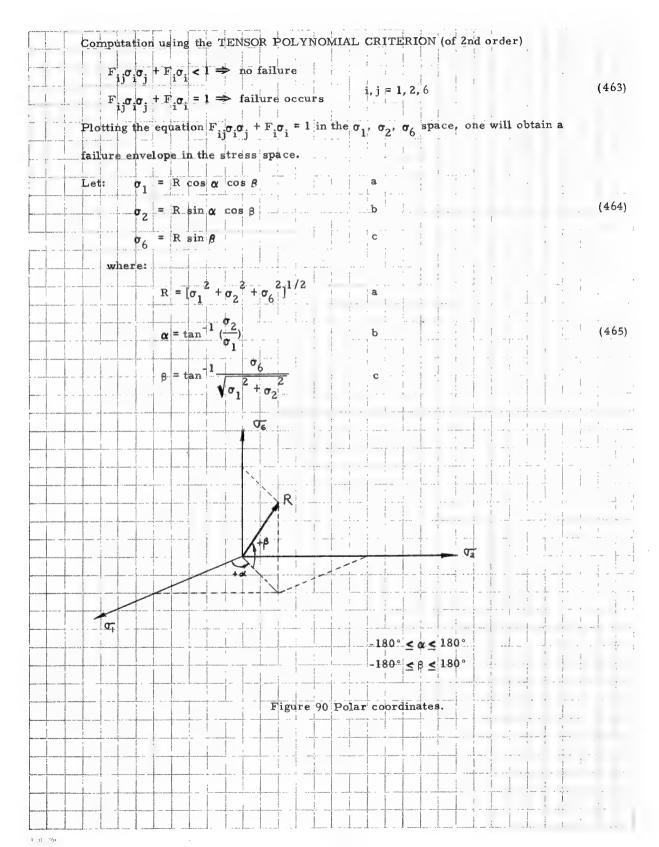
$$B = \frac{X_1}{X_2} \quad \text{or} \quad \frac{X_1}{X_2} \quad \text{or} \quad \frac{X_1}{X_2} \quad \text{or} \quad \frac{X_1}{X_2}$$
 (462)

Geometrically these ratios correspond to the four corners of the failure surface.

Similarly the approximate optional ratios for Tests 8, 9 are shown geometrically







 $A = (F_{11} \cos^2 \alpha + F_{12} \sin^2 \alpha + F_{22} \sin^2 \alpha) \cos^2 \beta + F_{66} \sin^2 \beta + (F_{16} \cos \alpha + F_{26} \sin^2 \alpha) \sin^2 \beta$ (467) $B = (F_1 \cos \alpha + F_2 \sin \alpha) \cos \beta + F_6 \sin \beta$ Solving Eq. (466) for R, taking positive root, we obtain $R* = \frac{-B + \sqrt{B^2 + 4A}}{2A}$ For an applied stress o,, the stress and strength vectors can be computed from Eqs (465a) and (469), respectively, i.e.: = R (from Eq. (465)) $\mathcal{F} = \mathbb{R} * (\text{from Eq. (469) where } \alpha \text{ and } \beta \text{ are from Eqs. (465 b, c)})$ If: & < F → no failure If: $\beta \geqslant \mathcal{F} \Rightarrow$ failure occurs

To compute the \mathcal{F} vector for a given stress ratios, e.g. $\frac{\sigma_2}{\sigma_1}$, $\frac{\sigma_6}{\sigma_1}$ from Eqs. (465b,c)by setting $\sigma_1 = 1$, and \mathcal{F} can be obtained from Eq. (469). Caution: The signs of the angles α and β should be set according to Figure 90. Computation of the Failure Tensors Using the strength given in Section IX. 2 and Eqs. (457-458), $F_1 = \frac{1}{X_1} - \frac{1}{X_1!} = \frac{1}{149} - \frac{1}{103} = -0.003 \frac{1}{ksi}$ $F_2 = \frac{1}{X_2} - \frac{1}{X_2} = \frac{1}{6.3} - \frac{1}{18.3} = 0.105 \frac{1}{ksi}$ $F_6 = \frac{1}{X_6} - \frac{1}{X_6} = \frac{1}{10.} - \frac{1}{10.5} = 0$ $F_{11} = \frac{1}{X_1 X_1'} = \frac{1}{(149)(103)} = 0.065 \times 10^{\frac{3}{2}} \frac{1}{(ksi)^2}$ $F_{22} = \frac{1}{X_2 X_2} = \frac{1}{(6.3)(18.3)} = 8.72 \times 10^{-3} \frac{1}{(ksi)^2}$ $F_{66} = \frac{1}{X_6 X_6} = \frac{1}{(10.5)(10.5)} = 9.07 \times 10^{-3} = \frac{1}{(\text{ksi})^2}$

From Eq. (459)
$$B = \frac{\tilde{\sigma}_1}{\tilde{\sigma}_2} = \frac{177}{12.8} = -13.82$$

$$(B^{2}F_{11} + 2BF_{12} + F_{22})\widetilde{\sigma}_{2}^{2} + (BF_{1} + F_{2})\widetilde{\sigma}_{2} = 1$$

$$((-13.82)^{2}(0.065 \times 10^{-3}) + (2)(-13.82)F_{12} + (8.72 \times 10^{-3}))(-12.8)$$

$$+ (13.82(-0.003) + 0.105) - 12.8 = 1$$

Solve for
$$F_{12}$$
 $F_{12} = 0.20 \times 10^{-3} \frac{1}{(ksi)^2}$

- c. Application Examples
 - (1) Given stress σ_{ij} , interrogate failure condition by tensor polynominal

$$\sigma_1 = 50 \text{ ksi}$$

$$\sigma_2 = -15 \text{ ksi}$$

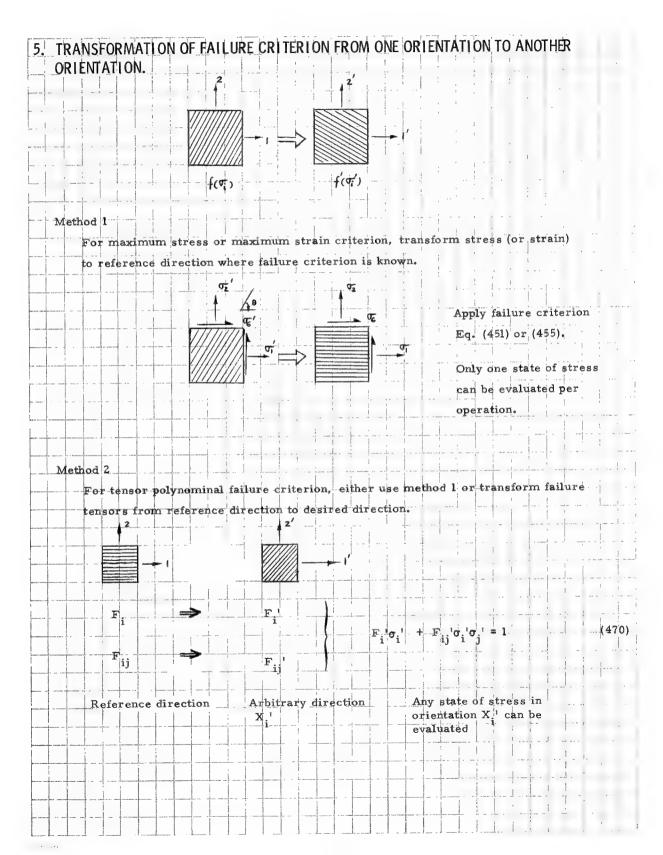
$$\sigma_6 = 5 \text{ ksi}$$

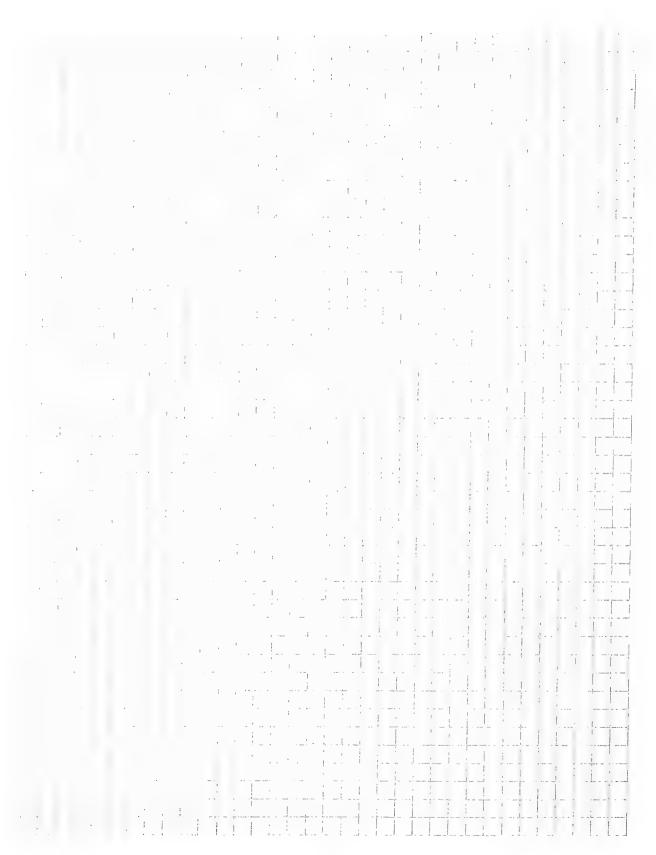
(2) Given strain e, interrogate failure condition by tensor polyminal

$$e_1 = -5.5 \times 10^{-3}$$
 $e_2 = 6 \times 10^{-3}$
 $e_3 = 2 \times 10^{-3}$

(3) Given stress ratios $\frac{\sigma_2}{\sigma_1} = 0.5$, $\frac{\sigma_6}{\sigma_1} = -0.2$, $\sigma_1 > 0$ compute the strength in this direction of loading

(4) Given $\sigma_1 = 10$, $\sigma_2 = 5$, $\sigma_6 = -2$ ksi, what is the safety factor





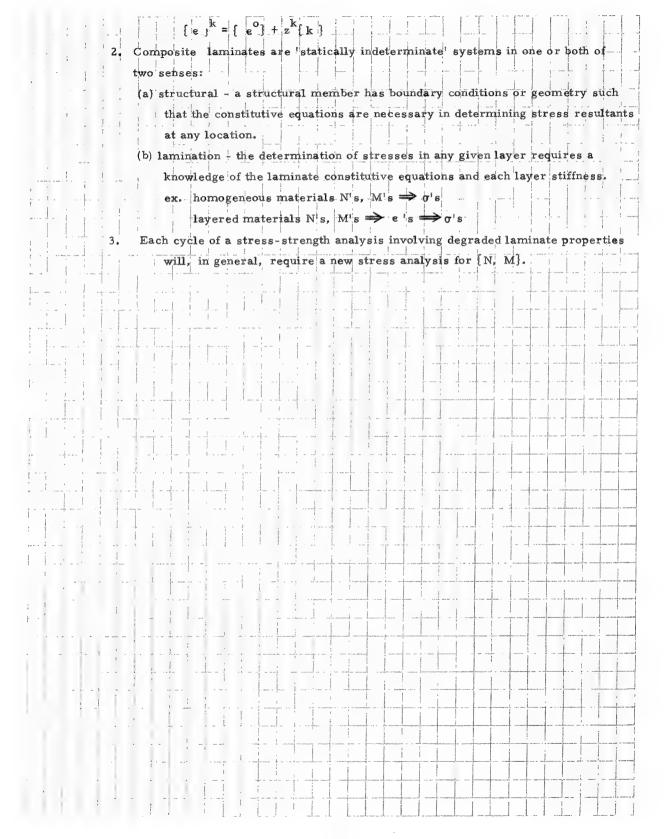
6. LAMI NATE STRENGTH	
a. First Ply Failure	
To assess laminate strength two approaches can be used	
(1) Assume laminate as homogeneous, following method outline in Sections 3 and 4,	
but replace the lamina failure criterion by a laminate failure criterion; i.e., by	
appropriate numerical value for F, Fi and higher order terms when appropria	te
(2) Use laminate analysis as discussed in Section V to obtain stress in each layer	
and interrogate layer by layer using procedure outlined in Section IX. 5.	
In this case stress vector and strength vector for the kth layer are respectively	•
$\frac{(k)}{2} = \left[(\sigma_1^{(k)})^2 + (\sigma_2^{(k)})^2 + (\sigma_6^{(k)})^2 \right]^{1/2}$	(471)
$\mathcal{F}^{(k)} = \left[(\sigma_1^{*(k)})^2 + (\sigma_2^{*(k)})^2 + (\sigma_6^{*(k)})^2 \right]^{1/2}$	(472)
where $\sigma_i^{*(k)}$ are the failure stresses of the k th layer from the roots of	
where σ .* are the failure stresses of the K layer from the	
$\mathbf{F_{i}}^{(k)}\sigma_{i}^{*}(k) + \mathbf{F_{ij}}^{(k)}\sigma_{i}^{*}(k)\sigma_{j}^{*}(k) = 1$	(473)
(h) (h)	· ·
and F (k) are the failure tensors for the direction of the k th layer	
determined by transformation as described in Section III. 4. Repeating this for all the layers in the laminate, the potential failure layer can	be
seen graphically in representation such as in Figure 91.	
In Figure 91a, the layer $\theta^{(2)}$ is closest to failure and layer $\theta^{(4)}$ has the greate	st
margin of safety. Further loading would lead to first-ply failure in $\theta^{(2)}$.	
Note that margins of safety are in general not equal for all laminates. The lay	er ·
thickness and/or orientation may be varied to achieve a uniform failure conditi	
as shown in Figure 91b which is the optimal design. The methods for varying	* -
these parameters are sizing and mathematical optimization.	·
The procedure of determining the strength of a laminate configuration, i.e., θ	(k)
h(k), undergoing applied loads N ₁ , N ₂ , and N ₆ is following:	
(i) Compute $Q_{ij}^{(k)}$, $F_{ij}^{(k)}$, and $F_{i}^{(k)}$	
(ii) Compute $A_{ij} = \sum_{ij} \Omega_{ij}^{(k)} h^{(k)}$	
(iii) Compute A _{ij}	
(iv, Compute $e_i^0 \equiv A_{ij}^{-1} N_j$	

```
(v) Compute \sigma_i^{(k)} = Q_{ij}^{(k)} \epsilon_j^{o}
(vi) Compute \mathcal{J}^{(k)} = \mathbb{R} (from Eq. (465a))

(vii) Compute \mathcal{J}^{(k)} = \mathbb{R}^* (from Eq. (469))

(viii) Comparing \mathcal{J}^{(k)} to \mathcal{J}^{(k)} to determine whether failure has occurred at the \theta^{(k)} layer
   Example
Given [45/-45/0/0]_s; h^{(\circ)} + h^{(45)} + h^{(-45)} = 0.200 inch
```

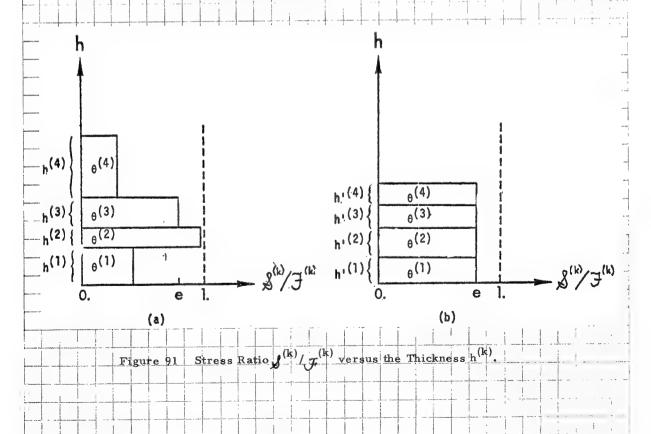
b.	Behavior After First Ply Failure
	Failure! of a ply (any mode) in a laminate "degrades" the laminate but may not produce
	ultimate failure. Several schemes have been proposed to account for this degradation
	including
American de la constante de la	(a) Total ply discount - assign zero stiffness and strength to the failed ply, all modes.
	(b) Mode limited discount - assign zero stiffness and strength to transverse and shear
.1	modes if ply failure is in the matrix phase; if fiber phase, discount all modes as (a)
	above.
	(c) Assign residual properties.
	(1) Example
	(1) Example Consider a laminate [90, 0 ₂ , +45, -45] subject to N ₁ = [3380, 1320, 0] lbs/in. with $Q_{ij} = \begin{bmatrix} 20 & 0.3 & 0 \\ 0.3 & 1 & 0 \\ \end{bmatrix}$ and $t = 0.005$ in. all layers.
	with $Q_{ij} = \begin{bmatrix} 20 & 0.3 & 0 \end{bmatrix}$ and $t = 0.005$ in. all layers.
1	0.3 1 0 x 10 psi
	Assume a membrane state of stress exists such that
	$\{ \{ \{ \{ \{ \} \}_{x,y} \} \} = \{ \{ \{ \} \}_{x,y} \} = \{ \{ \{ \} \}_{x,y} \} $ all layers
	Use a maximum strain failure criterion with
	$(E_{\bullet} = 0.010, -0.010)$
	$E_{s} = 0.005, -0.007$
	E ₂ = 0.015, -0.015
	LAYER e1 e2 e12 M.S.(1) M.S.(2) M.S.(1-2)
	0.006 0.002 0.67 1.5
	90 0.002 0.006 0 4.0 0.17
	0.004 0.004 1.5 0.25 2.75
	-45 0.004 0.004 1.5 0.25 2.75
	A transverse tension failure is predicted in the 90° ply.
	Following degradation scheme (b)
	90 90 90 90
	$Q_{22} = Q_{12} = Q_{66} = 0 : e_2 = e_6 = 0$
	Recalculate [A] and (e) k 1,2' evaluate M.S.
	▕ ▗ ▕▗▕▗▕▗▎▄ ▄ ▊ ▄ ▋ [▘]
	Problems Confirm and complete the above analysis
	Repeat using the first scheme
	Notes
	1. Bending
	(e) A B (N)



7. SIZING FOR STRENGTH

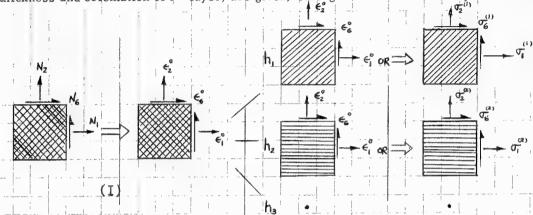
In Section 6, we outlined the procedure for checking the strengths when the lamination configuration is given. In this section, we discuss the methods for determining the lamination configuration. The lamination configuration consists of the orientation and thickness of each lamina.

Using $\frac{1}{2}$ to represent the failure condition of the $\frac{1}{2}$ th layer lamina, i.e., $\frac{1}{2}$ is the state of imminent failure, whereas $\frac{1}{2}$ is a no-failure condition. When the lamination configuration is not optimized, as in Figure 91a, each layer would be at different degree from failure. For example layer $\theta^{(2)}$ is close to failure and $\theta^{(4)}$ has the greater margin of safety. It can be seen that the orientation of the individual layers or their thickness or both can be varied such that they will have the same factor of safety. This is illustrated in Figure 91b and is the optimum configuration. This optimum configuration cannot be obtained explicitly for the reasons to be explored; it can, however, be determined by formal optimization and nonlinear programing. We present several direct sizing methods for estimating the optimal configurations.



a. Computation for Laminate Strength

In applications where loading configuration N_i and lamination configuration h_i , θ_i (thickness and orientation of ith layer) are given, strength can be estimated by:



I-1 Obtain laminate average strain by:

$$Q_{ij} = Q_{ij}^{(k)} (Q_{ij}^{\circ}, \theta_{k}) \qquad (474) \qquad (II) \qquad \qquad \text{or} \quad (III)$$

$$A_{ij} = A_{ij}(Q_{ij}^{(k)}, h^{(k)})$$

$$A_{ij} = A_{ij}^{*}(A_{ij}^{(k)})$$

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$$A_{ij} = A_{ij}^{*}(A_{ij}^{(k)})$$

$$A_{i$$

$$e_{i}^{O} = A_{i,j}^{*} N_{j} \qquad (477) \qquad g^{(k)}(e_{i}^{O}) < 1 \qquad f(\sigma_{i}^{k}) < 1$$

In order to compute A_{ij}^* ; $h^{(k)}$, $\theta^{(k)}$ must be known

However, in design where only load carrying capacity N_i is given, $A_{ij}^* = A_{ij}^{(k)}(h^{(k)}, \theta^{(k)})$, $Q_{ij}^{(6)}$) is generally not explicit, the determination of thickness requires either

Sizing: Strength at Minimum Weight (no pre existing flaws)

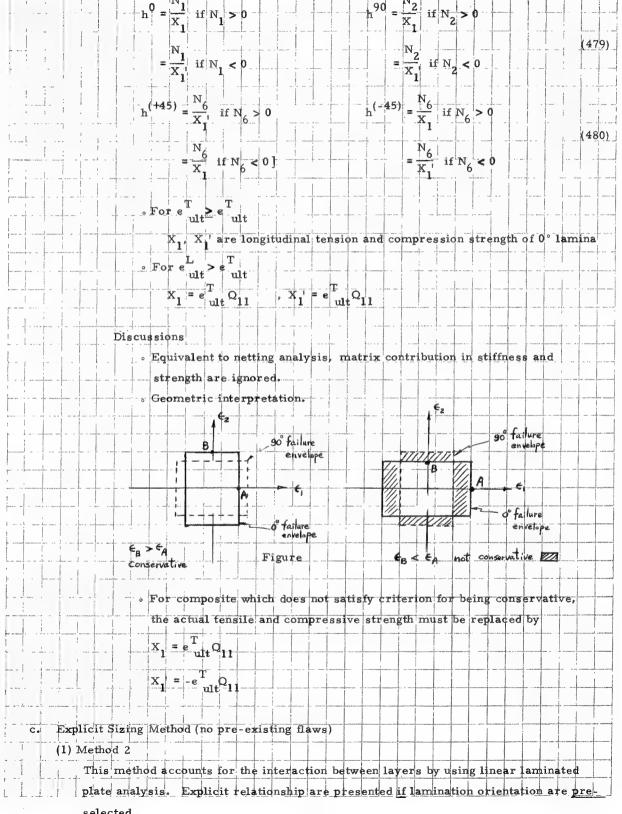
Given a generalized loading configuration, determine directly the composite lamination configuration for minimum weight.

Definition of Problem

Given: N₁, N₂, N₆, find h(k) and θ (k) (thickness and orientation of k layer)

(1) Method 1: Assume total decoupling of layers and fiber direction carry the

Limitation for E fiber >> E matrix (example, fiber	r reinforced elastomer).
Method 1A: Use 0° and 90° layers exclusively.	
	minuted agreement
Applicability useful for complex but homoge	neous state of stress
N ₂	
\overline{N}_2	N N2
N _c	
N O	(a) Eq. 478
	h Eq. 478
Principal Direction	
Figure 92 Method 1A.	
7	N
$h^{(0)} = \frac{N_1}{X_1} \text{ if } \overline{N}_1 > 0$ $h^{(9)}$	$= \frac{N_2}{X_1} \text{ if } \overline{N}_2 > 0$
The state of the s	(478)
$=\frac{\overline{N}_1}{X_2} \text{ if } \overline{N}_1 < 0$	$=\frac{\overline{N}_2}{X_1}, \text{ if } \overline{N}_2 < 0$
$= \frac{1}{X_1} \text{ if } N_1 < 0$	= X ₁ , 11 N ₂ < 0
For entry	
X ₁ , X ₁ are longitudinal tension and compr	ession strength of 0° lamina
Fore	
ult ult	
$\begin{array}{c c} & \text{For } e & \text{ult} \\ & \text{ult} \\ & \text{X}_1 = e & \text{ult} \\ & \text{U}_{11} \\ & \text{X}_1 = -e & \text{ult} \\ & \text{ult} \\ & \text{U}_{11} \end{array}$	
Method 1B: Same assumptions and limitations as	s method 1A.
use 0°, 90°, ± 45 layers	
Applicability useful for complex and nonhomoge	neous state of stress.
N ₂	N ₂
	- N ₆
N ₆	
Eq. 479	
(90)	Eq. 479 (±45) Eq. 480
Figure 93 Method 1B.	
1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	
199	



Def	inition of Problem:	resultant, failure strain o	f lamina lamina
		tations)	
	Find: h(k) (thickness of th		
		lassical laminated plate the	ory, we have
	Jeneral Approach		
And the second s			
	$A = \sum_{k=1}^{n} Q^{(k)} h^{(k)}$	n total number of layer	(481)
	1) k=1 ''	Q stiffness of k lay	er
		hk thickness of kth laye	(482)
	$N_{i} = A_{ij} e_{ij}$		
	To solve for k(k)	, Eqs. (481-482) are comb	ined as a
	[N] = [E] [Q] [H]	, Eqs. (+01-40E) are comb	
	where	and a second of the second of	1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1. 1
	N		
	[N] = N ₂	Stress to be carried	(483)
100 mm 10	N ₆	A SAME AND A STATE OF THE SAME	NAME OF THE PARTY
AND OF THE RESERVE TO			
	e ₁ e ₂ v		Failure strain
	[E] = 0 e * e	2* 0	(using max. (484)
		e * 0 0 0 2 2 0 e * 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0 0	strain criterion)
		(2)	
	$\begin{array}{c c} Q_{11} & Q_{1} \end{array}$	(2) Q ₁₁	
		(2) (n)	
	$Q_{12}^{(1)}$ Q_{1}	(2) (h) 12	
		(2) Q (n) 2 22	
	[Q] = 22	2 22	6 x n (matrix) (485)
		(2)	
	The state of the s		Stiffness of k layer obtain
	Q ₂₆ Q ₂	(2) 26 (n)	from Table 20.
	Q ₆₆ Q ₆	(2) (n) (66	1
	Stiffness of 2r	th the layer	ins arrangehina terminakan menang kanang kanang kanang kanang kanang kanang kanang kanang kanang kanang kanang
	1st layer	201	

$$[H] = \begin{bmatrix} h^{(1)} \\ h^{(2)} \\ h^{(3)} \\ \vdots \\ h^{(k)} \end{bmatrix} \quad \text{n x 1 matrix} \qquad \text{Thickness of each layer}$$

$$\begin{bmatrix} h^{(1)} \\ h^{(3)} \\ \vdots \\ h^{(n)} \end{bmatrix}$$

To solve for [H], let [K] = [E] [Q], combining
then [H] =
$$[K]^T [K]^{-1} [K]^T [N]$$
 (487)

- Eq (487) can be used to determine the necessary thickness for any preselected balanced lamination geometries.
- Explicit solution possible only when non-interactive failure criteria are employed i.e., in Eq. 484 | e = e *
- Simplication of Eq. 487 is possible for certain laminate configurations given in
- (2) Method 3: Use 0° and 90° layers only for Eq. (487)

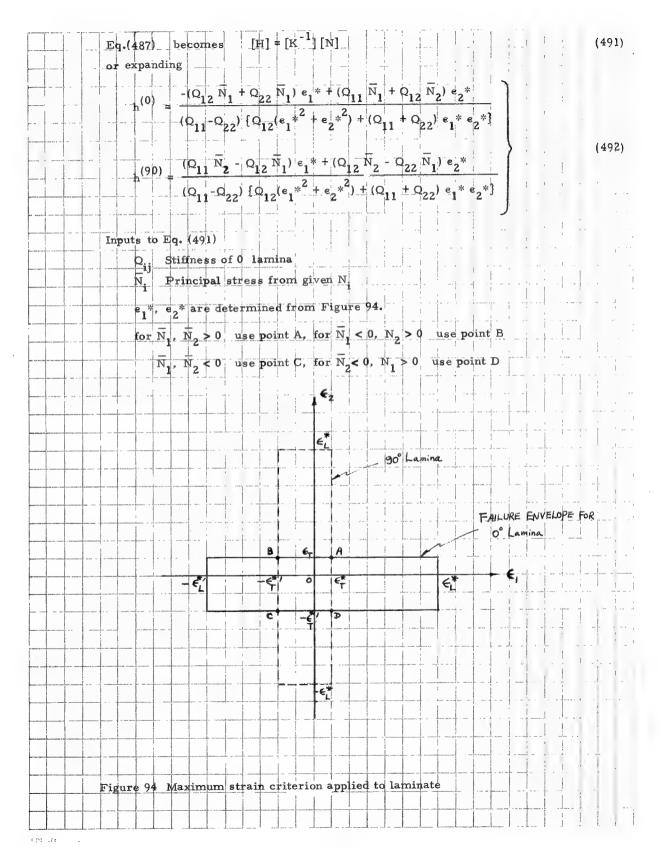
Applicability: Homogeneous state of stress, 0° and 90° referred to principal direction Compute principal stress \bar{N}_1 and \bar{N}_2 from given N_1 .

Eq. (483) becomes
$$-[N] = \begin{bmatrix} \vec{N}_1 \\ \vec{N}_2 \end{bmatrix}$$
 (488)

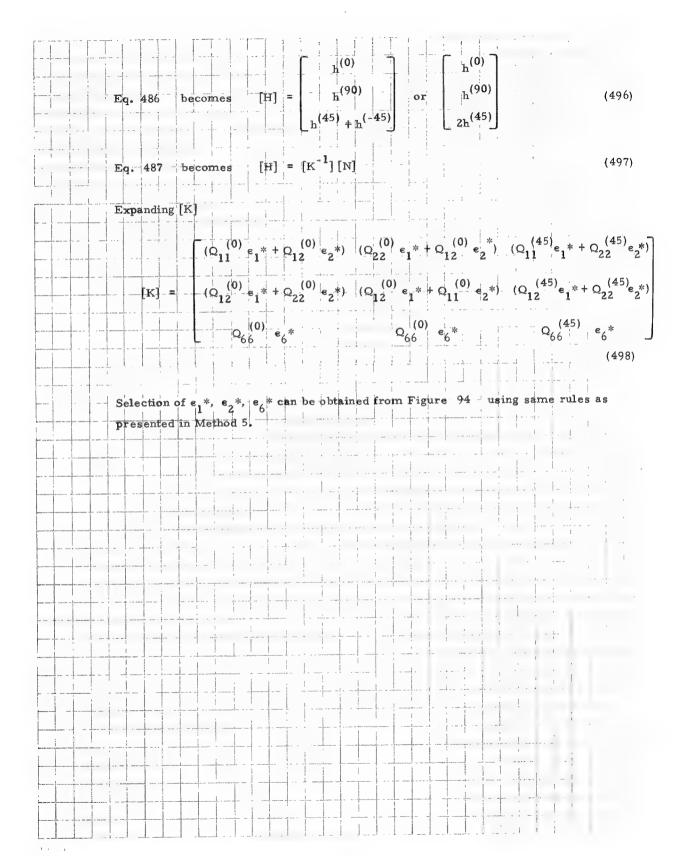
Eq. (484) becomes
$$\begin{bmatrix} E \end{bmatrix} = \begin{bmatrix} e_1^* & e_2^* & 0 \\ 0 & e_1^* & e_2^* \end{bmatrix}$$
 (488)

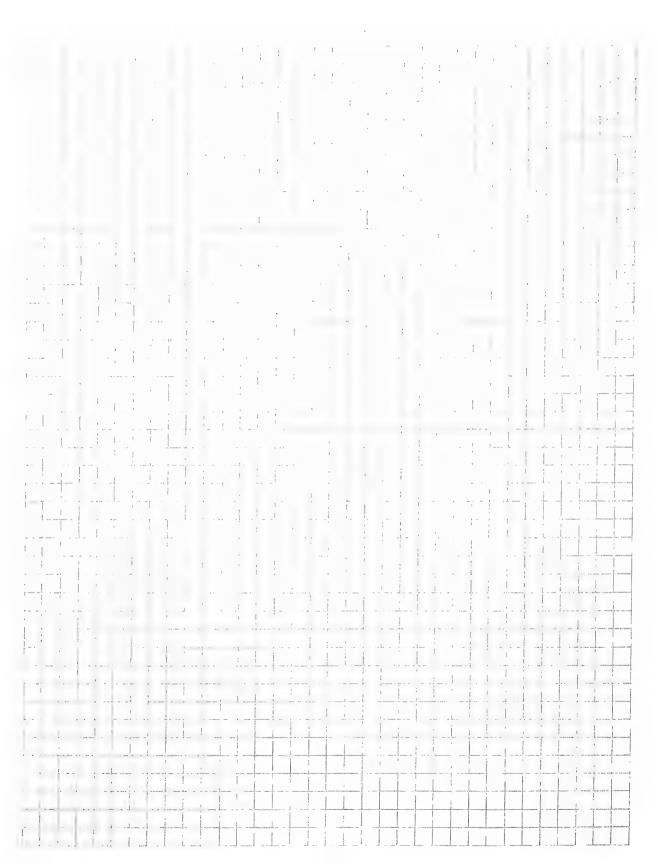
Eq. (485) becomes
$$[Q] = \begin{bmatrix} Q_{11} & Q_{22} \\ Q_{12} & Q_{12} \end{bmatrix}$$
 (489)

Eq. (486) becomes $[H] = \begin{bmatrix} h^{(0)} \\ h^{(0)} \end{bmatrix}$ (490)



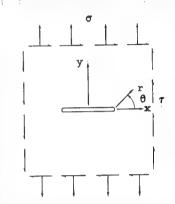
Example Scotch-ply 10	02 Fiberglass-Epoxy	1
$Q_{11} = 0.500 \times 10^4$		
$Q_{12} = 0.823 \times 10^2$	ksi	
$Q_{22} = 0.167 \times 10^4$		
22		n t
For $N_i = 1000 \text{ lb/in}$	N ₂ = 500 lb/in	, I
$e_{T}^{*} = 1.8 \times 10^{-3}$	$\mathbf{e_{\perp}}^{2} * = 31 \times 10^{-3}$	and the second s
T - 13 - 10 - 3	$e_L * = 20.2 \times 10^{-3}$	e m q t we e
$-e_{T}^{*} = 12 \times 10^{-3}$	EL - 20, 2 x 10	
		\$ - American
Method 3	Method 4	
Eq.	Eq. $e * = 1.8 \times 10$	
	$e_2^* = 1.8 \times 10^{-3}$	
h ⁽⁰⁾ 0,111	0.10	
h ⁽⁹⁰⁾ 0.056	0.020	
Fotal	0.120	
(3) Method 5: Use $0/90$ and ± 4	to in pairs.	
(3) Method 5: Use 0/90 and ±		
Applicability: For nonhor	mogeneous state of stress where a single principal	
Applicability: For nonhor		
Applicability: For nonhor	mogeneous state of stress where a single principal loes not exist	
Applicability: For nonhor	mogeneous state of stress where a single principal	
Applicability: For nonhood direction d	mogeneous state of stress where a single principal loes not exist	(493)
Applicability: For nonhood direction d	mogeneous state of stress where a single principal loes not exist [N] N] = N 2	(493)
Applicability: For nonhood direction d	mogeneous state of stress where a single principal loes not exist	(493)
Applicability: For nonhood direction d	mogeneous state of stress where a single principal loes not exist [N] N] = N 2	(493)
Applicability: For nonhood direction d	mogeneous state of stress where a single principal loes not exist [N ₁] N] = N ₂ N ₆	(493)
Applicability: For nonhood direction d	mogeneous state of stress where a single principal loes not exist [N] N] = N 2	(493)
Applicability: For nonhor direction d	mogeneous state of stress where a single principal loes not exist $ \begin{bmatrix} N_1 \\ N_2 \\ N_6 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \end{bmatrix} $	(494)
Applicability: For nonhor direction d	mogeneous state of stress where a single principal loes not exist $ \begin{bmatrix} N_1 \\ N] = N_2 \\ N_6 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \\ & & & & & & & & & & & & & & & & & & &$	
Applicability: For nonhor direction d	mogeneous state of stress where a single principal loes not exist $ \begin{bmatrix} N_1 \\ N_2 \\ N_6 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \end{bmatrix} $	
Applicability: For nonhor direction d	mogeneous state of stress where a single principal loes not exist $ \begin{bmatrix} N_1 \\ N_2 \\ N_6 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \\ 0 & e_1 * & e_2 * & 0 \\ 0 & 0 & 0 & e_6 * \end{bmatrix} $ $ E] = \begin{bmatrix} 0 & e_1 * & e_2 * & 0 \\ 0 & 0 & 0 & e_6 * \end{bmatrix} $	
Applicability: For nonhor direction d	mogeneous state of stress where a single principal loes not exist $ \begin{bmatrix} N_1 \\ N_2 \\ N_6 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \\ 0 & 0 & e_1 * & e_2 * & 0 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \\ 0 & 0 & 0 & e_6 * \end{bmatrix} $ $ \begin{bmatrix} Q_{11}(6) & Q_{22}(0) & Q_{11}(45) \\ Q_{22}(0) & Q_{11}(45) \end{bmatrix} $	
Eq. (484) becomes	mogeneous state of stress where a single principal loes not exist $ \begin{bmatrix} N_1 \\ N_2 \\ N_6 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \\ N_1 & e_2 * & 0 & 0 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \\ 0 & 0 & 0 & e_6 * \end{bmatrix} $ $ \begin{bmatrix} Q_{11} & Q_{22} & Q_{11} & 45 \\ Q_{12} & Q_{12} & Q_{12} & 45 \end{bmatrix} $	
Eq. (484) becomes	mogeneous state of stress where a single principal loes not exist	(494)
Eq. (484) becomes	mogeneous state of stress where a single principal loes not exist $ \begin{bmatrix} N_1 \\ N_2 \\ N_6 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \\ 0 & 0 & e_1 * & e_2 * & 0 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \\ 0 & 0 & 0 & e_6 * \end{bmatrix} $ $ \begin{bmatrix} Q_{11} & Q_{22} & Q_{11} & 45 \\ Q_{12} & Q_{23} & Q_{11} & 22 \end{bmatrix} $ $ \begin{bmatrix} Q_{11} & Q_{22} & Q_{11} & 45 \\ Q_{12} & Q_{23} & Q_{11} & Q_{23} & 45 \end{bmatrix} $ $ \begin{bmatrix} Q_{11} & Q_{22} & Q_{11} & Q_{23} & Q_{14} & Q_{23} & Q_{24} & 45 \end{bmatrix} $ $ \begin{bmatrix} Q_{12} & Q_{12} & Q_{11} & Q_{22} & Q_{14} & Q_{23} & Q_{24} & 45 \end{bmatrix} $	(494)
Eq. (484) becomes	mogeneous state of stress where a single principal loes not exist $ \begin{bmatrix} N_1 \\ N_2 \\ N_6 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \\ 0 & 0 & e_1 * & e_2 * & 0 \end{bmatrix} $ $ \begin{bmatrix} e_1 * & e_2 * & 0 & 0 \\ 0 & 0 & 0 & e_6 * \end{bmatrix} $ $ \begin{bmatrix} Q_{11} & Q_{22} & Q_{11} & 45 \\ Q_{12} & Q_{23} & Q_{11} & 22 \end{bmatrix} $ $ \begin{bmatrix} Q_{11} & Q_{22} & Q_{11} & 45 \\ Q_{12} & Q_{23} & Q_{11} & Q_{23} & 45 \end{bmatrix} $ $ \begin{bmatrix} Q_{11} & Q_{22} & Q_{11} & Q_{23} & Q_{14} & Q_{23} & Q_{24} & 45 \end{bmatrix} $ $ \begin{bmatrix} Q_{12} & Q_{12} & Q_{11} & Q_{22} & Q_{14} & Q_{23} & Q_{24} & 45 \end{bmatrix} $	(494)
Eq. (484) becomes	mogeneous state of stress where a single principal loes not exist	(494)





ELASTIC STRESS ANALYSIS

$$K_{I} = \sigma \sqrt{\pi a} , \qquad (499)$$



b. Crack Tip Stresses

$$\left(\begin{array}{c|c} \mu_2 & -\frac{\mu_1}{\sqrt{\psi_2}} \end{array}\right)$$

$$\operatorname{Re} \left[\frac{1}{\mu_1 - \mu_2} \left(\frac{\mu_2^2}{\sqrt{\psi_2}} \right) \right]$$

 $=\frac{\mathbf{K}_{\mathbf{I}}}{\sqrt{2\pi\mathbf{r}}} \operatorname{Re} \left[\frac{1}{\mu_{1} - \mu_{2}} \left(\frac{\mu_{1}}{\sqrt{\psi_{2}}} - \frac{\mu_{2}}{\sqrt{\psi_{1}}} \right) \right] + \frac{\mathbf{K}_{\mathbf{II}}}{\sqrt{2\pi\mathbf{r}}} \operatorname{Re} \left[\frac{1}{\mu_{1} - \mu_{2}} \left(\frac{1}{\sqrt{\psi_{2}}} \right) \right]$

$$\begin{array}{c|c} x_{1} & Re \left[\begin{array}{c} \mu_{1}\mu_{2} \\ \mu_{1}-\mu_{2} \end{array} \left(\begin{array}{c} 1 \\ \hline \end{array} - \begin{array}{c} 1 \\ \hline \end{array}\right) \right] + \begin{array}{c} K_{II} \\ \hline \end{array} Re \left[\begin{array}{c} 1 \\ \mu_{1}\eta_{2} \end{array} \left(\begin{array}{c} \mu_{1} \\ \hline \end{array} - \begin{array}{c} \mu_{2} \\ \hline \end{array}\right) \right] (503)$$

μ, and μ, are the roots of the characteristic equation

$$S_{1}\mu^{4} - 2S_{16}\mu^{3} + (2S_{12} + S_{66})\mu^{2} - 2S_{26}\mu + S_{22} = 0.$$

c. Displacements Along
$$y = 0^+$$
, $|x| \le a$

$$u/a = \sigma \operatorname{Re} \left\{ \left[S_{11} \mu_1 \mu_2 - S_{12} \right] \phi \right\} + r \operatorname{Re} \left\{ \left[S_{11} (\mu_1 + \mu_2) - S_{16} \right] \phi \right\}$$

$$v/a = \sigma \operatorname{Re} \left\{ \left[-S_{22} \frac{\mu_1 + \mu_2}{\mu_1 \mu_2} + S_{26} \right] \phi \right\} + r \operatorname{Re} \left\{ \left[S_{12} - \frac{S_{22}}{\mu_1 \mu_2} \right] \phi \right\}$$

$$\phi = \frac{1}{a} \left[x - i \left(a^2 - x^2 \right)^{1/2} \right]$$

d. Energy Release Rate

$$G = \frac{1}{2} \frac{d}{da} \left(\sigma \cdot \int_{a}^{a} v dx + r \int_{a}^{a} u dx \right)$$

$$= \frac{1}{2} \left\{ K_{I}^{2} \operatorname{Im} \left[-S_{22} \frac{\mu_{1} + \mu_{2}}{\mu_{1} \mu_{2}} + S_{26} \right] + K_{I}K_{II} \operatorname{Im} \left[S_{11} \mu_{1} \mu_{2} - \frac{S_{22}}{\mu_{1} \mu_{2}} \right] \right\}$$

$$+ K_{II}^{2} Im \left[S_{11}(\mu_{1} + \mu_{2}) - S_{16} \right]$$

(511)

(512)

e. Reductions for Orthotropic Materials

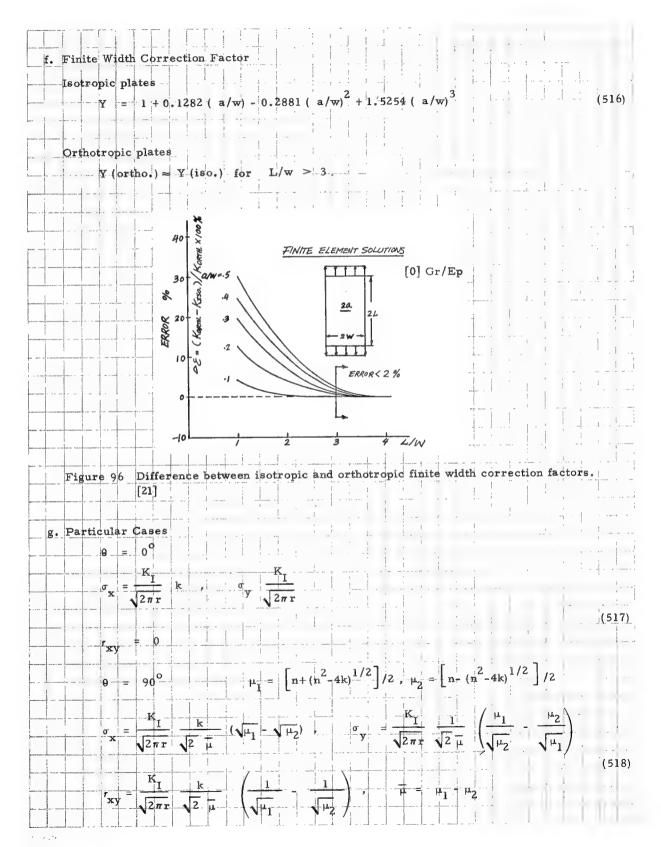
$$\mu_1 = \frac{1}{2} \left[n + (n^2 - 4k)^{1/2} \right] i$$
, $\mu_2 = \frac{1}{2} \left[n - (n^2 - 4k)^{1/2} \right] i$

$$\mathbf{n} = \left[2 \left(\sqrt{\frac{s_{22}}{s_{11}}} + \frac{s_{12}}{s_{11}} \right) + \frac{s_{66}}{s_{11}} \right]^{1/2} , \quad \mathbf{k} = \left(\frac{s_{22}}{s_{11}} \right)^{1/2}$$

$$u = -\sigma (S_{11}k + S_{12})x + rS_{11}n(a^2 - x^2)^{1/2}$$
(513)

$$v = \sigma S_{22} (n/k) (a^2 - x^2)^{1/2} + r(S_{12} + S_{22}/k) x$$
 (514)

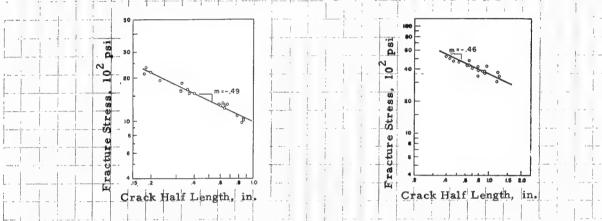
$$G = n \left[(S_{22}/k)K_I^2 + S_{11}K_{II}^2 \right]$$
 (515)



2. FRACTURE TOUGHNESS OF UNIDIRECTIONAL LAMINAE

- a. Crack Parallel to Fibers
 - (1) Mode I and II Loadings

$$\sigma \sqrt{\pi \alpha} = K_{IC}$$
, $\tau \sqrt{\pi \alpha} = K_{IIC}$ (519)



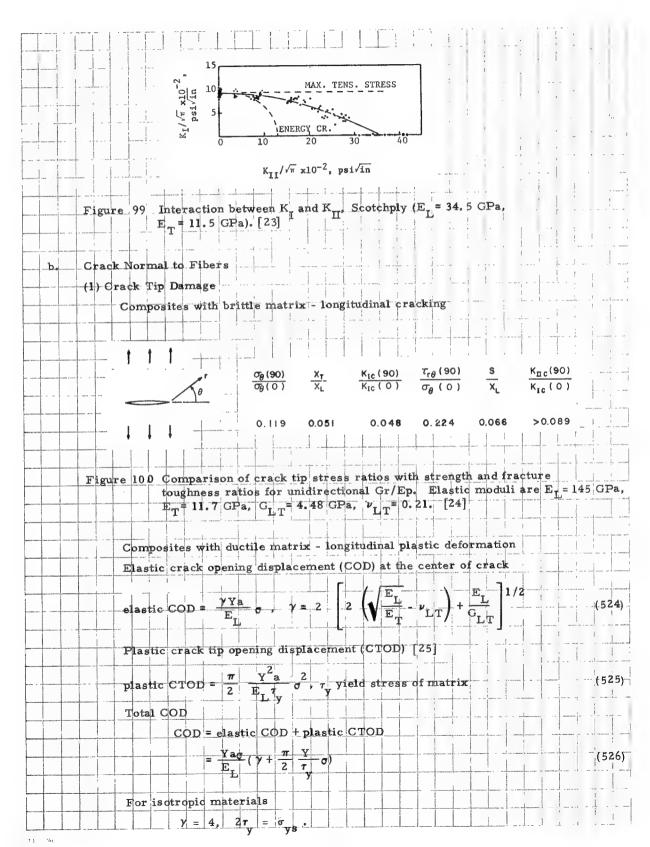
-	Figure 97	Mode	I loading,	Scotchply.	Figure 98	Mode II loading,	Scotchply.
A. Company		[22]		A S A A	dependent of	[22]	distance in the second

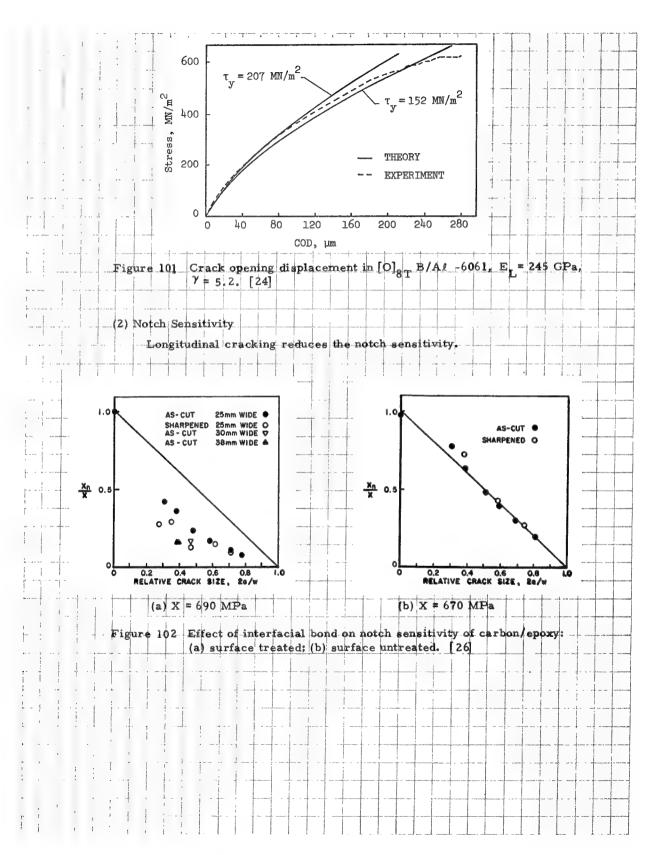
(2) Mixed-Mode Loading

Energy criterion

$$\begin{array}{c|c}
 & \text{G}_{c} = n[(S_{22}/k) K_{I}^{2} + S_{11} K_{II}^{2}] \\
 & \text{K}_{IIc} = (S_{22}/k) 4
\end{array}$$
(520)

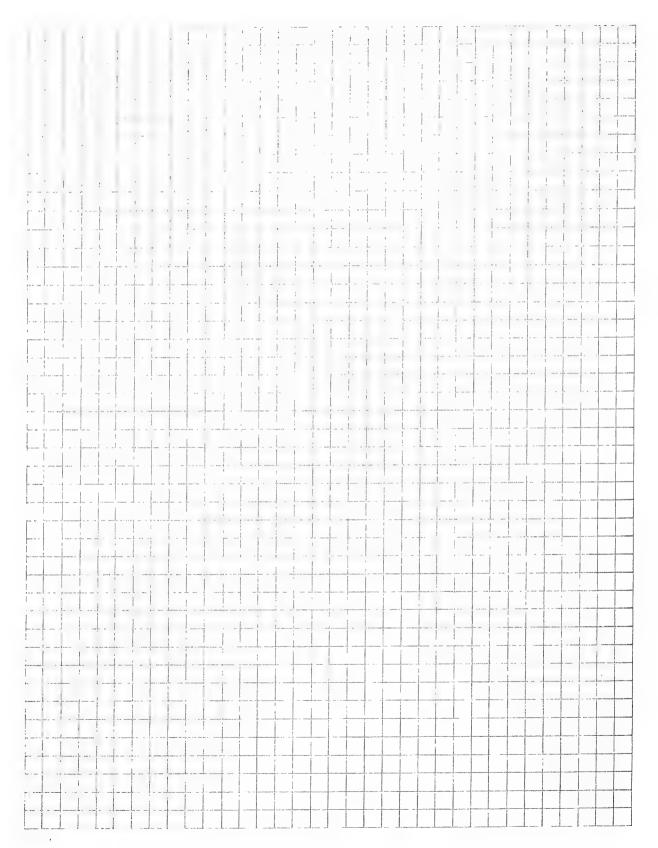
Circumferential stress criterion





Lor	gitudinal plastic deformation is much less effective in reducing the notch sensitivit	У
tha	is the longitudinal cracking.	anno, a
For	B/A! the notched strength is given by	1
	1/2-	- decorate
	$\frac{X}{n} = \frac{1}{Y} \begin{pmatrix} c \\ -c \\ a+c \end{pmatrix}^{1/2}, c_{o} = 0.908 \text{ mm}.$	(5
	X = Y \a+c / , c = 0.908 mm.	
		# #
		1
(3)	Work of Fracture	
	W = work accompanying fracture / unit crack extension	l.
	Matrix fracture	
	$W_1 = W_m(1 - V_f)$ (52.8)	
_		
	Fiber fracture	
	$W_2 = W_f v_f$ (529)	.
		· · · · i
_	Fiber / matrix debond	
		1
_	$W_3 = 2W_{d}(1/d_{f})\sqrt{f}$ (530)	
	3 4 1 1 1 1 1 1 1 1 1	
M son William March 12 Ad	W ₃ = 2W _d (L/d _f) v _f (530) Figure 103 Typical fracture mode in work after debond [27]	100 A 100 A
	Work after debond [27] Figure 103 Typical fracture mode in unidirectional composite	. (!
	3 d I' i Figure 103 Typical fracture mode in	
	Work after debond [27] Was after debond [27] Was $\frac{4}{3} \left(\frac{2}{5} \right) \left(\frac{L}{d_f} \right)^2 Lv_f$, so bond strength or friction	
	Work after debond [27] Was after debond [27] Was $\frac{4}{3} \left(\frac{2}{5} \right) \left(\frac{L}{d_f} \right)^2 Lv_f$, so bond strength or friction	
	Work after debond [27] Wa = $\frac{4}{3} \left(\frac{2}{5} / E_f \right) \left(L / d_f \right)^2 L v_f$, for bond strength or friction or $W_4 = \frac{1}{4} \left(\frac{2}{5} / E_f \right) L v_f$ Fiber pull-out [28]	
	Work after debond [27] Wa = $\frac{4}{3} \left(\frac{2}{5} / E_f \right) \left(L / d_f \right)^2 L v_f$, for bond strength or friction or $W_4 = \frac{1}{4} \left(\frac{2}{5} / E_f \right) L v_f$ Fiber pull-out [28]	
	Work after debond [27] $ W_4 = \frac{4}{3} \left(\frac{2}{f} / E_f \right) \left(L / d_f \right)^2 L v_f , f_V : \text{ bond strength or friction} $ or $ W_4 = \frac{1}{4} \left(\frac{2}{f} / E_f \right) L v_f $	
	$W_{ork} = \frac{1}{3} \left(\frac{z}{f} \right) \left(\frac{z}{f}$	
	Work after debond [27] Work after debond [27] W ₄ = $\frac{4}{3} \left(\frac{x}{y} / E_f \right) \left(L / d_f \right)^2 L v_f$, so bond strength or friction or W ₄ = $\frac{1}{4} \left(\frac{\sigma^2}{f} / E_f \right) L v_f$ Fiber pull-out [28] W ₅ = $\frac{2}{3} \frac{f}{y} d \left(L / d_f \right)^2 v_f$ Plastic work in matrix	
	Work after debond [27] Work after debond [27] W ₄ = $\frac{4}{3} ({}_{5}^{2}/E_{f}) (L/d_{f})^{2} Lv_{f}$, so bond strength or friction or W ₄ = $\frac{1}{4} ({}_{5}^{2}/E_{f}) Lv_{f}$ Fiber pull-out [28] W ₅ = $\frac{2}{3} r d (L/d_{f})^{2} v_{f}$ Plastic work in matrix	
	Work after debond [27] Work after debond [27] W ₄ = $\frac{4}{3} \left(\frac{r}{r} / E_f \right) (L/d_f)^2 Lv_f$, so bond strength or friction or $W_4 = \frac{1}{4} \left(\frac{\sigma^2}{r} / E_f \right) Lv_f$ Fiber pull-out [28] $W_5 = \frac{2}{3} \frac{r}{r} \frac{d}{r} (L/d_f)^2 v_f$ Plastic work in matrix	
	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	
	Work after debond [27] Way = \frac{4}{3} \left(\frac{1}{3} \right) \left(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right) \right(\Lorentz{1}{3} \right) \right) \right(\Lorentz{1}{3} \right) \right) \right\righ	
	$\begin{array}{cccccccccccccccccccccccccccccccccccc$	
	Work after debond [27] Way = \frac{4}{3} \left(\frac{1}{3} \right) \left(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right(\Lorentz{1}{3} \right) \right) \right(\Lorentz{1}{3} \right) \right) \right(\Lorentz{1}{3} \right) \right) \right\righ	

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3. FRACTURE TOUGHNESS OF MULTIDIRECTIONAL LAMINATES

- a. Crack Tip Damage
 - (1) Nondestructive Examinations (NDE)

Transmitted light - translucent composites (Gl/Ep)

Radiograph with tetrabromoethane - Gr/Ep, B/Ep

Dye penetrant: regular, fluorescent

Ultrasonic C-scan

Reflected light - smooth surface.

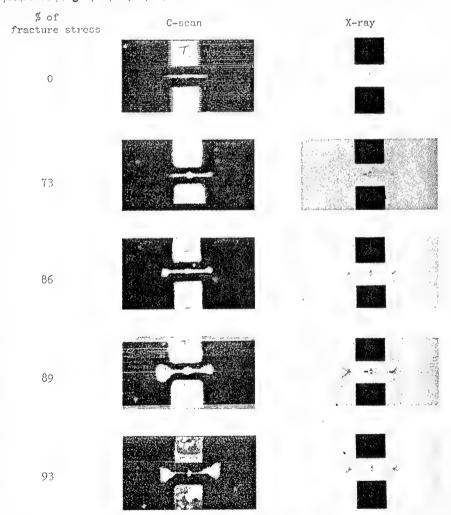
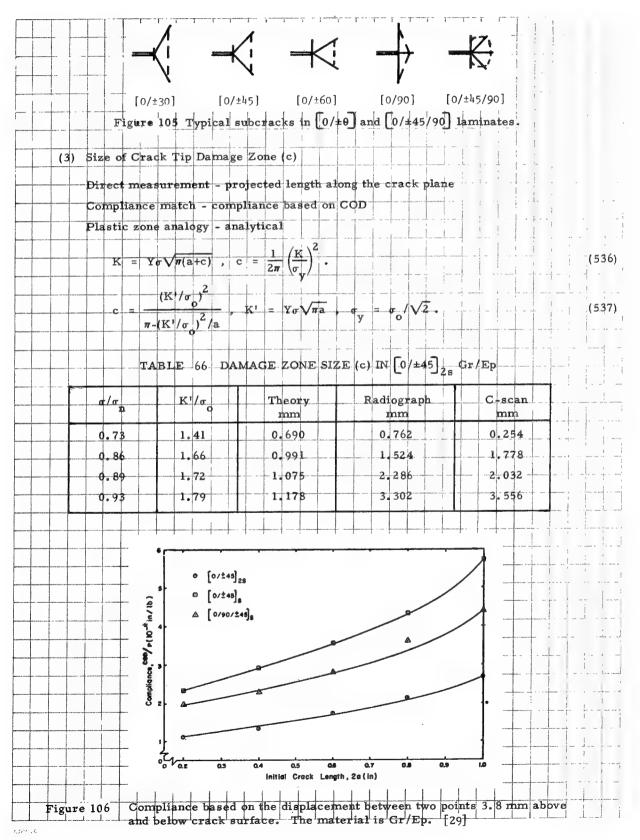
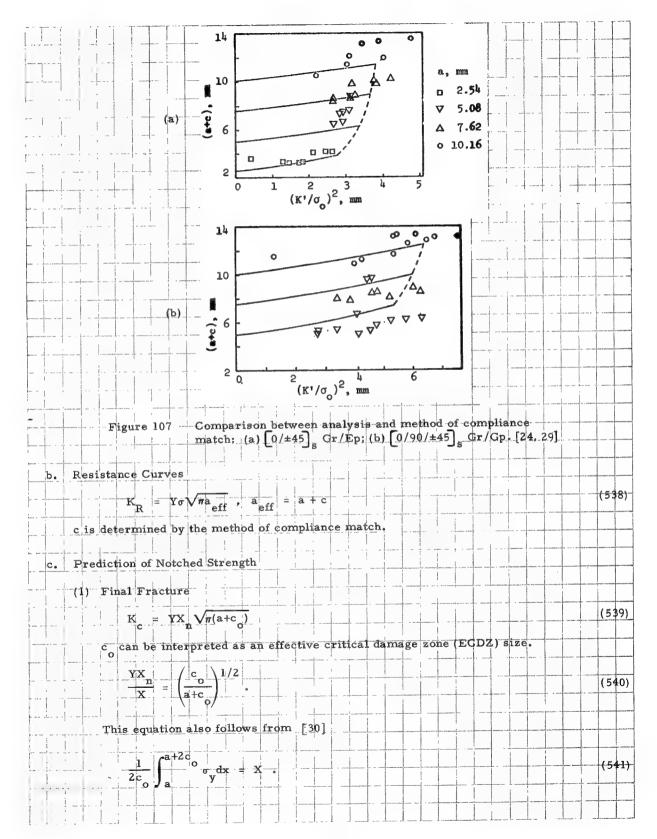
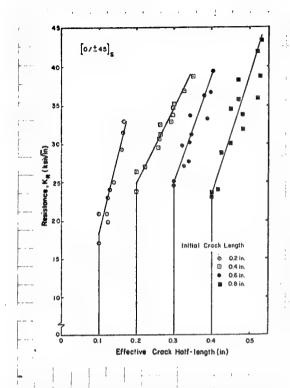


Figure 104 NDE of crack tip damage in $\left[0/\pm45\right]_{2s}$ Gr/Ep.

(2) Typical Crack Tip Damage
Subcracks along fiber directions
Delamination between subcracks







Define $K_n = YX_n \sqrt{\pi a}$. Then

(542)

$$K_{n} = X \left(\frac{\pi a c_{o}}{a + c_{o}} \right)^{1/2}$$

(543)

 $K_n = 0$ when a = 0. $K_n \longrightarrow X\sqrt{\pi c_o} = K_c$ as $a \longrightarrow \infty$.

(2) Damage Initiation

$$K_d = Y \sigma_d \sqrt{\pi a}$$
 , σ_d : stress at damage initiation.

(544)

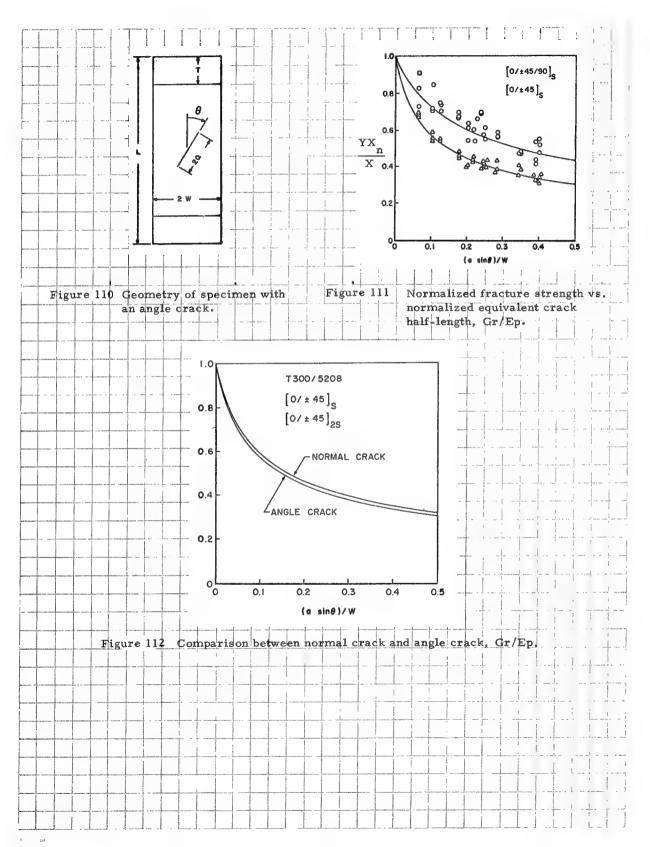
K is seen to be fairly independent of a from the resistance curves.

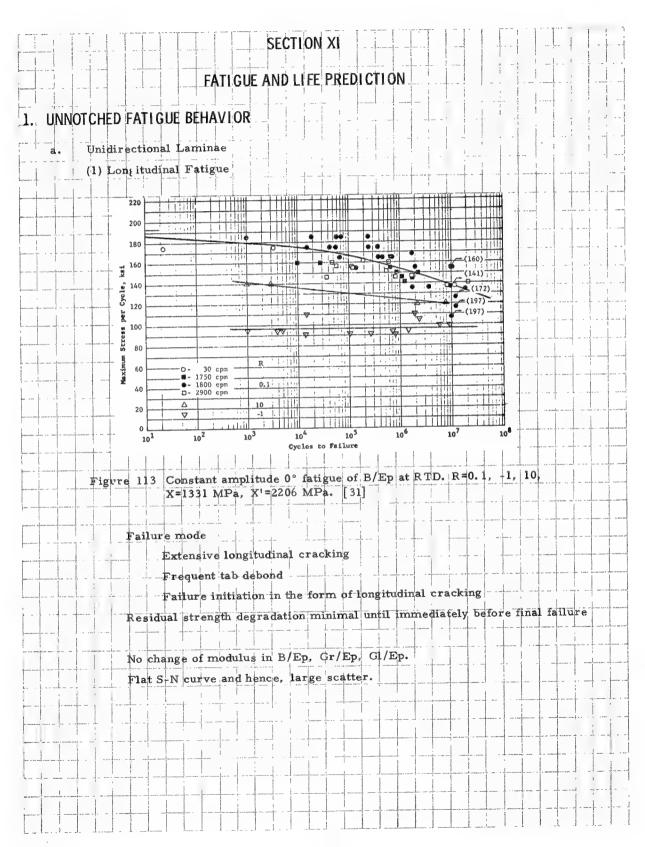
(3) Determination of c

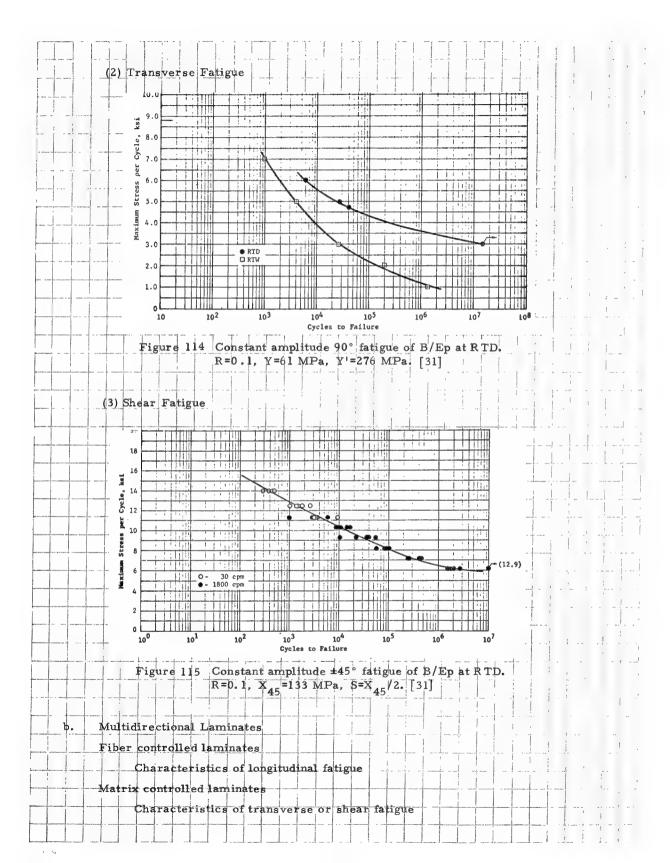
co is the slope of the following linear equation:

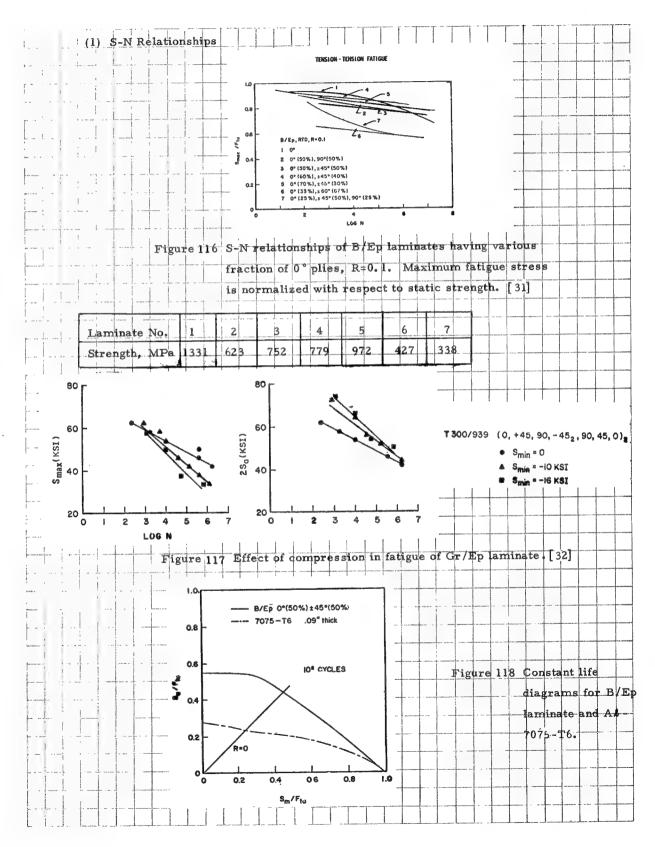
$$a = c_0 \left[\left(\frac{X}{YX_n} \right)^2 - 1 \right]$$
 (545)

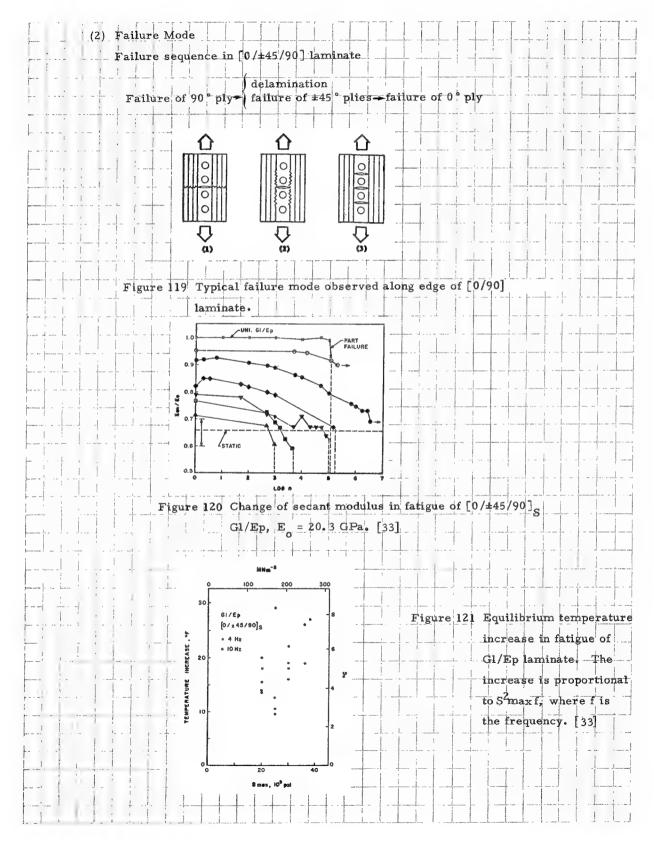
	T	ABLE 67 ECDZ S	SIZE AS DI	ETERMI	NED BY	EQ.	(545) [24]	
	N. 1 . 2 . 7	Taminata	o MN/m ²	c _o	K _c /σ _ó	N	Range of 2a	Service of the servic
a grand and a gran	Material Gr/Ep	Laminate [0/±45] _S	541	mm 1.372	2.076	27	5-25	ATTENDED
	T 300/5208	[0/±45] _{2s} [0/90/±45] _s [0/±45/90] _s	454 494	2.540 4.419	2.825	10	5-25 2-25	And the same of th
	Gr/Ep	[0/90] _{4s} [±45/0/90] _s	637 451	3.175	3.158	12 52	2-25	
by want many live morning	T 300/934	[90/0/±45] _s	499	2.224	3.279. 2.643	53	2-15	- 1
	B/Ep	$ \begin{bmatrix} [0_2/\pm 45]_s \\ [0/+45/0/-45]_s \\ [\pm 45/0_2]_s \\ [0/+45/0/-45]_{3s} \end{bmatrix} $	802	2.859	2.997	13	1-13	
		[0/±45/90] _s [0/±45/90] _{4s} [0/90/±45] _{4s}	418	3.176	3.159	9	1-13	
	G1/Ep Scotchply	[0/±45/90] _{2s} [0/90] _{4s}	320 423	1.930 1.290	2.462 2.013	12 12	2 - 25 2 - 25	
	B/A1 6061-F	[0] _{8T}	2004	0.991	1.764	11	1.3-13	
	BSiC/Ti Ti6-4	[0] _{6T}	837	2.206	2.633	12	1.3-13	
0.20					Marine 1 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2 2	-	species of the second control of the second	
COSS.ALC PE						1 10000	A A A CAMPAN AND A	1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1
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≥ 0.10	0	0 0 0		And the second s			10118111- [27]	
ပ္ခ	0 0	T300 / 5208		W	10 A 10 A 10 A 10 A 10 A 10 A 10 A 10 A	the following state of the stat		
0.05		[0/90/±45] _s				1		
	1							
0	0.2	0.4 a. /W	0.6					
arramatusas majurjana ta par dan matanan								
(4)	Angle Crac	k						
	$\frac{\mathbf{Y}\mathbf{X}_{\mathbf{n}}}{\mathbf{X}} =$	$\begin{pmatrix} c \\ c_0 \\ a\sin\theta + c \end{pmatrix}$		1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1				(546)
		6/		An annual of the state of the s				
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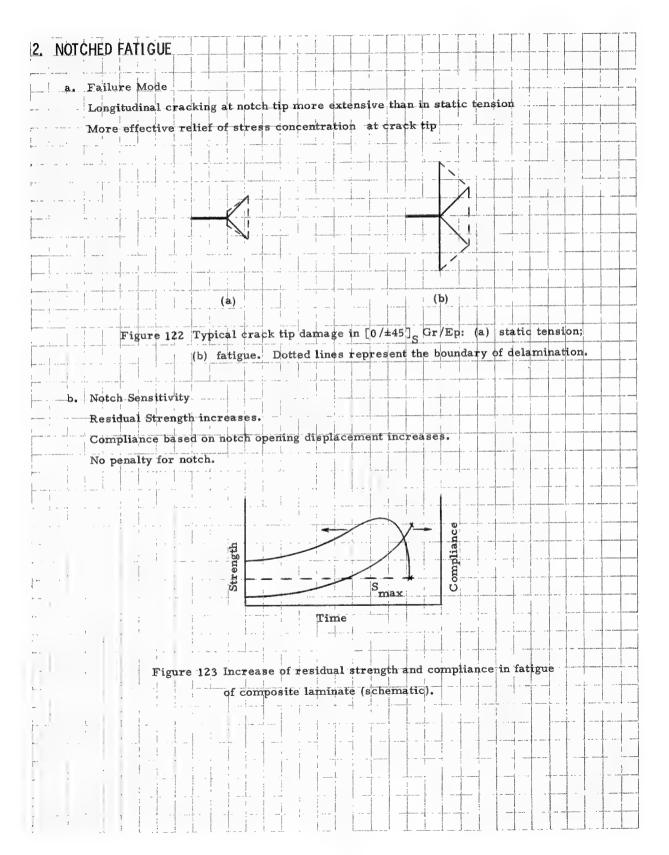


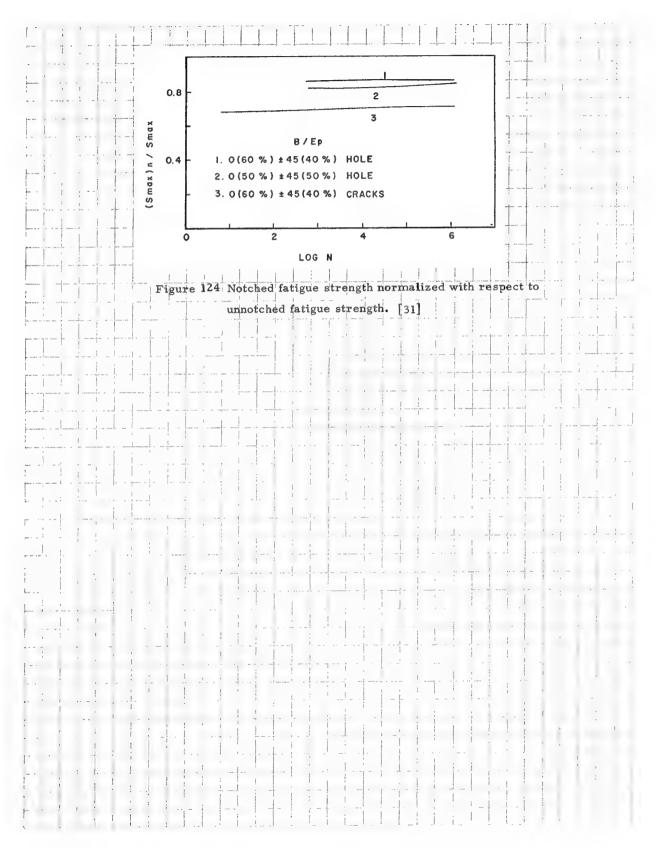


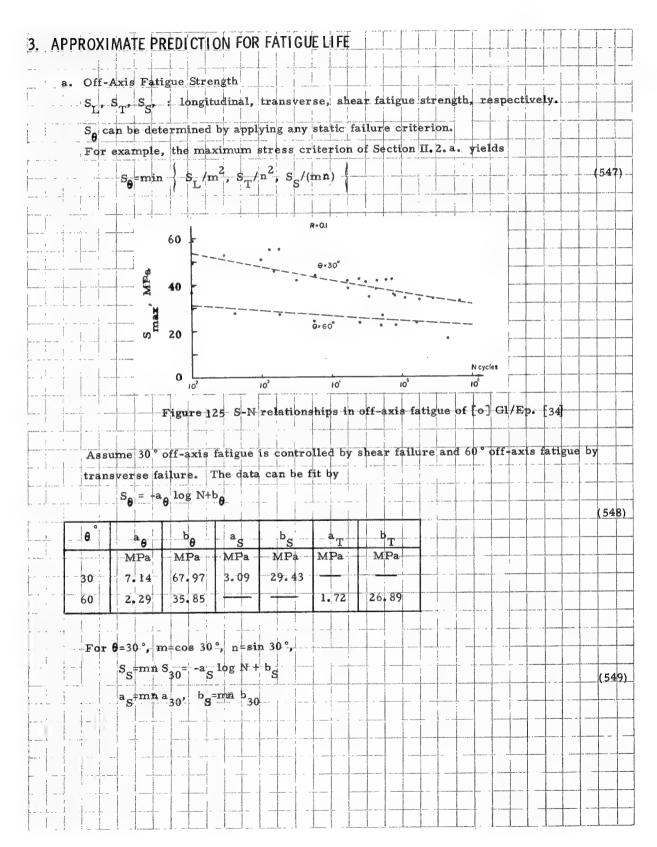


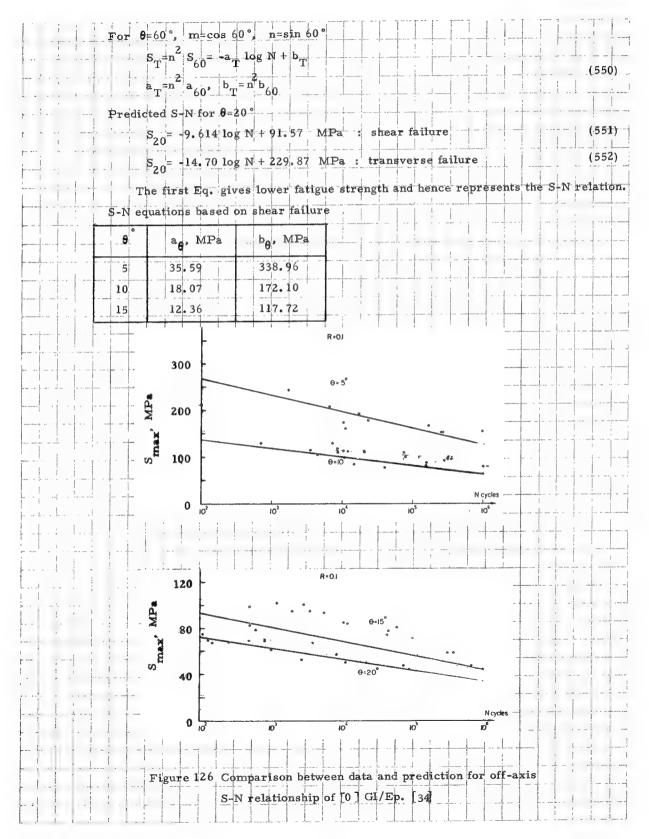




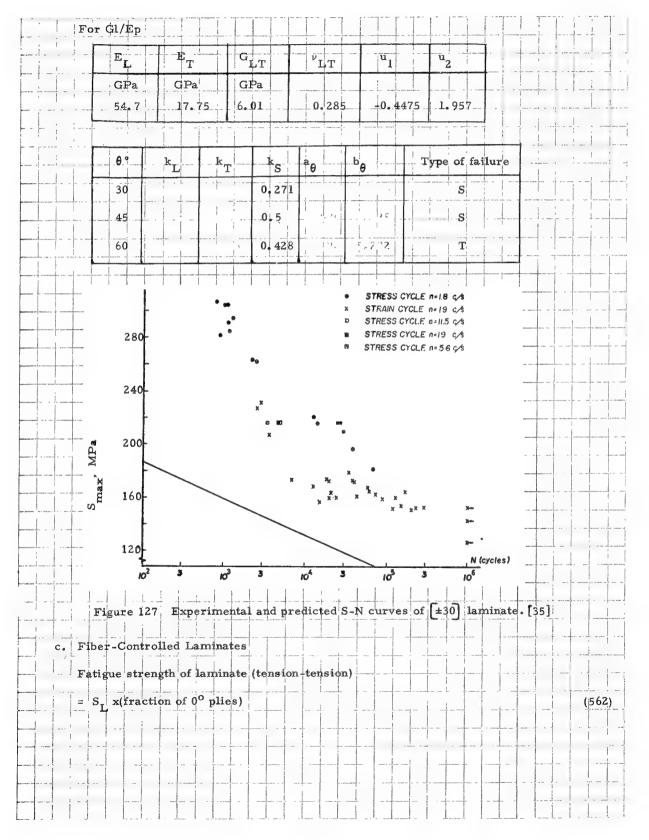


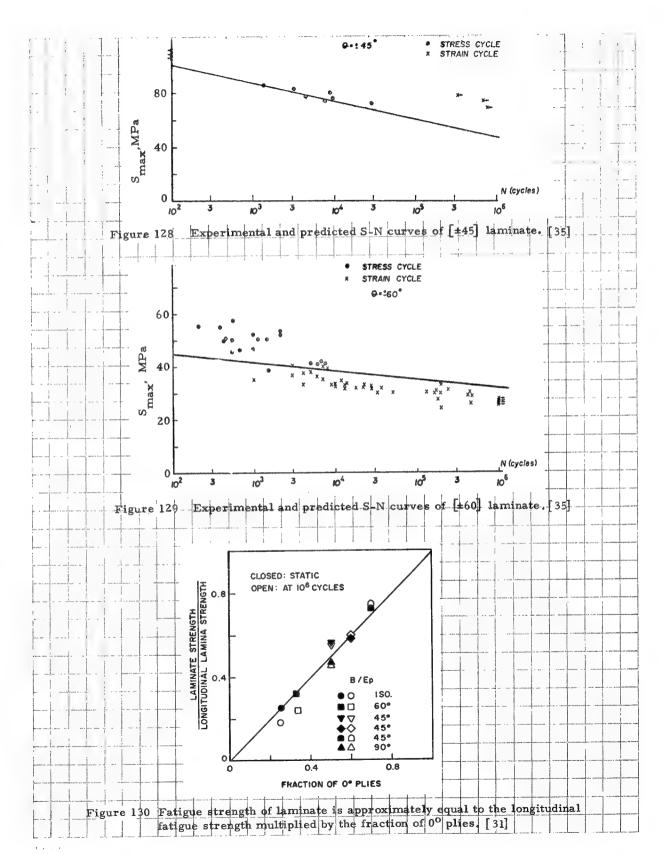






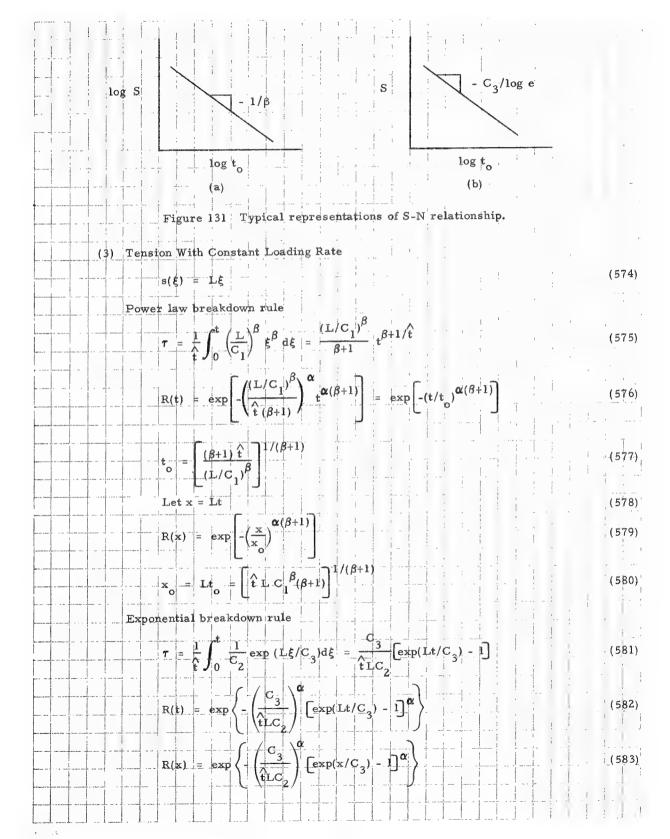
b. Angle -	- Ply [±0] Laminates	
	e elastic moduli do not change in fatigue. Ition of the maximum stress criterion to fatigue strengths leads to	
s	$\theta = \min \left\{ S_L/k_L, S_T/k_T, S_S/k_S \right\}$	(553)
whord		
k	$S_{L} = \frac{1}{2} \left[\begin{array}{c} u_{1} + \sec 2\theta - \frac{(u_{1} + \sec 2\theta) \tan^{2} 2\theta}{u_{2} + \tan^{2} 2\theta} \end{array} \right]$	(554)
k	$\epsilon_{\rm T} = \frac{1}{2} \left[1 - \sec 2\theta + \frac{(u_1 + \sec 2\theta) \tan^2 2\theta}{u_2 + \tan^2 2\theta} \right]$	(555)
	- u ₂ + tan 29	
k	$\frac{1}{2} = \frac{1}{2} = \frac{(u_1 + \sec 2\theta) \tan 2\theta}{u_2 + \tan^2 2\theta}$	(556)
	5 u ₂ + tan 20	
u	$\begin{array}{c c} & 1 - E_L/E_T \\ 1 = & \\ \hline & 1 + 2^V_L + E_L/E_T \end{array}$	(557)
	$i_2 = \frac{E_L/G_{LT}}{1 + 2^{\nu}_{LT} + E_L/E_T}$	(558)
	2 1 + 2 LT + EL/ET	
s	$S_{\theta} = a_{\theta} \log N + b_{\theta}$	(559)
a		(560)
	$\overline{D}_{\theta} = b_i/k_i$	(561)



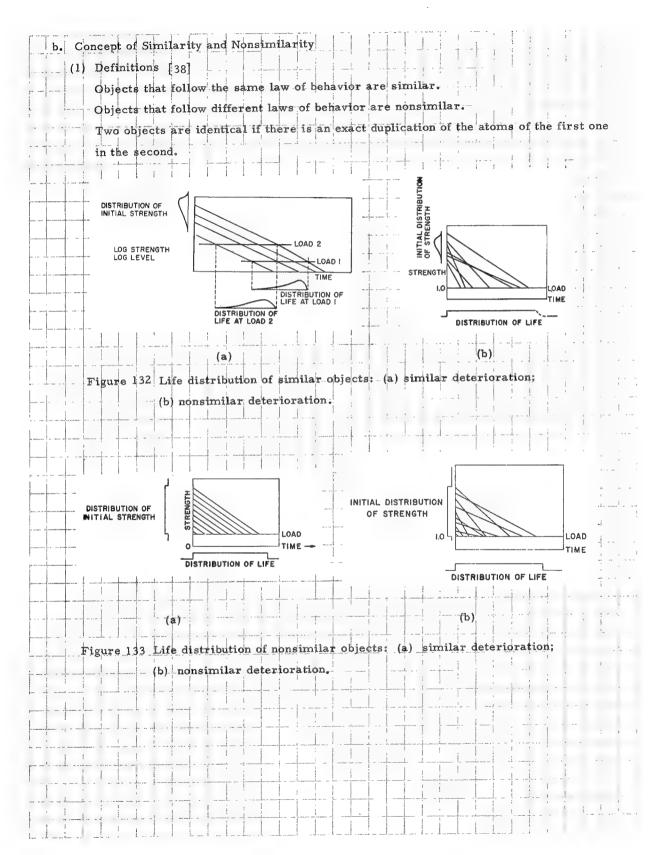


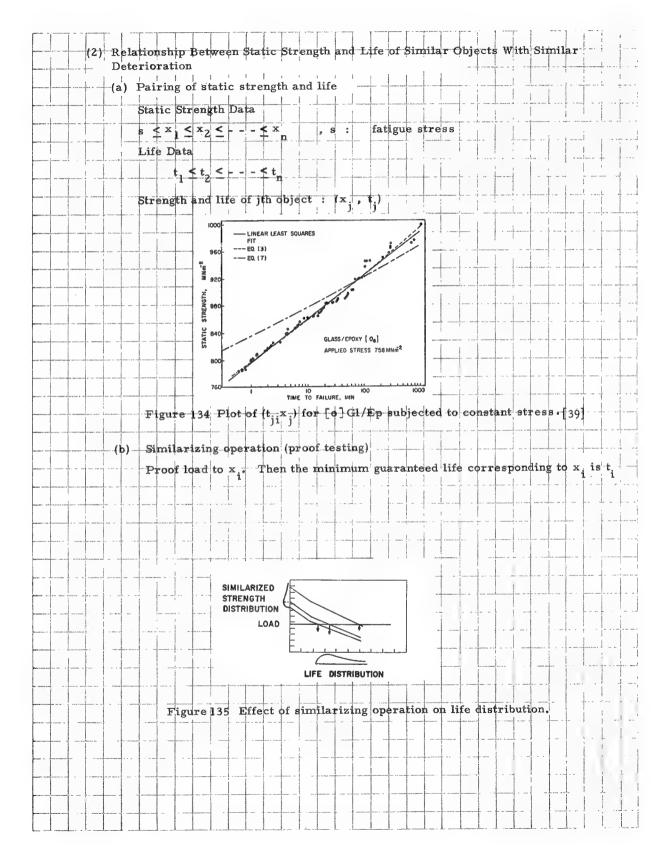
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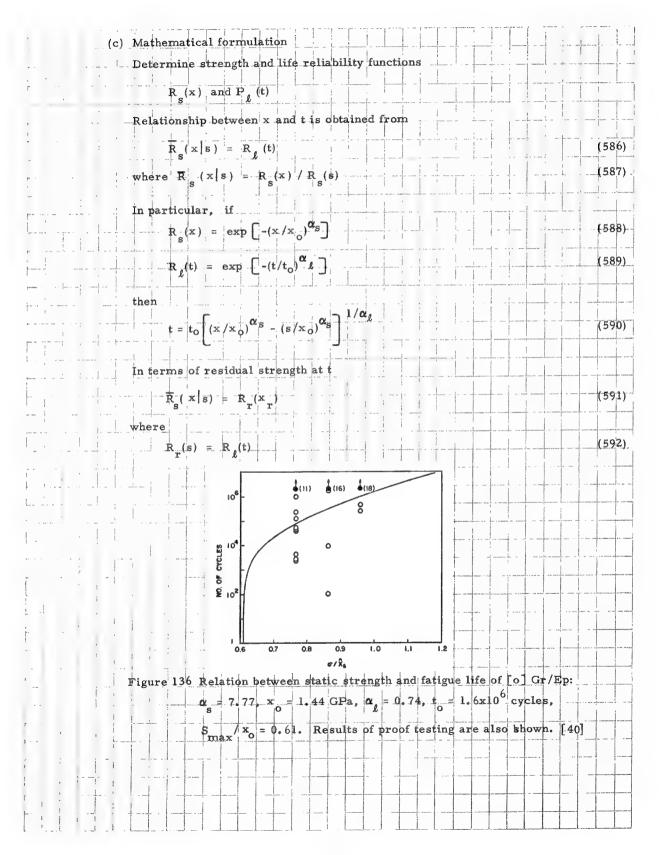
4. LIFE PREDICTION AND ANALYSIS OF SCATTER	
a. Application of Failure Potential	
(1) General Formulation	
Probability of surviving time t under a loading history	
s(t):	
$R(t) = \exp \left[-\psi(\tau) \right]$	(563)
$\tau = \frac{1}{A} \int_{-L}^{t} K(s(\xi)) d\xi$, that the dimension of t.	(564)
Failure potential	
$\psi(\tau) = \tau^{\alpha}$	(565)
Breakdown rules [36]	
Power law: K(s) = (s/C ₁) ⁸	(566)
Exponential law: $K(s) = \frac{1}{C} \exp(s/C_3)$	(567)
	A SECURITY OF THE PROPERTY OF
(2) Stress Rupture	
$s(\xi) = s$ const.	4. 2. 3. 4. 4. 4. 4. 4. 4. 4. 4. 4. 4. 4. 4. 4.
Power law breakdown rule $\tau = \frac{1}{2} \int_{-\infty}^{\infty} (s/C_1)^{\beta} d\xi = (s/C_1)^{\beta} t/\hat{t}$	(568)
- γ (3/01) μς ((308)
$R(t) = \exp \left[-(s/C_1)^{\beta\alpha}(t/t)^{\alpha}\right] = \exp \left[-(t/t_0)^{\beta\alpha}\right]$	(569)
(t_0/\hat{t}) $(s/C_1)^{\beta} = 1$	
	(570)
or $\log (t_0/\hat{t}) + \beta \log s = \beta \log C_1$: Power law (log stress - log time) tion of S-N relationship	representa
Exponential breakdown rule	
$\tau = \frac{1}{27} \int_{C_3}^{L} \frac{1}{C_3} \exp(s/C_3) d\xi = \frac{1}{C_2} \exp(s/C_3) t/2$	(571)
$\therefore R(t) = \exp\left\{-\left[\frac{1}{C_2}\exp\left(s/C_3\right)\right]\alpha(t/\hat{t})\alpha\right\} = \exp\left[-\left(t/t_0\right)\alpha\right]$	(572)
$(t_0/t) \exp (s/C_3) = C_2$: Exponential (log time - log stress) report of S-N relationship	resentation
$\log(t_0/t) + \left(\frac{\log e}{C}\right) s = \log C_2$	(573)
3	



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· · · · · · · · · · · · · · · · · · ·		range $\exp(x/C_3) <$			
and the state of t	and the second s	$ xp \left\{ -\frac{C_3}{\hat{t}LC_2} \right\}^{\hat{q}_2} exp($	The second secon		
1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	R(x) = e	$xp\left\langle -\frac{1}{2}\right\rangle exp($	(x/C ₃)	The state of the s	(584)
	the state of the s	2/			
4	_ ¢ ₃ _	(tLC ₂ /C ₃) - γ]	the state of the s	The state of the s	
	$x = \frac{1}{\alpha} \left[\alpha \ln \alpha \right]$	$(tLC_2/C_3) - \gamma$	y: Euler consta	int (=0.5772)	(585)
	The same of the sa				
	# # # # # # # # # # # # # # # # # # #	and and			1,000,000
	The state of the s				
	TABLE 68	PARAMETERS FO	STRESS-RUPTU	RE DATA [37]	
				4:-7 7	
Strand T	Type f	Power La	α C ₃	xponential Law C	
	%	β C ₁ MN/m ²	MN/r	3 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	
Kevlar 4	9/Ep 71.5	42 2239	0.87 50.	in a complete and a second and a complete and a com	
Gr/Ep	62	78 922	0.30 10.		
S-G1/Ep	65	30 2109	0.75 62.9		
Be/Ep	66	26 733	3.75 25.	3.06×10^{12}	
TABLE 69	AVERAGE	TENSILE STRENG	H AND GOEFFIC	IENT OF VARIAT	ION [37]
			An or contract of the contract		
Strand Type	MN/m ² /h		Strength	Coefficient of Va	
	MN/m /h	Power Exponent	ial Experiment	Power Exper	iment
				0.0	25
Kevlar 49/Ep	2.96 x 10 ⁵	2645	2940		
Kevlar 49/Ep	2.96×10^{5} 6.32×10^{5}	2645			
Kevlar 49/Ep Gr/Ep S-G1/Ep	$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	2645	2940 915 2560	0.0	5
Gr/Ep	6.32×10^{5} 1.34×10^{5}	2645	915	0.0	36
Gr/Ep S-G1/Ep	6.32×10^{5}	2645	915 2560	0.0	36
Gr/Ep S-G1/Ep	6.32×10^{5} 1.34×10^{5}	2645	915 2560	0.0	36
Gr/Ep S-G1/Ep	6.32×10^{5} 1.34×10^{5}	2645	915 2560	0.0	36
Gr/Ep S-G1/Ep	6.32×10^{5} 1.34×10^{5}	2645	915 2560	0.0	36
Gr/Ep S-G1/Ep	6.32×10^{5} 1.34×10^{5}	2645	915 2560	0.0	36

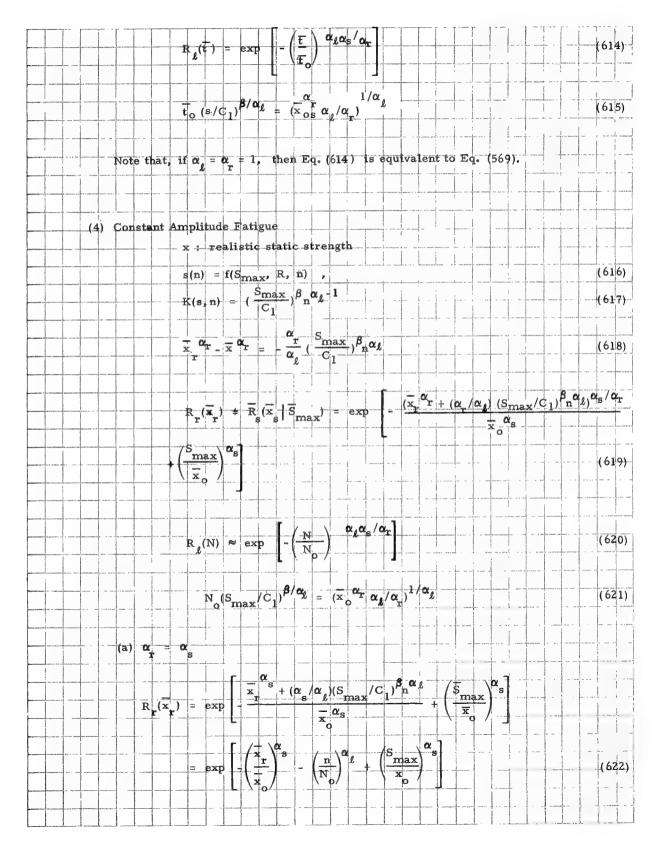






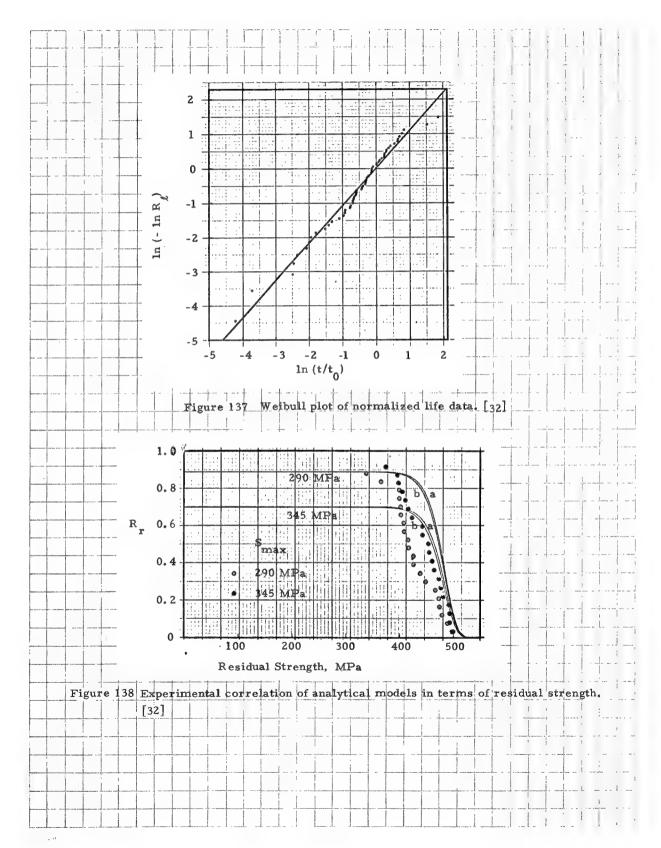
c. Strength Degradation Model [39, 41]	
(1) General Formulation	
x_ideal static strength	-1
x residual strength at time t under a loading history s(t)	
7: material age	- 1
Introduce normalized variables	1
$\mathbf{x}_{\mathbf{r}} = \mathbf{x}_{\mathbf{r}}/\hat{\mathbf{x}}$ $\mathbf{t} = \mathbf{t}/\hat{\mathbf{t}}$ $\mathbf{x}_{\mathbf{s}} = \mathbf{x}_{\mathbf{s}}/\hat{\mathbf{x}}$	593)
$\frac{d\mathbf{x}}{\mathbf{r}} = -\mathbf{x} \mathbf{r} > 1$	594)
	1
$\begin{array}{cccccccccccccccccccccccccccccccccccc$	595)
$d\tau = K(s, t) dt$	596)
Assume $\beta \alpha_{s} - 1$	
$K(s, \overline{t}) = \left(\frac{s}{C_1}\right)^{\beta} \frac{\alpha_{\ell}}{t}^{-1}$	597)
	ļļ
Assume a Weibull distribution for static strength	
$R_{s}(\overline{x}_{s}) = \exp \left[-\left(\frac{x_{s}}{x_{s}} \right)^{\alpha_{s}} \right] $	598)
$\int \frac{1}{x} \alpha_{r} + \alpha_{r} \frac{\lambda \alpha_{r}}{\lambda s} \frac{\lambda \alpha_{r}}{r}$	i i same
$\therefore R_{\mathbf{r}}(\overline{x}_{\mathbf{r}}) = R_{\mathbf{s}}(\overline{x}_{\mathbf{s}}) = \exp \left[-\left(\frac{\overline{x} \alpha_{\mathbf{r}} + \alpha_{\mathbf{r}} \tau}{\overline{x}_{\mathbf{o}} \alpha_{\mathbf{r}}} \right)^{\alpha_{\mathbf{s}}/\alpha_{\mathbf{r}}} \right] $	599)
Failure occurs when $x_r(t) = s(t)$.	1
(2) Tension With Constant Loading Rate	
	600)
$\tau = \int_{\sigma}^{\overline{t}} \left(\frac{L\hat{\tau}}{C_1}\right)^{\beta} \xi^{\beta + \alpha_{\ell} + 1} d\xi = \frac{(L\hat{\tau}/C_1)^{\beta}}{\beta + \alpha_{\ell}} + \alpha_{\ell}$	601)
$\tau = J_0 \left(\frac{1}{C_1}\right)^{1/2} \xi^{1/2} \qquad d\xi = \beta + \alpha_L$	001)
	1
$\frac{\mathbf{x}}{\mathbf{x}} = \frac{\mathbf{x}}{\mathbf{x}} - \frac{\alpha_{\mathbf{r}} (\mathbf{L} \hat{\mathbf{t}} / \mathbf{C}_{1})^{\beta}}{\beta + \alpha_{\ell}} = \frac{\alpha_{\mathbf{r}} (\mathbf{L} \hat{\mathbf{t}} / \mathbf{C}_{1})^{\beta}}{\beta + \alpha_{\ell}}$	602).
r s F+CL	
At failure, $\bar{x}_{r} = s(t)/\bar{x} = (L\hat{t}/\bar{x})\bar{t}$	603)
At failure, $x = s(t)/x = (Lt/x)t$	

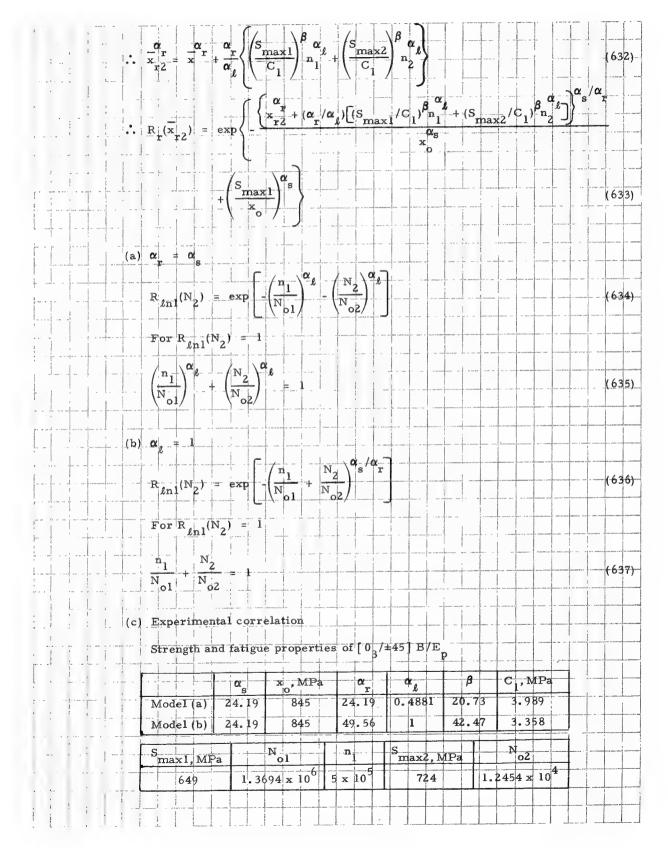
	$\frac{1}{x}\alpha_{r} = \alpha_{r} = \alpha_{r} = \alpha_{r} \times \beta + \alpha_{\ell} = \frac{1}{x}\beta + \alpha_{\ell}$	(604)
•	$\begin{array}{c c} \vdots & \alpha_{\mathbf{r}} & = \begin{bmatrix} -\alpha_{\mathbf{r}} & \alpha_{\mathbf{r}} & -\alpha_{\mathbf{r}} & \alpha_{\mathbf{r}} & \beta + \alpha_{\ell} \\ \vdots & \vdots & \vdots & \vdots \\ -(\beta + \alpha_{\ell}) & (\mathbf{L}\hat{\mathbf{r}}) & \alpha_{\ell} & \mathbf{C}_{\ell} \end{array}$	(604)
•		
		-
	x x as L x is the strength under a very high loading rat	e.
	$\beta + \alpha_{\ell}$ $\beta + \alpha_{\ell}$ $\beta + \alpha_{\ell}$	
	$R_{\perp}(x) = \exp \left[-\frac{1}{\alpha_{r}} \left(\frac{x}{x}\right) + \frac{1}{\alpha_{r}} \left(\frac{\beta_{r}}{x}\right) + \frac{1}{\alpha_{r}}\right]$	(605)
	$R_{r}(\overline{x}_{r}) = \exp \left[-\frac{1}{-\alpha_{s}} \left(\frac{\alpha_{r}}{x_{r}} + \frac{\alpha_{r} \hat{x} \beta + \alpha_{\ell}}{(\beta + \alpha_{\ell}) C_{l} \beta (L t) \alpha_{\ell}} \right) \frac{\beta + \alpha_{\ell}}{x_{r}} \right]$	
kr w	if the second term is negligible compared with the first term, which can happe	
· · · · · · · · · · · · · · · · · · ·	when, e.g., L is large (fast loading rate), then	
	$\overline{x}_r \approx \overline{x}_s$	(606)
	$\therefore R_{r}(\overline{x}_{r}) = \exp \left[-\left(\frac{\overline{x}}{\overline{x}_{os}}\right) \alpha_{s}\right]$	(607)
1 , M	os/ l	
dec. man't	If the first term is negligible, which can happen when, e.g., L is small (slow	
	loading rate), then	
	$\therefore R_{r}(x_{r}) = \exp \left[-\frac{x_{r}}{x_{or}} \right] (\beta + \alpha_{\ell}) \alpha_{s} / \alpha_{r}$	
B and a second	$R_r(x_r) = \exp\left[-\frac{r}{x_r}\right]$	(608)
* * * * * * * * * * * * * * * * * * * *		
*	$\mathbf{x}_{\mathbf{or}} = \begin{bmatrix} \widehat{(\mathbf{t} L)}^{\alpha_{\ell}} & (\beta + \alpha_{\ell}) & C_{1}^{\beta_{+}} & \alpha_{r} \\ & & \alpha_{n} \end{bmatrix}^{1/(\beta + \alpha_{\ell})}$	
E	$x_{or} = \begin{cases} (tL) & (\beta + \alpha_{\ell}) C_1 \\ \hline \end{cases}$	(609)
gar in a	Note that, if $\alpha_{j} = \alpha_{r} = 1$, then Eq. (608) is equivalent to Eq. (579).	
*	(3) Stress Rupture	-
i	s(t) = s const.	(610)
	$\tau = (s/C_i)^{\beta} t^{\alpha} \ell/\alpha_{\ell}$	(611)
	$R_{r}(\overline{x}_{r}) = \exp \left[-\left(\frac{x_{r}}{x_{r}} + (\alpha_{r}/\alpha_{k}) (s/C_{1}) \frac{\beta - \alpha_{k}}{t} \right) \frac{\alpha_{s}/\alpha_{r}}{t} \right]$	((12)
	$R_r(x_r) = \exp \left[-\left(\frac{x_r}{r}\right) - \left(\frac{x_r}{r}\right) \right]$	(612)
	L Xos Y	
		/ar]
	$R_{\ell}(\overline{t}) = R_{r}(s/x) = \exp \left[-\left(\frac{(s/x)^{\alpha_{r}}}{t} + (\alpha_{r}/\alpha_{\ell})(s/C_{1})^{\alpha_{r}}\right)\right]$	1-11-
		4(12)
		(613)
	In the fatigue failure region, the first term can be neglected.	

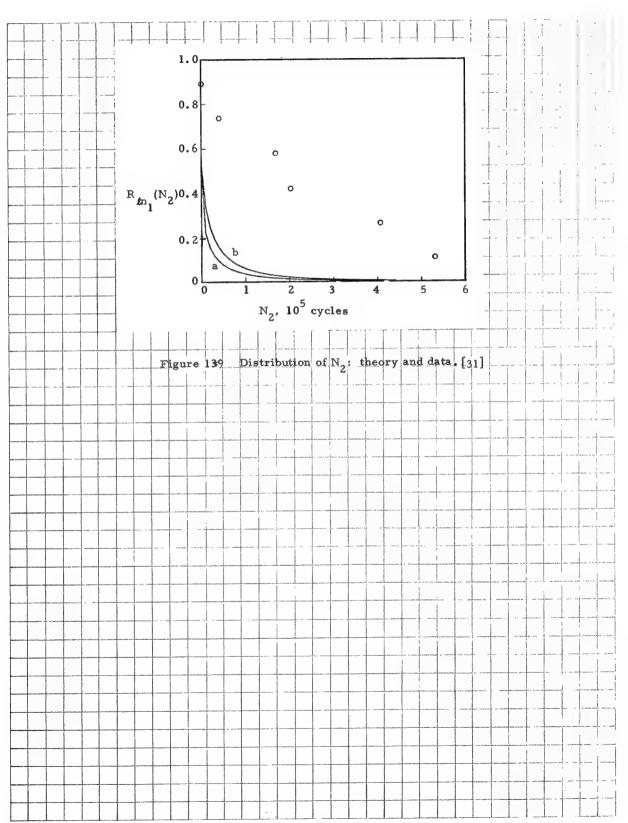


$R_{\ell}(N) = \exp\left[-\left(\frac{N}{N_{o}}\right)^{\alpha_{\ell}}\right]$	(623)
$N_{o}(S_{\text{max}}/C_{1}) = (x_{o} \alpha_{\ell}/\alpha_{s})$	(624)
$\overline{R}_{\mathbf{r}}(\mathbf{x}_{\mathbf{r}} \mathbf{S}_{\mathbf{max}}) = \exp\left[-\left(\frac{\mathbf{x}_{\mathbf{r}}}{\mathbf{x}_{\mathbf{o}}}\right)^{\alpha} + \left(\frac{\mathbf{S}_{\mathbf{max}}}{\mathbf{x}_{\mathbf{o}}}\right)^{\alpha}\right]$	(625)
$R_{\mathbf{r}}(S_{\mathbf{max}}) = R_{\ell}(N)$	(626)
$R_{\mathbf{r}}(\mathbf{x}_{\mathbf{r}}) = \exp\left[-\frac{\left(\frac{\alpha}{\mathbf{x}_{\mathbf{r}}}\mathbf{r} + \alpha_{\mathbf{r}}(\mathbf{S}_{\max}/C_{1})^{\beta}\mathbf{n}\right)^{\alpha_{\mathbf{s}}/\alpha_{\mathbf{r}}}}{\frac{\alpha_{\mathbf{s}}}{\mathbf{x}_{\mathbf{s}}}\mathbf{n}} + \frac{\left(\mathbf{S}_{\max}/C_{1})^{\beta}\mathbf{n}\right)^{\alpha_{\mathbf{s}}/\alpha_{\mathbf{r}}}}{\frac{\alpha_{\mathbf{s}}}{\mathbf{x}_{\mathbf{s}}}\mathbf{n}}\right]$	
$= \exp\left\{-\left(\frac{x}{x}\right)^{\alpha} + \left(\frac{x}{y}\right)^{\alpha} + \left(\frac{x}{y}\right)^{\alpha} + \left(\frac{x}{y}\right)^{\alpha}\right\}$	(627)
$R_{\ell}(N) = \exp\left[-\left(\frac{N}{N_{0}}\right)^{\alpha} s^{-\alpha}\right]$	(628)
$N_{o}(S_{max}/C_{1})^{\beta} = x_{o}^{T}/\alpha_{x}$	(629)
Strength and fatigue properties of $\left[0/45/90/-45_2/90/45/0\right]_s$ Gr/Ep.	y Jacks on the conservation and the last last of the
α_s α_r	
Model (a) 24.12 487 24.12 1.089 21.68 6.153	
Model (b) 24.12 487 22.16 19.92 6.231	
(5) Cumulative Damage Model n ₁ cycles at S _{max1} followed by n ₂ cycles at S _{max2} .	
$ \begin{array}{c ccccccccccccccccccccccccccccccccccc$	(630)
$\begin{array}{c c} -\mathbf{r} & -\mathbf{r} & \mathbf{r} & \mathbf{r} & \mathbf{max2} \\ \mathbf{r} & \mathbf{r} & \mathbf{r} & \mathbf{r} & \mathbf{r} & \mathbf{r} & \mathbf{r} \\ \mathbf{r} & \mathbf{r} & \mathbf{r} & \mathbf{r} & \mathbf{r} & \mathbf{r} & \mathbf{r} \\ \end{array}$	(631)

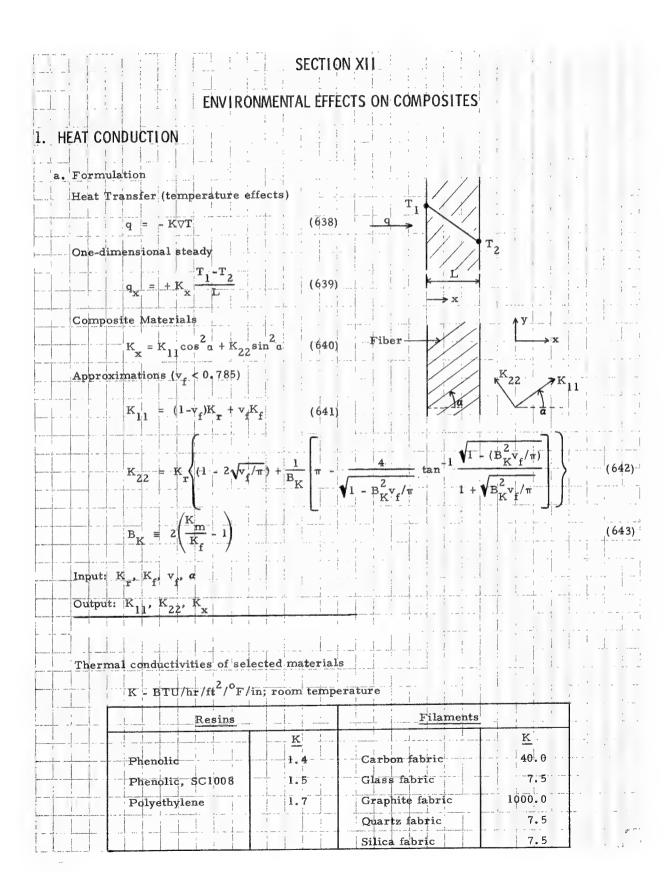
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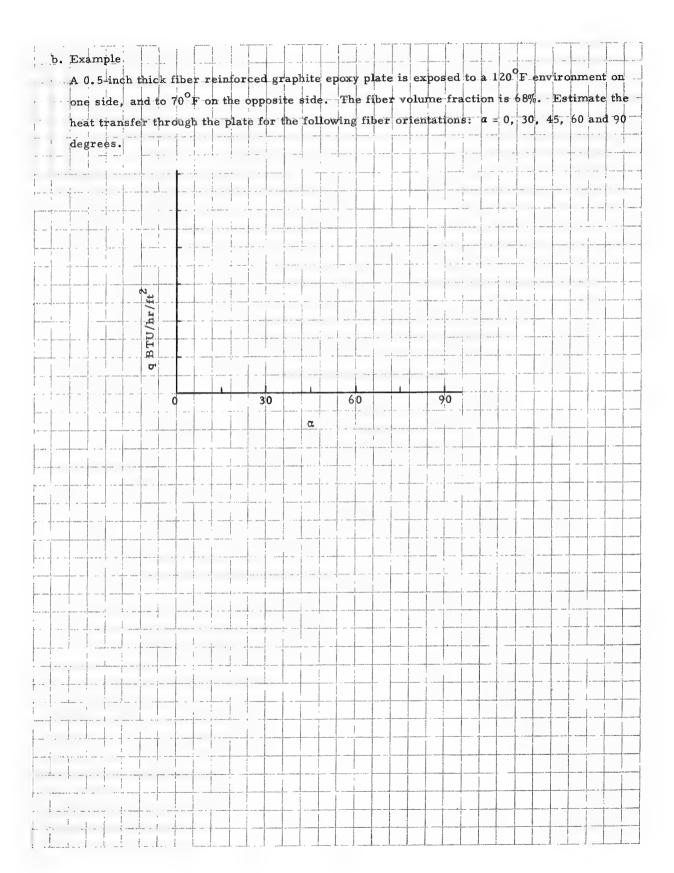


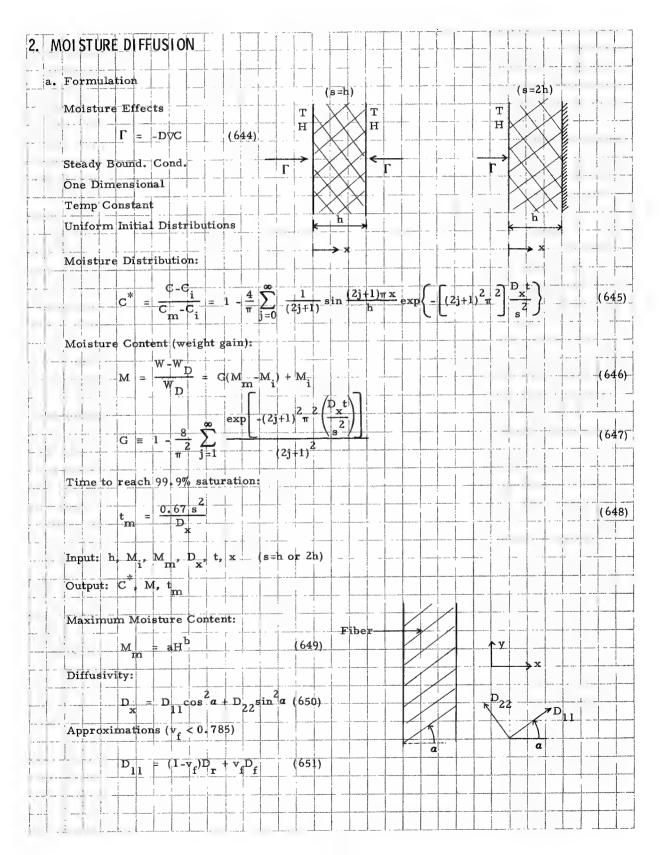




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$$D_{22} = D_{r} \left\{ \left(1 - 2\sqrt{\frac{v_{f}}{\pi}} \right) D_{r} + \frac{1}{B_{D}} \left[\pi - \frac{4}{\sqrt{1 + \frac{B_{D}^{2}v_{f}}{\pi}}} + \tan^{-1} \frac{\sqrt{1 + \frac{B_{D}^{2}v_{f}}{\pi}}}{1 + \sqrt{B_{D}^{2}v_{f}}/\pi} \right] \right\}$$
(652)

$$B_{D} = 2 \left(\frac{D_{T}}{D_{f}} - 1 \right)$$
 (653)

For D << D

$$D_{x} = D_{x} \left[(1 - v_{f}) \cos^{2} \alpha + (1 - 2\sqrt{v_{f}/\pi}) \sin^{2} \alpha \right]$$
 (654)

Input: D, D, v, a

Output: D₁₁, D₂₂, D

b. Examples

- (1) Both sides of a 12.5 mm thick Graphite T-300 Fiberite plate are exposed to air at 350° K and 90 percent humidity. The initial moisture concentration is uniform inside the plate. The initial moisture content of the plate is 0.5 percent. The diffusivities: D_{11} and D_{22} are given in the accompanying figure (v_c =0,68). The constants a and b are 0.0014 and 2, respectively.
 - a) Estimate the time required to reach one percent moisture content
 - b) Estimate the time required to reach at least 99.9% of the maximum possible moisture
 - Estimate the maximum possible moisture content inside the material
 - d) Estimate the moisture content in 5 years
 - e) Draw the moisture distribution inside the material after 5 years

Perform the calculations for fiber orientations a = 0, 30, 60, and 90 degrees.

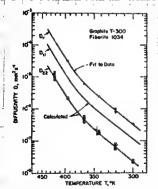
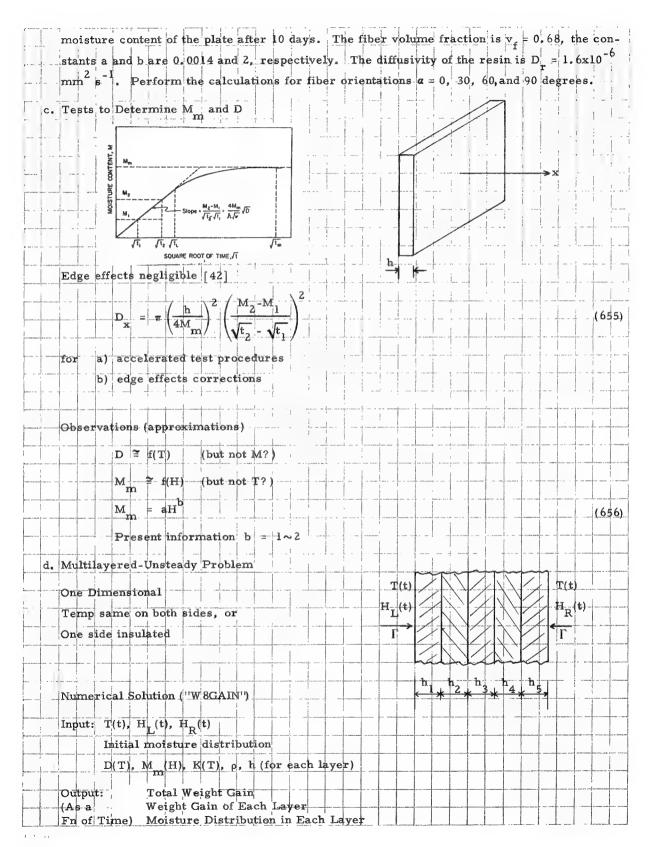


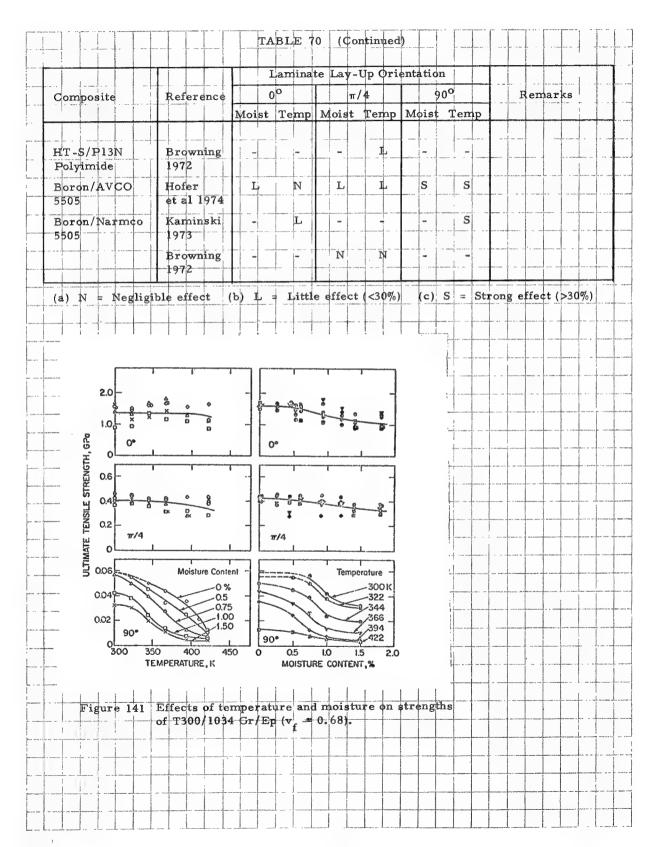
Figure 140 Change of diffusivity with temperature

- (2) The plate described in the previous example is exposed to air on one side only. The other side of the plate is insulated. Repeat the calculations for this plate.
- (3) The initial moisture distribution is uniform inside a 12.5 mm thick Graphite T-300-Fiberite 1034 plate. The initial moisture content of the plate is one percent. The plate is then exposed on both sides to humid air at 333 K and 10% relative humidity. Estimate the

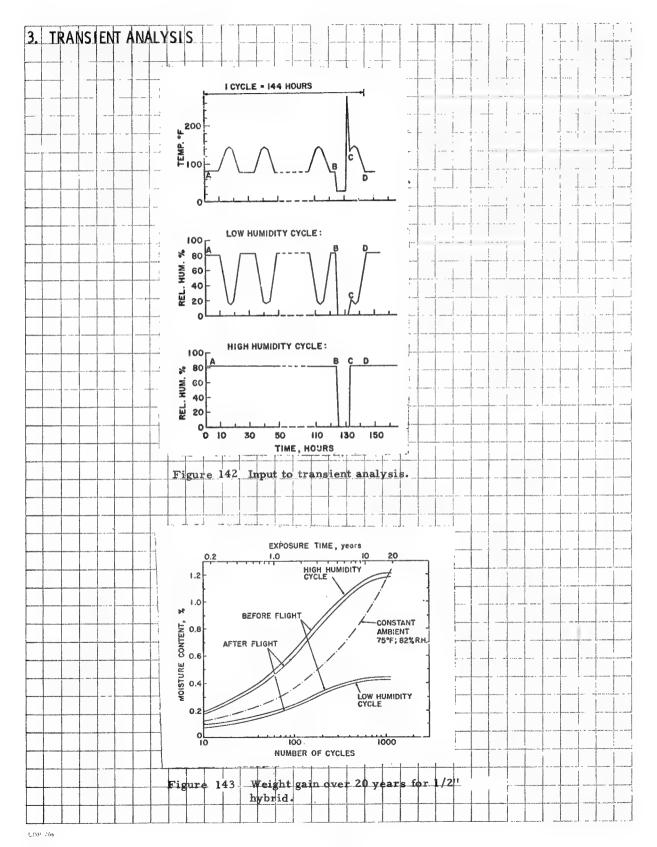


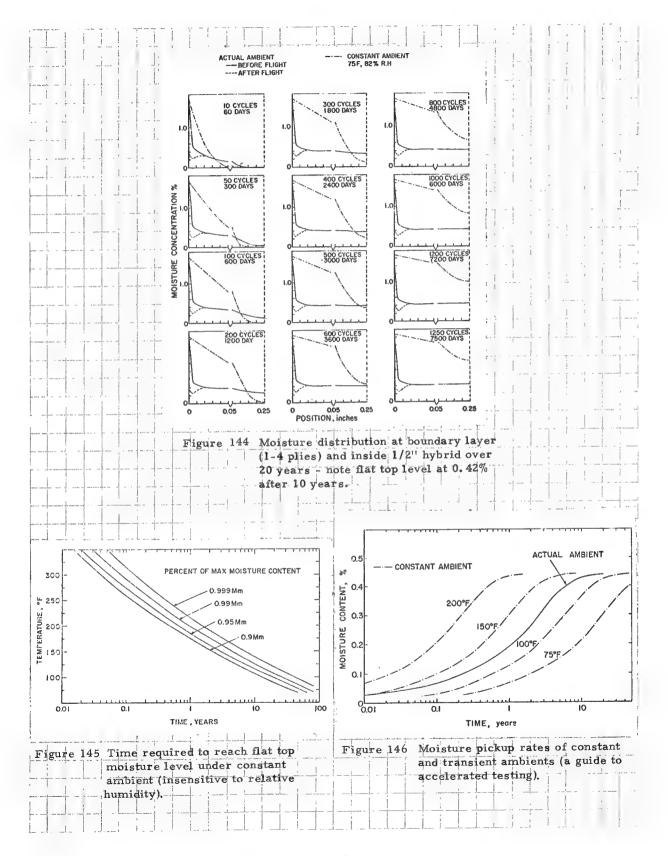
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TABLE 70	SUMMARY OF EXPERIMENTAL	DATA ON THE EFFECTS OF MODITORE AND
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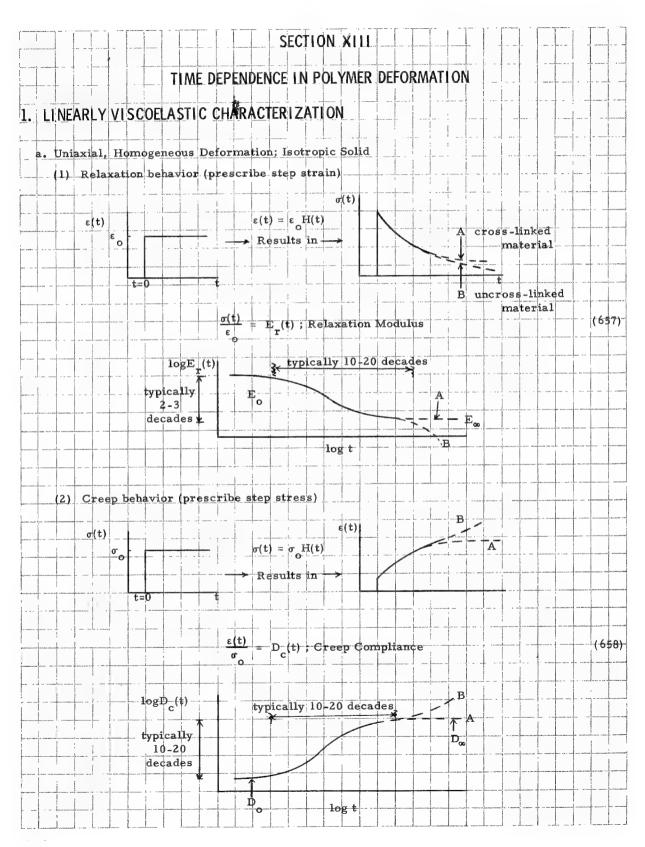
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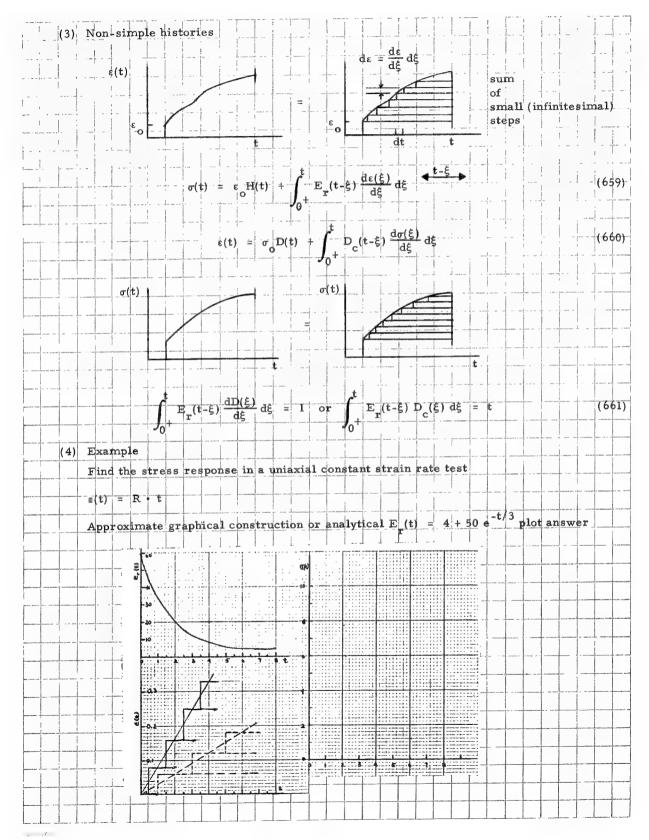


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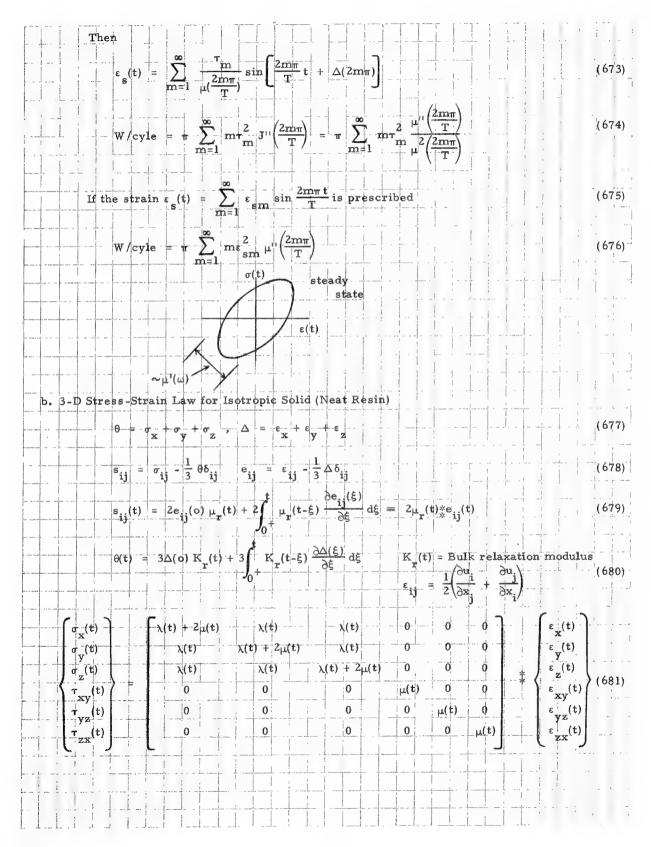






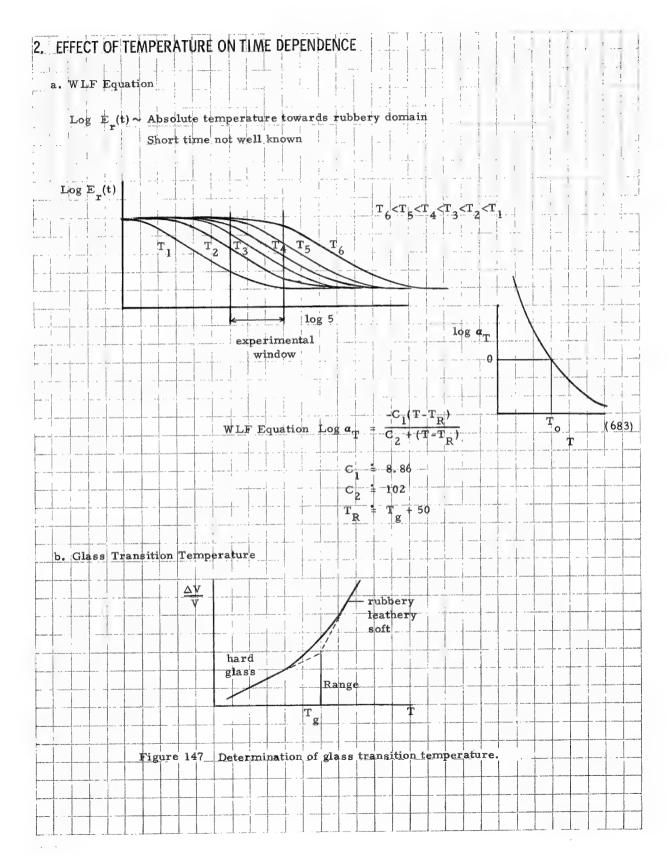


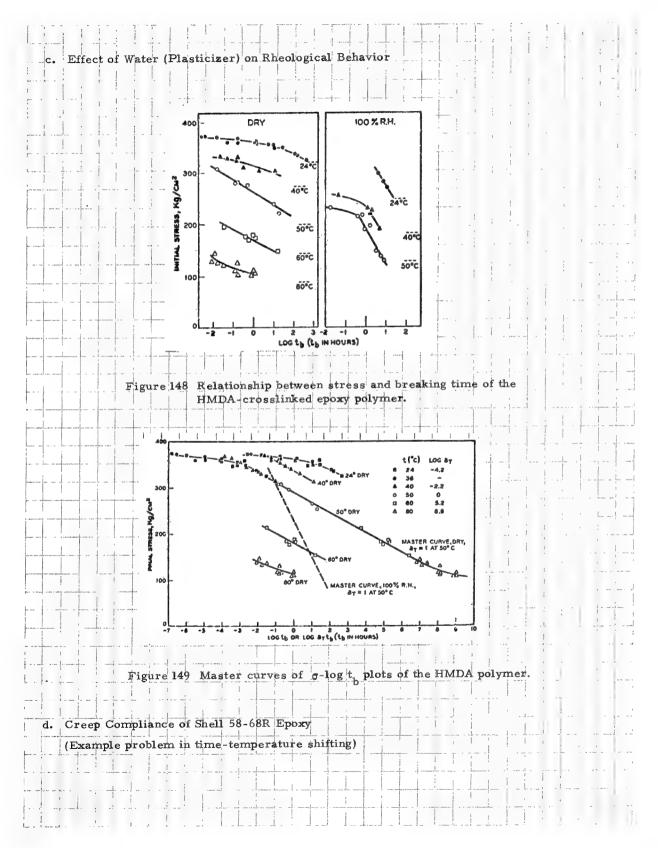
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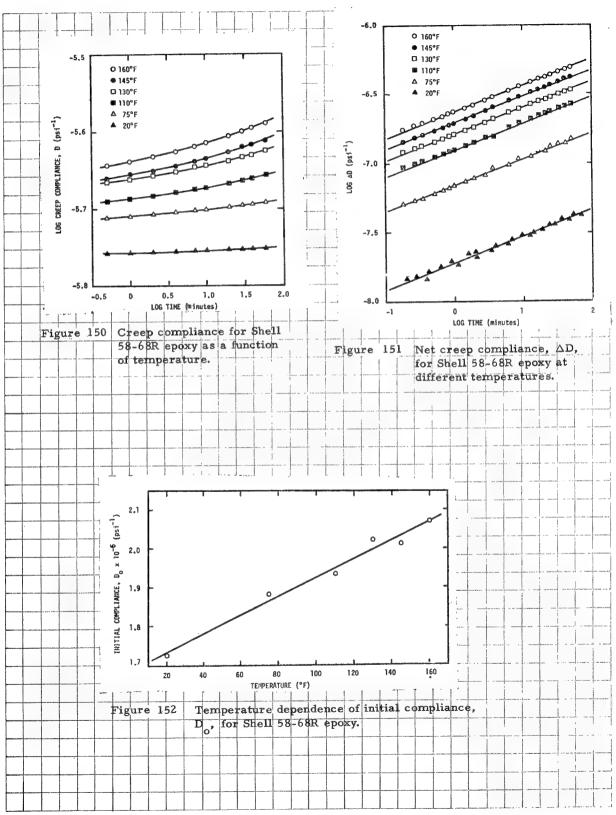


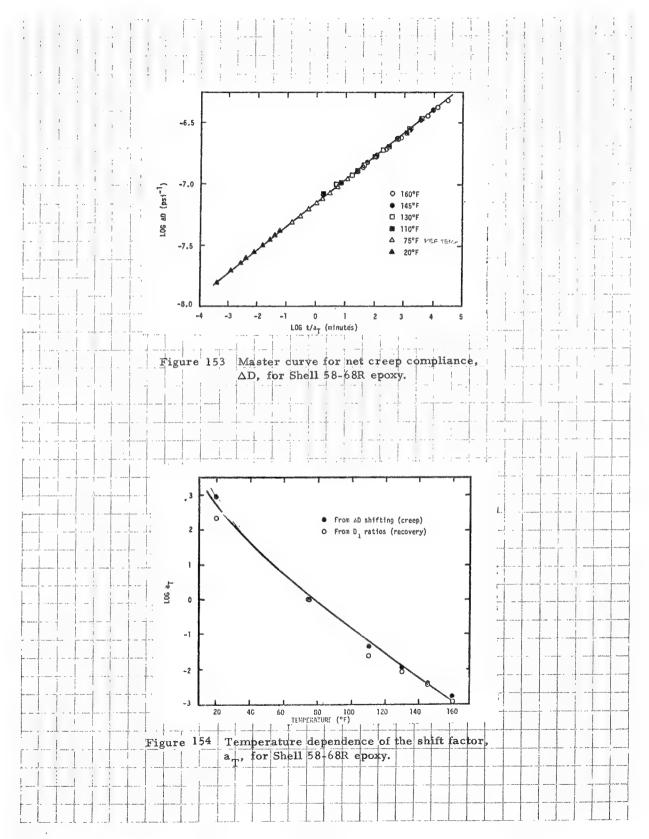
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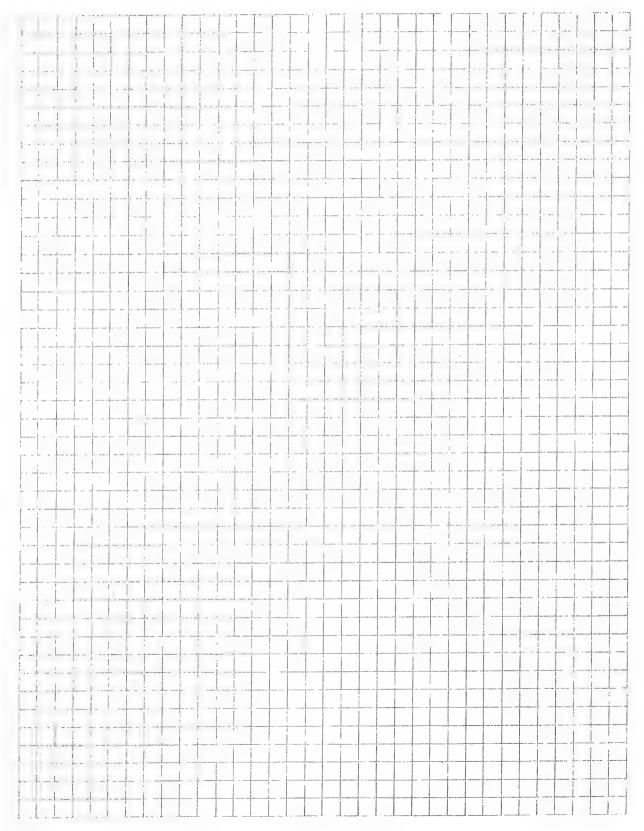








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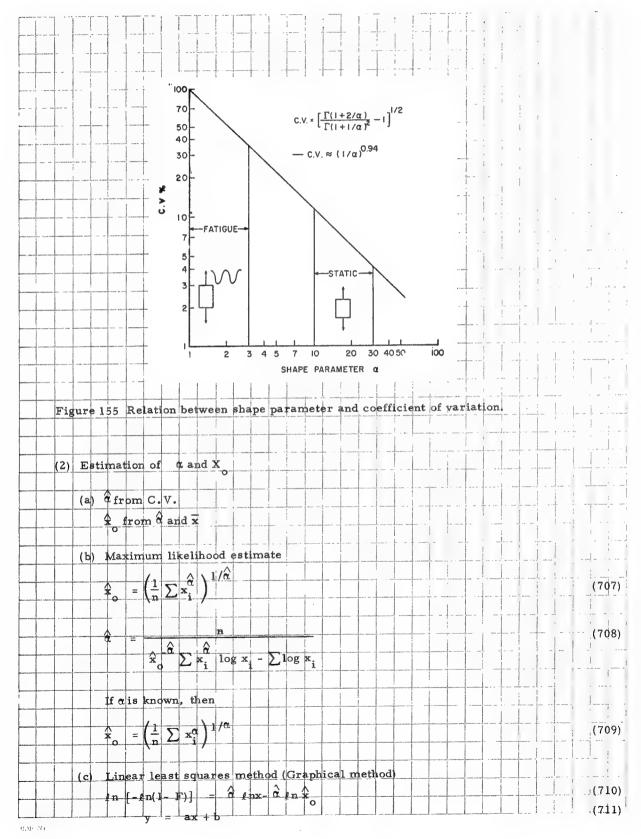
Variance of the parent population: 5	1 1
$Var(x) = \sigma^2 = \int_{-\infty}^{\infty} (x-\mu)^2 f(x) dx$	(689)
Let $Y = g(X)$. Then	
	(690)
$E[Y] = E[g(X)] = \int_{-\infty}^{\infty} g(x)f(x)dx$	(690)
$Var\left[Y\right] = E\left[\left(Y - E\left[Y\right]\right)^{2}\right] = \int_{-\infty}^{\infty} \left(g(x) - E\left[Y\right]\right)^{2} f(x) dx$	(691)
	The same of the same of
We can show that	(.692)
	(.072)
$Var(\overline{x}) = \sigma^2/m$	(693)
	4604
$E(s^2) = \sigma^2(n-1)/n$	(694)
$Var(s) = \frac{\mu_4 - \sigma^4}{n} - \frac{2(\mu_4 - 2\sigma^4)}{2(\mu_4 - 2\sigma^4)} + \frac{\mu_4 - 3\sigma^4}{n}$	(695)
$\int_{-\infty}^{\infty} (x+y)^{\frac{1}{2}} f(x) dx$	(696)
$\mu_4 = \int_{-\infty}^{\infty} (x + \mu)^{\frac{34}{4}} f(x) dx$	
c. Method of Maximum Likelihood	
Problem	
Given: A random sample x x x from the parent distribution	WIOSE
p · d · f is f(x; 0), where 0 is a parameter.	The second secon
Find: $\hat{\theta}(x_1, x_2, \dots, x_n)$ which is a good estimator for θ .	
Solution	
Consider the function	
$L(\mathbf{x}_1, \mathbf{x}_2, \cdot, \cdot, \mathbf{x}_n, \theta) = f(\mathbf{x}_1, \theta) \cdots f(\mathbf{x}_n, \theta)$	(697
L represents the probability of obtaining the results x1,, xn	
Find value of 9 which maximizes L. Define	
$\mathcal{L} = \log L = \log f(x_1; \theta) + \cdots + \log f(x_2; \theta)$	(698
Find 9 from	
3 2 0.	(699)

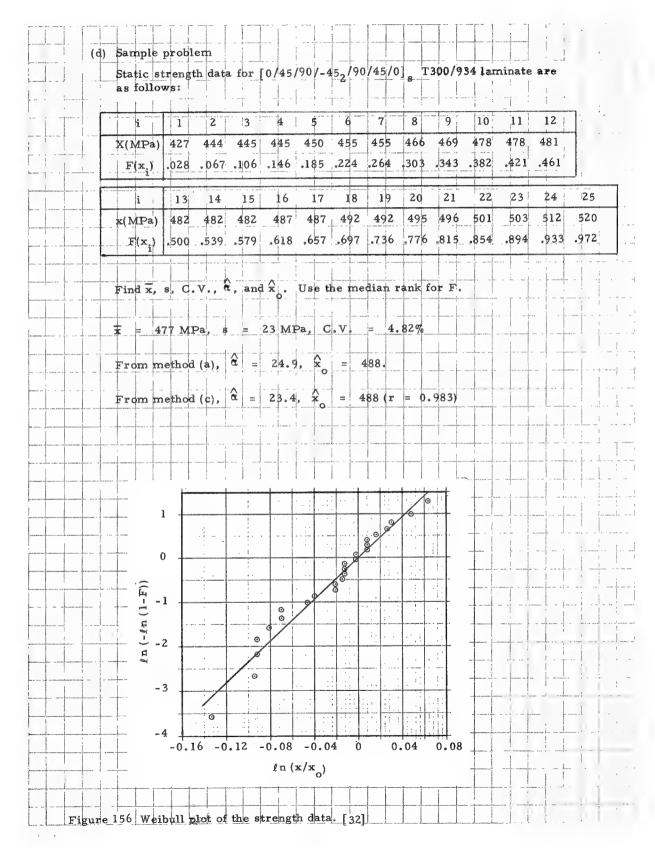
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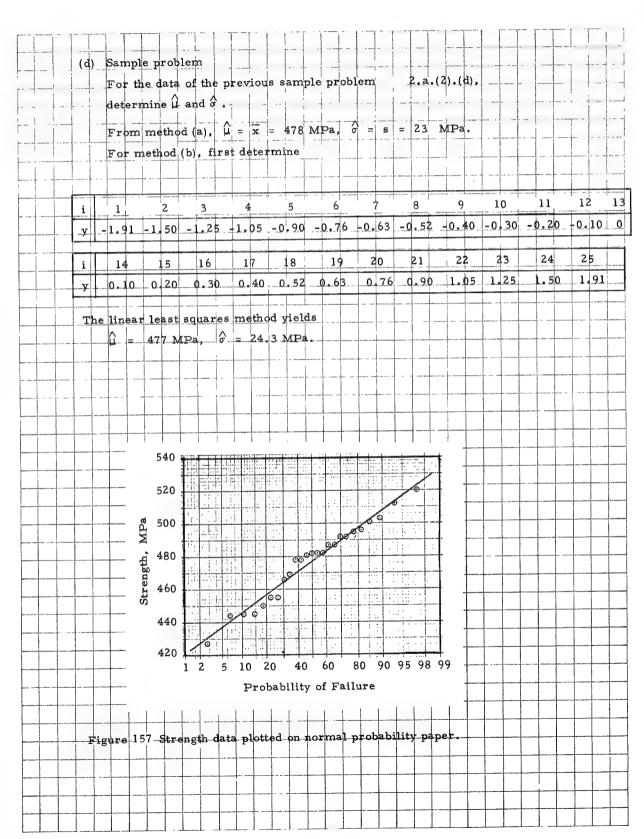
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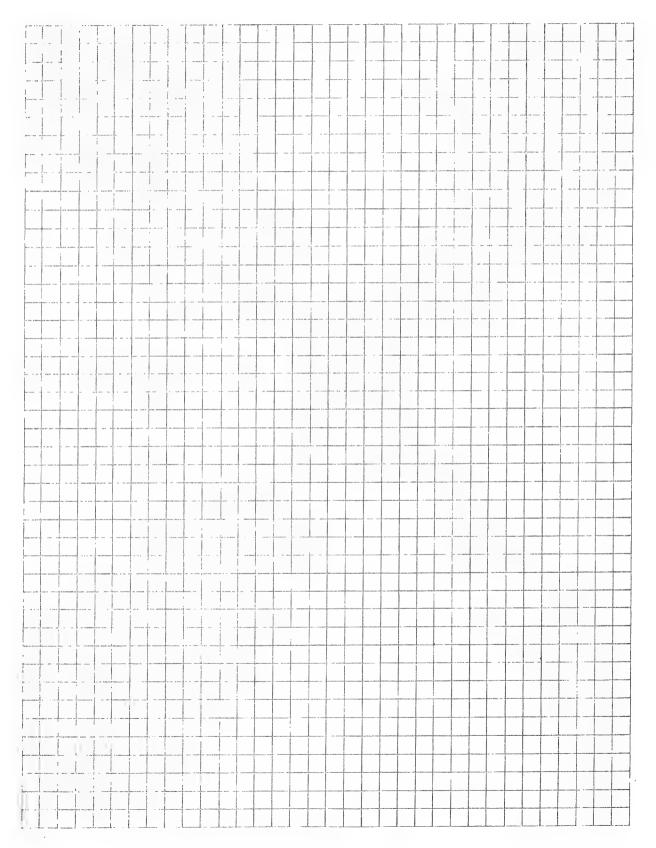
	Properties	
	$\mathbf{F} = \frac{1}{\sigma \sqrt{2\pi}} \int_{-\infty}^{\mathbf{x}} \exp\left[-\frac{1}{2} \left(\frac{\mathbf{t} - \mathbf{\mu}}{\sigma}\right)^{2}\right] d\mathbf{t}$	(7
1	Probability density function	
 	$f = \frac{1}{\sigma \sqrt{2\pi}} \exp \left[-\frac{1}{2} \left(\frac{x - \mu}{\sigma} \right)^2 \right]$	(7
	Mean: U	
1	Standard deviation: σ	
1		
(2)	Estimation of μ and σ (a) $\hat{\mu} = \bar{x}$, $\hat{\sigma} = s$	(7
	(b) Maximum likelihood estimate	
	Same as above	
	(c) Linear least squares method (graphical method)	
The state of the s	Define $\frac{x-u}{\sigma} = y$ $\frac{t-u}{\sigma} = s$	(7
	$\mathbf{F} = \frac{1}{\sqrt{2\pi}} \int_{-\infty}^{\mathbf{y}} e^{-\frac{\mathbf{z}^2}{2}} d\mathbf{s}$	(7
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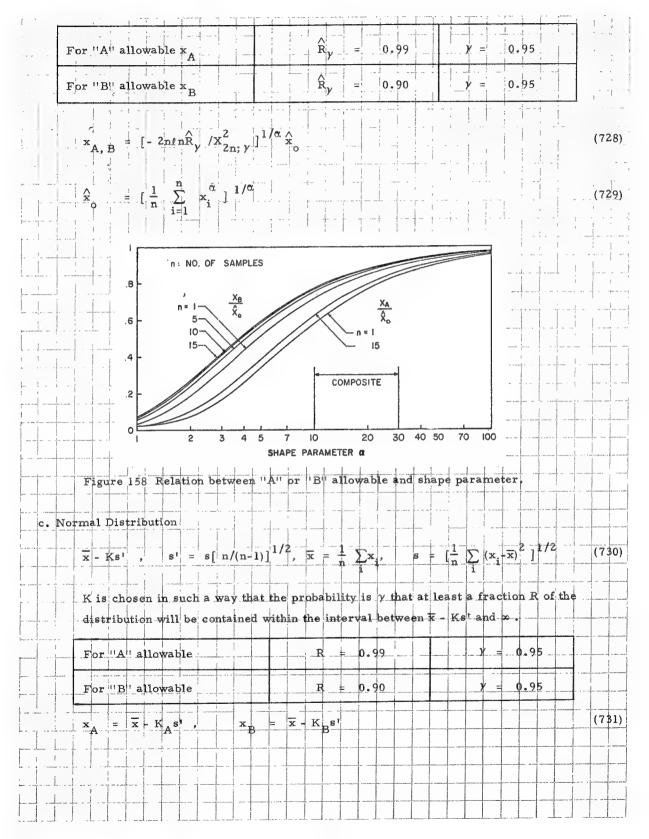
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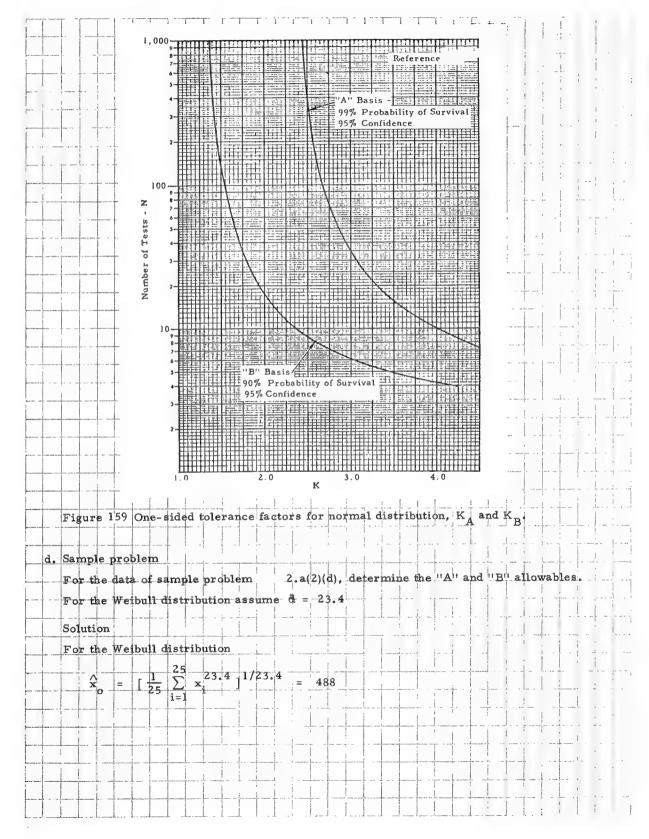
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a. Definition The probability of a succession.	ressful operation of t	ne device in the n	nanner and und	er the conditions
of intended use.				
F(x; θ ₁ , θ ₂ , · · ·) : distr	ibution function with	parameters e, e	2	
$x_1 \le x_2$: limits defining	ng the event : Success	•		
Reliability function R				a manager and a second a second and a second and a second and a second and a second and a second and a second and a second and a second and a second a second and a second and a second and a second and a second and
$R = P(x_1 \le x \le x_2)$	$= \mathbf{F}(\mathbf{x}_2; \boldsymbol{\theta}_1, \boldsymbol{\theta}_2, \cdots)$	de de la constante de la const		(718)
Manual Manual Control of the control	$= \mathbb{R}(\theta_1, \theta_2, \cdot, \cdot, \cdot; \star)$	1, [*] 2)	All places range for the first land to be seen to the first land t	
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b. Reliability for Strength	and Life		24 - Carrier 1986 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1 1	and a confidence of a complete of
X: strength				
R(x) = P[strength	$\mathbf{x} \ge \mathbf{x}$] = $1 - \mathbf{F}(\mathbf{x})$			(719)
X : life				4730)
$R(x) = P[life \ge x]$	-=- t + F(X)			(720)
c. Estimation of R	The state of the s			
			The section of the se	A 1 A 1 A 1 A 1 A 1 A 1 A 1 A 1 A 1 A 1
$R^* = R(\theta_1^*, \theta_2^*, \cdots)$	*; x ₁ , x ₂)			(721)
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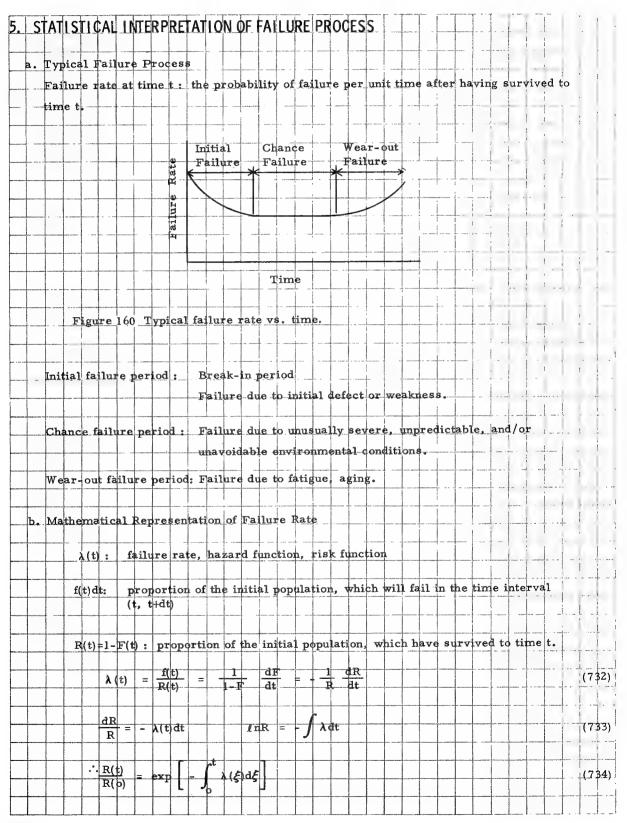


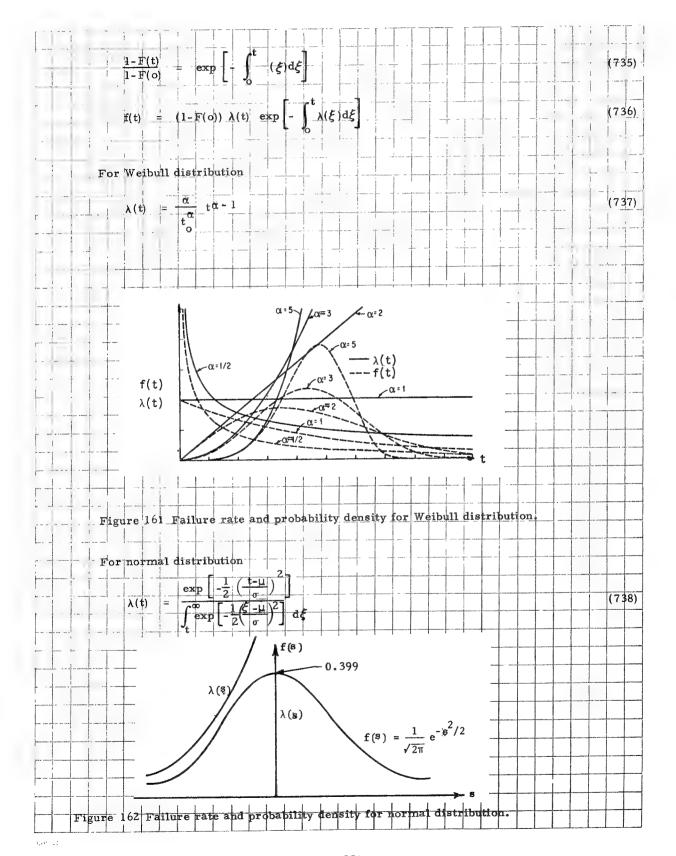
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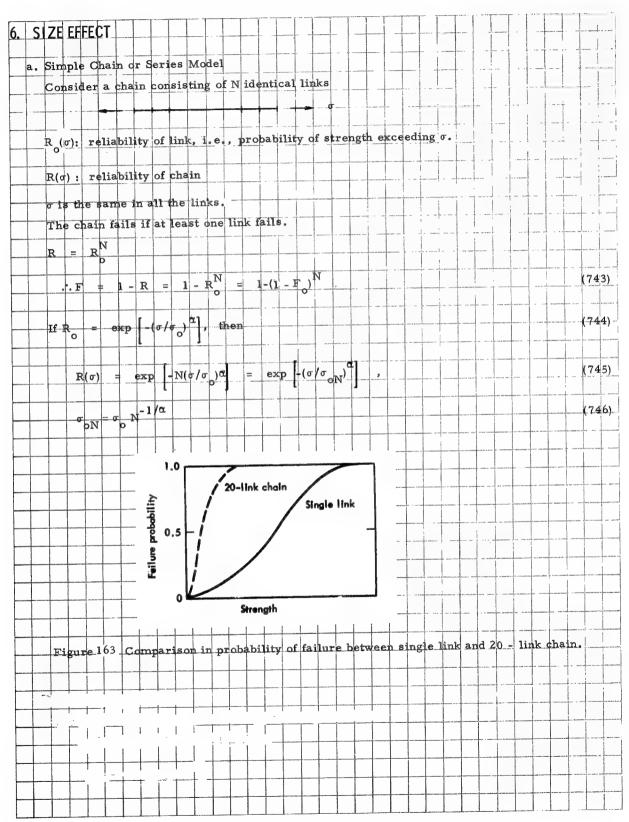




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1	nogeneous material: uniformly	
	σ, is uniform in each element.	
	$R_{i} = \begin{bmatrix} R_{o}(\sigma_{i}) \end{bmatrix}^{\Delta V_{i}}$	
	$ \begin{array}{c c} & N \\ & R & = & \Pi \\ & i = 1 & R_{o}(\sigma_{i}) \end{array} $	
	$\ell nR = \sum_{i=1}^{N} \Delta V_i \ell n \left[R_o(\sigma_i) \right]$	
	$\ell nR = \int_{V} \ell n \left[R_{o}(\sigma) \right] dV$	
<u> </u>		
Fo	Weibull distribution	
	$R_{o}(\sigma) = \exp\left[-(\sigma/\sigma)^{\alpha}\right]$	
	$ln\left[R_{o}(\sigma)\right] = -(\sigma/\sigma)^{\alpha}$	
	$R = \exp \left[- \int_{V} (\sigma/\sigma_0)^{\alpha} dV \right]$	
Ri	the probability of surviving the stress distribution o.	
Let		
	$\sigma = X f(x)$ x: position vector within the body.	
	X: reference stress	
Th		
111	$R(X) = \exp\left[-(X/X_{\perp})^{\alpha}\right]$	
	- (, , , , , , , , , , , , , , , , , ,	
	$X = \sigma \int_{Q} \int_{V} f^{\alpha}(x) dV$; characteristic strength	
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TABLE 71 COMPARISON AMONG CHARACTERISTIC STRENGTHS.
UNDER DIFFERENT TEST METHODS

3-pt. flexure (center point loading)	4-pt. flexure (quarter point loading)
Volume $\frac{(X_0)_f}{(X_0)_t} = \left[2(a+1)^2 \frac{V_t}{V_f}\right]^{\frac{1}{a}}$	$\frac{(X_o)_f}{(X_o)_t} = \begin{bmatrix} \frac{4(\alpha+1)^2}{\alpha+2} & \frac{V_t}{V_f} \end{bmatrix}^{\frac{1}{\alpha}}$
Surface $\frac{(X_o)_f}{(X_o)_t} = \left[\frac{(a+1)A_t}{A_f + B_f/(a+1)}\right]^{\frac{1}{a}}$	$\frac{(X_0)_f}{(X_0)_t} = \left[\frac{(\alpha+1)^2 A_t}{B_f/2 + (\alpha+1) (A_f + B_f)/2 + (\alpha+1)^2 A_f/2} \right]^{\frac{1}{\alpha}}$
Edge $\frac{(X_0)_f}{(X_0)_t} = \left[(\alpha+1) \frac{\ell_t}{\ell_f} \right]^{\frac{1}{\alpha}}$	$\frac{(\mathbf{X}_0)_{\mathbf{f}}}{(\mathbf{X}_0)_{\mathbf{t}}} = \left[\frac{\alpha+1}{\alpha+2}, \frac{\ell_{\mathbf{t}}}{\ell_{\mathbf{f}}/2} \right]^{\frac{1}{\alpha}}$

$$V_t = WLH$$
, $V_f = WLH$
 $A_t = 2L(W+H)$, $A_f = WL$, $B_f = LH$
 $l_t = 4L$, $l_f = 2L$

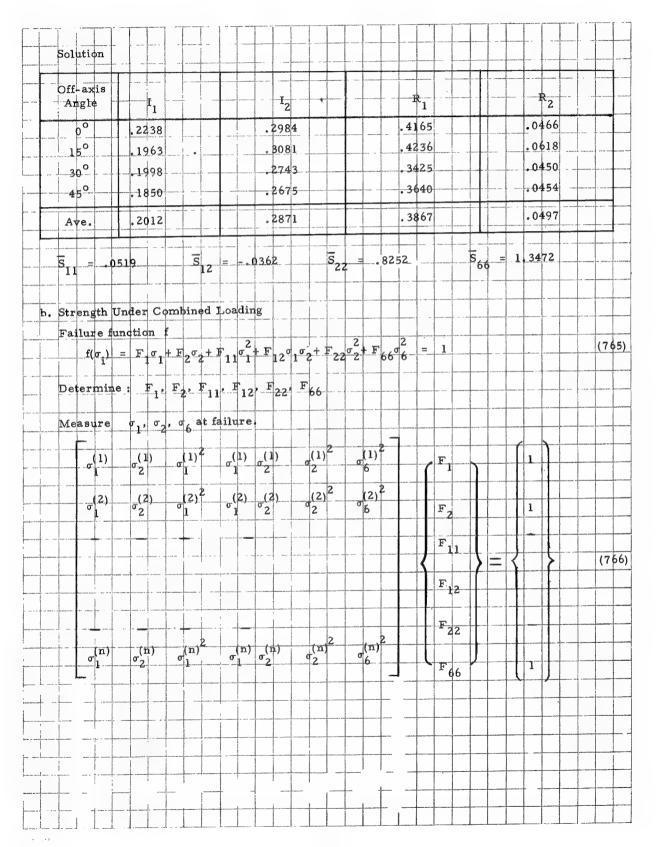
(1) Sample Problem	
From tensile coupon tests X and a are found to be	
$X_{0} = 134 \text{ MPa}, \alpha = 4.126.$	
What are the expected values of X and a in 3-pt and 4-pt flexure tests?	
Specimen dimensions are:	
W L H	
tension 13 50 4	
3-pt flexure 25 64 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4 4	
4-pt flexure 25 64 4	
Use the volume model in Table 71 .	
Solution	
$V_{t} = 2600 \text{ mm}^{2}$, $V_{f3} = 5400 \text{ mm}^{2}$	
V _t = 2600 mm ² , V _{f3} = 5400 mm ²	a van van ar her van a noom
$V_{f4} = 5400 \text{ mm}^2$	
$(X_{\phi})_{f3} = 293 \text{ MPa}, (X_{\phi})_{f4} = 224 \text{ MPa}$	
c. Size Effect in Fatigue	
For the representative element	
Rott + o Probability of surviving t when subjected to a loading characterized by	Ti"
For the entire body	
$R(t \mid \sigma) = \exp \left[\int_{V} \ell n \left[R_{o}(t \mid \sigma) \right] dV \right]$	(758)
If σ is uniform throughout the body, and	
$R_{O}(t \mid \sigma) = R_{O}(t) = \exp\left[-(t/t)^{\beta}\right],$	(759)
then	
$R(t) = \exp \left[-V \left(t/t \right)^{\beta} \right]$	(760)

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Solution Since e is the same in all bars, and since e is controlled, failure of one bar does not affect the strain in the other bars. Therefore, $[1-\exp[-(e/0.6)]^3]$ 0.8 1.0 e / e₀ Figure 164 Comparison between F and F. System reliability is improved over element reliability.

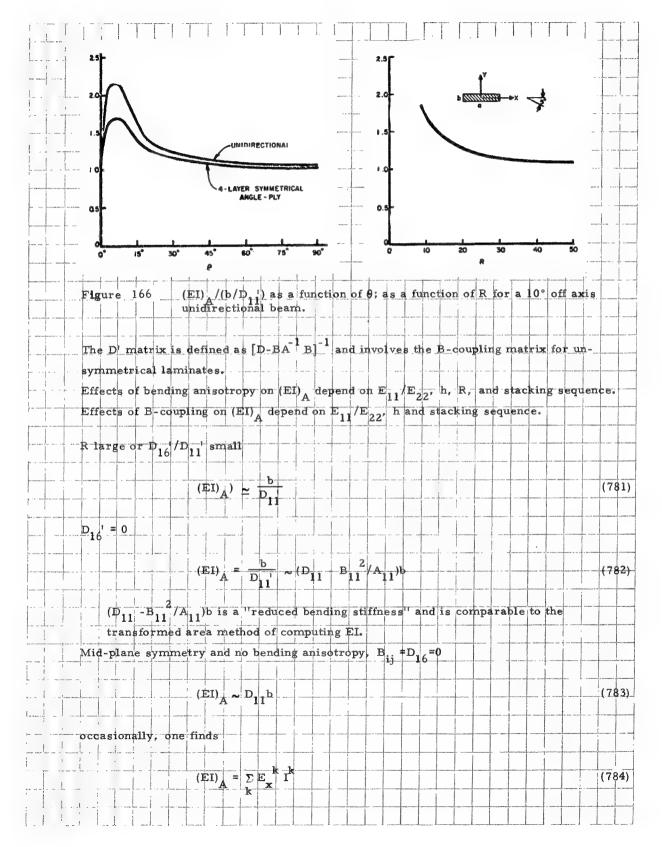
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Measure:	11, S ₂₂ ,	S ₁₂ , S ₆	, S ₁₆ , S	26			
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Calculate: I	1' 12' 1				A CONTRACTOR OF THE PROPERTY O		200 M
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R = [(-S ₁₁ + S ₂₂) + (S ₁₆ +	S ₂₆) ²] 1/2	/ 2			
R ₂ = [($S_{1} + S_{2} - 2$	S, 2-S, 4)	+4(S ₂₆ -S ₁	2 1/2 / 8			
<u></u>			2,0				
Calculate av	erage valu	es: Ī,	Ī, R,	R ₂	****	V 10 10 10 10 10 10 10 10 10 10 10 10 10	
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Off-axis Angle	s'	S ₁₂	S ₁₆	S ₂₂	\$26	\$66	M44
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	.059	028	-0	.892	.0	1.380	
15°	. 115	097	.318	.864	.078	1.292	
30° 45°	. 496	085	381	.661	.338	.896	
45	. 490	7.120	1370	. 1/0	1 .350		
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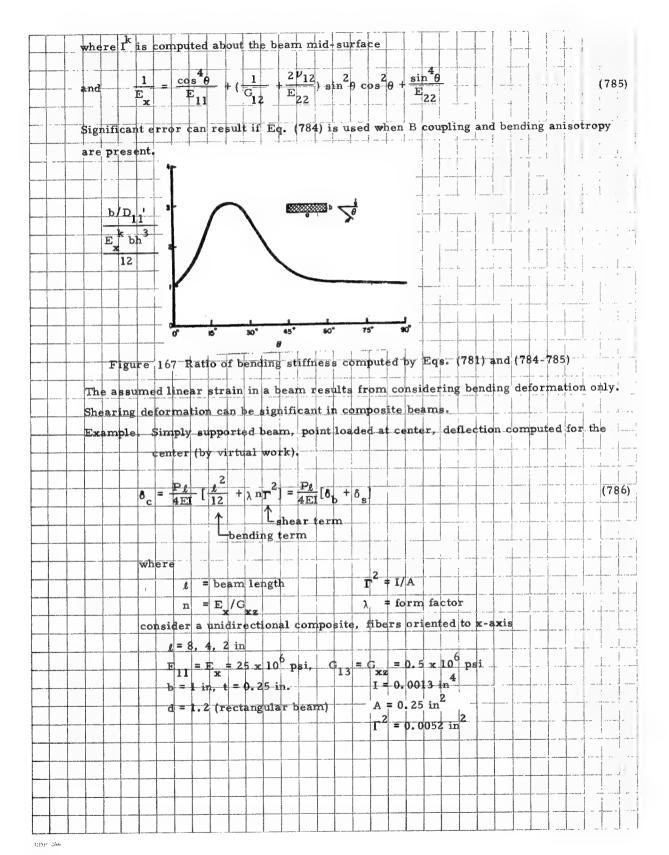


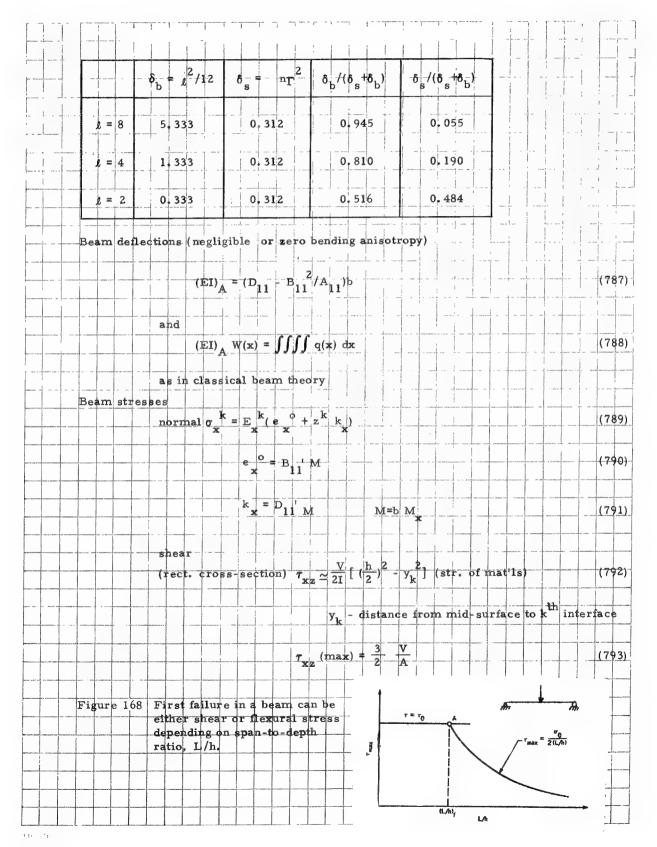
$\{F\} = ([\sigma]^T [\sigma])^{-1} [\sigma]^T \{1\}$ $Minimum no. of tests required = nq. of components of F$ $Distribution of f$ $f_i(\sigma_i) = F_1\sigma_1^{(i)} + F_2\sigma_2^{(i)} + F_{11}\sigma_1^{(i)} + F_{12}\sigma_1^{(i)}\sigma_2^{(i)} + F_{22}\sigma_2^{(i)} + F_{66}\sigma_6^{(i)}$ $F = \frac{1}{n}\sum_{i} f_i$ $s = \left[\frac{1}{n}\sum_{i} f_i\overline{f_i}^2\right]^{1/2}$ $F(f) = 1 - \exp[-(f/f_0)^{\alpha}]$ If no coupling is assumed between σ_1 and (σ_2, σ_6) , then one can define $f_f(\sigma_1) = F_1\sigma_1 + F_{11}\sigma_1^{(i)},$ $f_m(\sigma_2, \sigma_6) = F_2\sigma_2 + F_2\sigma_2^2 + F_6\sigma_6^2.$ $(1) Sample problem$	(76
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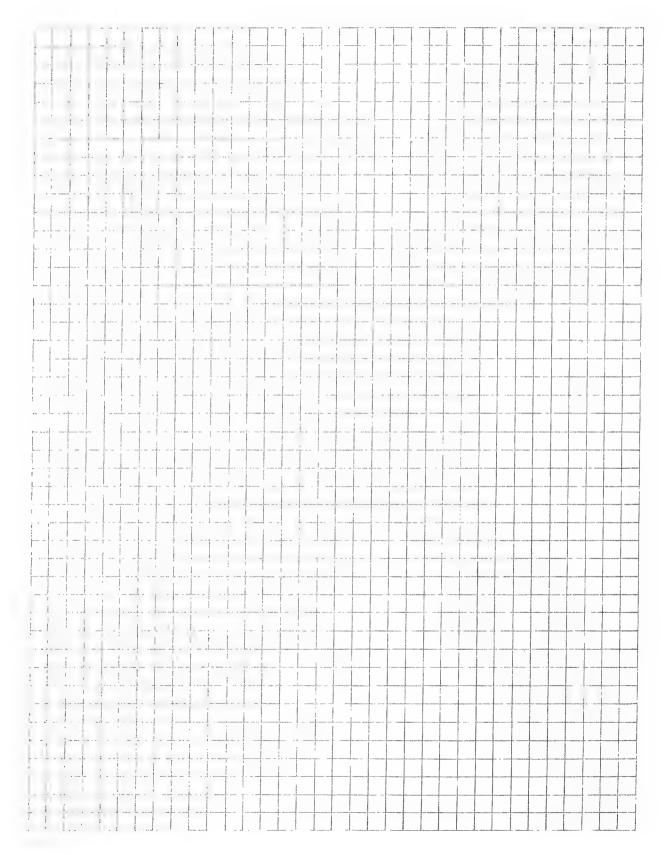
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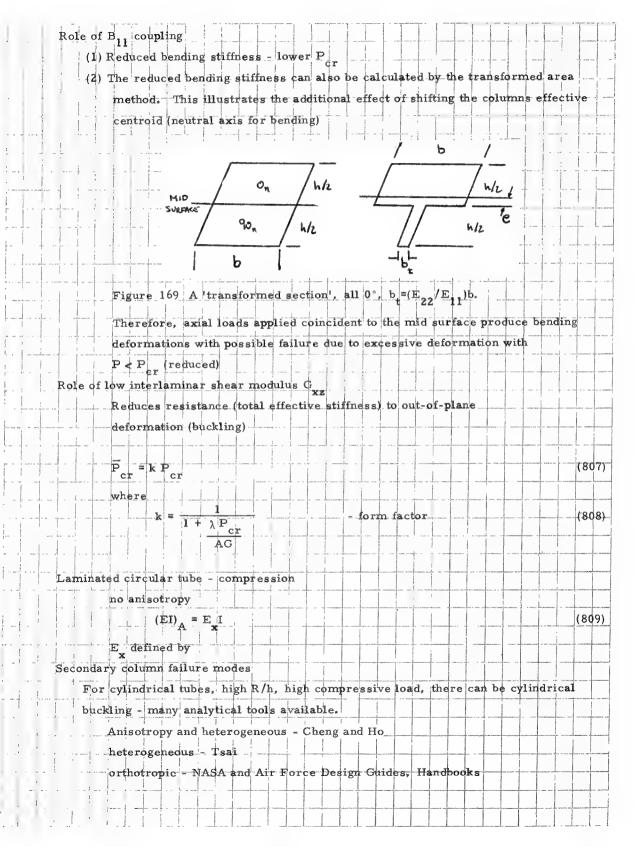


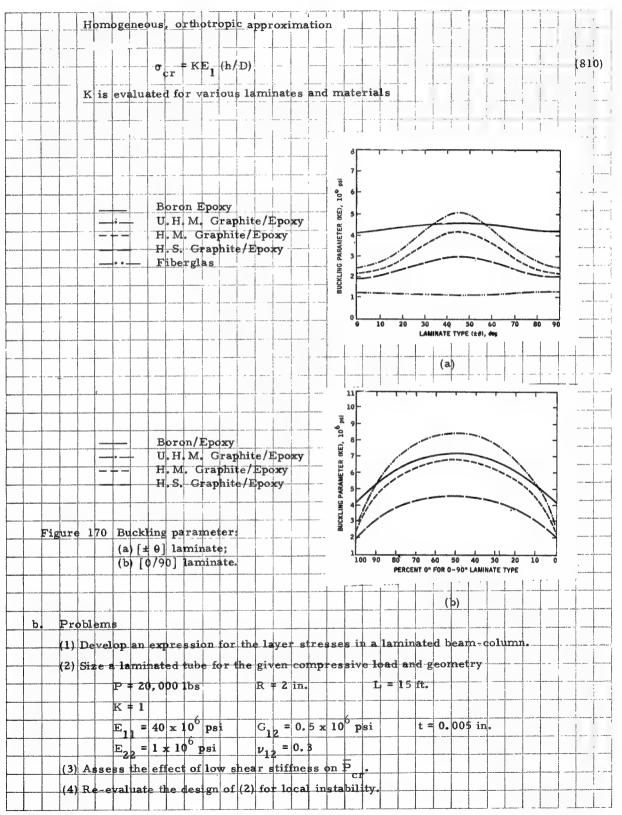
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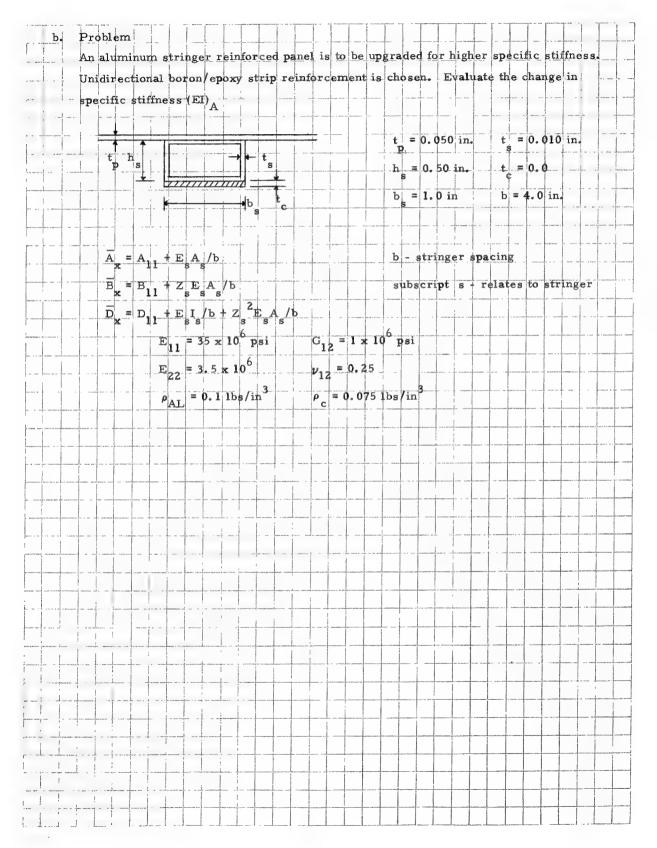




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4. COMPOSITES FOR SELECTIVE F	REINFORCEMENT OF STRUCTURAL ELEM	ENTS
a Formulation		
Standard structural forms of	an be reinforced by unidirectional (0°) c	omposite's for
enhanced specific stiffness	and strength.	
Examples		
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Beams	Panel Stringers	
Mid plane symmetric	no symmetry	
$(EI)_{A} = \Sigma (EI)$	(811) $ (EI)_{\mathbf{A}} = \mathbf{D}_{\mathbf{x}} + \mathbf{B}_{\mathbf{x}}^{2}/\mathbf{A}_{\mathbf{x}} $	(812)
	or transformed area method	
Specific stiffness		
Σ(EI	$\frac{1}{V_{1}} = \frac{\sum (\frac{E_{1}}{\alpha V})}{\sum (\frac{E_{2}}{\alpha V})}$	(813)
$(EI)_{A}/\rho_{T} = \frac{\sum (EI)}{\sum (\rho N)}$	$\overline{D} = \frac{2 \overline{\rho} V'}{2 \overline{\rho} V'}$	
Shear stress in adhesive		
0 3/////	$\tau = \frac{VQ}{\overline{Ib}}$	(814)
Z	172	
	I - moment of inertia, transforme	darea all material ()
① P////	b - width	
	V - shear force at x	
	Q - first moment of area, composi	te reinforcement
Condon film male	about centroid axis	
Secondary failure mode	re to sandwich beam face sheet.	
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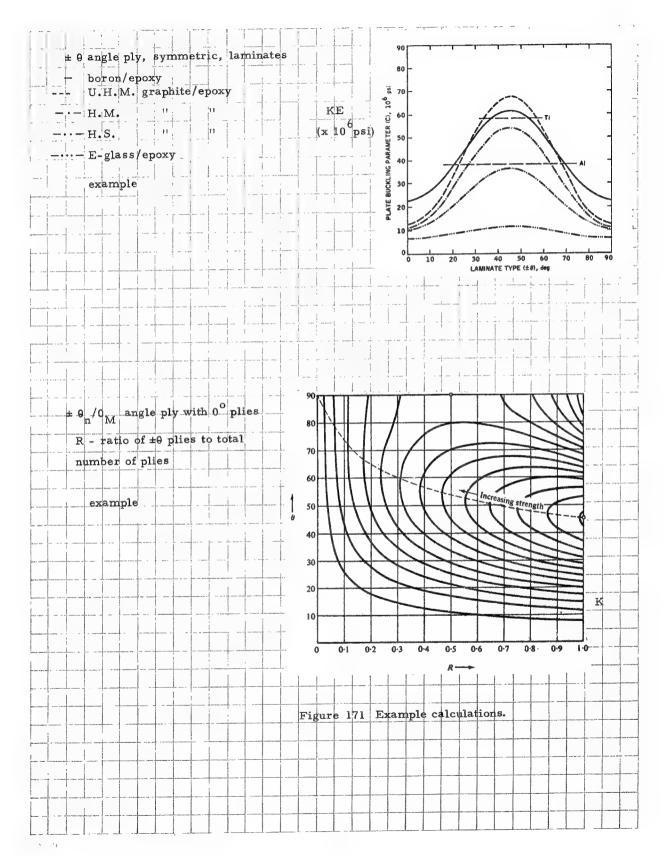
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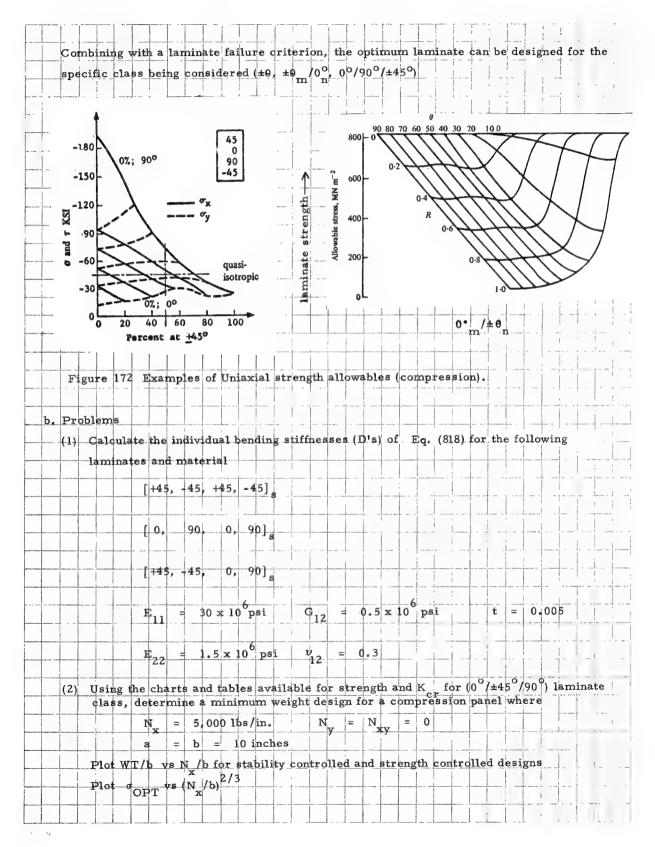
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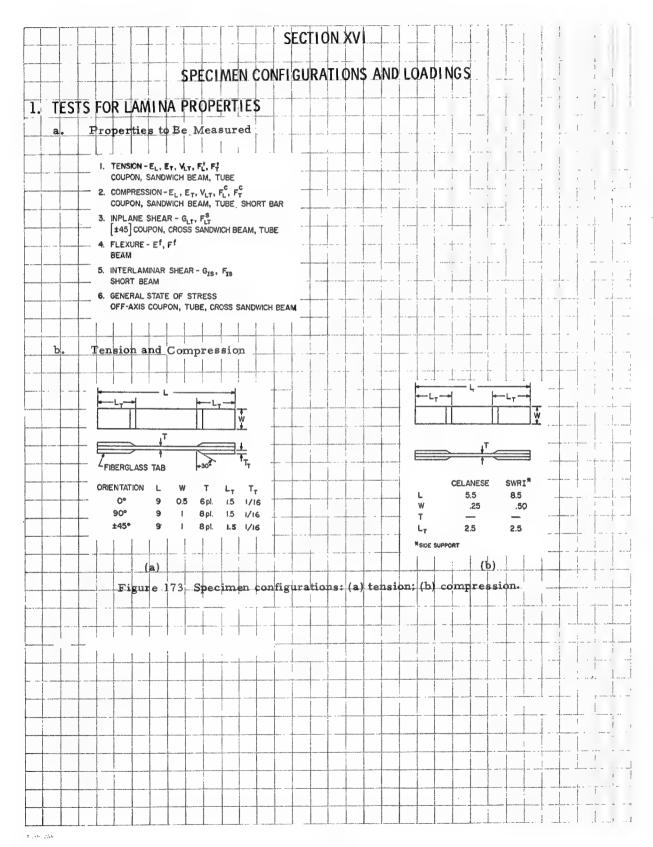
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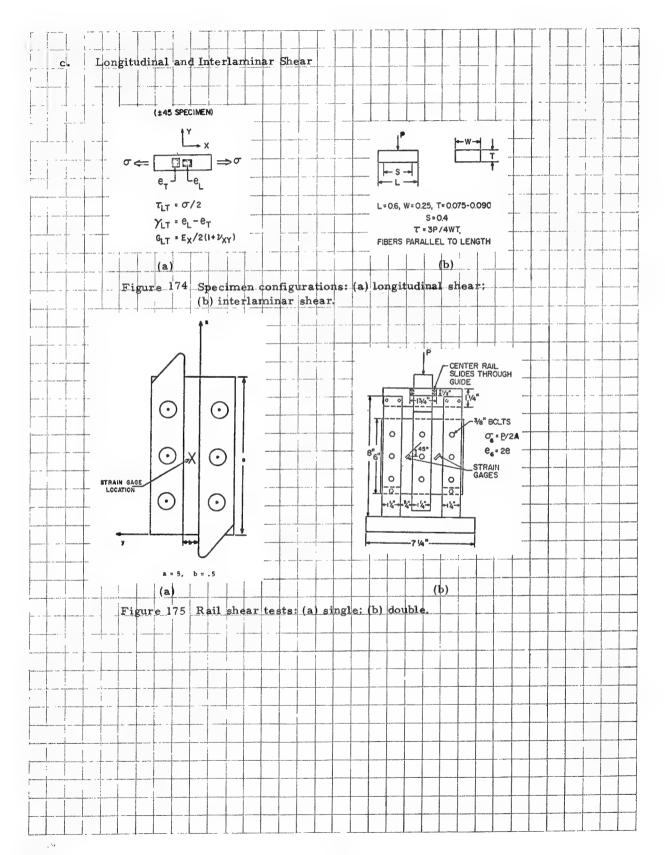
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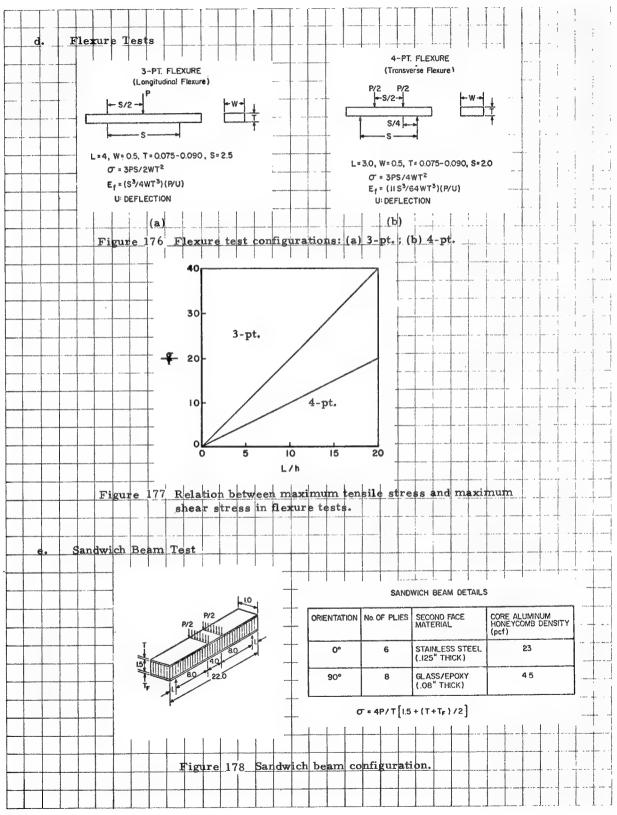
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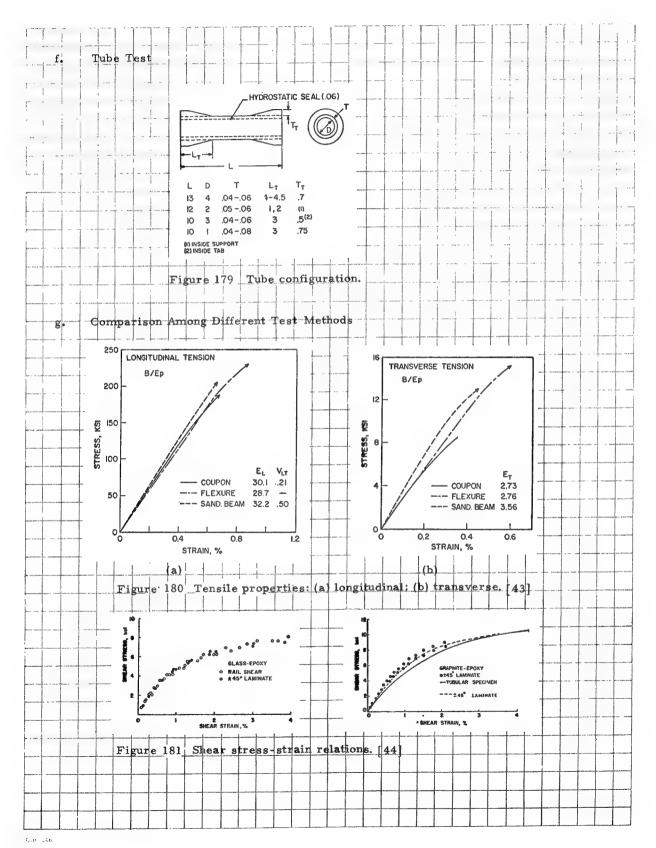


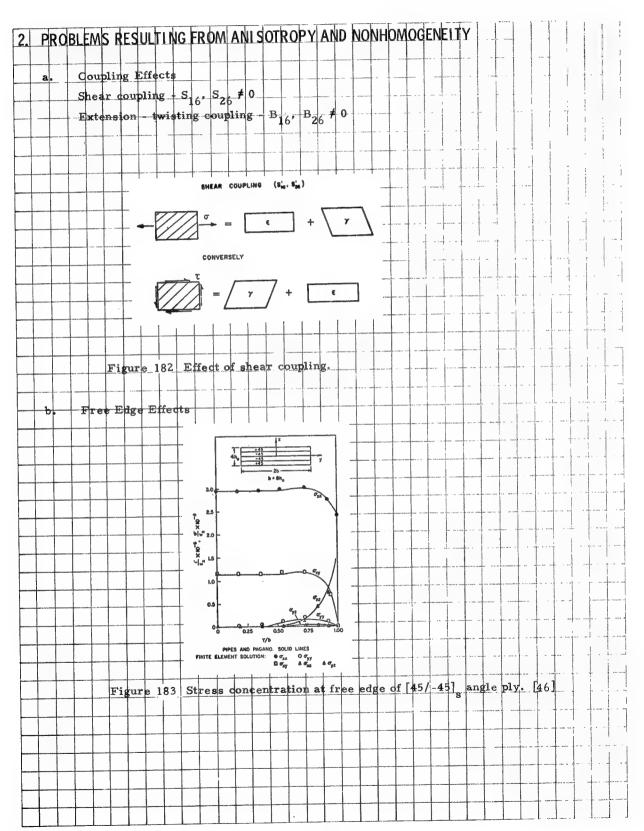
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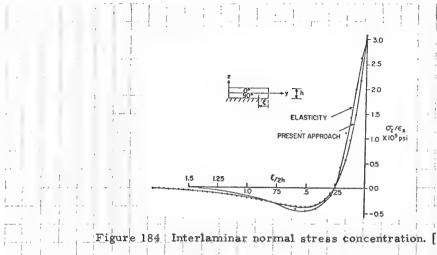


Figure 184 Interlaminar normal stress concentration. [47]

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APPENDI	
SYSTEME INTER	NATIONALE
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1. MEIRIC PREFIXES	
Prefix Abbreviation	n Multiplier
tera- I	1012
giga-	109
mega M	106
kilo- k	103
hecto- h	102
deca - da	10
deci- d	10
centi- c	10-4
milli- m	10-3
micro- μμ	10-6
nano- n	10-12
pico-	10-15
femto- f	10-18
atto- a	10
2. CONVERSION EQUATIONS	
$ \begin{array}{cccccccccccccccccccccccccccccccccccc$	1 lb = .454 kg 1 lb/in ³ = 2.77 x 10 ⁴ kgm ³
$1 \text{ kgm}^{-3} = 3.61 \times 10^{-5} \text{ lb/in}^3$	1 lb/in = 2. ((x 10 kgm - 1 lb-f = 4.45 N
1 N = .225 lb-f 1 N = .102 kg-f	1 kg-f = 9.81 N
$1 \text{ N} = .102 \text{ kg-r}$ $1 \text{ Pa} = 1.45 \times 10^{-4} \text{ psi}$	I psi = 6.895 Pa
1 MPa = .145 ksi	1 ksi = 6.895 MPa
$1 \text{ GPa} = .145 \text{ kg}_1$	10 ⁶ psi = 6,895 GPa
1 Pa = .102 kg-f m ⁻²	$\frac{1 \text{ kgf m}^{-2}}{1 \text{ kgf m}^{-2}} = 9.81 \text{ Pa}$
$1 \text{ MPa} = .102 \text{ kg-f mm}^{-2}$	1 kg-f mm ⁻² = 9.81 MPa
1 Nm ⁻¹ = 00571 lbf/ia	1 lbf/in = 175 Nm 1
1 Nm = 102 kgf/m	kgf/m = 9.81 Nm
1 Nm = 8.98 in-1bf	
	8.98

		APP	ENDIX B		
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-80	93969	.76604	34202	.64279	-80
-75	86603	.50000	50000	.86603	-75
-70	76604	.17365	64279	.98481	-70
-65	64279	17365	76604	.98481	-65
-60	50000	50000	86603	.86603	-60
-35	34202	76604	93969	.64279	-55
-50	17365	93969	98481	.34202	-50
-45	.00000	-1.00000	-1.00000	00000	-45
-40	.17365	93969	98481	34202	-40
-35	.34202	76604	93969	64279	-32
-30	.50000	50000	86603	86603	-30
-25	.64279	17365	76604	98481	-25
-20	.76604	.17365	64279	98481	-20
-15	.86603	.50000	50000	86603	-19
-10	.93969	.76604	34202	64279	-10
-5	.98481	.93969	17365	34202	-5
5 10	1.00000 .98481 .93969	1.00000 .93969 .76604	.00000 .17365 .34202	.00000 .34202 .64279	10
15	.86603	.50000	.50000	.86603	15
20	.76604	.17365	.64279	.98481	20
25	.64279	17365	.76604	.98481	25
30	.50000	50000	.86603	.86603	30
35	.34202	76604	.93969	.64279	35
40	.17365	93969	.98481	.34202	40
45	.00000	-1.00000	1.00000	.00000	45
50	17365	93969	.98481	34202	50
55	34202	76604	.93969	64279	55
60 65 70	50000	50000	.86603	86603	60
	64279	17365	.76604	98481	65
	76604	.17365	.64279	98481	70
75	86603	.50000	.50000	86603	75
80	93969	.76604	.34202	64279	80
85	98481	.93969	.17365	34202	85
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	.00 .01 .02 .03	.5000 .5040 .5080 .5120 .5160	.5000 .4960 .4920 .4880 .4840	.80 .81 .82 .63	.6915 .6950 .6985 .7019 .7054	.3085 .3050 .3015 .2981 .2946	1.00 1.01 1.02 1.03 1.04	.8413 .8438 .8461 .8485 .8508	. 1587 . 1562 . 1539 . 1515 . 1492	1.50 1.51 1.52 1.53 1.54	.9332 .9345 .9357 .9370 .9382	.0668 .0655 .0643 .0630 .0618	
	.05 .06 .07 .08	.5199 .5239 .5279 .5319	.4801 .4761 .4721 .4681	.55 .56 .57 .58 .59	.7088 .7123 .7157 .7190 .7224	.2912 .2877 .2843 .2810 .2776	1.05 1.06 1.07 1.08 1.09	.8531 .8554 .8577 .8599 .8621	.1469 .1446 .1423 .1401 .1379	1.55 1.56 1.57 1.58 1.59	.9394 .9406 .9418 .9429 .9441	.0606 .0594 .0582 .0571 .0559	
	.09 .10 .11 .12 .13	.5359 .5398 .5438 .5478 .5517	.4641 .4602 .4562 .4522 .4483	.60 .61 .62 .63	.7257 .7291 .7324 .7357	.2743 .2709 .2676 .2643	1.10 1.11 1.12 1.13	.8643 .8665 .8686 .8708 .8729	.1357 .1335 .1314 .1292 .1271	1.60 1.61 1.62 1.63 1.64	.9452 .9463 .9474 .9484 .9495	.0548 .0537 .0526 .0516 .0505	
	.14 .15 .16 .17	.5557 .5596 .5636 .5675 .5714	.4443 .4404 .4364 .4325 .4286	.64 .65 .66 .67	.7389 .7422 .7454 .7486 .7517	.2611 .2578 .2546 .2514 .2483	1.14 1.15 1.16 1.17 1.18	.8749 .8770 .8790 .8810	.1251 .1230 .1210 .1190	1.65 1.66 1.67 1.68	.9505 .9515 .9525 .9535	.0495 .0485 .0475 .0465 .0455	
	.18 .19 .20 .21	.5753 .5793 .5832 .5871	.4247 .4207 .4168 .4129	.70 .71 .72	.7549 .7580 .7611 .7642	.2420 2389 .2358 .2327	1.19 1.20 1.21 1.22 1.23	.8849 .8869 .8888 .8907	.1170 .1151 .1131 .1112 .1093	1.69 1.70 1.71 1.72 1.73	.9554 .9564 .9573 .9582	.0446 .0436 .0427 .0418	
	.23 .24 .25 .26 .27	.5910 .5948 .5987 .6026 .6064	.4090 .4052 .4013 .3974 .3936	.73 .74 .75 .76	.7673 .7704 .7734 .7764 .7794	. 2296 . 2266 . 2236 . 2206	1.24 1.25 1.26 1.27	.8925 .8944 .8962 .8980	.1075 .1056 .1038 .1020 .1003	1.74 1.75 1.76 1.77 1.78	.9591 .9599 .9608 .9616	.0409 .0401 .0392 .0384 .0375	
	.28 .29 .30 .31	.6103 .6141 .6179 .6217	.3897 .3859 .3821 .3783	.78 .79 .80	.7823 .7852 .7881 .7910	.2177 .2148 .2119 .2090	1.28 1.29 1.30 1.31	.8997 .9015 .9032 .9049	.0985 .0968 .0951	1.79 1.80 1.81 1.82	.9633 .9641 .9649 .9656	.0367 .0359 .0351 .0344	
	.32 .33 .34	.6255 .6293 .6331	.3745 .3707 .3669	. \$2 . \$3 . \$4	.7939 .7967 .7995	. 2061 . 2033 . 2005	1.82 1.83 1.84	.9066 .9082 .9099	.0934 .0918 .0901	1.83 1.84 1.85 1.86	.9664 .9671 .9678	0336 0329 0322 0314	
	.36 .37 .38 .39	6406 . 6443 . 6480 . 6517	.3594 .3557 .3520 .3483	. 96 . 87 . 88 . 99	.8051 .8079 .8106 .8133	. 1949 . 1921 . 1894 . 1867	1.36 1.37 1.38 1.39	.9131 .9147 .9162 .9177	.0869 .0853 .0838 .0823	1.87 1.88 1.89	.9693 .9699 .9706	0307 .0301 .0294	
	.40 .41 .42 .43	.6554 .6591 .6628 .6664 .6700	.3446 .3409 .3372 .3336 .3300	.90 .91 .92 .98 .94	.8159 .8186 .8212 .8238 .8264	.1841 .1814 .1788 .1762 .1736	1.40 1.41 1.42 1.43 1.44	.9192 .9207 .9222 .9236 .9251	.0808 .0793 .0778 .0764 .0749	1.91 1.92 1.98 1.94	.9719 .9726 .9732 .9738	.0281 .0274 .0268 .0262	
	.45 .46 .47 .48	.6736 .6772 .6808 .6814	.3264 .3228 .3192 .3156	.96 .96 .97	.8289 .8315 .8340 .8365 .8389	.1711 .1685 .1660 .1635	1.45 1.46 1.47 1.48 1.49	.9265 .9279 .9292 .9306 .9319	.0735 .0721 .0708 .0894 .0681	1.95 1.96 1.97 1.98 1.99	.9744 .9750 .9756 .9761 .9767	.0256 .0250 .0244 .0239 .0233	
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	* For large positiv + \frac{1}{288x^2} - \frac{139}{51840x^2}	re values of x, 571 2488320x4	F(x) approxim + · ·].			2.00	$\frac{1.00000}{x} \left[1 + \frac{1}{3} \right]$								
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